Penicillin-.R

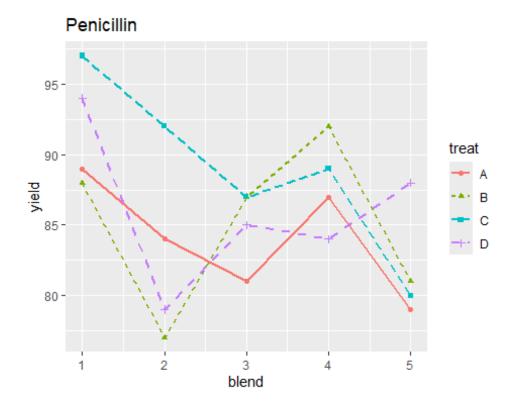
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Two-Way ANOVA of the effects of Penicillin production processes

• The dataset represents the results of 4 different treatments applied during the production of penicillin (treat), with 5 different blends of a particular substance used in the production process(blend) with results recorded from each experimental run(yield). Blend and treat are the explanatory variables and yield is the response variable.

```
library (lmtest)
## Loading required package: zoo
##
## Attaching package: 'zoo'
## The following objects are masked from 'package:base':
##
       as.Date, as.Date.numeric
##
library(lme4)
## Loading required package: Matrix
library(readr)
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
       filter, lag
##
## The following objects are masked from 'package:base':
##
       intersect, setdiff, setequal, union
##
library(tidyr)
##
## Attaching package: 'tidyr'
## The following objects are masked from 'package:Matrix':
##
      expand, pack, unpack
##
```

```
library("faraway")
data("penicillin")
force(penicillin)
##
      treat blend yield
## 1
          A Blend1
## 2
          B Blend1
                      88
## 3
          C Blend1
                      97
## 4
          D Blend1
                      94
## 5
          A Blend2
                      84
          B Blend2
                      77
## 6
## 7
          C Blend2
                      92
## 8
          D Blend2
                      79
## 9
          A Blend3
                      81
## 10
          B Blend3
                      87
## 11
          C Blend3
                      87
## 12
          D Blend3
                      85
## 13
          A Blend4
                      87
## 14
          B Blend4
                      92
## 15
          C Blend4
                      89
## 16
          D Blend4
                      84
## 17
          A Blend5
                      79
## 18
          B Blend5
                      81
## 19
                      80
          C Blend5
## 20
          D Blend5
                      88
#changing the data type of the blend entries from character to numeric
#to allow us the plot the graph
penicillin$blend = as.numeric(penicillin$blend)
library(ggplot2)
# line graph of the 4 treatments on the same axis
ggplot(penicillin,aes(blend,yield,colour = treat)) +
  geom point(aes(shape = treat)) +
  geom_line(aes(linetype = treat), size = 1) + labs(title = "Penicillin")
## Warning: Using `size` aesthetic for lines was deprecated in ggplot2 3.4.0.
## i Please use `linewidth` instead.
## This warning is displayed once every 8 hours.
## Call `lifecycle::last_lifecycle_warnings()` to see where this warning was
## generated.
```



• Based on the interaction plot of fitted yield means above we see that it suggests interaction between blend and treat on yield based on the absence of parallel lines and the lines intersecting. Results could possibly have been influenced by the small sample size. We can also deduce that Treat C has the highest mean yield across different blends, followed by treat B, then treat D and treat A having the lowest mean yield recording.

```
#here we are checking the significance of interaction between treatments and
blends
anova_interactions = aov(yield ~ treat*blend, penicillin)
summary(anova interactions)
##
              Df Sum Sq Mean Sq F value Pr(>F)
## treat
               3
                   70.0
                          23.33
                                  0.877 0.4801
                   90.0
                          90.00
                                  3.383 0.0907 .
## blend
               1
## treat:blend 3
                   80.8
                          26.93
                                  1.013 0.4211
## Residuals
              12 319.2
                          26.60
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
anova= aov(yield ~ treat+blend, penicillin)
summary(anova)
              Df Sum Sq Mean Sq F value Pr(>F)
##
## treat
                     70
                          23.33
                                  0.875 0.4759
               3
                                  3.375 0.0861 .
## blend
               1
                     90
                          90.00
## Residuals
              15
                    400
                          26.67
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
#variance components and proportional allocation
model= lmer(yield ~ treat+blend+(1|blend), penicillin)
var components = as.data.frame(VarCorr(model))
var components$proportion = var components$vcov/sum(var components$vcov)
var components
##
          grp
                    var1 var2
                                   vcov
                                           sdcor proportion
## 1
       blend (Intercept) <NA> 9.791673 3.129165
                                                  0.3420671
                    <NA> <NA> 18.833331 4.339739 0.6579329
## 2 Residual
#examines fitment, normality, outliers, independece of observations
plot(anova)
```

• H₀: The interaction between blend and treatment is not statistically significant

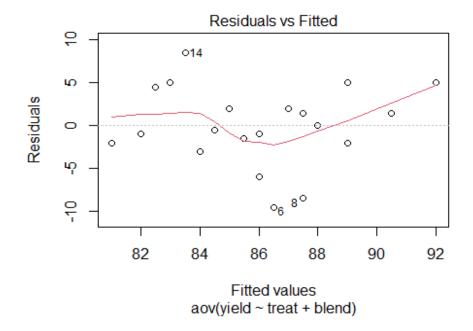
 H_1 : There is a significant interaction effect between treatment factor and blend

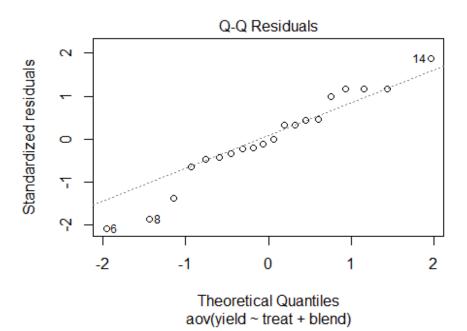
Since the p-value = 0.4211 > 0.05, we fail to reject the null hypothesis i.e. There is no significant interaction between treatments and blends on the yield

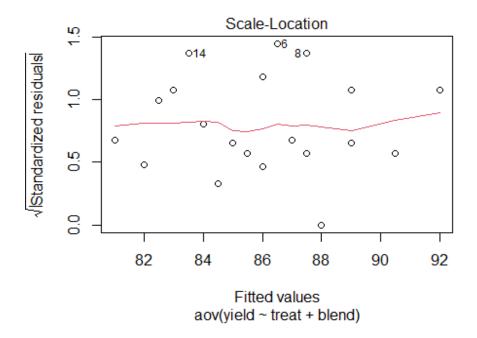
• H₀: The type of blend or treatment do not have a significant effect on yield.

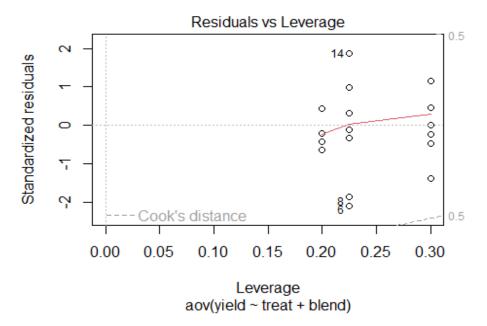
H₁: The type of blend or treatment has a significant effect on yield.

Since the p-value=0.0861>0.05 & Treat p-value=0.4759>0.05, we fail to reject the null hypothesis, they each do not have a significant effect on yield.









```
#examine whether the distribution of the residuals is Normal on Not
shapiro.test(residuals(anova))

##
## Shapiro-Wilk normality test
##
## data: residuals(anova)
## W = 0.96232, p-value = 0.5911
```

```
#examine whether the variance of the residuals is constant or Not
bptest(anova)

##

## studentized Breusch-Pagan test
##

## data: anova
## BP = 2.788, df = 4, p-value = 0.5939
```

- Based on the Shapiro test p-value=0.5911>0.05, we fail to reject the null hypothesis i. e. residuals follow a Normal distribution. This can also be confirmed by the QQ-plot given the outcomes are grouped around the normality line with a few outliers also indicated
- Based on the BP test p-value=0.5939>0.05, we fail to reject the null hypothesis i. e. homoscedasticity exists. i.e. variance of residuals are constant across observations. The residuals & fitted plot shows linearity since values are equally spread on either side of horizontal line and it shows there are outliers.