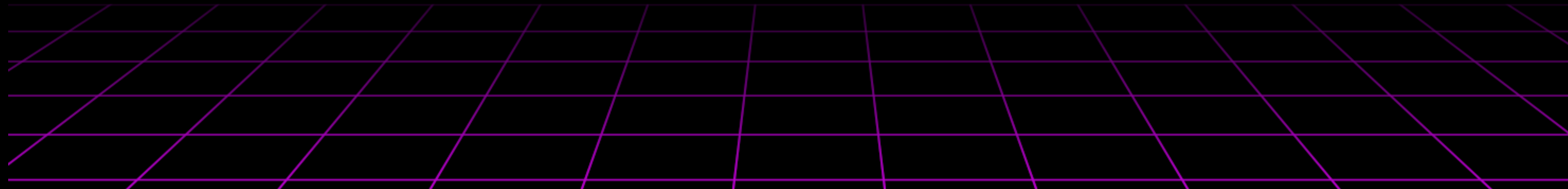




GRAB A BYTE

HASHING!





WHAT WE 'VE COVERED SO FAR

Prior to Spring Break we covered: Linear and Binary Search. Bubble, Selection, Insertion, Merge and Quick Sort. Since Spring Break we have covered Breadth-First Search and Depth-First Search



WHAT WE ARE COVERING TODAY

Today we are covering Hashing!



WHAT IS HASHING?

Hashing is a technique that maps data to a specific location in memory.

It uses a hash function to turn input into a number

That number is used as an index in a hash table to store or find data very fast!



IMAGINE APARTMENTS

You have 100 residents in an apartment building.

Each resident has an apartment number and needs a mailbox.

The mail clerk uses the resident's apartment number to calculate the mailbox number using a hash function

Instead of looking through every mailbox, the clerk jumps to the correct one!



HOW DOES IT WORK?

With hashing, you calculate the index where the item will be in the table and then can search the table by that key. It doesn't search like a normal algorithm.

It goes straight to the desired value!



HOW TO CALCULATE THE INDEX?

A simple way is to calculate the $\text{key} \% \text{the size of the table}$. Even if the key is String, it will have an ASCII value, so it will always return the remainder.

This means it will always calculate an index within the bounds of the table.



HOW TO

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INDEX?

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COLLISIONS!!

Sometimes two different keys produce the same index!
This is called a collision

You can handle collisions by storing multiple values in the same spot using a list or finding the next open spot and placing it there.



Lets consider a group of apartments and their
residents:

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar



Then lets consider their mailboxes:

<u>APT</u>	<u>NAME</u>
101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11
12	13	14



First we would take the value of their key (Apt) and find the remainder (%) of it based on the size (15)

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11
12	13	14



So Ada ($101 \% 15$) would be assigned Mailbox 11

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11
12	13	14



So Ada ($101 \% 15$) would be assigned Mailbox 11

<u>APT</u>	<u>NAME</u>
101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12	13	14



Grace $(102 \% 15)$ would be assigned mailbox 12

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12	13	14



Grace $(102 \% 15)$ would be assigned mailbox 12

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Radia $(105 \% 15)$ would be assigned mailbox 0

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Radia $(105 \% 15)$ would be assigned mailbox 0

<u>APT</u>	<u>NAME</u>
------------	-------------

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Katherine (106 % 15) would be assigned mailbox 1

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Katherine (106 % 15) would be assigned mailbox 1

APT NAME

101 Ada Lovelace
102 Grace Hopper
105 Radia Perlman
106 Katherine Johnson
107 Margaret Hamilton
111 Joan Clarke
113 Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Margaret ($107 \% 15$) would be assigned mailbox 2

APT NAME

101 Ada Lovelace
102 Grace Hopper
105 Radia Perlman
106 Katherine Johnson
107 Margaret Hamilton
111 Joan Clarke
113 Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Joan ($111 \% 15$) would be assigned mailbox 6

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Joan ($111 \% 15$) would be assigned mailbox 6

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6 111 J. Clarke	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



And Hedy ($113 \% 15$) would be assigned mailbox 8

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6 111 J. Clarke	7	8
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



And Hedy ($113 \% 15$) would be assigned mailbox 8

APT NAME

101	Ada Lovelace
102	Grace Hopper
105	Radia Perlman
106	Katherine Johnson
107	Margaret Hamilton
111	Joan Clarke
113	Hedy Lamar

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6 111 J. Clarke	7	8 113 H. Lamar
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



Now that we have a finished mailbox (hashtable) we can access different mailboxes (keys, values)!

We can:

- Add
- Delete
- Update
- Find

0 105 R. Perlman	1 106 K. Johnson	2 107 M. Hamilton
3	4	5
6 111 J. Clarke	7	8 113 H. Lamar
9	10	11 101 A. Lovelace
12 102 G. Hopper	13	14



THE PSEUDOCODE

```
function hash_function(key, size):  
    return hash(key) % size
```

```
table_size = size  
key = "key"
```

```
hashed_value = hash_function(key, table_size)
```

```
print(key and hashed_value)
```



EXAMPLES REPLIT AND GITHUB! PLEASE GO TO:
[HTTPS://REPLIT.COM/@RIKKIEHRHART/
GRABABYTE](https://replit.com/@RIKKIEHRHART/GRABABYTE)
[HTTPS://GITHUB.COM/
RIKKITOMIKOEHRHART/GRABABYTE](https://github.com/RIKKITOMIKOEHRHART/GRABABYTE)



O NOTATION!

What is O Notation?

- aka “Big O Notation” is a way to describe how efficient an algorithm is as the size of the input grows.
- It tells us how *long* an algorithm might take or how much *work* it might need to do
- Essentially, how many steps or iterations at the *worst*

Common O Notations:

- Linear Time | $O(n)$ - covered with Linear Search
- Logarithmic Time | $O(\log n)$ - covered with Binary Search
- Quadratic Time | $O(n^2)$ - covered with Bubble Sort
- Log-Linear Time | $O(n \log n)$ - covered with Merge Sort
- Constant Time | $O(1)$ - covering today!



CONSTANT TIME - $O(1)$

Constant time means the
algorithm takes the same amount
of time

NO MATTER WHAT!



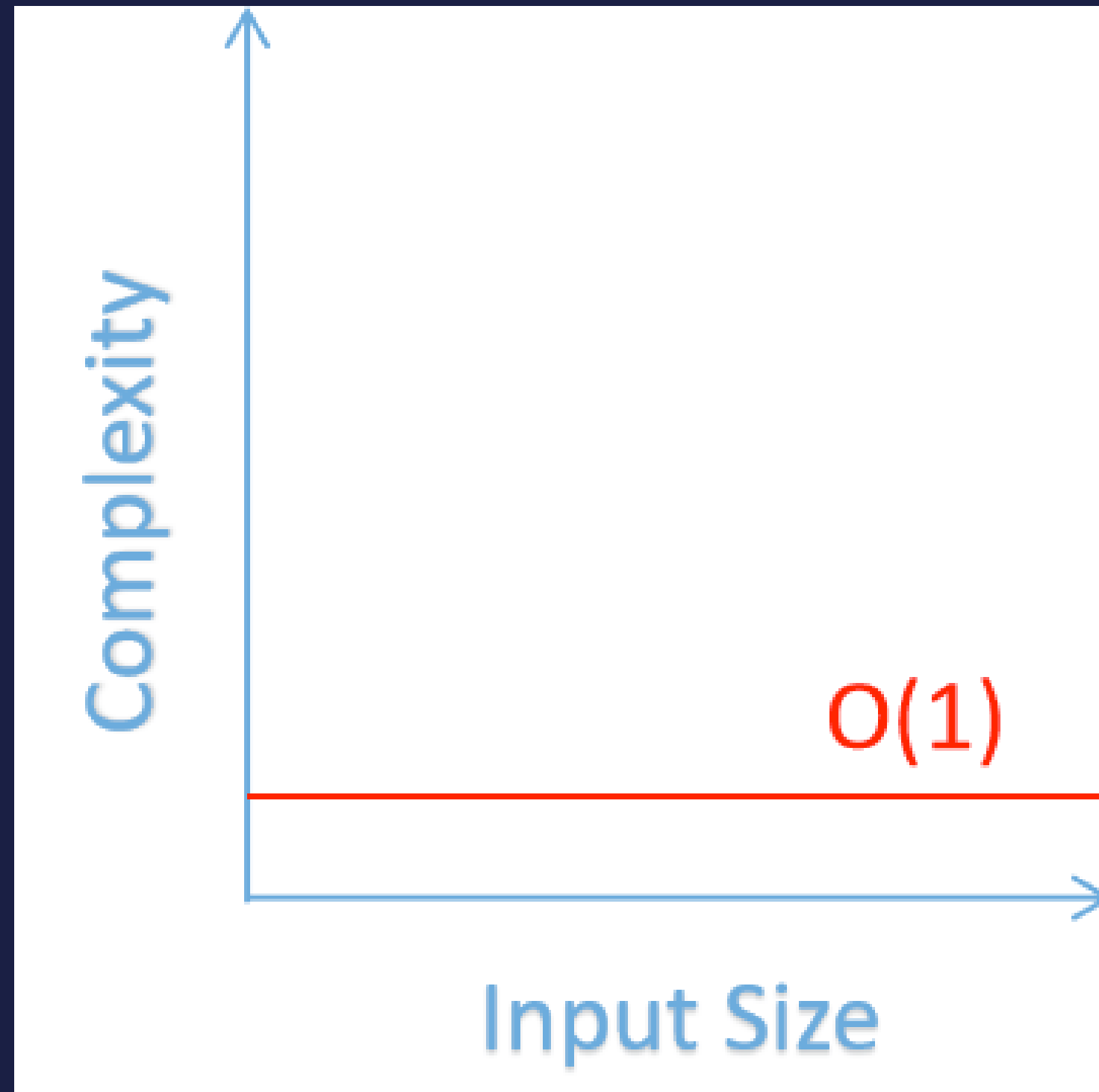
CONSTANT TIME - $O(1)$

- It doesn't loop through data
- It doesn't grow when the input size grows
- It doesn't matter if it is 5 or 5 million, its still just one step!

Its like driving down your street and going directly to your home. No searching for your house, you know where it is!



CONSTANT TIME - $O(1)$





UP NEXT

Apr 16 - Dijkstra's
Algorithm

Apr 23 - Dynamic
Programming (Knapsack
Problem)

Apr 30 - Union-Find

May 7 - Kruskal's
Algorithm

May 14 - Prim's Algorithm

Questions? - rikki.ehrhart@q.ausitncc.edu

If you'd like the opportunity to run a Grab a Byte algorithm
workshop, please let me know!