

A Parameter Settings

To make a comprehensive comparison, we split each dataset into training, evaluation and test sets with the ratio of 8 : 1 : 1 and 6 : 2 : 2. We apply the early-stop learning strategy on the evaluation set for training, and stop training if *MAE* stops increasing for continuous 5 steps. We employ Adam as the optimizer. The learning rate lr and batch size are set as $1e-4$ and 512. All embeddings are initialized with normal distributed randoms (mean as 0 and standard deviation as 0.1). We search parameters d , L , η_1 , and η_2 in the range of $\{32, 64, 128, 256\}$, $\{1, \dots, 4\}$, $\{1e-4, 1e-3, \dots, 1e-1\}$, and $\{5e-5, 5e-4, \dots, 5e-1\}$. In most cases, $d = 32$, $L = 2$, $\eta_1 = 1e-3$, and $\eta_2 = 5e-4$ lead to the best performance. The temperature parameter in the contrastive module is set as 0.1.

B Additional Experimental Analysis

B.1 Ablation Analysis

Besides *MAE* and *RMSE* metrics, we are also interested in *Recall@K* and *NDCG@K* with $K = 5, 10, 20$ to evaluate the ranking performance of our MB-Soc. As we can see in Table 2, MB-Soc consistently outperforms other ablation variants.

Table 2. Ablation Experiment Comparisons.

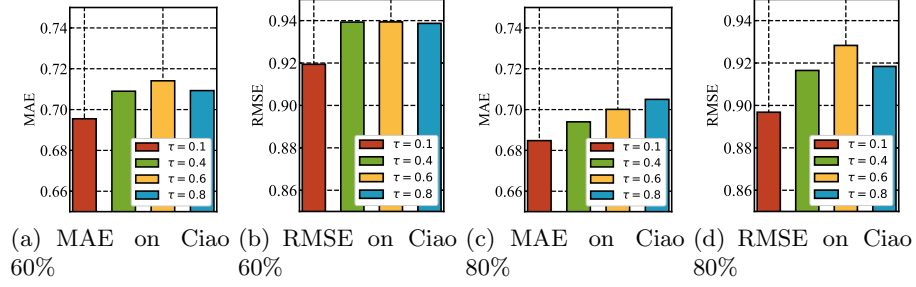
Model	Recall@K			NDCG@K		
	5	10	20	5	10	20
MB-Soc w/o MB&Soc	0.0342	0.0779	0.1445	0.0585	0.0757	0.1047
MB-Soc w/o MB	0.0514	0.0931	0.1706	0.0537	0.0762	0.1151
MB-Soc w/o Soc	0.09	0.1112	0.1907	0.1706	0.151	0.1851
MB-Soc	0.1014	0.1234	0.3251	0.1886	0.2132	0.2815

B.2 Parameter Analysis

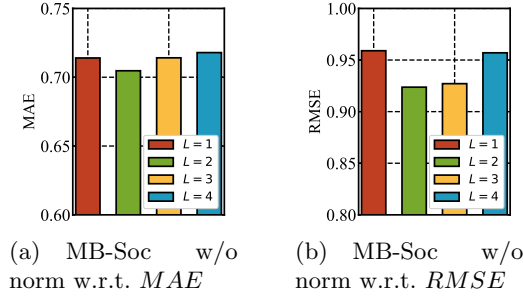
We further conduct parameter analysis experiments w.r.t. temperature parameter τ in the SSL module on Ciao 60% and Ciao 80% to find the optimal values. The results are shown in Fig. 6. MB-Soc- τ consistently achieves the best performance with $\tau = 0.1$.

B.3 Smoothing Observations

To further explore how the graph aggregation and propagation processes affect the recommendation performance, we conduct additional experiments concerning the aggregation paradigm. Specifically, we investigate the recommendation

**Fig. 6.** Impact of τ .

performance on a MB-Soc variant without smoothing, i.e., $\mathbf{e}_{u,b}^{(l+1)} \leftarrow \sum_{i \in \mathcal{N}_u^b} \mathbf{e}_{i,b}^{(l)}$, $\mathbf{e}_{i,b}^{(l+1)} \leftarrow \sum_{u \in \mathcal{N}_i^b} \mathbf{e}_{u,b}^{(l)}$. We denote the variant as MB-Soc w/o norm, and the performances of MB-Soc w/o norm with varying L are shown in Fig. 7.

**Fig. 7.** Performance of MB-Soc w/o norm on Ciao 60%

Jointly analyzing Fig. 7 with Fig. 4, we can see that MB-Soc w/o norm exhibits a significant performance degradation. This might be because MB-Soc w/o norm easily hits the bottleneck without balancing the varied numbers of neighbors.