





Analysis of Variance

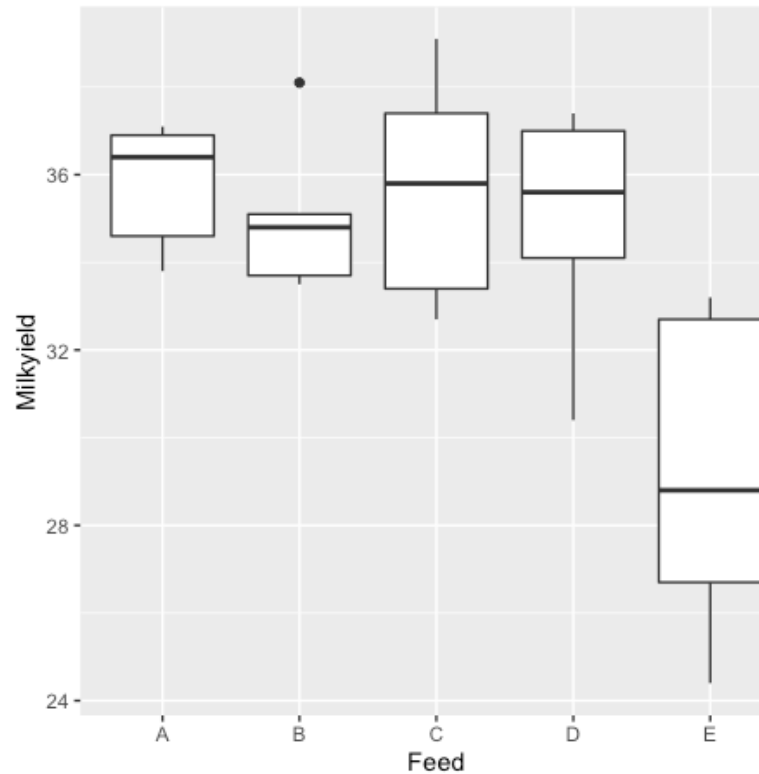
Description of Data

- Data from a Latin Square designs testing the effect of feeds (A, B, C, D, E) on milk yield
- Two blocking factors
 - 1) Animals (each animal has some uniqueness)
 - 2) Milkmen (each milkman has some uniqueness)

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

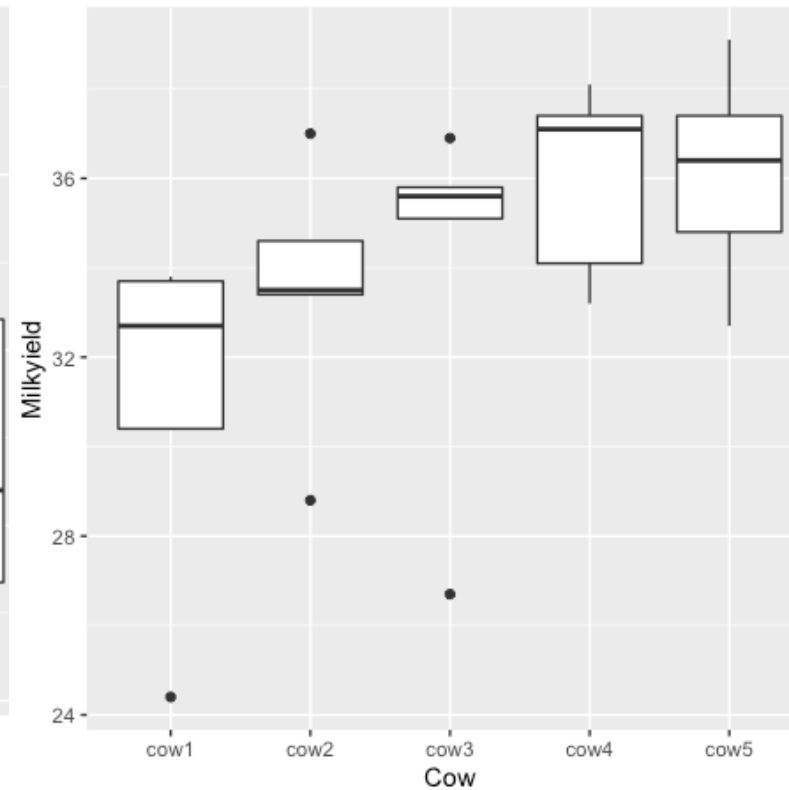
Data exploration

```
ggplot(latinsquare,aes(x=Feed,y=
Milkyield)) +geom_boxplot()
```



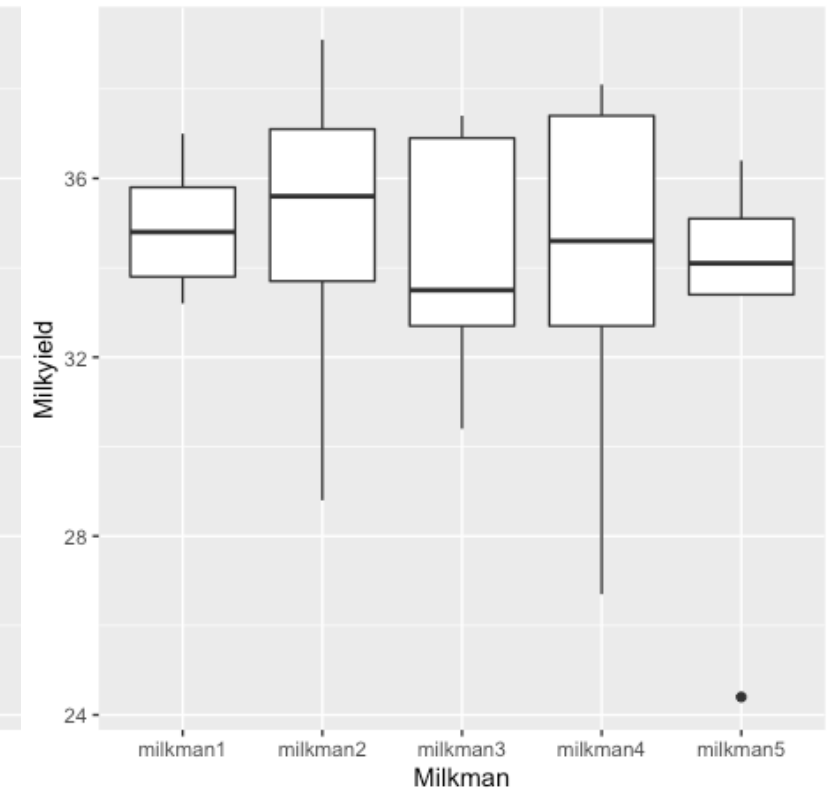
Feed E produces least amount of milk

```
ggplot(latinsquare,aes(x=Cow, y=
Milkyield)) +geom_boxplot()
```



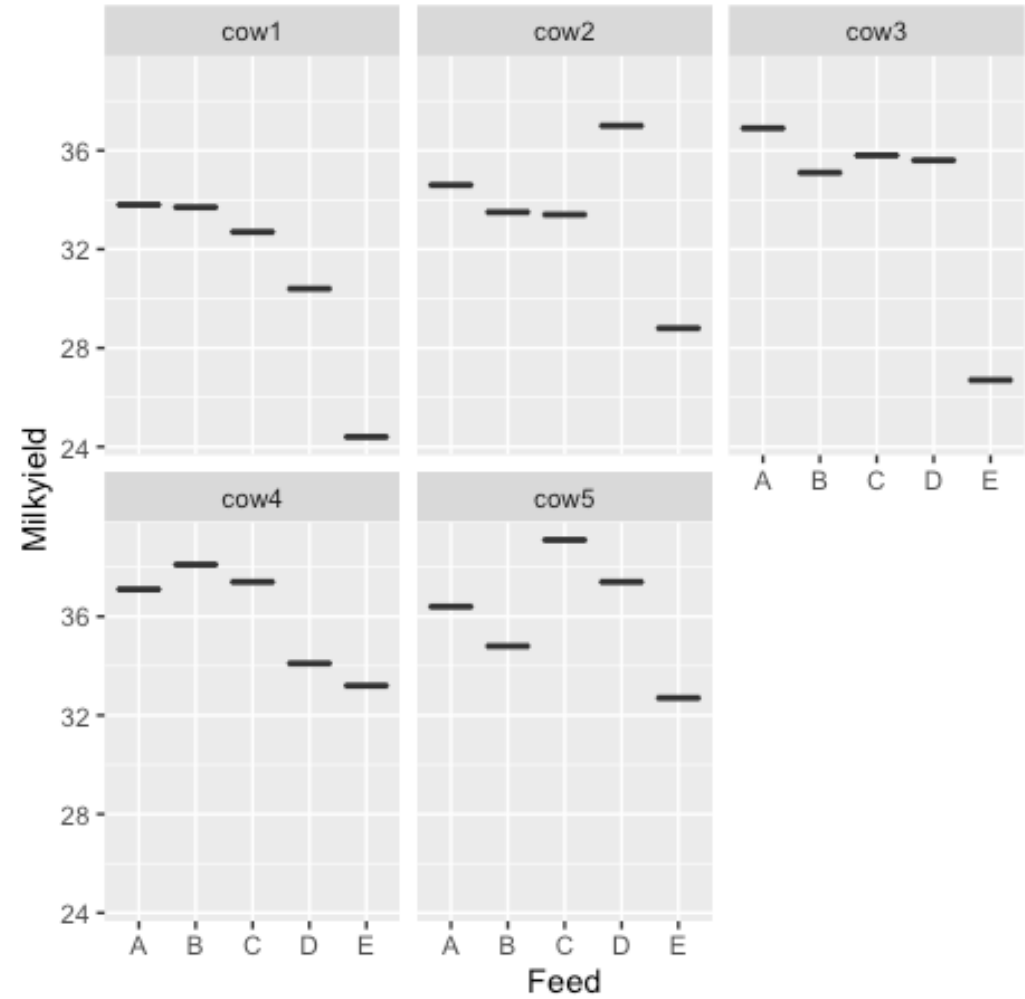
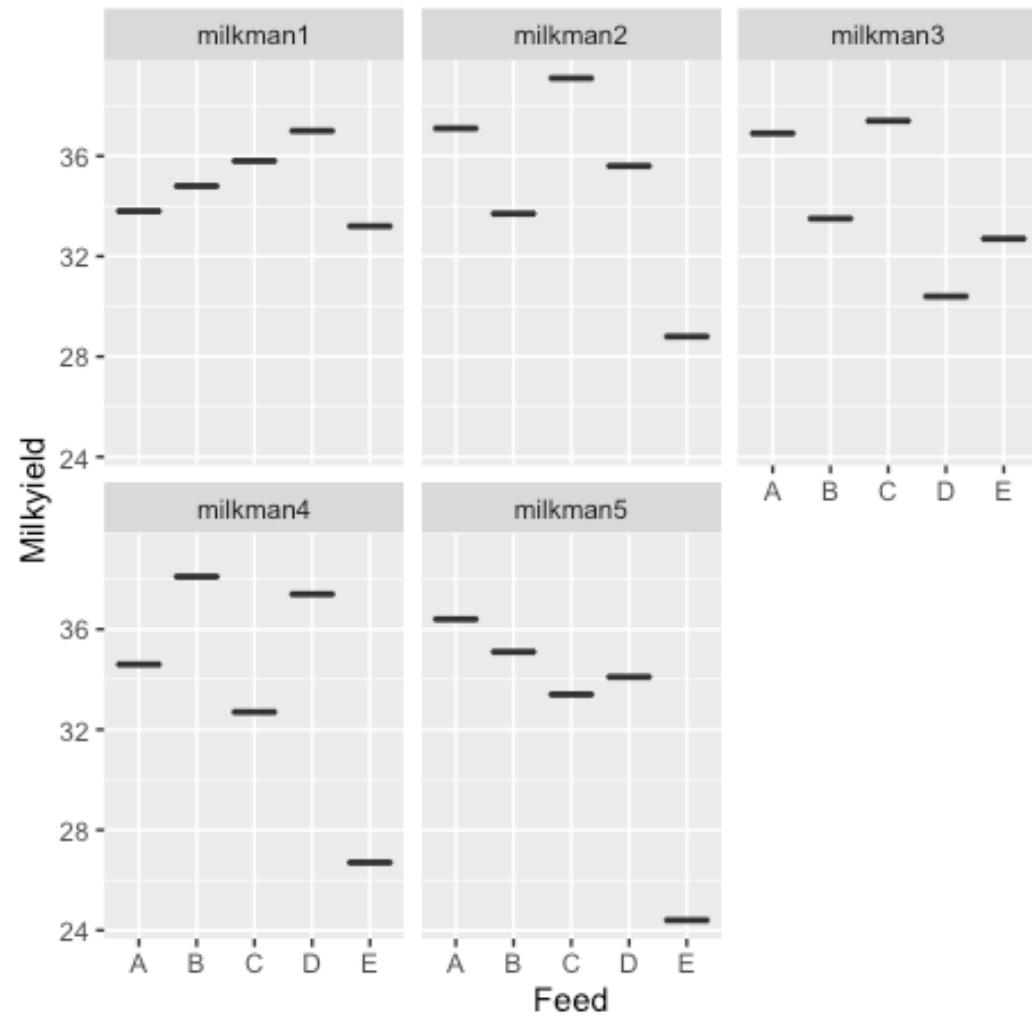
Differences exist among cows –
could affect feeds comparison

```
ggplot(latinsquare,aes(x=Milkman, y=
Milkyield)) +geom_boxplot()
```



No much differences among milkmen

Data exploration



Analysis of Variance

Model : Design + Treatment + Random error






Full Model - Latin Square Model

Milk yield = Effect feed + Effect cow + Milkman Effect + Error

Null model (No design effect, No treatment effect)

Milk yield = General mean + Error

We can have three other models between the null and full models

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Analysis of Variance

1) Null model

$$\text{Milk yield} = \text{General mean} + \text{Error}$$

2) CRD model (ignore cow and milkman effects)

$$\text{Milk yield} = \text{Effect feed} + \text{Error}$$

3) RCBD with cow effects as blocking factor (ignore milkman effect)





$$\text{Milk yield} = \text{Effect feed} + \text{Effect cow} + \text{Error}$$

4) RCBD with milkman as blocking factor (ignore cow effect)

$$\text{Milk yield} = \text{Effect feed} + \text{Milkman Effect} + \text{Error}$$

5) Full model with two blocking factors

$$\text{Milk yield} = \text{Effect feed} + \text{Effect cow} + \text{Milkman Effect} + \text{Error}$$

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Analysis of Variance

1) Null model (all effects are in the error term)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Residuals	24	296.66	12.361		

2) CRD model (ignore cow and milkman effects)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.89	38.974	5.5374	0.003619 **
Residuals	20	140.76	7.038		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Residuals MS = 12.361 (Null model)

Residuals MS = 7.038 (CRD Model)

Analysis of Variance

2) CRD model (ignore cow and milkman effects)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.89	38.974	5.5374	0.003619 **

Residuals 20 140.76 7.038

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

3) RBCD model with cows block

Analysis of Variance Table





Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.894	38.974	11.6859	0.0001245 ***

Cow	4	87.402	21.851	6.5517	0.0025449 **
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Residuals 16 53.362 3.335

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Residuals MS = 12.361 (Null model)

Residuals MS = 7.038 (CRD Model)

Residuals MS = 3.335 (RCBD –cow)

Analysis of Variance

2) CRD model (ignore cow and milkman effects)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.89	38.974	5.5374	0.003619 **

Residuals 20 140.76 7.038

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

4) RBCD model with Milkman as block

Analysis of Variance Table


Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.894	38.974	5.0207	0.00815 **

Milkman	4	16.562	4.141	0.5334	0.71314
---------	---	--------	-------	--------	---------

Residuals 16 124.202 7.763

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Residuals MS = 12.361 (Null model)

Residuals MS = 7.038 (CRD Model)

Residuals MS = 3.335 (RCBD –cow)

Residuals MS = 7.763 (RCBD – Milkman)

Analysis of Variance

2) CRD model (ignore cow and milkman effects)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.89	38.974	5.5374	0.003619 **



Residuals 20 140.76 7.038

4) RBCD model with Milkman as block

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.894	38.974	12.7091	0.000284 ***
Cow	4	87.402	21.851	7.1254	0.003533 **
Milkman	4	16.562	4.141	1.3502	0.307872
Residuals	12	36.799	3.067		

	Milkman 1	Milkman 2	Milkman 3	Milkman 4	Milkman 5
	A (33.8)	B (33.7)	D (30.4)	C (32.7)	E (24.4)
	D(37.0)	E(28.8)	B(33.5)	A(34.6)	C(33.4)
	C(35.8)	D(35.6)	A(36.9)	E(26.7)	B(35.1)
	E(33.2)	A(37.1)	C(37.4)	B(38.1)	D(34.1)
	B(34.8)	C(39.1)	E(32.7)	D(37.4)	A(36.4)

Residuals MS = 12.361 (Null model)

Residuals MS = 7.038 (CRD Model)

Residuals MS = 3.335 (RCBD –cow)

Residuals MS = 7.763 (RCBD – Milkman)

Residuals MS = 3.067 (Latin Square – Cow & Milkman)

Assumptions of the ANOVA

- Statistical models for the different experimental designs

CRD

$$y_{ij} = \mu + \tau_i + \varepsilon_{ij}$$

RCBD

$$y_{ij} = \mu + \tau_i + \beta_j + \varepsilon_{ij}$$

Latin Square

$$y_{ijk} = \mu + \tau_i + C_j + R_k + \varepsilon_{ijk}$$

Error terms



Assumptions of ANOVA

CRD model: **Milk yield** = **Effect feed** + **Error**

$$y_{ij} = \mu + \tau_i + \varepsilon_{ij}$$

> model1<-aov(Milkyield~Feed, latinsquare) #analysis as CRD

> anova(model1)

Analysis of Variance Table

Response: Milkyield

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	155.89	38.974	5.5374	0.003619 **
Residuals	20	140.76	7.038		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Assumptions of ANOVA

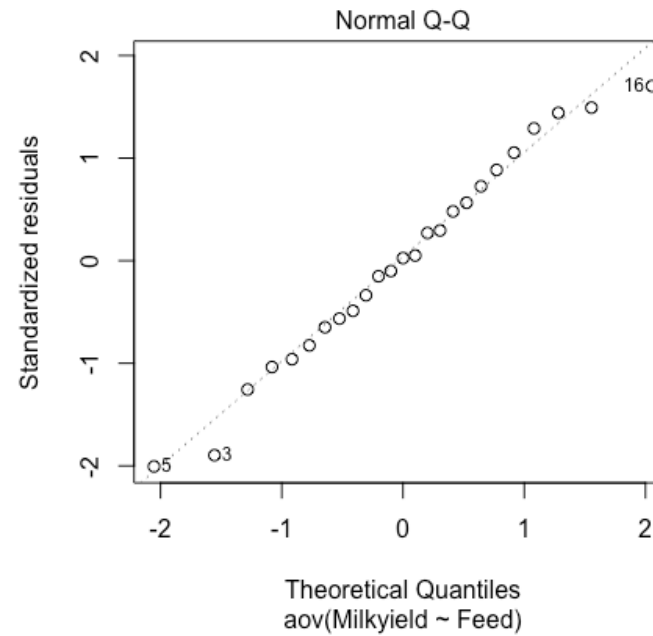
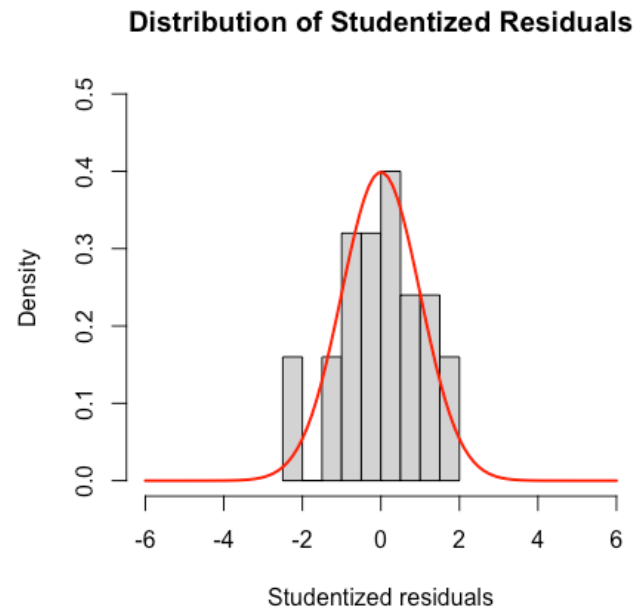
$$y_{ij} = \mu + \tau_i + \varepsilon_{ij}$$

> model1\$residuals

Datapoint	Observed Milk yeild	Fitted Milk yield	Residual
1	33.8	35.76	-1.96
2	33.7	35.04	-1.34
3	30.4	34.9	-4.5
4	32.7	35.68	-2.98
5	24.4	29.16	-4.76
6	37	34.9	2.1
7	28.8	29.16	-0.36
8	33.5	35.04	-1.54
9	34.6	35.76	-1.16
10	33.4	35.68	-2.28
11	35.8	35.68	0.12
12	35.6	34.9	0.7
13	36.9	35.76	1.14
14	26.7	29.16	-2.46
15	35.1	35.04	0.06
16	33.2	29.16	4.04
17	37.1	35.76	1.34
18	37.4	35.68	1.72
19	38.1	35.04	3.06
20	34.1	34.9	-0.8
21	34.8	35.04	-0.24
22	39.1	35.68	3.42
23	32.7	29.16	3.54
24	37.4	34.9	2.5
25	36.4	35.76	0.64

Assumptions of ANOVA

$$y_{ij} = \mu + \tau_i + \varepsilon_{ij}$$

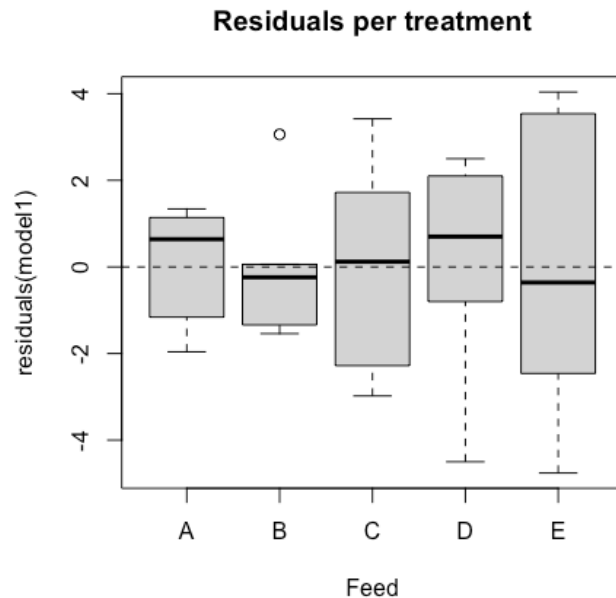


Normally distributed with mean of zero

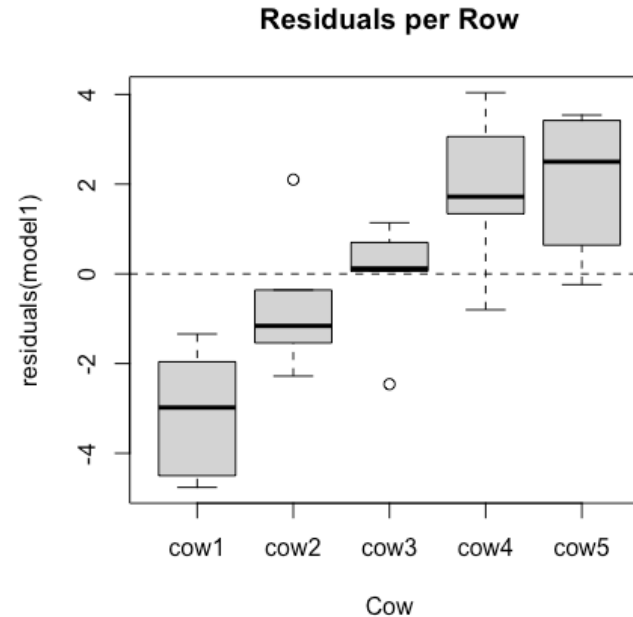
Residuals
-1.96
-1.34
-4.5
-2.98
-4.76
2.1
-0.36
-1.54
-1.16
-2.28
0.12
0.7
1.14
-2.46
0.06
4.04
1.34
1.72
3.06
-0.8
-0.24
3.42
3.54
2.5
0.64

Assumptions of ANOVA

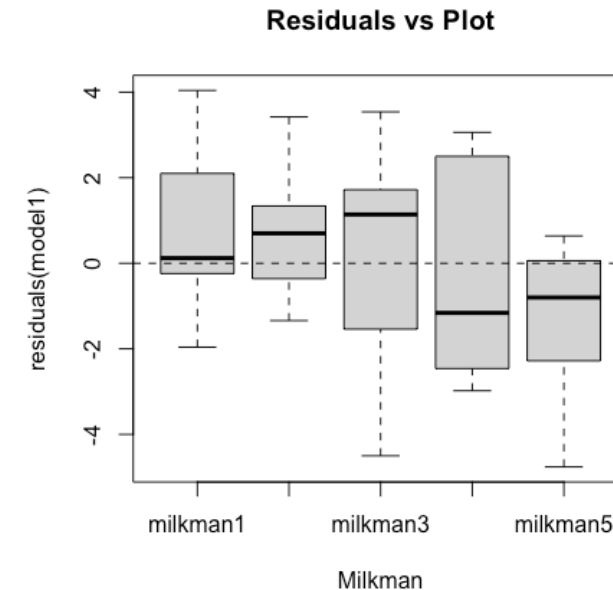
CRD model: *Milk yield* = *feed effect* + *Error*



More variation in Feed type E
Less variation in Feed type B



Errors for cow 1 & 2 mostly negative
Errors for cow4 and 5 mostly positive



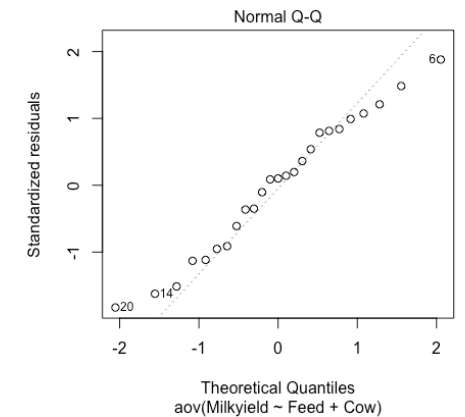
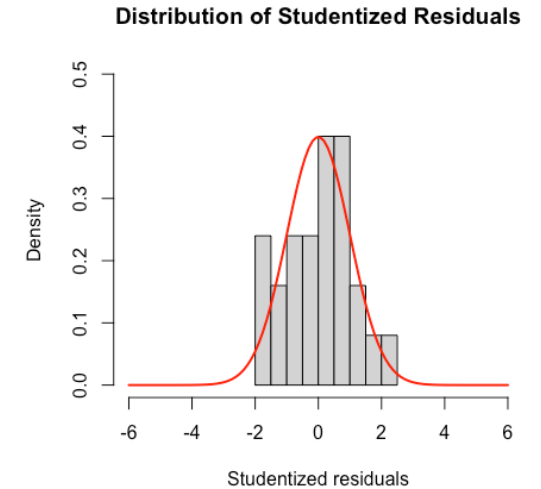
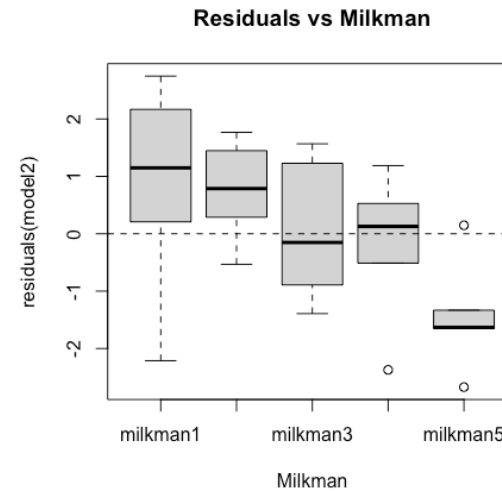
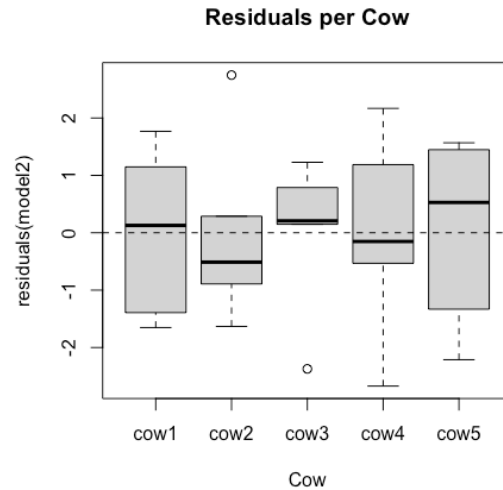
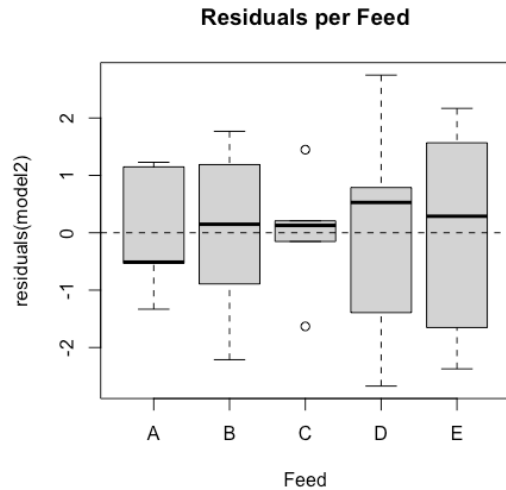
Patterns appear more random
More variations for milkman 4

Error terms are randomly & independent, constant variance

Residuals
-1.96
-1.34
-4.5
-2.98
-4.76
2.1
-0.36
-1.54
-1.16
-2.28
0.12
0.7
1.14
-2.46
0.06
4.04
1.34
1.72
3.06
-0.8
-0.24
3.42
3.54
2.5
0.64

Assumptions of ANOVA

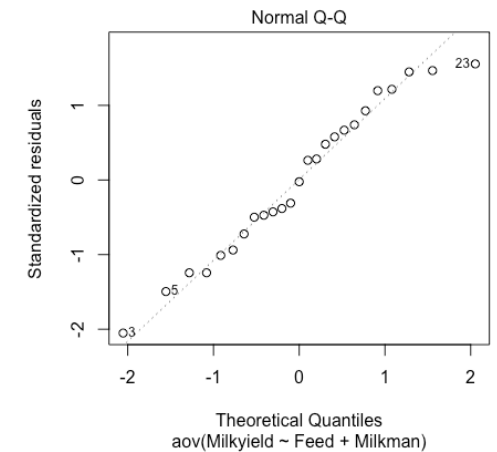
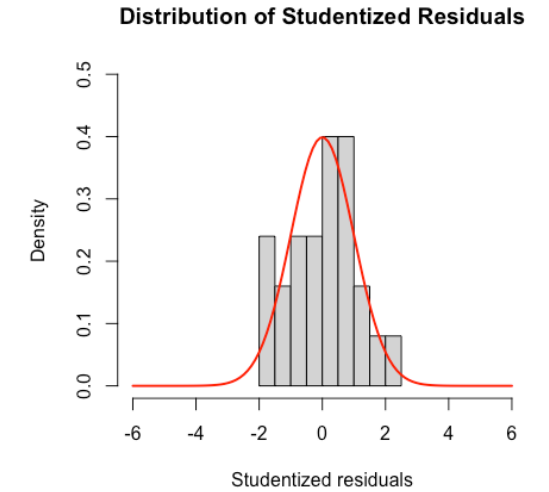
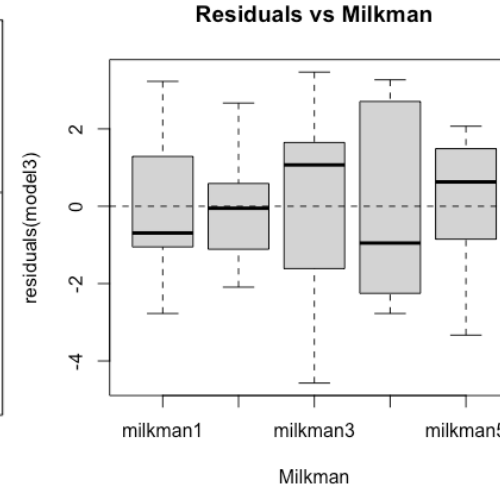
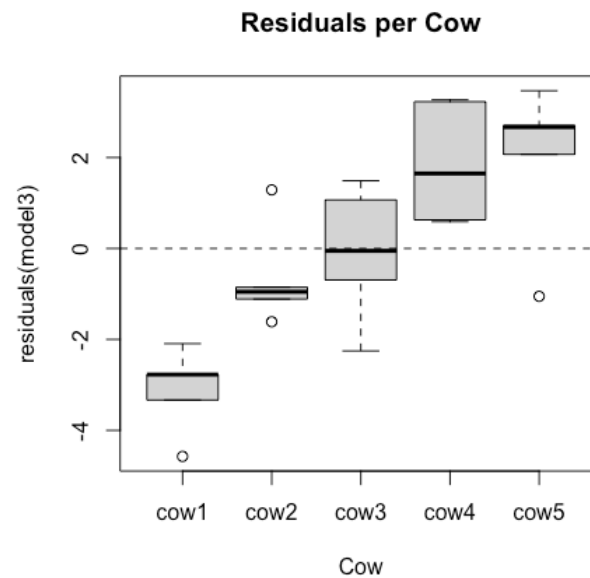
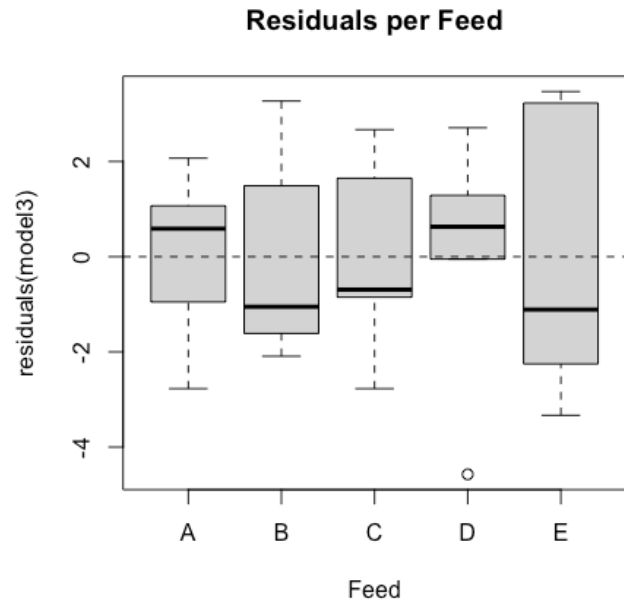
RCBD model: **Milk yield** = *feed effect* + *Cow effect* + **Error**



Error terms are randomly & independent, normally distributed with constant variance

Assumptions of ANOVA

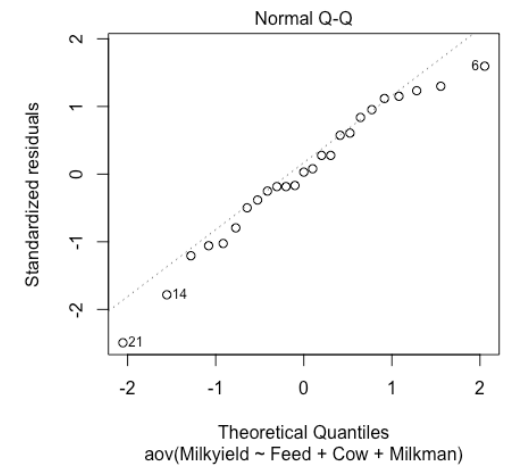
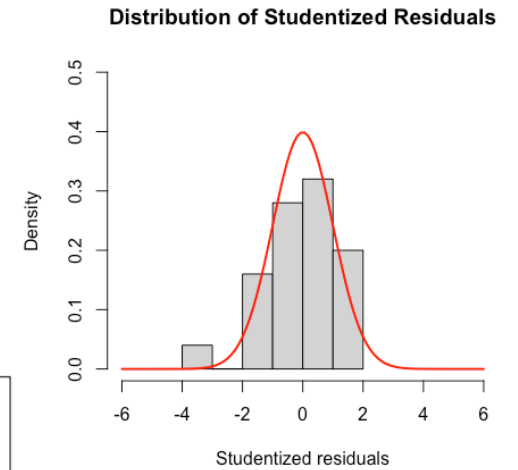
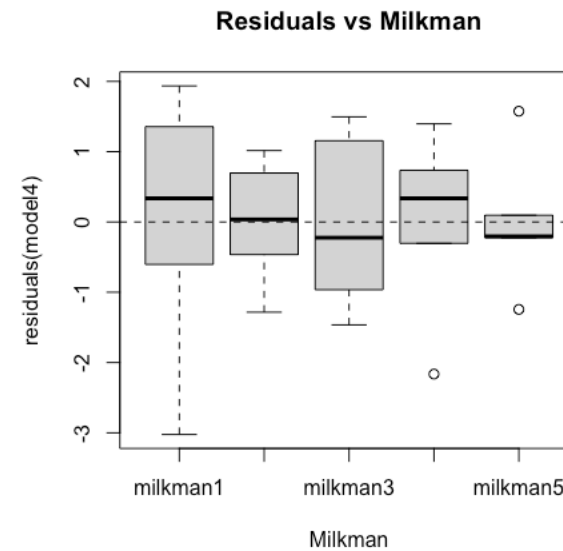
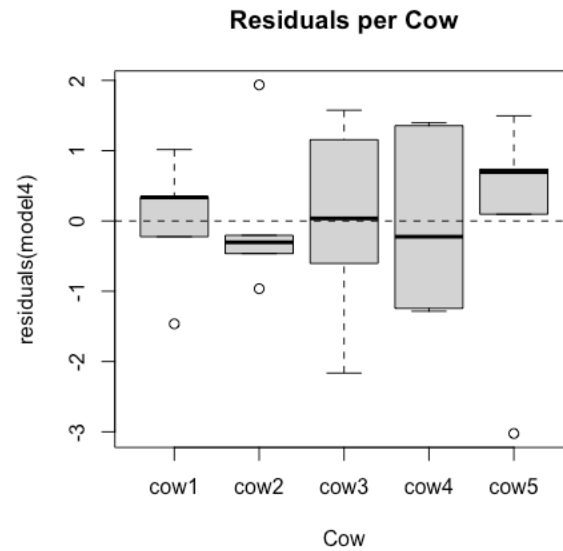
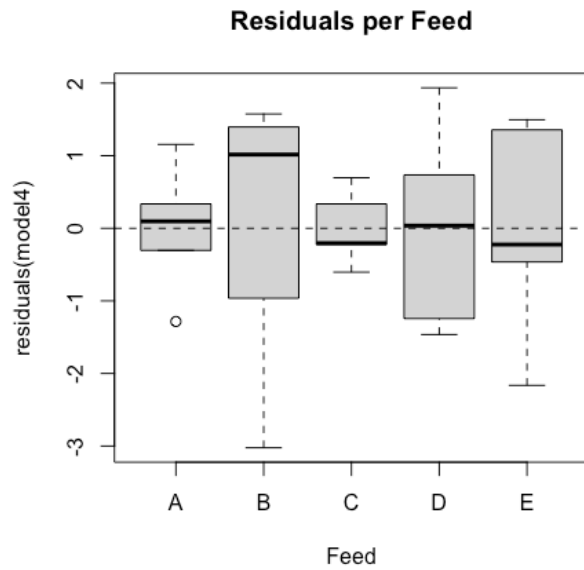
RCBD model: *Milk yield* = *feed effect* + *Milkman effect* + *Error*



Error terms are randomly & independent, normally distributed with constant variance

Assumptions of ANOVA

LSD model: **Milk yield** = *feed effect* + cow effect + *Milkman effect* + **Error**



Error terms are randomly & independent, normally distributed with constant variance

Assumptions of Analysis of Variance

```
> shapiro.test(resid(model1))
```

Shapiro-Wilk normality test

data: resid(model1)

W = 0.97753, p-value = 0.8321

```
> shapiro.test(resid(model2))
```

Shapiro-Wilk normality test

data: resid(model2)

W = 0.97334, p-value = 0.7301

```
> shapiro.test(resid(model3))
```

Shapiro-Wilk normality test

data: resid(model3)

W = 0.96399, p-value = 0.4996

```
> shapiro.test(resid(model4))
```

Shapiro-Wilk normality test

data: resid(model4)

W = 0.96669, p-value = 0.5629

Assumptions of Analysis of Variance

```
> anova(lm((resid(lm(Milkyield~Feed, latinsquare))^2)~Feed, latinsquare))
```

Analysis of Variance Table

Response: (resid(lm(Milkyield ~ Feed, latinsquare))^2)

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	295.75	73.938	2.0426	0.1269
Residuals	20	723.95	36.198		

```
> anova(lm((resid(lm(Milkyield~Feed + Cow, latinsquare))^2)~Feed, latinsquare))
```

Analysis of Variance Table

Response: (resid(lm(Milkyield ~ Feed + Cow, latinsquare))^2)

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	27.195	6.7987	1.4541	0.2533
Residuals	20	93.509	4.6755		

Assumptions of Analysis of Variance

```
> anova(lm((resid(lm(Milkyield~Feed + Milkman,
latinsquare))^2)~Feed, latinsquare))
```

Analysis of Variance Table

Response: (resid(lm(Milkyield ~ Feed + Milkman, latinsquare))^2)

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	83.51	20.879	0.7728	0.5556
Residuals	20	540.32	27.016		

```
> anova(lm((resid(lm(Milkyield~Feed + Cow + Milkman,
latinsquare))^2)~Feed, latinsquare))
```

Analysis of Variance Table

Response: (resid(lm(Milkyield ~ Feed + Cow + Milkman, latinsquare))^2)

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Feed	4	25.425	6.3564	1.7526	0.1781
Residuals	20	72.535	3.6268		

Assumptions of Analysis of Variance

```
> leveneTest(latinsquare$Milkyield, latinsquare$Feed)
```

Levene's Test for Homogeneity of Variance (center = median)

	Df	F value	Pr(>F)
group	4	1.1808	0.3493
	20		

```
> leveneTest(latinsquare$Milkyield, latinsquare$Cow)
```

Levene's Test for Homogeneity of Variance (center = median)

	Df	F value	Pr(>F)
group	4	0.0909	0.9842
	20		

```
> leveneTest(latinsquare$Milkyield,  
latinsquare$Milkman)
```

Levene's Test for Homogeneity of Variance (center = median)

	Df	F value	Pr(>F)
group	4	0.4433	0.7759
	20		

Assumptions of Analysis of Variance

> #Rule of thumb check ratio of maximum variance to minimum variance should not exceed 5

> *max(by(latinsquare\$Milkyield,latinsquare\$Feed,sd))^2/min(by(latinsquare\$Milkyield,latinsquare\$Feed,sd))^2*

[1] 6.637368

> *max(by(latinsquare\$Milkyield,latinsquare\$Cow,sd))^2/min(by(latinsquare\$Milkyield,latinsquare\$Cow,sd))^2*

[1] 3.610889

> *max(by(latinsquare\$Milkyield,latinsquare\$Milkman,sd))^2/min(by(latinsquare\$Milkyield,latinsquare\$Milkman,sd))^2*

[1] 9.732847

Analysis of Variance for Factorial Experiments

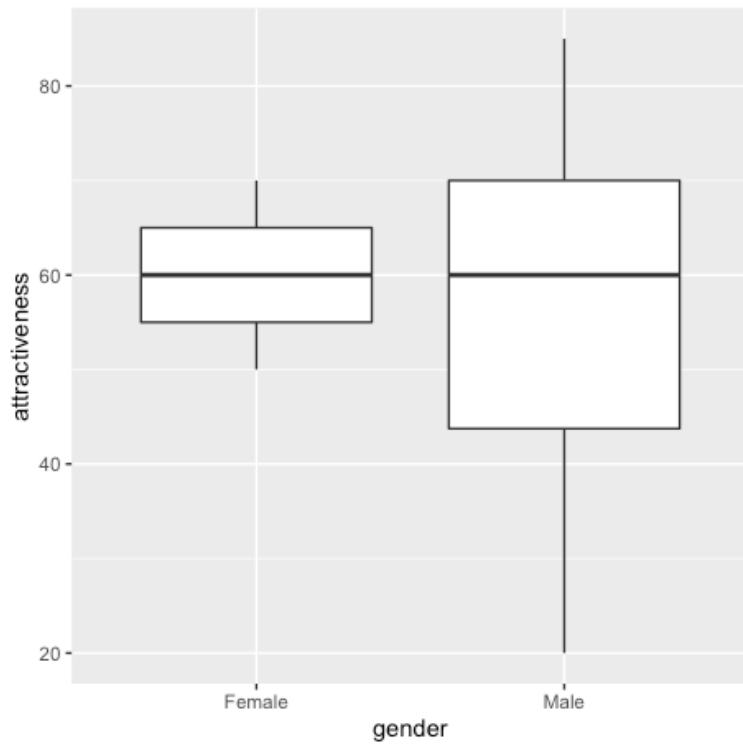
Example: Beer-goggle effects (adopted Discovering statistics using R)

Antropologist is interested in the effect beers on mate selection in a night club

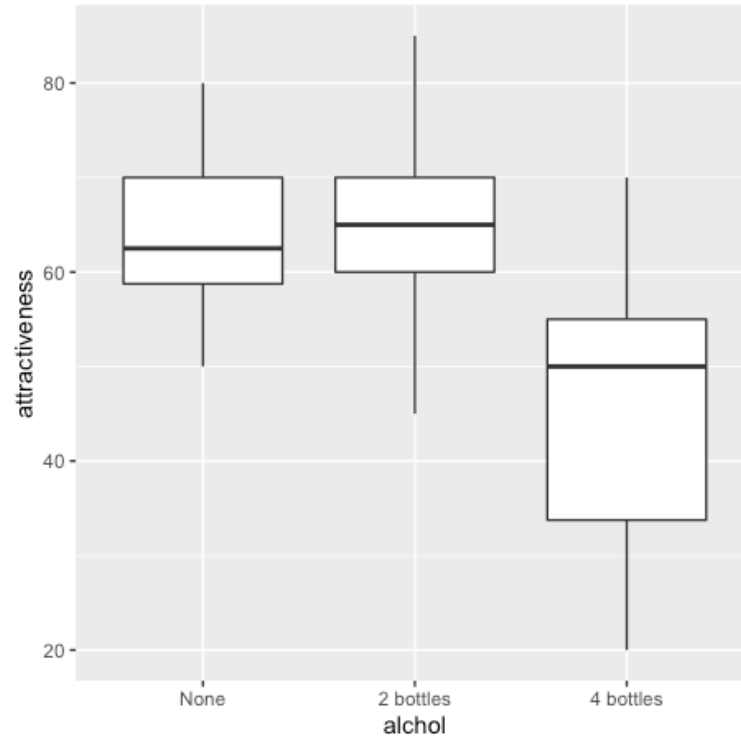
- **Rationale:** after alcohol consumption, subjective perceptions of physical attractiveness would become more inaccurate (the well-known beer-goggles effect).
- Does beer-goggles effect depend on sex?

Sex	Alcohol level	Number of participants	Variable measured
Female	0 (alcohol free lager)	6	<i>Take a photograph of the person that the participant was chatting up. She then got a pool of independent judges to assess the attractiveness of the person in each photograph (out of 100)</i>
Female	2 bottles of beer	6	
Female	4 bottles of beer	6	
Male	0 (alcohol free lager)	6	
Male	2 bottles of beer	6	
Male	4 bottles of beer	6	

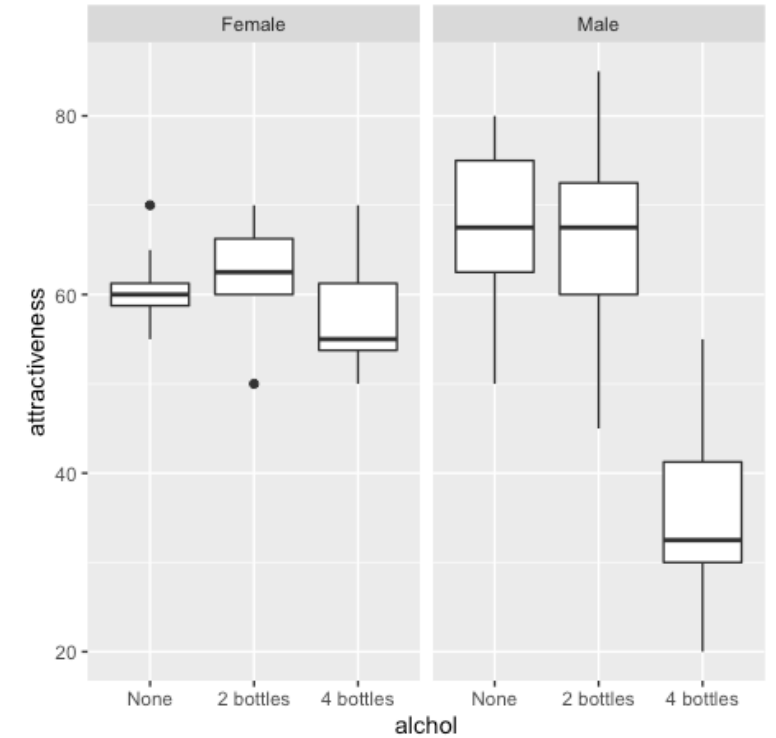
Data exploration



Gender ignoring alcohol effect



Alcohol ignoring gender effect



Considering both effects

Data exploration

```
> by(attracdata$attractiveness, attracdata$gender, summary) #summary by gender
```

```
attracdata$gender: Female
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	55.00	60.00	60.21	65.00	70.00

```
-----  
attracdata$gender: Male
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
20.00	43.75	60.00	56.46	70.00	85.00

Data exploration

```
> by(attracdata$attractiveness, attracdata$alchol, summary) #summary by alcohol
```

```
attracdata$alchol: None
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	58.75	62.50	63.75	70.00	80.00

```
-----
```

```
attracdata$alchol: 2 bottles
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
45.00	60.00	65.00	64.69	70.00	85.00

```
-----
```

```
attracdata$alchol: 4 bottles
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
20.00	33.75	50.00	46.56	55.00	70.00

Data exploration

summary)#by gender & alcohol

: Female

: None

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
55.00	58.75	60.00	60.62	61.25	70.00

: Male

: None

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	62.50	67.50	66.88	75.00	80.00

summary)#by gender & alcohol

: Female

: 2 bottles

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	60.00	62.50	62.50	66.25	70.00

: Male

: 2 bottles

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
45.00	60.00	67.50	66.88	72.50	85.00

Data exploration

summary)#by gender & alcohol

: Female

: None

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
55.00	58.75	60.00	60.62	61.25	70.00

: Male

: None

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	62.50	67.50	66.88	75.00	80.00

summary)#by gender & alcohol

: Female

: 4 bottles

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
50.00	53.75	55.00	57.50	61.25	70.00

: Male

: 4 bottles

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
20.00	30.00	32.50	35.62	41.25	55.00

One-way ANOVA

```
> attractmodel1<-aov(attractiveness~gender,  
data=attracdata)
```

```
> anova(attractmodel1)
```

Analysis of Variance Table

Response: attractiveness

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
gender	1	168.7	168.75	0.8823	0.3525
Residuals	46	8797.9	191.26		

```
> attractmodel2<-aov(attractiveness~alchol,  
data=attracdata)
```

```
> anova(attractmodel2)
```

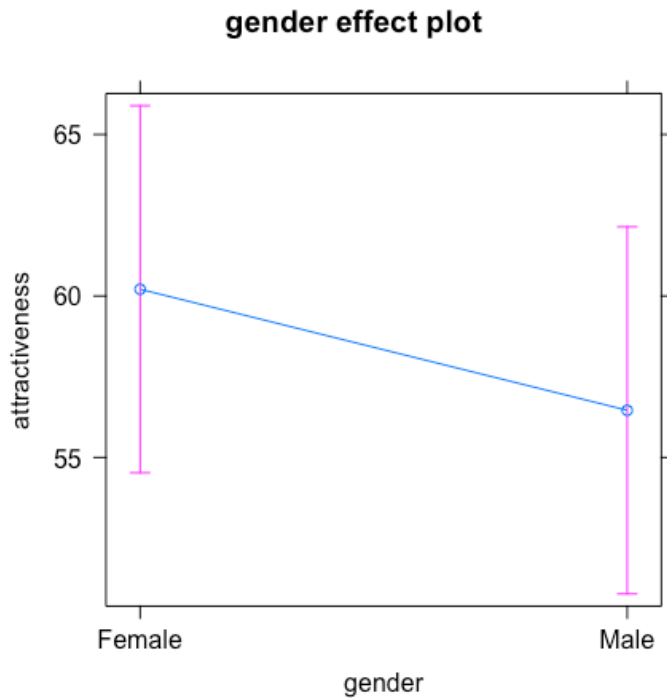
Analysis of Variance Table

Response: attractiveness

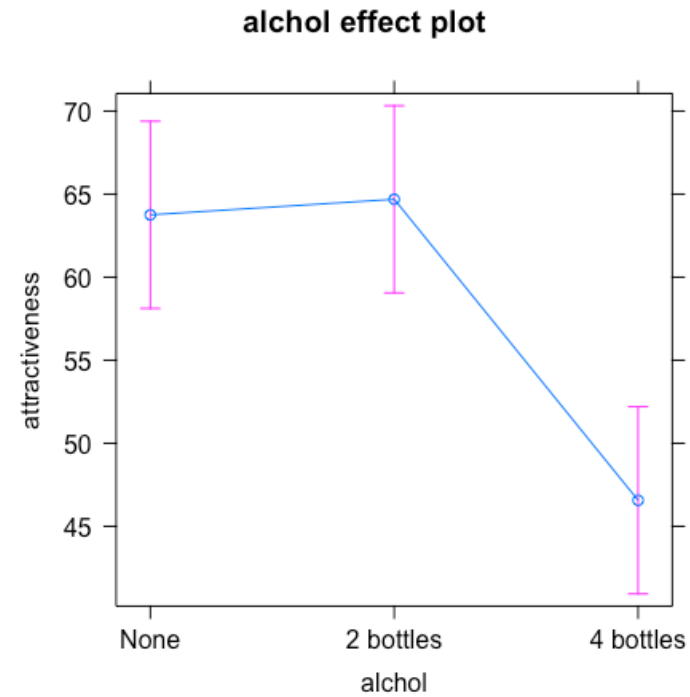
	Df	Sum Sq	Mean Sq	F value	Pr(>F)
alchol	2	3332.3	1666.15	13.307	2.883e-05
Residuals	45	5634.4	125.21		

One-way ANOVA

```
> attractmodel1<-aov(attractiveness~gender,  
data=attracdata)
```



```
> attractmodel2<-aov(attractiveness~alchol,  
data=attracdata)
```



Two-way ANOVA

```
> attractmodel3<-aov(attractiveness~gender*alchol,  
data=attracdata)
```

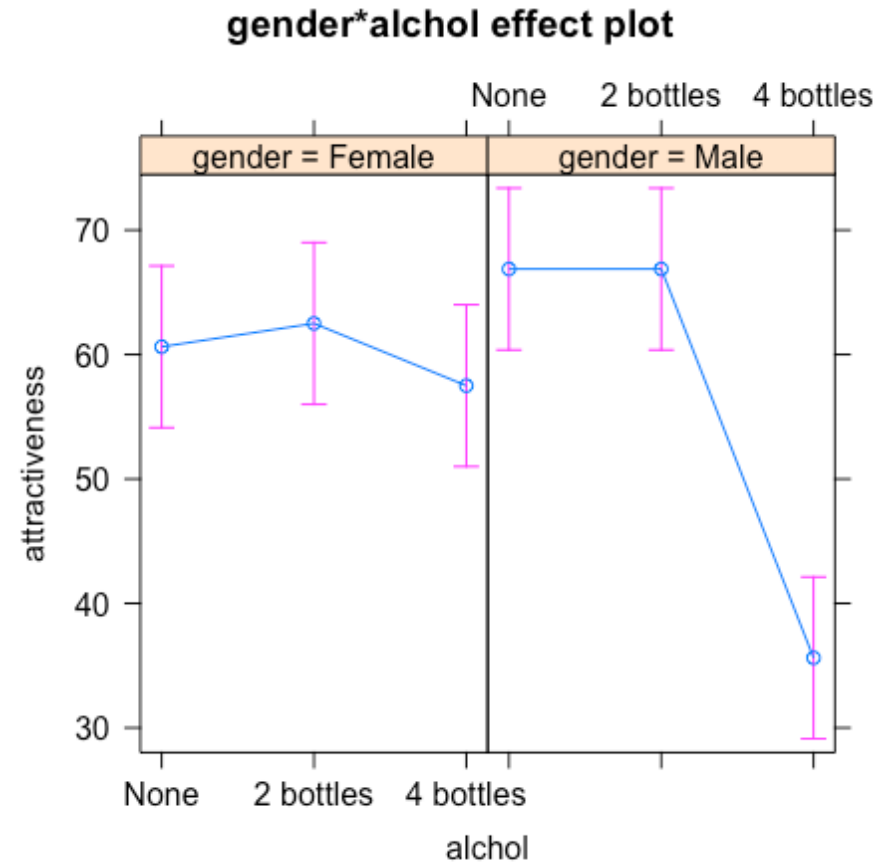
```
> anova(attractmodel3)
```

Analysis of Variance Table

Response: attractiveness

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
gender	1	168.7	168.75	2.0323	0.1614
alchol	2	3332.3	1666.15	20.0654	7.649e-07 ***
gender:alchol	2	1978.1	989.06	11.9113	7.987e-05 ***
Residuals	42	3487.5	83.04		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1



Contrast and Posthoc Test

- Contrast are useful when comparing treatments with structure
- Instead of comparing individual treatments we compare groups of treatments
- Example

Contrast 1: No alcohol vs some alcohol (average 2 and 4 bottles)

Contrast 2: 2 bottles vs 4 bottles

Contrast 3: Male vs Female

Contrast and Posthoc Test

Use the commands below we can modify our data frame

contrasts(attracdata\$alchol)<-cbind(c(-2, 1, 1), c(0, -1, 1))#creating contrast for alcohol

contrasts(attracdata\$gender)<-c(-1, 1)#creating contrast for gender

.....
attr("contrasts")

 [,1] [,2]

None -2 0

2 bottles 1 -1

4 bottles 1 1

Levels: None 2 bottles 4 bottles

Contrast and Posthoc Test

```
> anova(attractmodel4)
```

Analysis of Variance Table

Response: attractiveness

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
gender	1	168.7	168.75	2.0323	0.1614
alchol	2	3332.3	1666.15	20.0654	7.649e-07
gender:alchol	2	1978.1	989.06	11.9113	7.987e-05
Residuals	42	3487.5	83.04		

```
> summary.lm(attractmodel4)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	58.333	1.315	44.351	< 2e-16 ***
gender1	-1.875	1.315	-1.426	0.161382
alchol1	-2.708	0.930	-2.912	0.005727 **
alchol2	-9.062	1.611	-5.626	1.37e-06 ***
gender1:alchol1	-2.500	0.930	-2.688	0.010258 *
gender1:alchol2	-6.562	1.611	-4.074	0.000201 ***

Residual standard error: 9.112 on 42 degrees of freedom

Multiple R-squared: 0.6111, Adjusted R-squared: 0.5648

F-statistic: 13.2 on 5 and 42 DF, p-value: 9.609e-08

Simple effects

- Significant interaction between two factors – Implies the effects of the two factors cannot be interpreted independent of each other
- Simple effect: Comparing the level of one factor when holding the level of the other factor constant – *Similar to one-way ANOVA*
- Example
 - Compare male and female – at Zero alcohol level*
 - Compare male and female – at two bottle level*
- *Contrast can be constructed to test for simple effects*

Simple effects

Contrast for simple effects

> simple

		alcEffect1	alcEffect2	gender_none	gender_2bottles	gender_4bottles
Female_None	[1,]	-2	0	-1	0	0
Female_2bottles	[2,]	1	-1	0	-1	0
Female_4bottles	[3,]	1	1	0	0	-1
Male_None	[4,]	-2	0	1	0	0
Male_2bottles	[5,]	1	-1	0	1	0
Male_4bottles	[6,]	1	1	0	0	1

Simple effects

```
> model4<-aov(attractiveness ~ simple_effect, data = attracdata)
```

```
> summary.lm(model4)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	58.333	1.315	44.351	< 2e-16 ***
simple_effectalcEffect1	-2.708	0.930	-2.912	0.00573 **
simple_effectalcEffect2	-9.062	1.611	-5.626	1.37e-06 ***
simple_effectgender_none	3.125	2.278	1.372	0.17742
simple_effectgender_2bottles	2.188	2.278	0.960	0.34243
simple_effectgender_4bottles	-10.938	2.278	-4.801	2.02e-05 ***

Posthoc

```
> pairwise.t.test(attracdata$attractiveness, attracdata$alchol, p.adjust.method  
="bonferroni" )
```

Pairwise comparisons using t tests with pooled SD

data: attracdata\$attractiveness and attracdata\$alchol

	None	2 bottles
--	------	-----------

2 bottles	1.00000	-
-----------	----------------	---

4 bottles	0.00024	0.00011
-----------	---------	---------

P value adjustment method: bonferroni

Posthoc

```
> summary(postHocs)
```

Simultaneous Tests for General Linear Hypotheses

Multiple Comparisons of Means: Tukey Contrasts

Fit: aov(formula = attractiveness ~ gender * alchol, data = attracdata)

Linear Hypotheses:

	Estimate	Std. Error.	t value	Pr(> t)
2 bottles - None == 0	0.9375	3.2217	0.291	0.954
4 bottles - None == 0	-17.1875	3.2217	-5.335	<1e-04 ***
4 bottles - 2 bottles == 0	-18.1250	3.2217	-5.626	<1e-04 ***