#### Data Regeneration

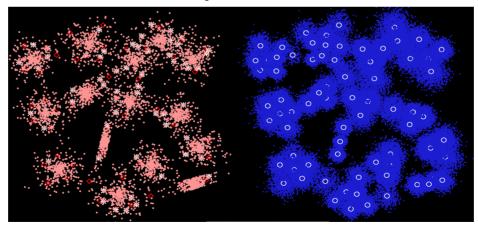
# Test Data Generation from Sample Population using Data Mining methods\*

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#### Motivation

- Legal use of a truthful dataset
- Generation of large datasets based on a small sample
- Simulate databases
- Recreate, and further expand a dataset



Sample dataset | Regenerated dataset

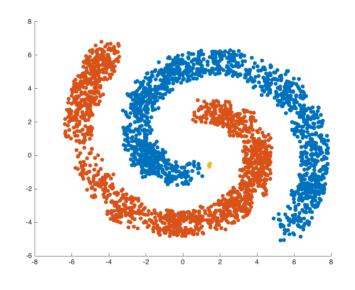
## Defining the problem

Data regeneration:

"Upon <u>observing</u> a given <u>sample dataset</u>, we would like to <u>identify</u> smaller <u>sub-clusters</u>, and based on the <u>statistical</u> <u>properties</u> (such as the mean and the distribution) of these clusters we want to <u>regenerate a similar datase</u>t with possibly different number of data points."

## Clustering methods [1]

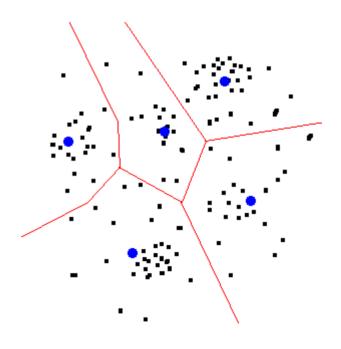
- Hierarchical methods:
  - Agglomerative
  - Divisive
    - **Similarity measures**:
  - Single-link
  - Complete-link
  - Average-link



[1] Rokach, Lior, and Oded Maimon. "CLUSTERING METHODS."

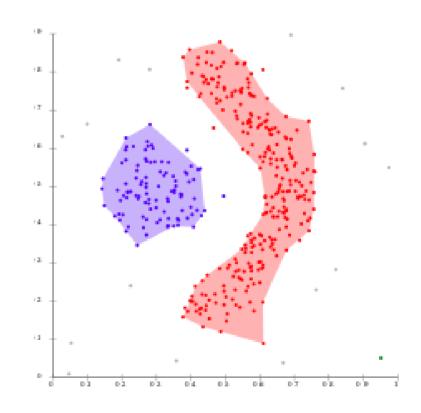
## Clustering methods [1]

- Partitioning methods:
  - Divide space of the dataset into smaller ranges
  - Attempts to minimize the error of a centroid of a cluster



## Clustering methods [1]

- Density based methods:
  - Considers the distances between the individual data points.
  - Creates a chain of data points that will become a cluster



## Clustering methods

Which approach is better?

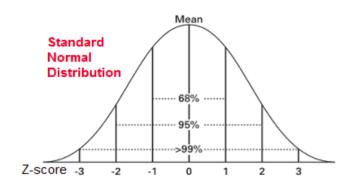
None, all have strengths and weaknesses.

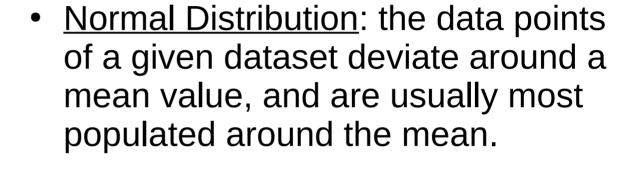
To solve the "data regeneration" problem, both approaches are needed.

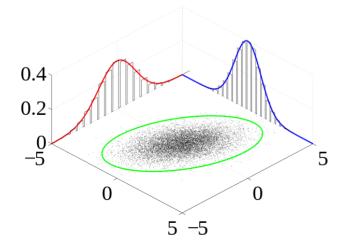
- Point:  $p \in \mathbb{R}^n$ , where  $n \in \mathbb{N}$ , and n > 0. A point only has position.
- Vector: similar to a point, but also has magnitude and direction.

We are *vectorizing* the dataset so we can:

- Calculate distance
- Centroid
- Distribution







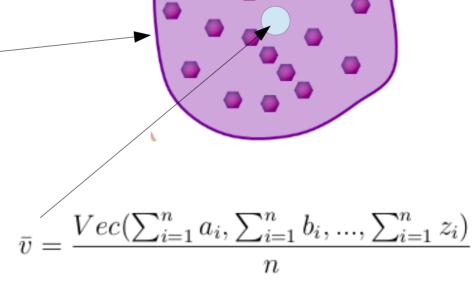
 Covariate (bivariate) distribution: it is possible for a dataset with data points of higher dimensions, to have different distributions in each dimensions.

Normal distribution:

$$s_x = \sqrt{\frac{\sum_{i=1}^{n} (x_i - \bar{x})^2}{n-1}}$$

Centroid:

The "mean" of a set of points (with any number of dimensions)



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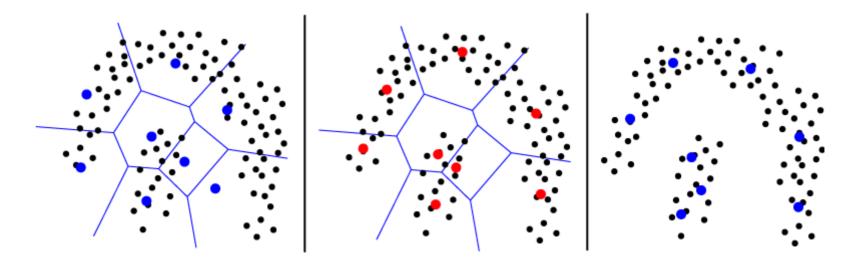
The "mean" of a set of points (with any number of dimensions)

$$\bar{v} = \frac{Vec(\sum_{i=1}^{n} a_i, \sum_{i=1}^{n} b_i, ..., \sum_{i=1}^{n} z_i)}{n}$$

## **Clustering Algorithms**

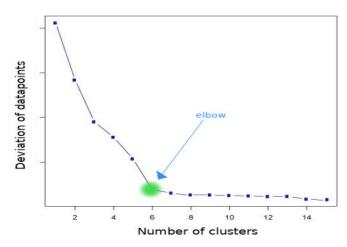
<u>K-means:</u> only needs the "k" number of clusters to create, given a dataset.

- 1st phase: placing "k" number of points, the markers of a cluster
- 2<sup>nd</sup> phase: fine-adjusting the position of the markers



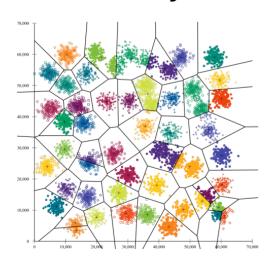
#### Elbow method

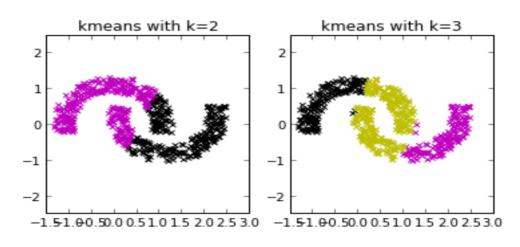
- Attempts to find the correct number of clusters for the kmeans algorithm
- Calculates the average difference of squares between the data points and the markers
- Has to run the algorithm many times with increasing number of "k"



#### K-means algorithm

- Problems with the k-means algorithm:
  - Can <u>not</u> identify clusters which have a concave shape!
  - What should be the "k" parameter?
  - Might not find the correct centroids
  - ⇒ Possibly won't give an intuitive result (set of sub-clusters)



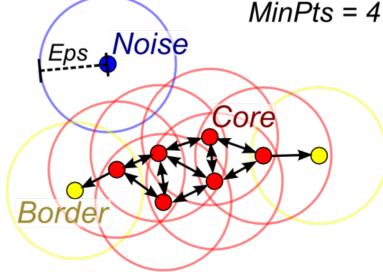


#### **DBSCAN** algorithm

- (Agglomerative) Density based algorithm.
- Needs a <u>minimum distance</u> and a <u>minimum number of</u> <u>points</u> as parameters.

• Only one phase; iterates through all the points, while

creating clusters.



#### **Problems with DBSCAN**

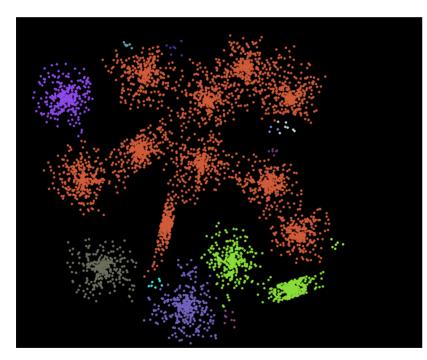
- What should be the minimum distance between points?
  - How should it be determined? ×
- What should be the minimum number of points in a cluster? (What do we consider as a cluster, and what becomes noise?)

Heuristics are needed in order to attempt the assumption of these parameters.

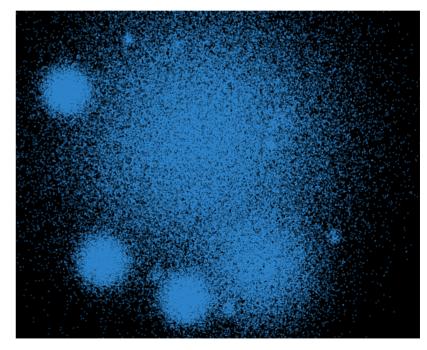
For now, we assume that both are correctly set.

#### Problems with DBSCAN

How do we analyze the result clusters?



Original dataset clustered by DBSCAN



Regenerated dataset only using DBSCAN (50x data points)

## Hybrid algorithm

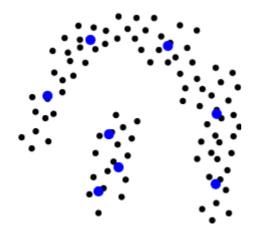
- The DBSCAN is able to find the clusters correctly, in an "intuitive" fashion.
  - But it is not able to find a "good" *mean* to regenerate the data.
- The k-means is able to partition any dataset into "k" regions.
  - But neighboring clusters might interfere to find a good mean

 Proposal: cluster the original dataset with the DBSCAN, and apply the k-means algorithm to the resulting subclusters!

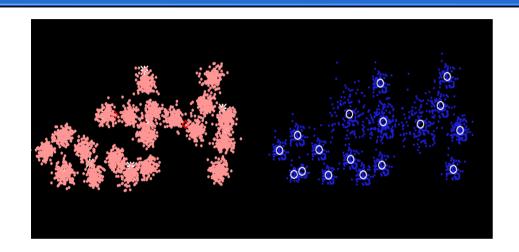
## Hybrid algorithm

 Clustering a convex shaped cluster (blob) using the kmeans algorithm will not "ruin" the regeneration of a subcluster.

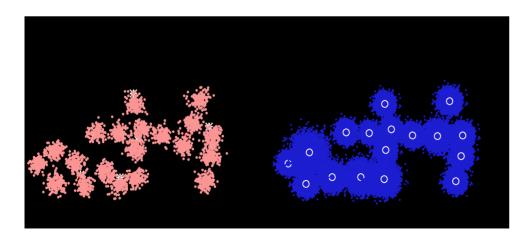
 Clustering a concave shaped cluster will only result in a more detailed (sub-clustered) cluster.



## Results of the hybrid algorithm



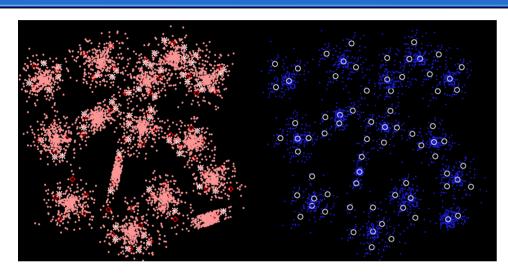
 Data regeneration with the hybrid algorithm – reducing the original number of data points.



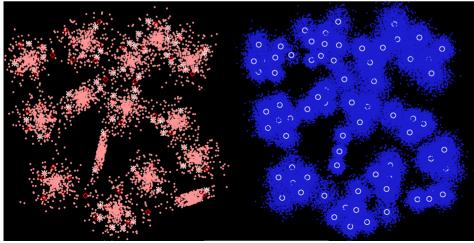
 Data regeneration with the hybrid algorithm – increasing the number of data points 50 times.

~ 5,000 data points in the original dataset

## Results of the hybrid algorithm



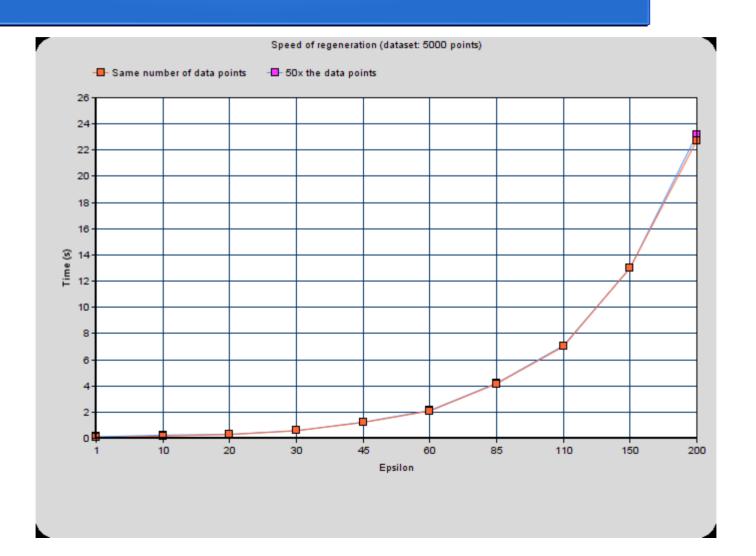
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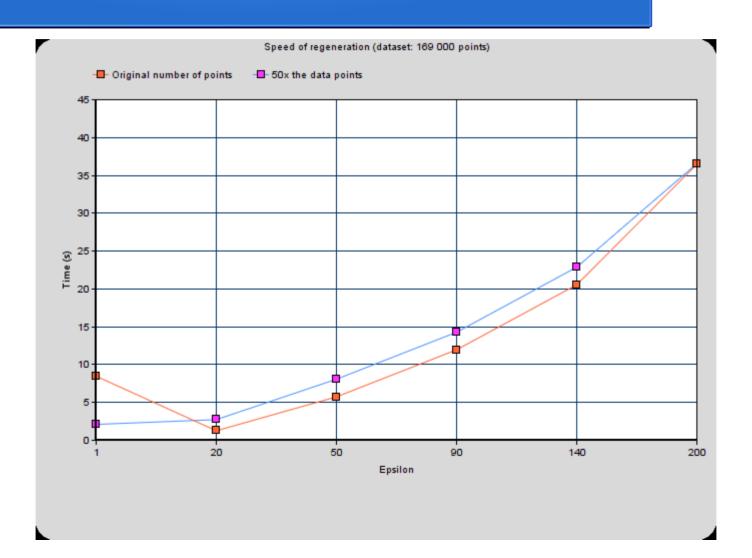
 Data regeneration with the hybrid algorithm – increasing the number of data points 50 times.

~ 169,000 data points in the original dataset

## Speed of the hybrid algorithm



# Speed of the hybrid algorithm



#### Further ideas and enhancements

- Extend the algorithm to n > 2 dimensions.
- Find a metric to numerically represent non-numerical data, such as *e-mail address*, *texts*, *etc*.
- Find a way to correctly assume the "good" parameters of the DBSCAN algorithm.

#### Thank You for your attention