

Welcome!

## Graphics 2008/2009, period 1

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*Information and Computing Sciences  
Game, Media and Agent Technology  
Multimedia and Geometry Research Group*

# Outline

- 1 Course organization
  - Introduction
  - Language
  - Lectures
  - Tutorials
  - Programming labs
  - Exams
  - Grading

# Introduction

## Wolfgang Hürst

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Research group: Multimedia and geometry  
(part of game, media and agent technology)

# Language

Language of the course:

- Lecture, tutorials, and programming labs: English  
(But TAs speak Dutch)
- Exams: English, but answers in Dutch are ok



Video "German coast guard", from YouTube at  
<http://www.youtube.com/watch?v=rD4roXEY8hk>

# Lectures (college)

- Tue 11:00–12:45  
Thu 15:15–17:00
- Textbook: *Fundamentals of Computer Graphics*, Peter Shirley (2nd edition). Available from A-Eskwadraat ([www.a-eskwadraat.nl](http://www.a-eskwadraat.nl)), and from Selexyz Broese (the store next to the Basket bar on campus).
- Other resources might be posted on the web
- 12 lectures, cf. schedule on the web site

# Lectures (college)

- Lectures will be recorded  
(audio and synchronized screen capture)
- Recordings will be available on the web for download  
(usually within a day, except for today's lecture)
- Very important to keep in mind:
  - Technology can fail (and most likely will)
  - We might stop this without further noticeSo, don't rely on this!
- Think carefully of how you want to take advantage of this offer!

## Tutorials (werkcollege)

- TA's: Rene Kersten (and Dirk-Jan Hoppenbrouwer, Jalmer van de Berg)
- Tue 09:00–10:45 (groups 1 & 2)  
Thu 13:15–15:00 (groups 3 & 4)
- 6 exercises, cf. schedule on the web site

## Programming labs (practicum)

- TA's: Corijn Kamerling, Dirk-Jan Hoppenbrouwer, Jalmer van de Berg
- Thu 13:15–15:00 (groups 1 & 2)  
Tue 09:00–10:45 (groups 3 & 4)
- Two assignments P1 and P2
- Deadlines: TBA
- Grade:  $P = (P1 + P2) / 2$
- Deadlines are strict (submission details: see website)



# Programming labs (practicum)

## Rules and exceptions:

- Assignments must be done in teams of two students
- If you have trouble finding a partner: contact your TA
- No reuse of last year's code  
(be warned: we use software to verify that!)
- Exceptions: students who did this course last year
  - Grades from last year don't count!
  - You are allowed to work alone or with a partner
  - If you work alone or with a partner who also did this course last year: you can reuse your code from last year (but same grade not guaranteed)
  - Otherwise: new code required

# Exams

- Exams (tentative!):
  - T1 Thu, Oct 2, 2008
  - T2 Thu, Nov 6, 2008
- Grade:  $T = (T1 + T2) / 2$
- Grades of last year are **not** valid.
- If you can't make it to the exams for **very good reasons** (skiing holidays **don't** count!), make sure to notify me a.s.a.p., and be prepared to backup your claims with evidence.
- Coverage: Will be announced on website (most likely T1 = lecture 1-6, T2 = lecture 7-12, **tentative!**)

# Grading

$$\text{Final grade} = (2T + P) / 3$$

- Minimum grades needed to pass: T and P at least 5.0, final grade at least 6.0 (note: for the final grade, 5.5 is rounded to 6.0)
- Make-up assignment P3 may replace either P1 or P2, but only if you handed in both assignments, took both exams, and got a total grade of at least 4.0.
- Make-up exams Tm1 and Tm2 may replace either T1 and T2, respectively, but only if you handed in both assignments, took both exams, and got a total grade of at least 4.0.
- Date for make-up exams: ~~Thu~~, Dec 23, 2008 (Tuesday)
- Refer to the web site for further info

# Outline

- 2 What is computer graphics, and why do we study it?
  - Topics
  - Applications
- 3 Graphics in the ICS curriculum
- 4 Basic methods for image generation
  - Projection vs. ray tracing
  - Projective methods
  - Ray tracing / ray casting
  - Basic mathematics for ray tracing

# What is computer graphics?

**Computer Graphics** describes any use of computers to create or manipulate images (*definition from the textbook*).

Keyphrase here: "create images", i.e. represent an image of a virtual world of graphics objects from a specific view

Related to, but different from

- Image processing
- Computer vision

Other closely related fields:

- Interaction/HCI, VR, visualization, ...

## So, what exactly is computer graphics now?



Computer graphics: create an image virtual world of graphical objects from a specific view on a graphics device (usually: raster display)

(movie source: <http://www.bigbuckbunny.org>)

### Major areas of computer graphics

- Modeling (not much in this course)  
*mathematical specification of shape and appearance*
- Rendering  
*creation of shaded images from 3D computer models*
- Animation (not covered in this course)  
*create an illusion of motion through a sequence of images*

# What will we do here?

Two approaches for teaching graphics:

- Basics and backgrounds (this course)
- vs. applications and libraries (not here)

Other things we will miss:

- Graphics hardware
- and many other things (animation, interfaces, ...)

# Why do we study computer graphics?

Applications in:

- Virtual reality (e.g., remote access to museum collection)
- Movie industry (special effects, 3D animations, cartoons)
- Games
- Information visualization
- Simulation (flight & car simulators, fire-fighting, ...)
- CAD/CAM, architectural design (walk-through)
- Medical Imaging



## Related courses

- WIS, IMP, DS, MSO
- DDM, OPT
- Master GMT: GA, DDM, AGRA, VW
- Information Science: A3DM (user perspective)
- many more
- Experimentation project/ Thesis project

## Basic methods for image generation

- Modelling (creating 3d virtual worlds)
- Rendering (creating 2d images from 3d models)

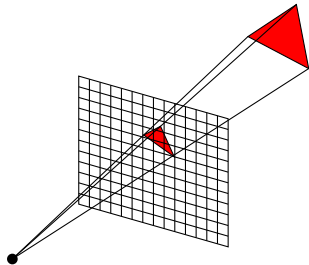
Two basic methods:

- Projective methods
- Ray tracing

## Projective methods

A popular method for generating images from a 3D-model is **projection**:

- Used by OpenGL and DirectX
- Real-time applications (games)
- Very fast: hardware supported

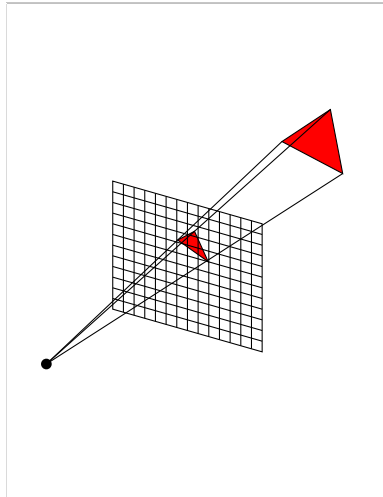


## Projective methods

Idea:

- 3D triangles project to 2D triangles
- Project **vertices**
- Fill/shade 2D triangle

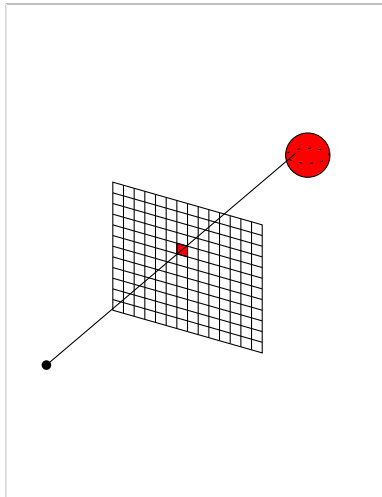
Q: what if two or more triangles project onto the same pixels?



## Ray tracing / ray casting

For photo-realistic rendering of 3D-models, usually **ray tracing algorithms** are used:

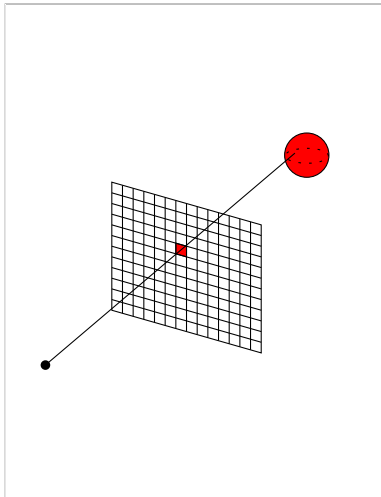
- Global Illumination
- Traditionally (very) slow
- Recent developments:  
real-time ray tracing



## Ray tracing / ray casting

Idea: for **every** pixel

- Compute ray from viewpoint through pixel center
- Determine first object hit by ray (including intersection point)
- Calculate shading for the pixel (possibly with recursion)



## Examples: landscapes ([www.terragen.org](http://www.terragen.org))

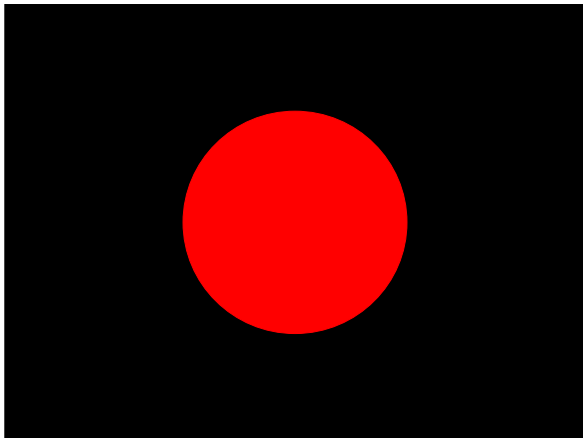


## Examples: office ([www.povray.org](http://www.povray.org))

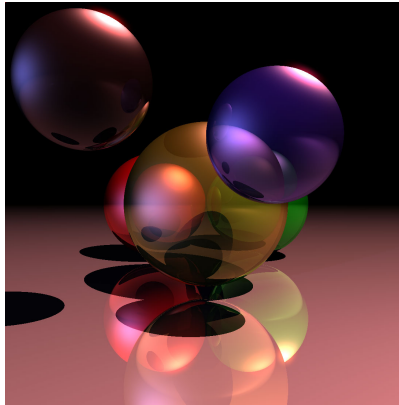




## Examples: spheres (you!)



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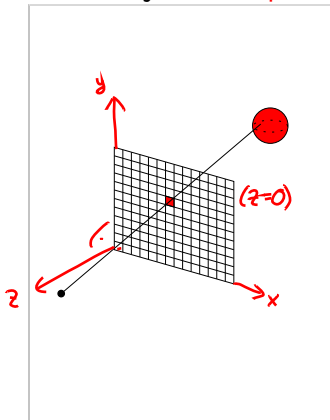


## Basic mathematics for ray tracing

Initial assumption: simple camera, projection rectangle parallel to the XY-plane, centered around the Z-axis. Objects are **spheres**.

We need the following:

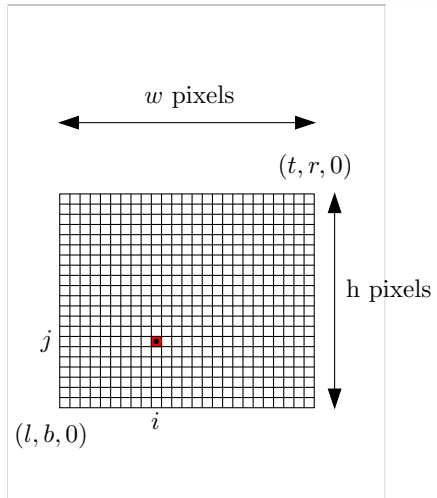
- Viewpoint coordinates: origin
- Pixel center coordinates
- Ray equation
- (First) intersection point of ray and obstacle



## Pixel center coordinates

To calculate the coordinates of the center of pixel  $[i, j]$  we need to know

- The  $x$ - and  $y$ -coordinates of the corners of the projection rectangle
- The resolution of the image
- The order of the pixel rows (up or down)

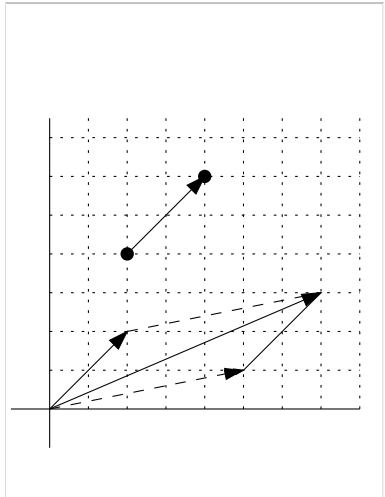


## Points and vectors

3D vectors and points can both be represented with 3-tuples  $(x, y, z)$  **but they are not the same!**

- Vectors can be added, points can't
- Vectors can be added to points

*Note: Vectors will be discussed in detail in the next lecture*



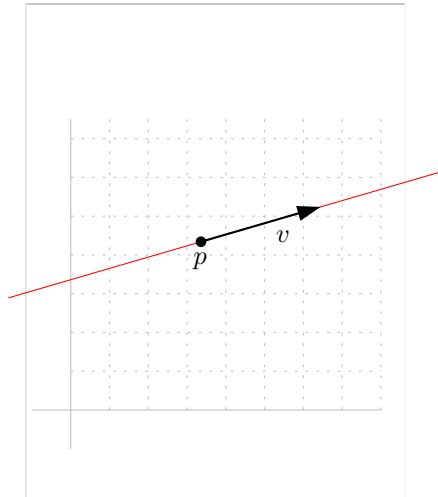
## Lines and rays

Parametric equation of a line:

- $p + t \cdot v$
- $(p_x, p_y, p_z) + t(v_x, v_y, v_z)$
- $(p_x + t \cdot v_x, p_y + t \cdot v_y, p_z + t \cdot v_z)$

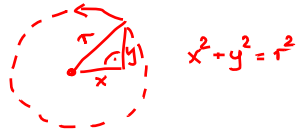
(Where  $p$  is a point, and  $v$  is a (direction) vector).

For a ray,  $t$  is bounded (usually from below by 0).



# Spheres

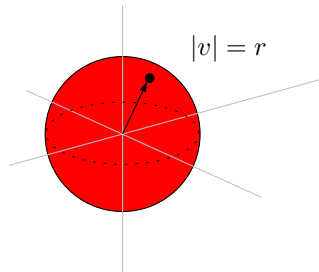
2D:



For points  $(x, y, z)$  on a sphere centered at the origin and with radius  $r$ , we have

$$x^2 + y^2 + z^2 = r^2$$

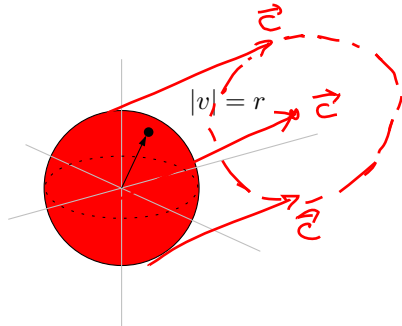
(This is basically Pythagoras' Theorem)



# Spheres

If the sphere is centered at the point  $c = (c_x, c_y, c_z)$ , the equation becomes

$$(x - c_x)^2 + (y - c_y)^2 + (z - c_z)^2 = r^2$$





## Intersections between rays and spheres

Given a sphere and a ray, with  
respective equations

$$(x-c_x)^2+(y-c_y)^2+(z-c_z)^2 = r^2$$

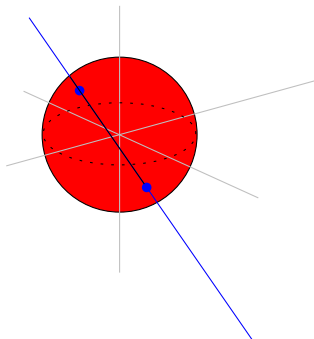
and

$$p + t \cdot v, \quad t \geq 0$$

the **intersection point(s)**

satisfy **both** equations:

$$\begin{aligned} &(p_x + t \cdot v_x - c_x)^2 + \\ &(p_y + t \cdot v_y - c_y)^2 + \\ &(p_z + t \cdot v_z - c_z)^2 = r^2 \end{aligned}$$

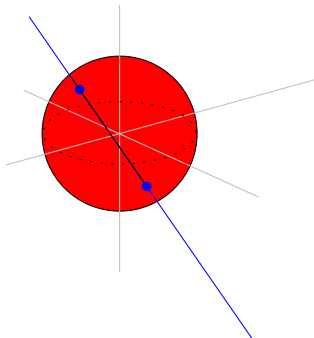


## Intersections between rays and spheres

$$At^2 + Bt + C = 0 \quad \hookrightarrow \quad t = \frac{-B \pm \sqrt{B^2 - 4AC}}{2A}$$

$$\begin{aligned} (p_x + t \cdot v_x - c_x)^2 + \\ (p_y + t \cdot v_y - c_y)^2 + \\ (p_z + t \cdot v_z - c_z)^2 &= r^2 \end{aligned}$$

This is a quadratic equation in  $t$ , with 0, 1, or 2 solutions.



## Intersections between rays and spheres

Q: what is the geometric interpretation of the number of solutions?

Q: what if one of the solutions is less than zero?

