

DATABASE RECAP

A functional dependency is a constraint between two sets of attribute inside the same relation.

Def
Given $R(X, Y)$, X functionally determines Y (written $X \rightarrow Y$)
 $\xrightarrow{\text{Relation}} \xrightarrow{\text{Set}} \xrightarrow{\text{Set}} X \subseteq X, Y \subseteq Y$ // The values actually stored

iff

$\forall x_i \in X \mapsto y_i \in Y \Leftrightarrow \Pi_{X,Y} R$ is a function (determined by x_i)
 \Leftrightarrow Two tuples sharing the same values x_i 's have to share

Heath's Theorem: lossy decomposition
values for y_i 's too

A relation R over the set of attributes U that satisfy the functional dependency $X \rightarrow Y$ can be lossless join decomposed as

$$\Pi_{XY}(R) \bowtie \Pi_{XZ}(R) = R$$

where $Z = U - XY$

Candidate Key

A candidate key is the minimal set of attributes that functionally determine all the attributes in a relation

- Functional dependencies and attribute domains are selected
- as so as to generate constraint that would exclude all the inappropriate data from the system

Logical Implication

A set Σ of functional dependencies logically implies another set Π of dependencies, is called $\Sigma \models \Pi$ logical implication.

Arndreg's axiomatization: axioms for logical implication

R relation

X, Y, Z sets of attributes

Primary Rule $\forall X \rightarrow Y$ Reflexivity

• $X \rightarrow Y \Rightarrow XZ \rightarrow YZ$ Augmentation

• $X \rightarrow Y, Y \rightarrow Z \Rightarrow X \rightarrow Z$ Transitivity

Secondary ~~Rule~~ Rules: (derivable from the primaries)

• Union: $X \rightarrow Y \wedge X \rightarrow Z \Rightarrow X \rightarrow YZ$

• Decomposition: $X \rightarrow YZ \Rightarrow X \rightarrow Y \wedge X \rightarrow Z$

Contract
using it

• Pseudotransitivity: $X \rightarrow Y \wedge WY \rightarrow Z \Rightarrow WX \rightarrow Z$

Another handy rule:

• Composition: $X \rightarrow Y, Z \rightarrow W \Rightarrow XZ \rightarrow YW$

Closure of functional dependencies

R relation. F set of FDs on R.

The closure F^+ is the set of all attributes determined by X using F.

Concept: to pave the way through 3NF

• Atomicity: No column has more than a value (1NF)
(maybe a long text separated by commas)

• 2NF: If we have a candidate key $\{A, B\}$ and there are columns that don't depend either A or B for their functional dependency; you're not in 2NF.

SPLIT. Ex: Suppose a book has only one author for the sake of the example:

Book

Title	Format	Author	Price	Pages
Python HB	Hardcover	Georgannini	60 \$	520
Python HB EBook	Ebook	Georgannini	12 \$	520

Note that: ~~Title \rightarrow Author and Format~~ ~~Force~~
Title, Format \rightarrow Author, Price, Pages
BUT ~~Title \rightarrow Author only and~~
Format \rightarrow Price only

In 2NF

Book Author

Title	Author	Pages
Python HB	Georgannini	520
Python HB	Georgannini	520

Book-Price

Title	Format	Price
Python HB	Hardcover	60 \$
Python HB	Ebook	12 \$

2NF ✓

• 3NF: 2NF \oplus No transitive dependencies ($x \rightarrow y, y \rightarrow z \Rightarrow x \rightarrow z$)

Example:

Title \rightarrow Genre ID, Genre Name
BUT this can be deduced by

Title \rightarrow (Genre ID, Genre Name) \rightarrow Genre Name
 \Rightarrow Redundancy ~~is not~~ Genre ID / Genre Name is a new value

Example

FD:

1. $A \rightarrow B$
2. $B \rightarrow C$
3. $AB \rightarrow D$

A^+ :

$A \rightarrow A$ by reflexivity.

$A \rightarrow AB$ by 1.

$A \rightarrow \cancel{AB}D$ by 2.

~~ABC~~ $\rightarrow ABCD$ by 3.

Def Cover (of FDs)

F covers G if every ~~FD~~ FD in F

$F \Rightarrow \text{hd} \in \text{FD}_G \Leftrightarrow G^+ \subseteq F^+$

Def Equivalence (of FDs)

F, G equivalent ~~iff~~

$F \equiv G \Leftrightarrow F^+ = G^+$

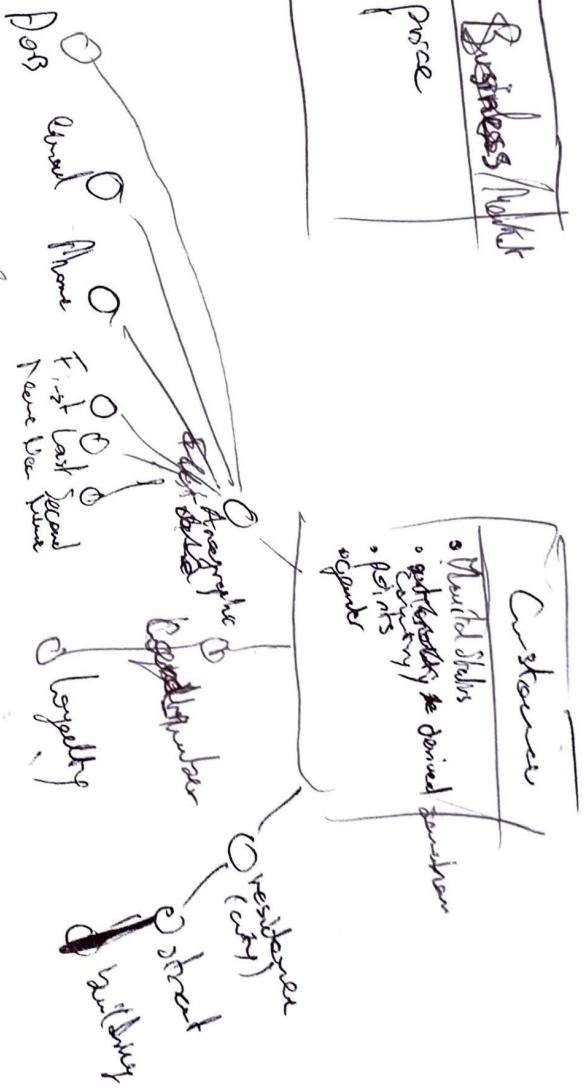
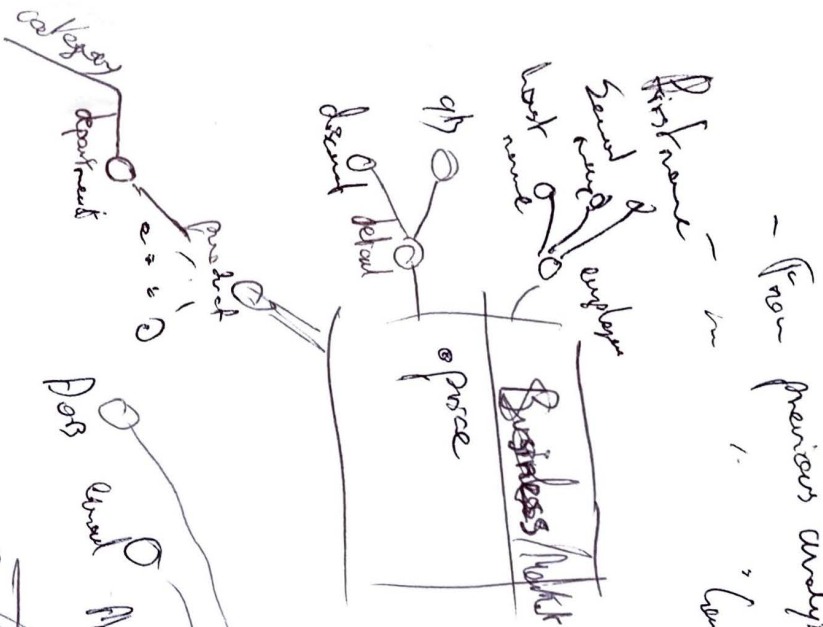
Now Rick

CONSTRUCTION

2 QUESTIONS ARE CRUCIAL

- From previous analyses: Married > Divorced > Single > Widowed
- Country > Italy > France > European > World
- Gender > Female > Male NA > Male shopping
- Gender > Female > Male shopping

ASSUMPTIONS:



- Building is an informative site because the market don't do shipments service (It's a physical store)
- Product dimension: There are no more and different items up there.

• BCNF - Considered the relation R and $F \subseteq F_D$, R is in BCNF
 iff: $\forall f \in F_D$

- 1. f is trivial functional dependency: $f \rightarrow Y$ where $Y \subseteq X$
- 2. $f: X \rightarrow Y$ and X is a superkey (primary or candidate key)

Ex: Title, Author, Author Nationality, Everything Else

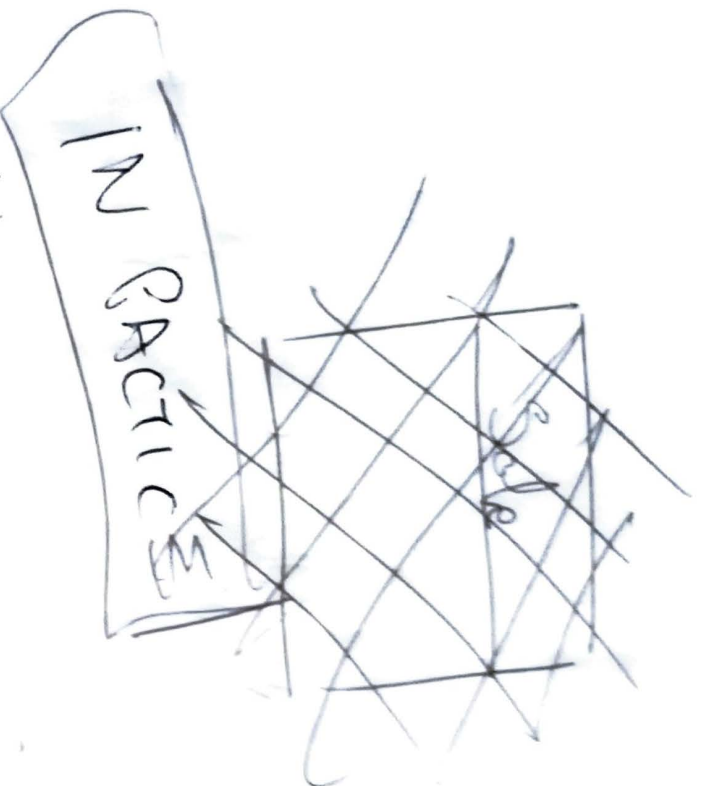
$f: \text{Author} \rightarrow \text{Author Nationality}$

f doesn't meet 2. so we have a dependency
 and we can split

R_1
Title, Everything Else, Author

R_2
Author, Author Nationality





Aspirant's View

Aspirant's View

1. Create a normal table A as a result of a query
2. Create an index on it I_A
3. Remove the table ~~selecting from a query~~
4. Create ~~the view~~ view ~~the~~ same as table A
select * from A
instead table