

Proj example:
simple language(~C)
-> made up assembly lang
-> scanner, parser, type checker, code gen

First stage :lexical analyzer, lexer, scanner
(reserved id)int (id)i2 (semicolon); (/ignored*) new line
i++2; -> i+ +2? i ++2? confusion. (greedy rule, take the longest valid)
char ->| scanner |->token ->stream
ignore parts
— new lines
— white space (but python)
— comments (one line; multiline)
(original fortran ignore all whitespace but not new lines
Do 10(<-#line) i=1,100) -> Do10I=1,100\\==\\==\\Do 10I=1.100
look ahead (lexical) :for example, Do10I=1,100; Do 10I=1.100

What's the output?

```
for i:=1 to 10
begin
....
end
```

```
kw_for
ID (i)
assign
literal int(1)
key_to
```

(maybe store them into a token table)
int i;
X(type name) Y(variable name);

regular expression: easy to describe tokens as regular expression

- a stands for literal "a"
- XY where x,,y regex
- X|Y x or y regex
- X*

id in C language:

(a|b|c|d|...|z|...|9|) = [_a-zA-Z][_a-zA-Z0-9]*

$A^4 = A A A A$

$A^+ = A A *$

```
D =[0-9]
L=[_a-zA-Z]
L(D|L)* return (ID)
D+ return(LITERAL_INT)
if return(KW_IF) (match L(D|L)*)
+ ...(PLUS)
+ ++
ws+ do nothing
dot error()
-----
```

```
C++
stack<int>
stack<stack<int>>
"lex"
```

scanner generator scanner.l, scanner.lex
yylex()->call repeatedly get the next token

flex<-lex

How does regEx matcher actually work

DFA = deterministic (finite automaton/finite-state machine)
difference between deter and indeter

DFA: S = set states, Σ = finite alphabet
s: starting state

$S = \{1,2\}$

$F = \{2\}$

$s = 1$

$\delta : S * \Sigma \rightarrow S$

$\Sigma = \{0-9a-zA-Z\}$

else

0-9

1| 2 2 2 2 2 2 2 2 XXXXXX

2| 2 2 2 2 2 2 2 2

$s_1 = \delta(s_0, x_1)$

$s_2 = \delta(s_1, x_2)$

if s_{n+1} belongs F accept else reject

$L(A) = \{\text{all strings in } (\Sigma)^* \text{ that A accepts}\}$

L is regular

if $L = L(A)$ for some DFA A

NDFA = non-deterministic Finite Automaton

$S = \{1,2\}$

$F = \{2\}$

$s = 1$

$\epsilon(\lambda)$: empty string

$\delta : S * (\Sigma \cup \epsilon) \rightarrow 2^S$ all subsets of S

$0(0|1)^*$ dfa

$(0|1)^*0$ ndfa

epsilon closure(X): (set of all states the x can reach from state of x by 0 or more using epsilon closure

e-closure $\{s_0\} = \{s_0, A, B\}$

e