Signals & Systems Project 1

Sonar Digital Communication & Matched Filters

Joy Yeh, Ting Li

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1 Part 1

We approach this part by first loading the active input and plotting the original ping and the echo. **fliplr** is used to flip the ping and a convolution between the ping and the echo is performed using **conv**.

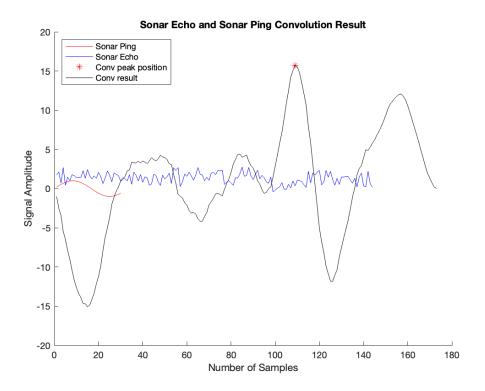


Figure 1: Sonar Convolution Result

The distance is determined by locating the maxima of convolution result Figure 1. The index of the peak we get is 109.

distance =
$$v_{sound} \cdot \frac{(\text{index} - 1)}{2 \cdot \text{samples_per_second}}$$

= $5000 \times \frac{(109 - 1)}{2 \times 100}$
= 2700 ft

Therefore, the distance between this ship and the other ship is 2700 ft.

2 Part 2

For part 2, a decode(sig_received, fs, pulse) function is written. The optional pulse defaults to

0.3s unit step pulse. A filter is made by taking the pulse into **fliplr**, and the filter convolves with the

sig_received. Subsequently, an empty bin string container of appropriate size is created. The decode

the process is made possible by comparing the binary string with the ASCII table. The binary strings

are:

• 010100110100111101010011

0100100001100101011011000111000000100001

Compared with the ASCII file, we get that:

• Message 1: SOS

• Message 2: Help!

• Message 3: Nevermind

Part 3 3

Message: "Signals and Systems Sonar Project 01"

Clean and Noisy Signals 3.1

We used a ramp pulse signal with duration of 0.3 s and sample frequency of 100 samples/second. s(t)

generated with the triangular pulse wave is plotted in blue below. The noisy signal with a noise scale

of 0.9.

3

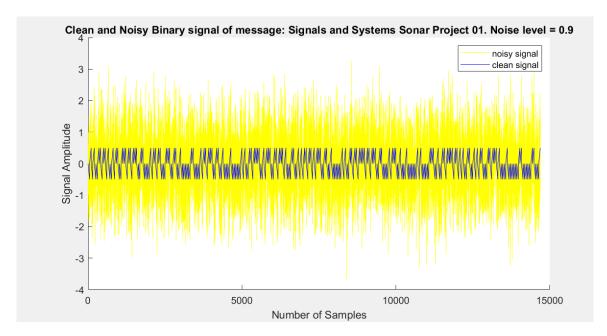


Figure 2: Noise Level = 0.9

3.2 Signal Recovery

After calling the **decode**() function, we are able to recover the message, as the following code snippet and command window prompt shows:

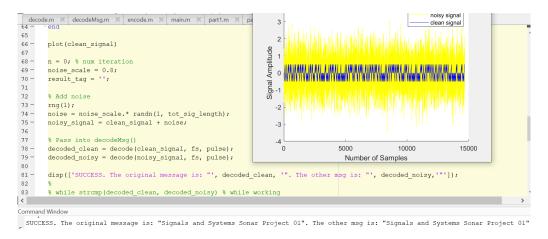


Figure 3: Recovery

The command prompt result shows that the input and output messages are the same.

Code to generate clean and noisy signals based on the binary string:

```
57 -
       clean signal = [];
58 -
     \Box for idx = 1 : bin len
           if bin_str(idx) == '1'
59 -
60 -
              clean_signal = [clean_signal, pulse];
61 -
           else
62 -
              clean signal = [clean signal, -pulse];
63 -
           end
64 -
       end
65
66 -
       plot(clean signal)
67
68 -
       n = 0; % num iteration
69 -
       noise scale = 0.8;
       result_tag = '';
70 -
71
```

Figure 4: Code Snippet

3.3 Comparisons between Different Filter Wave Pulses

In this section, we gradually increases the noise_scale parameter from 0.8 (where the actual additive noise amplitude will be $0.8 \times 1 = 0.8$, which is slightly below 1).

The iterations will run until the inputs and outputs are no longer the same. For example:

Figure 5: Demonstration of Iterations

While **strcmp(decoded_clean, decoded_noisy)** are the same, the command window keeps printing the iteration number and the current noise scale.

When they are no longer the same, we reach the decoding limit of this specific filter. In this case, the "ramp" filter can handle the maximum noise level of 0.9.

We ran the same tests with other pulse types:

1. Unit Step. Max noise level = 3.8

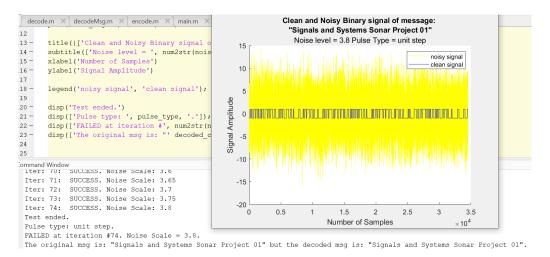


Figure 6: Unit Step

2. Unit Ramp. Max noise level = 0.9

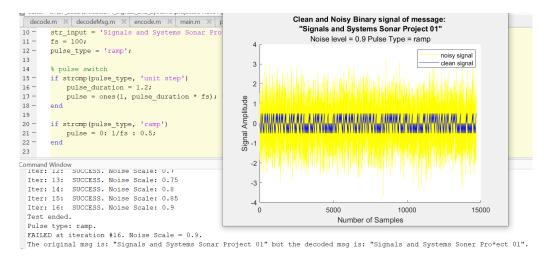


Figure 7: Unit Ramp

3. Sine Signal. Max noise level = 1.75.

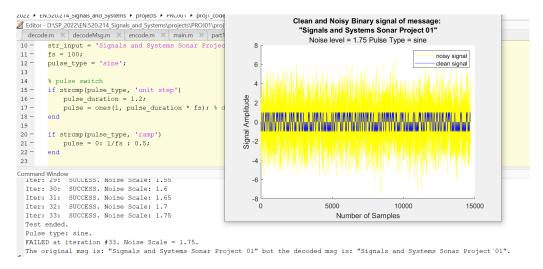


Figure 8: Sine Signal

4. Fence Signal (randomly generated pulses within the duration of one pulse). Max noise level: 0.1.

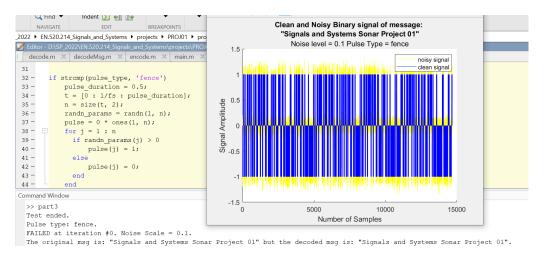


Figure 9: Fence Signal

Pulse Type	Max Noise Scale
Unit Step	3.8
Sine	1.75
Unit Ramp	0.9
Fence	0.1

In this sense, the unit step signal is the most robust.