

Beyond Causal Parrots: The Role of Meta-Causality for Genuine Causal Understanding



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Thanks to my collaborators:



Kristian
Kersting



Devendra
S. Dhami



Matej
Zecevic



Tim
Woydt



Florian
Busch



Jonas
Seng



Nicholas
Tagliapietra

... and many more!



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Lab



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UNIVERSITY OF
TECHNOLOGY

BOSCH

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AI

Causal AI

“Machines' lack of understanding of causal relations is perhaps the biggest roadblock to giving them human-level intelligence.”

- Judea Pearl, Book of Why.

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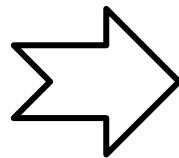
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Do AI Models ‘Understand’ what they are doing?



“Make it a starlit night.”

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Instruct Pix2Pix

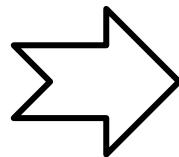
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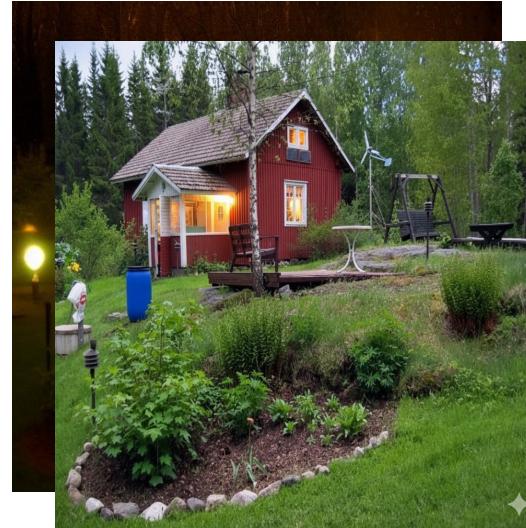
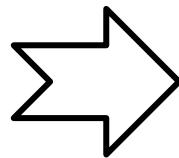
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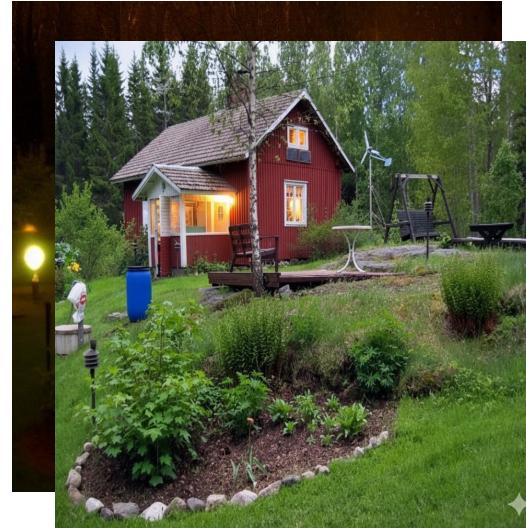
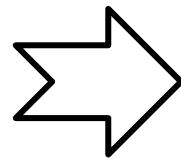
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Gemini-2.5

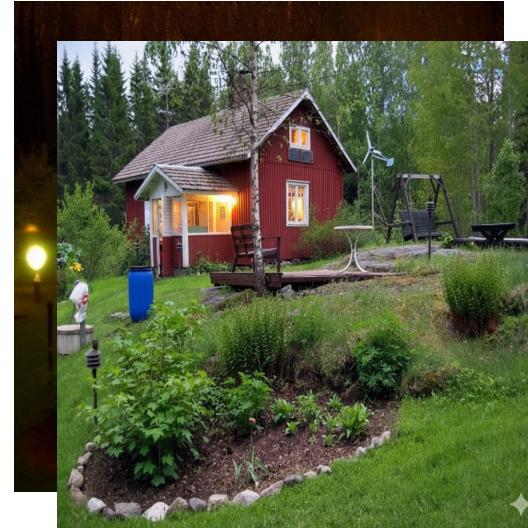
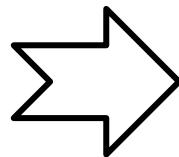
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Models unfold according to
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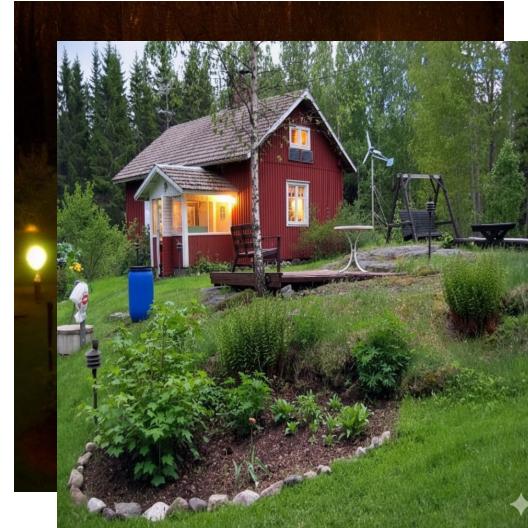
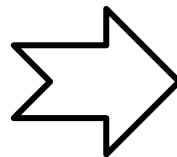


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“Does a diffusion model ‘know’ it is causal?”

Do AI Models ‘Understand’ what they are doing?



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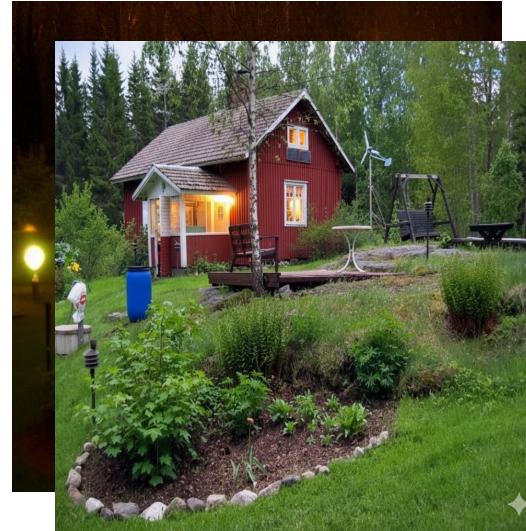
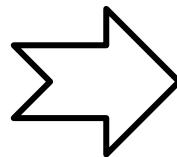
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“Does a diffusion model ‘know’ it is causal?”

“Does an LLM model ‘know’ it is causal?”

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“Does a diffusion model ‘know’ it is causal?”

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“Does an SCM ‘know’ it is causal?”
Beyond Causal Parrots

Causal Representation Learning

- Learn causal concepts from high-dimensional data.
 - Requires on interventions or sufficient variation in data.
- Guarantees for structuring models according to underlying process.

“Toward causal representation learning.”

Bernhard Schölkopf, Francesco Locatello, Stefan Bauer, Nan Rosemary Ke, Nal Kalchbrenner, Anirudh Goyal, and Yoshua Bengio. *Proceedings of the IEEE* 2021

“Weakly supervised causal representation learning.”

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“Learning temporally causal latent processes from general temporal data.”

Weiran Yao, Yuewen Sun, Alex Ho, Changyin Sun, and Kun Zhang. *ICLR* 2022

“Robust agents learn causal world models.” Jonathan Richens and Tom Everitt. *ICLR* 2024

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Causal Representation Learning

- Learn causal concepts from high-dimensional data.
 - Requires on interventions or sufficient variation in data.
- Guarantees for structuring models according to underlying process.
- ..., but no reflection.

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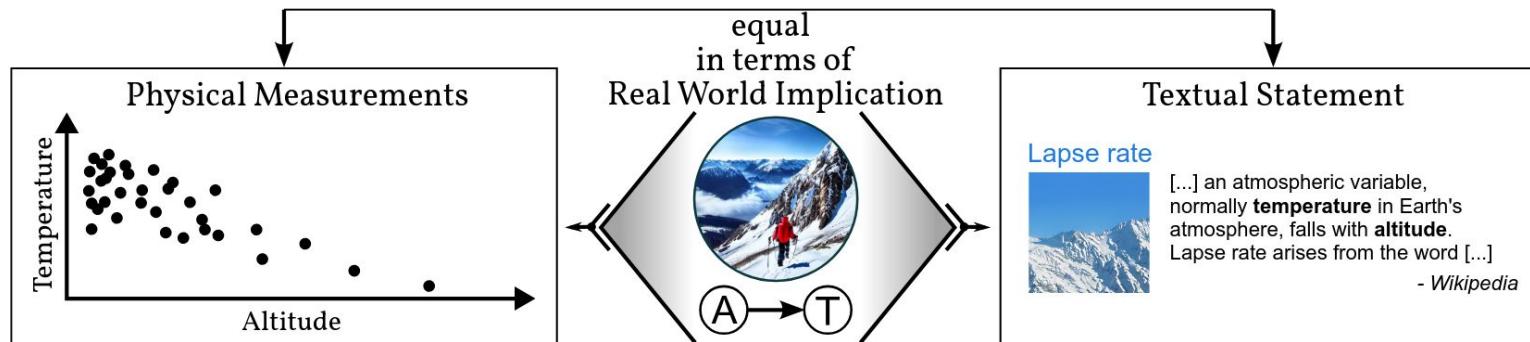
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Natural Language Data as an Opportunity

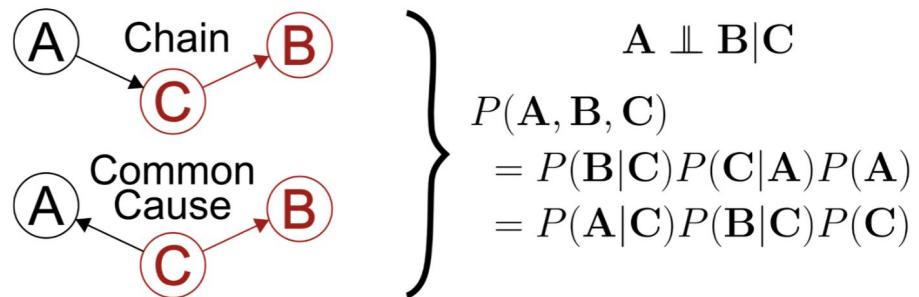
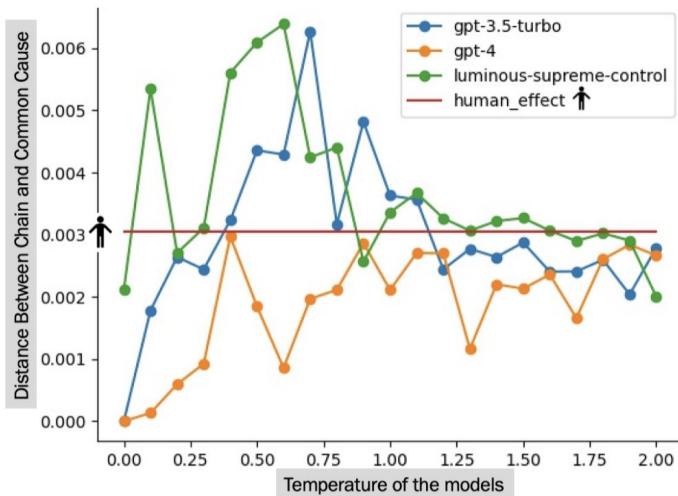
Natural language allows for the explicit representation of causal facts.



"Causal Parrots: Large Language Models May Talk Causality But Are Not Causal."

Matej Zečević*, Moritz Willig*, Devendra Singh Dhami and Kristian Kersting. Transactions on Machine Learning Research. 2023

LLMs adopt Human Biases in Causal Perception



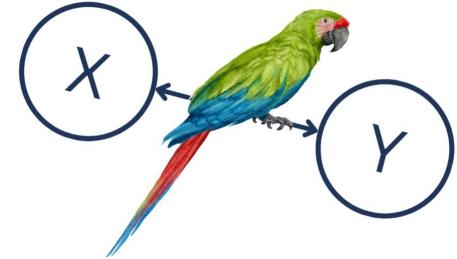
“LLM [...] attributing greater causal strength to the intermediate cause in canonical Chains than to the corresponding nodes in Common Cause. [...] With temperatures between 1.0 and 1.9, the observed preference for Chains is remarkably similar to that observed in humans across all three models.”

“Chain versus common cause: Biased causal strength judgments in humans and large language models”
 Anita Keshmirian, Moritz Willig, Babak Hemmatian, Kristian Kersting, Ulrike Hahn and Tobias Gerstenberg. CogSci 2024

Genuinely Causal or Causal Parrots?

LLMs have no real-world interactions during training.

Can they can excel beyond the first rung of the causal ladder?



	Causal Chains (Basic Prop. Logic)								Subchains (4)	Randomized (7)	Accuracy	
	N=2	3	4	5	6	7	8	9	10			
GPT-3		✓	✓	✓			✓		✓	2	2	45.00%
Luminous	✓				✓	✓	✓	✓	✓	1	4	50.00%
OPT		✓			✓					0	2	20.00%

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...they can free themselves through deliberate reasoning.

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GPT-3		✓	✓	✓			✓		✓	2	2	45.00%
Luminous	✓				✓	✓	✓	✓	✓	1	4	50.00%
OPT		✓			✓					0	2	20.00%
GPT-3 (CoT 4,6)	✓	✓	✓	✓	✓	✓	✓	✓	✓	4	7	100.00%
Luminous (CoT 1)	✓	✓	✓	✓	✓	✓	✓	✓	✓	3	3	75.00% *
OPT (CoT 4)	✓	✓	✓	✓	✓	✓	✓	✓	✓	3	4	80.00% *

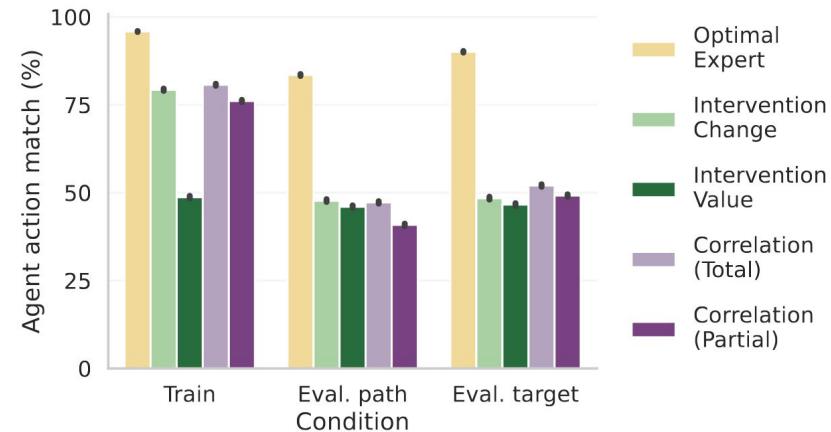
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Reasoning beyond the first Rung

Natural Language contains information *about* interventions.

Lampinen et al. showed that observing experts' interventions plus explanations can suffice to acquire generalizable strategies.



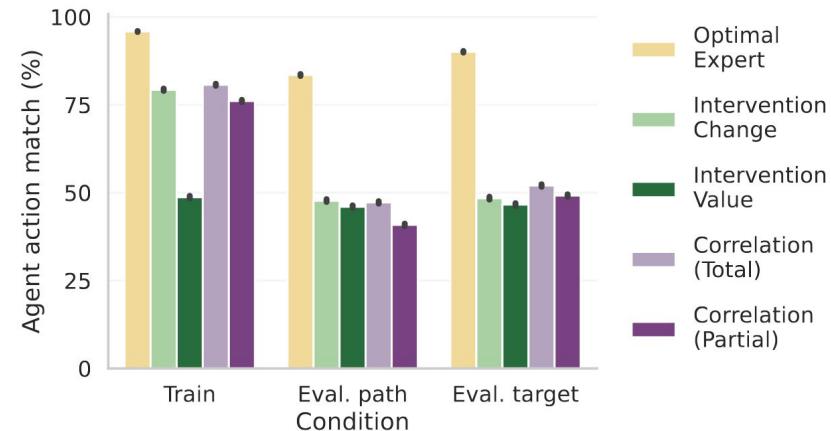
"Passive learning of active causal strategies in agents and language models"
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Language models can adapt to reason *over* causal relations.

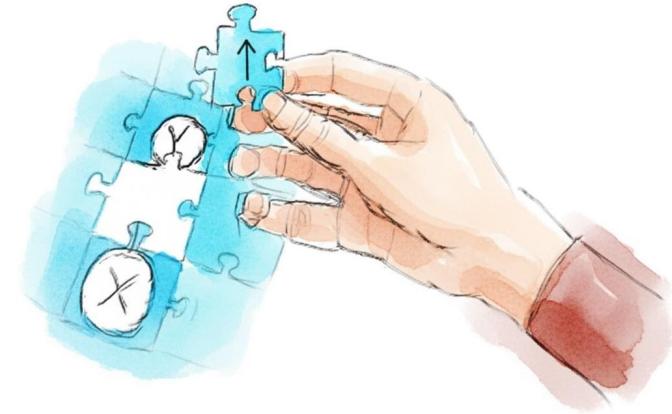


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Meta-Causality

We would like to have a framework that allows general AI/ML models to piece together and manipulate causal relations.



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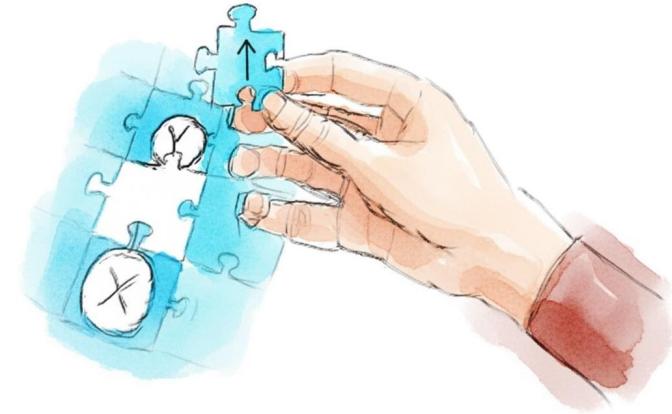
- Predict under which conditions causal edges emerge and vanish.



Meta-Causality

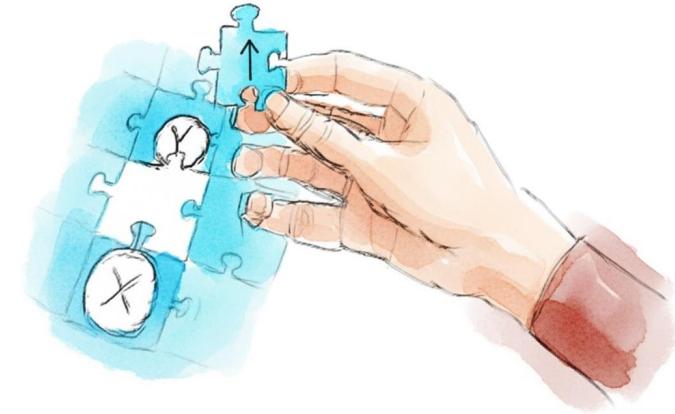
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- Predict under which conditions causal edges emerge and vanish.
- Reason over system dynamics.



Meta-Causality

We would like to have a framework that allows general AI/ML models to piece together and manipulate causal relations.



- Predict under which conditions causal edges emerge and vanish.
- Reason over system dynamics.
- Attribution beyond static root-causes, but for the existence of causal links themselves.

Meta-Causal Models

Meta-Causal Models are a novel framework designed to explicitly model and reason about the emergence and change of causal relationships.

abstract away from
structural equations

Meta-Causal Models capture qualitative changes in cause-effect relations.

)
reason over the presence of
causal relations themselves.

Inherently reflective w.r.t. the underlying SCM.

Meta-Causal Models

For an **underlying process** with state transitions $\sigma : \mathcal{S} \rightarrow \mathcal{S}$, we have a causal abstraction $\varphi : \mathcal{S} \rightarrow \mathcal{X}$.

Meta-Causal Models consider the **functional type** of structural equations:

$$T_{s,ij} := \tau_{ij}(\varphi(s), \varphi \circ \sigma)$$

Meta-Causal States (MCS) are type matrices: $T \in \mathcal{T}^{N \times N}$

Meta-Causal Models (MCM) model transitions between states:

$$\delta : \mathcal{T}^{N \times N} \times \mathcal{S} \rightarrow \mathcal{T}^{N \times N}$$

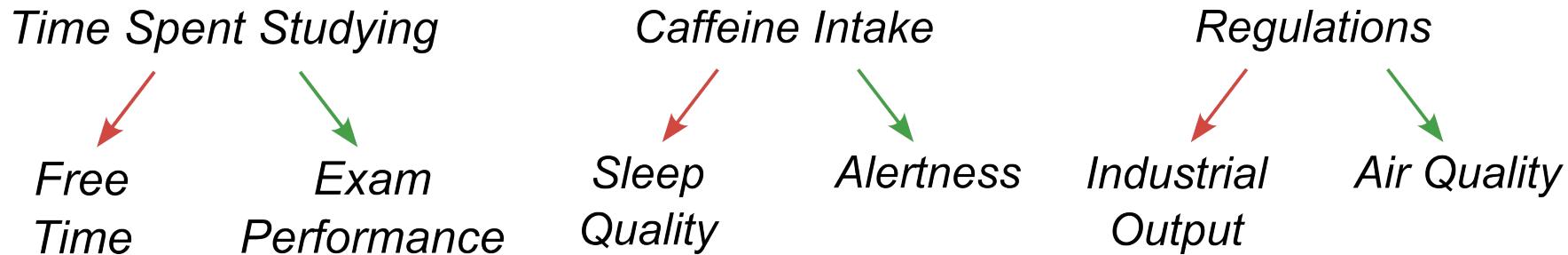
“**Systems with Switching Causal Relations: A Meta-Causal Perspective**”, Moritz Willig, Tim Nelson Tobiasch, Florian Peter Busch, Jonas Seng, Devendra Singh Dhami, Kristian Kersting. ICLR 2025

Functional Types

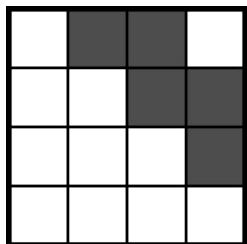
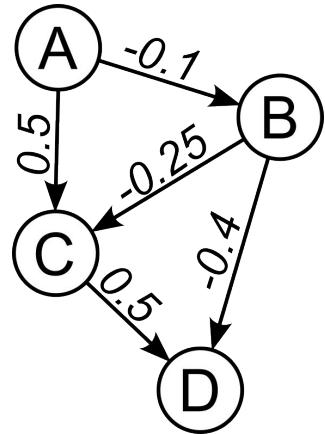
- Abstract away from specific structural equations.
- Consider qualitative edge types. E.g. '*suppressing*', '*reinforcing*', ...

Functional Types

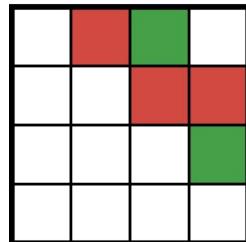
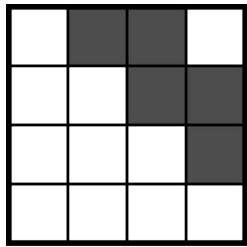
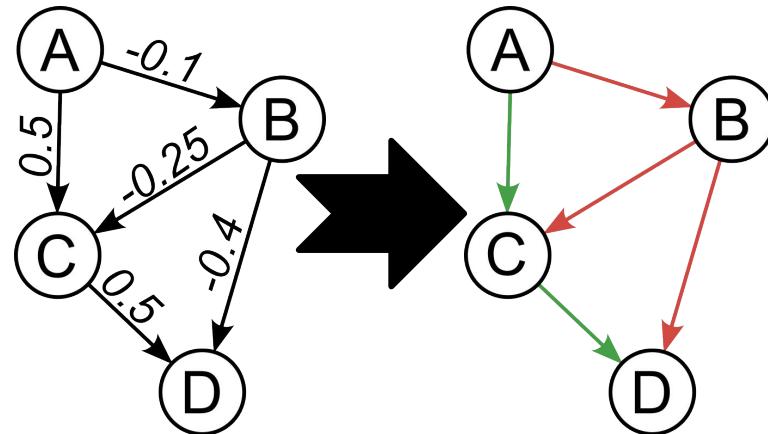
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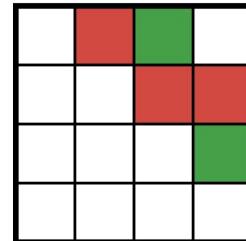
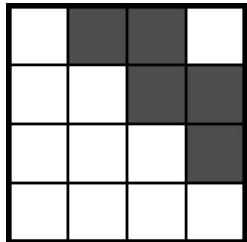
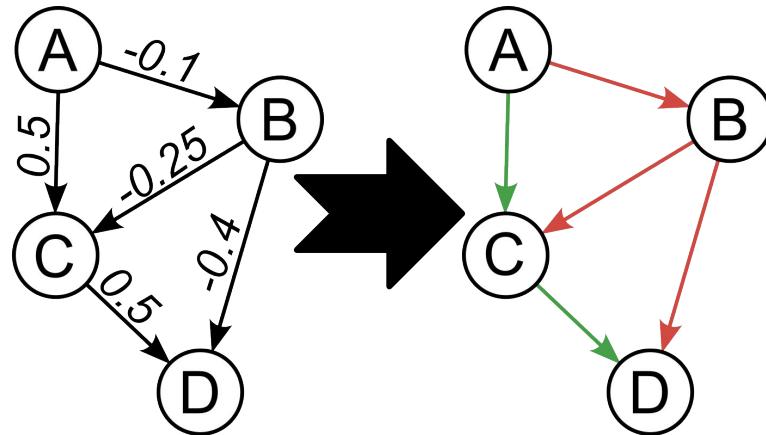
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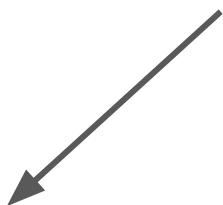


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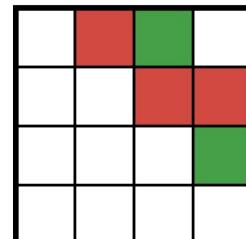
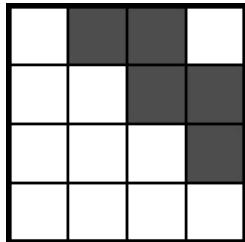
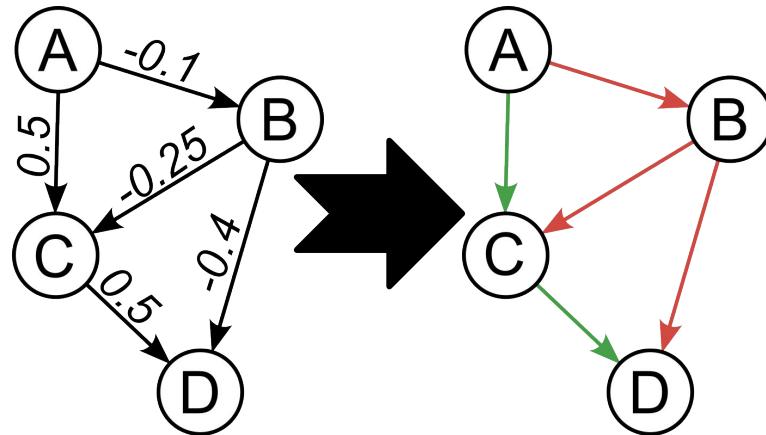


A Meta-Causal State is composed of the currently active types of all edges:

$$T \in \mathcal{T}^{N \times N}$$



Functional Types



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“But why do we need all of this formalism for the type encoder?”:

$$T_{s,ij} := \tau_{ij}(\varphi(s), \varphi \circ \sigma)$$

type encoder

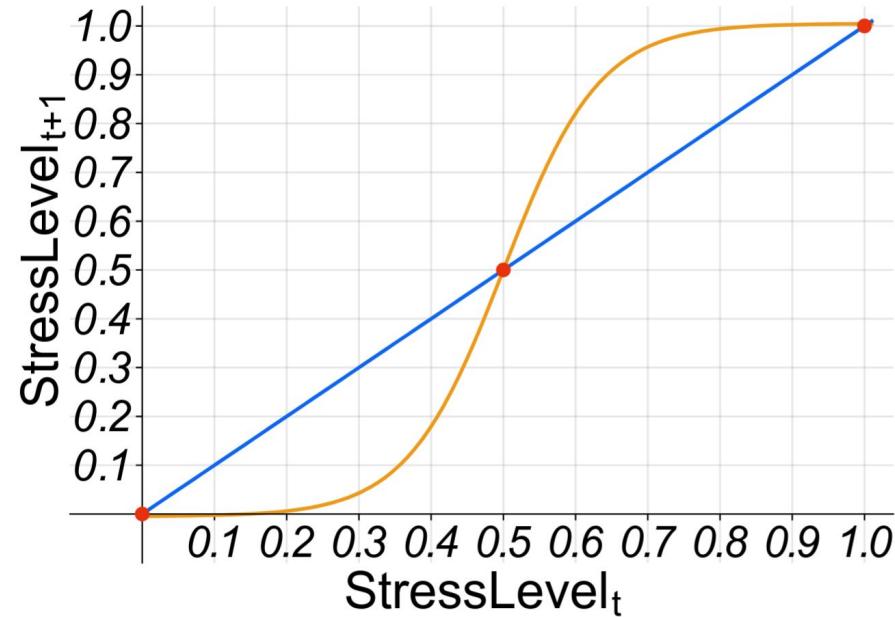
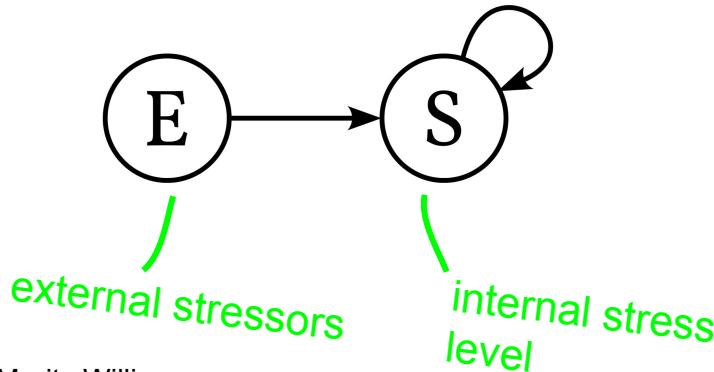
structural equations

system state

Dynamic Switching of Types

So far, we considered static graphs...

Self-reinforcing Stress Example

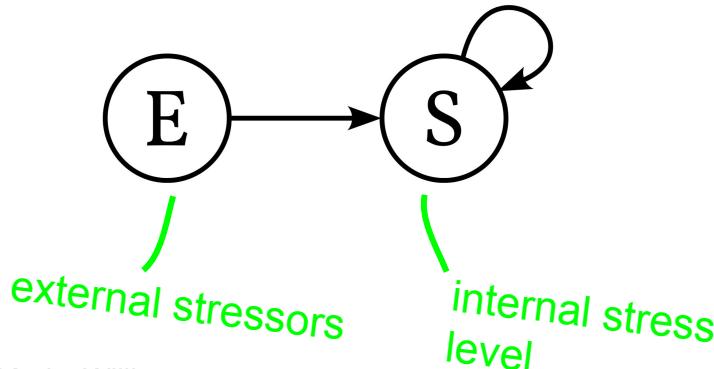


The influence of Internal Stress on itself across two consecutive days.

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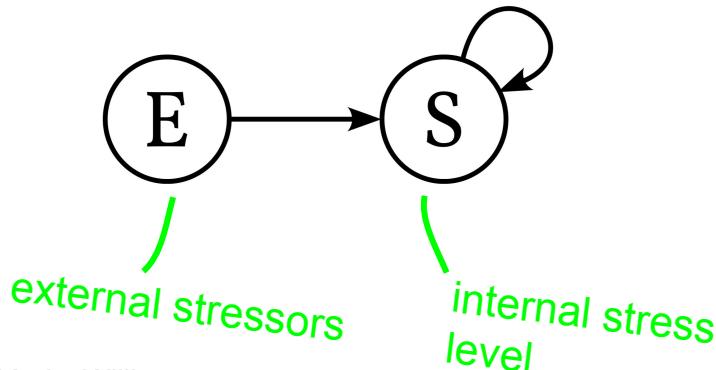
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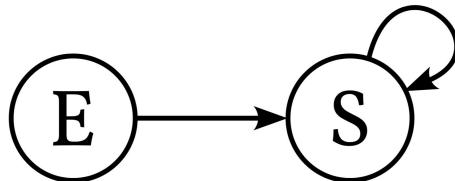
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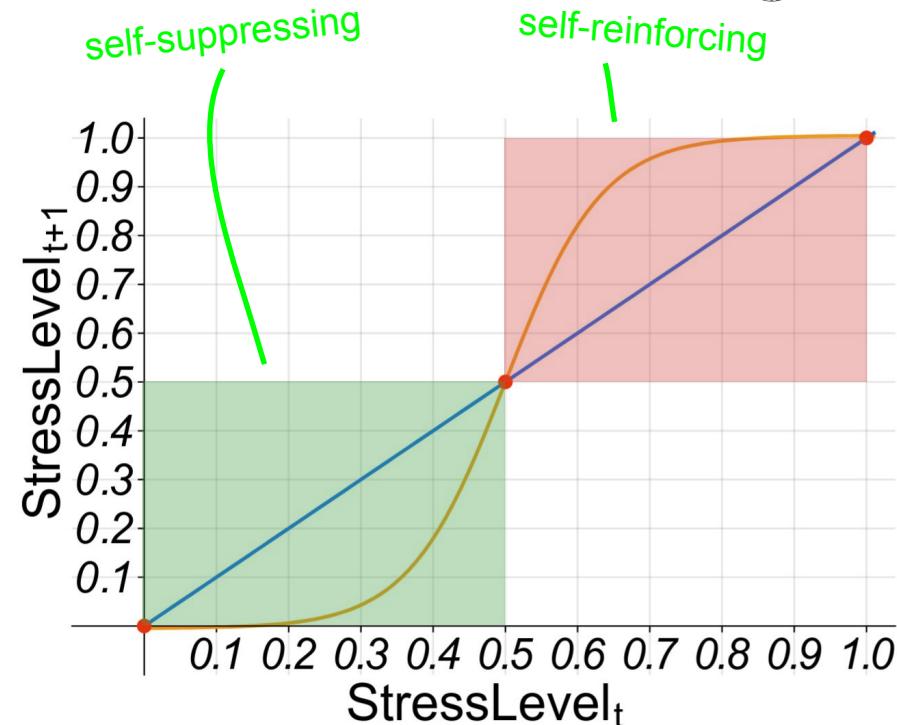
Self-reinforcing Stress

Example



Same structural
equation, but changing
relation type

$$T_x := \begin{bmatrix} 0 & 1 \\ 0 & \alpha \end{bmatrix} \text{ with } \alpha := \text{sign}(s - 0.5)$$

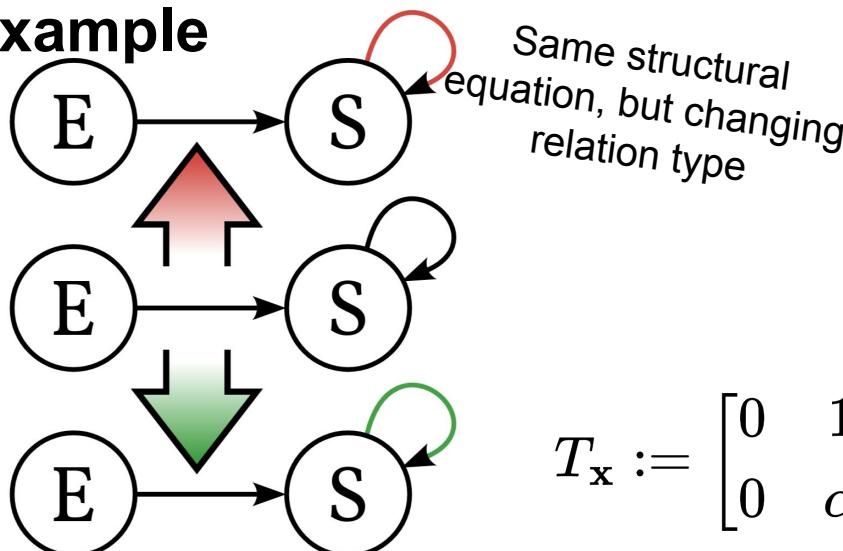


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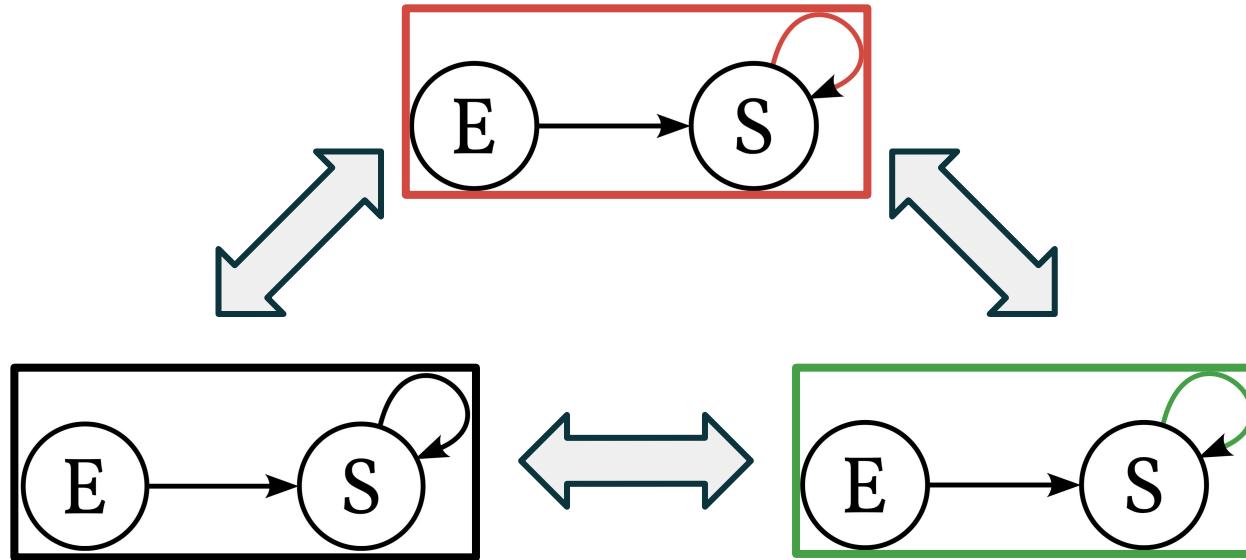


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Beyond Causal Parrots



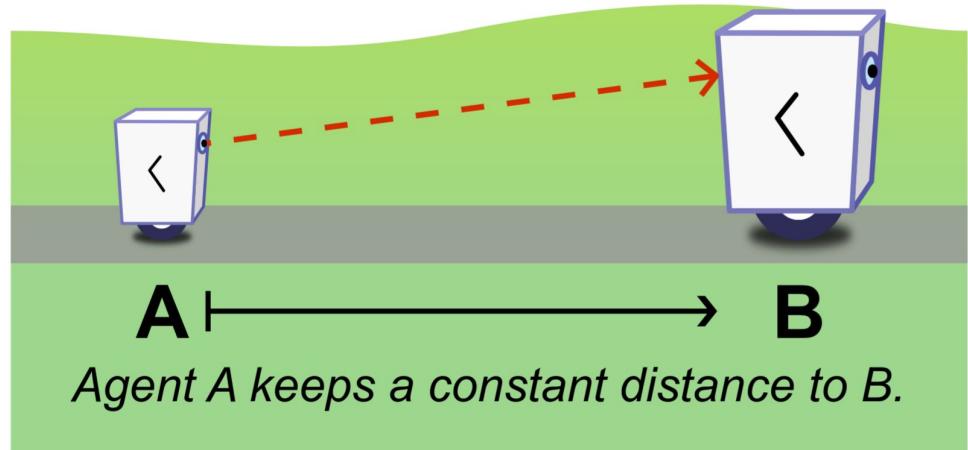
Meta-Causal Models



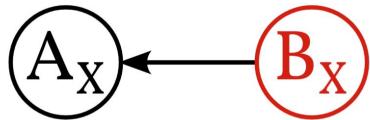
MCM model state transitions: $\delta : \mathcal{T}^{N \times N} \times \mathcal{S} \rightarrow \mathcal{T}^{N \times N}$

Meta-Causal Attribution

What causes A's position?



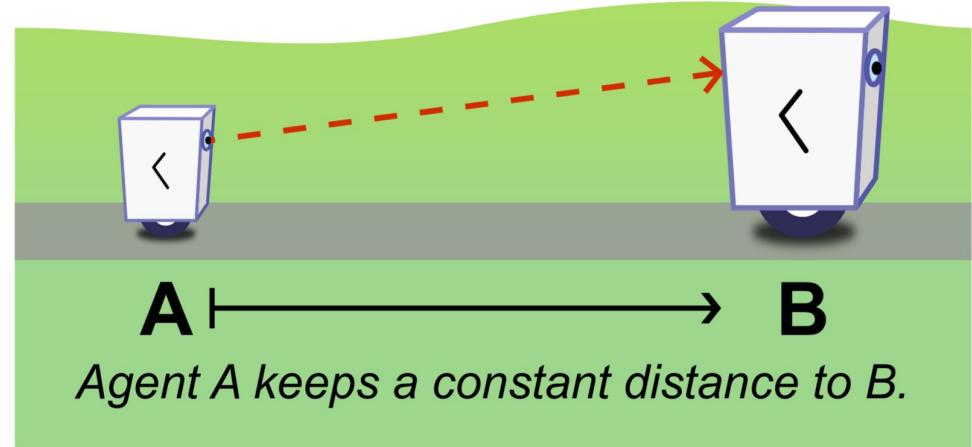
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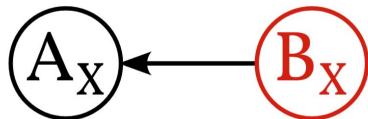
Classical Attribution

A_X is caused by the structural equation
 $A_X := f(B_X)$.

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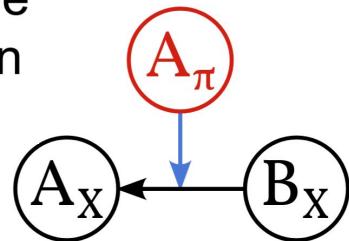


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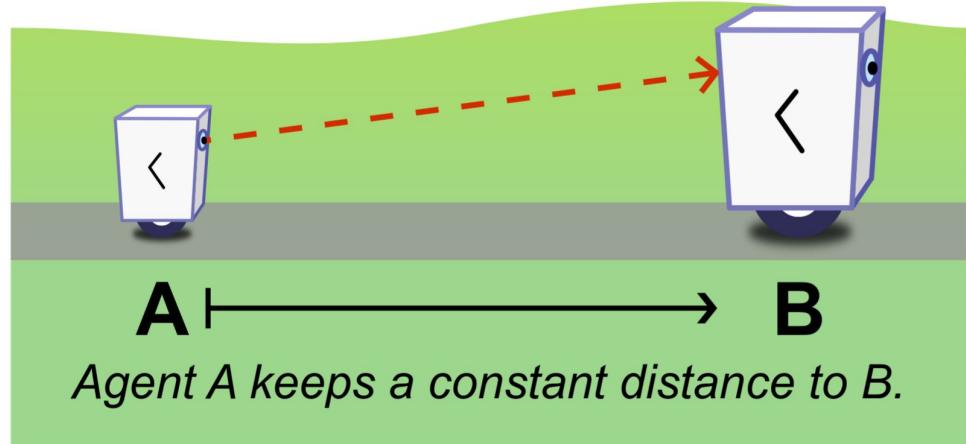


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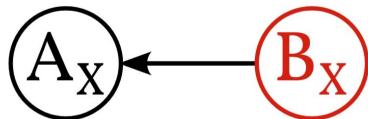
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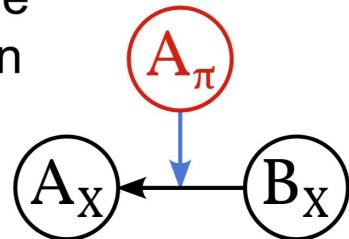
But the relation $B_X \rightarrow A_X$ only exists due to A's policy A_π .

Meta-Causal Attribution



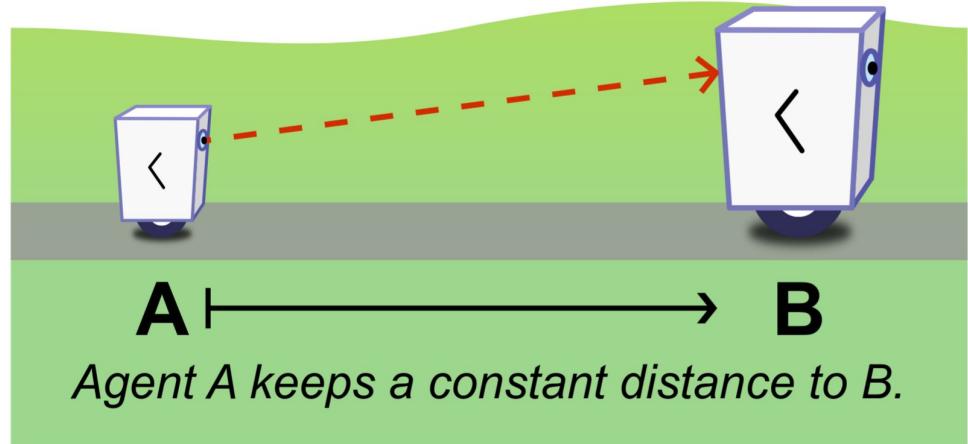
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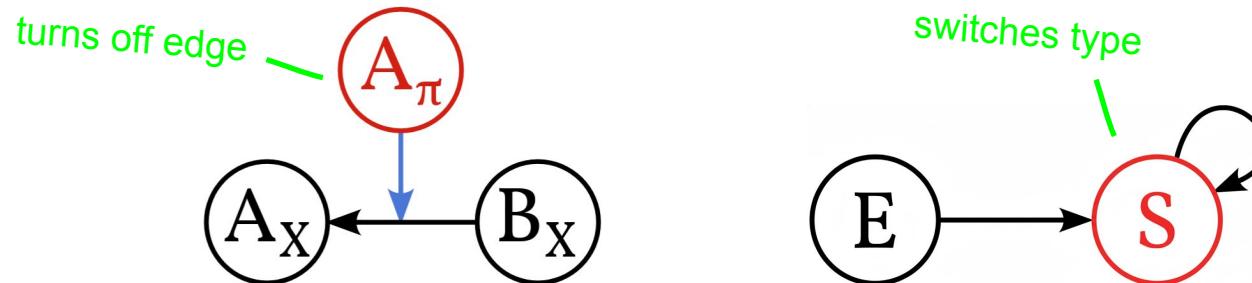


Meta-Causality consider factors that lead to the emergence of edges.

Meta-Causal Variables (MCVs)

MCVs are the factors that lead to switching type relations:

$$\mathbf{C} := \{ X_k \in \mathbf{X} \mid \exists X_i, X_j \in \mathbf{X}. \exists \mathbf{x}, \mathbf{x}' \in \mathcal{X} \text{ s.t. } (\mathbf{x}_{\bar{k}} = \mathbf{x}'_{\bar{k}}) \wedge (x_k \neq x'_k) \wedge (\mathcal{I}(\mathbf{x}, X_i, X_j) \neq \mathcal{I}(\mathbf{x}', X_i, X_j)) \}$$

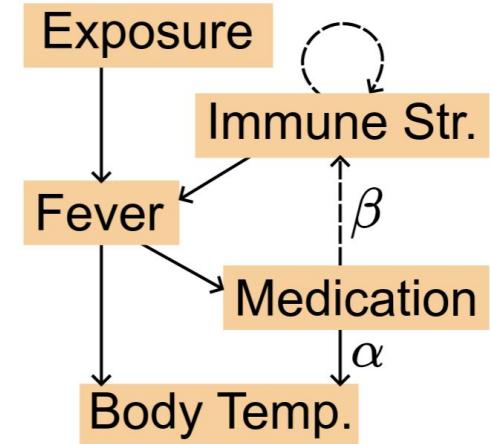


Medication MCA

Compare two medications

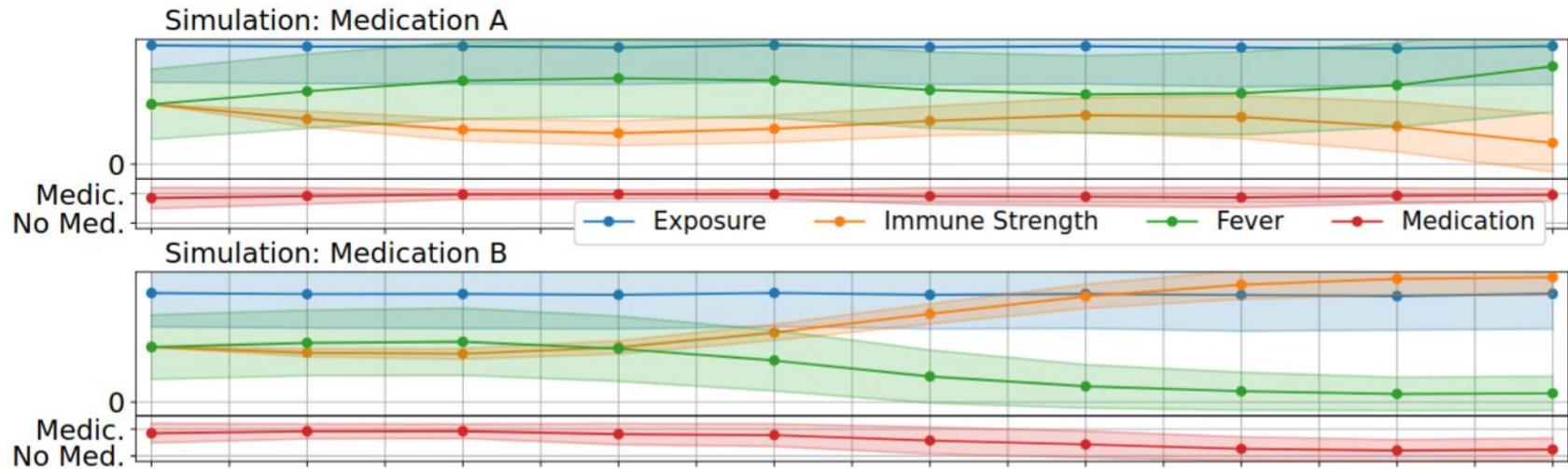
A: High direct impact, suppresses immune development.

B: Lower direct impact, lower immune suppression.



Disclaimer: highly simplified. Assumption: Both drugs are assumed to be equally suited to treat fever.

Medication MCA



“When Causal Dynamics Matter: Adapting Causal Strategies through Meta-Aware Interventions”,
 Moritz Willig, Tim Woydt, Devendra Singh Dhami, Kristian Kersting. NeurIPS 2025
 Beyond Causal Parrots

Meta-Causal Analysis

Similar to how causal effects quantify the influence between variables,
Meta-Causal Effects quantify changes in the state transitions.

Questions answered by MCA:

- What is the **probability** of a system to **adapt** a desired MCS?
- How **stable** is a particular MCS?
- Which **transition pathways** can be taken to obtain a particular MCS?

LMCD

1) Start with some data

Algorithm 1 Linearized Meta-Causal Dynamics (LMCD) Algorithm

- ```

1: Input: SCM: $\mathcal{M} = (\mathbf{V}, \mathbf{U}, \mathbf{F}, P_{\mathbf{U}})$, data: $\mathbf{x}^{\mathbf{I}} = (\mathbf{x}^i)_{i=1}^N \in \mathbf{X}^N$, id. func.: $\mathcal{I} : \mathbf{X} \rightarrow \mathbf{T}$
2: for each \mathbf{x}^i in $\mathbf{x}^{\mathbf{I}}$ do
3: $\mathbf{x}^{i,t+1} \leftarrow \mathbf{F}((\mathbf{x}^i | \mathbf{v}) \cup (\mathbf{u}^{t+1} \sim P_{\mathbf{U}}))$ \triangleright Advance the system.
4: $(\mathbf{T}^{i,t}, \mathbf{T}^{i,t+1}) \leftarrow (\mathcal{I}(\mathbf{x}^i), \mathcal{I}(\mathbf{x}^{i,t+1}))$ \triangleright Identify MCS transition pair.
5: $U \leftarrow (\bigcup_i l(\mathbf{T}^{i,t})) \cup (\bigcup_i l(\mathbf{T}^{i,t+1}))$ \triangleright Determine set of unique MCS.
6: for each (u, v) in $\{1, \dots, |U|\}^2$ do \triangleright Approximate transition dynamics, $P \in \mathbb{R}^{|U| \times |U|}$.
7: $P_{u,v} \leftarrow \sum_{i \in [1..N]} (\mathbf{1}(l(\mathbf{T}^{i,t}) = u) \wedge (l(\mathbf{T}^{i,t+1}) = v))) / \sum_{i \in [1..N]} \mathbf{1}(l(\mathbf{T}^{i,t}) = v))$
8: $[Q \leftarrow e^{P-I}]$ \triangleright Optional: Compute continuous time rate matrix. (I is the identity matrix.)
9: return $P, [Q]$

```

LMCD

2) Identify the state of the system

**Algorithm 1** Linearized Meta-Causal Dynamics (LMCD) Algorithm

- ```

1: Input: SCM:  $\mathcal{M} = (\mathbf{V}, \mathbf{U}, \mathbf{F}, P_{\mathbf{U}})$ , data:  $\mathbf{x}^{\mathbf{I}} = (\mathbf{x}^i)_{i=1}^N \in \mathbf{X}^N$ , id. func.:  $\mathcal{I} : \mathbf{X} \rightarrow \mathbf{T}$ 
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3:    $\mathbf{x}^{i,t+1} \leftarrow \mathbf{F}((\mathbf{x}^i | \mathbf{v}) \cup (\mathbf{u}^{t+1} \sim P_{\mathbf{U}}))$                                  $\triangleright$  Advance the system.
4:    $(\mathbf{T}^{i,t}, \mathbf{T}^{i,t+1}) \leftarrow (\mathcal{I}(\mathbf{x}^i), \mathcal{I}(\mathbf{x}^{i,t+1}))$                        $\triangleright$  Identify MCS transition pair.
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8:  $[Q \leftarrow e^{P-I}]$        $\triangleright$  Optional: Compute continuous time rate matrix. ( $I$  is the identity matrix.)
9: return  $P, [Q]$ 

```

LMCD

3) Advance the system and identify MCS, again.

Algorithm 1 Linearized Meta-Causal Dynamics (LMCD) Algorithm

- ```

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8: $[Q \leftarrow e^{P-I}]$ \triangleright Optional: Compute continuous time rate matrix. (I is the identity matrix.)
9: return $P, [Q]$

```

LMCD

### 3) Compute transition dynamics.

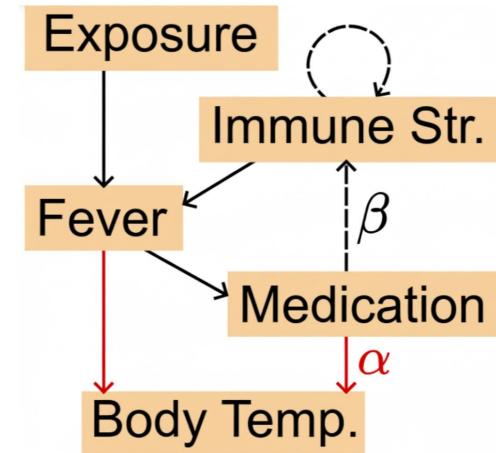
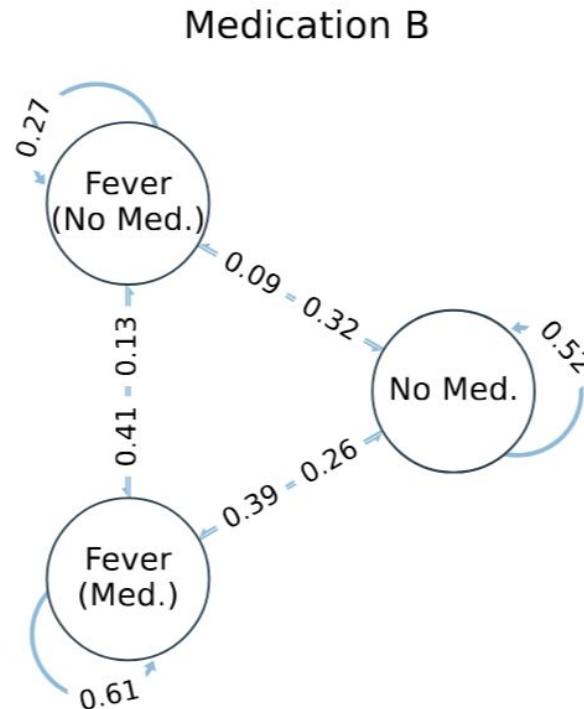
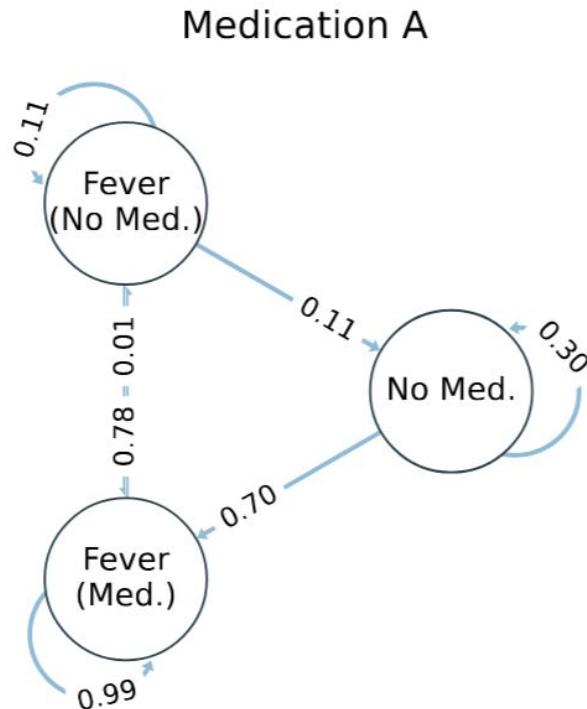
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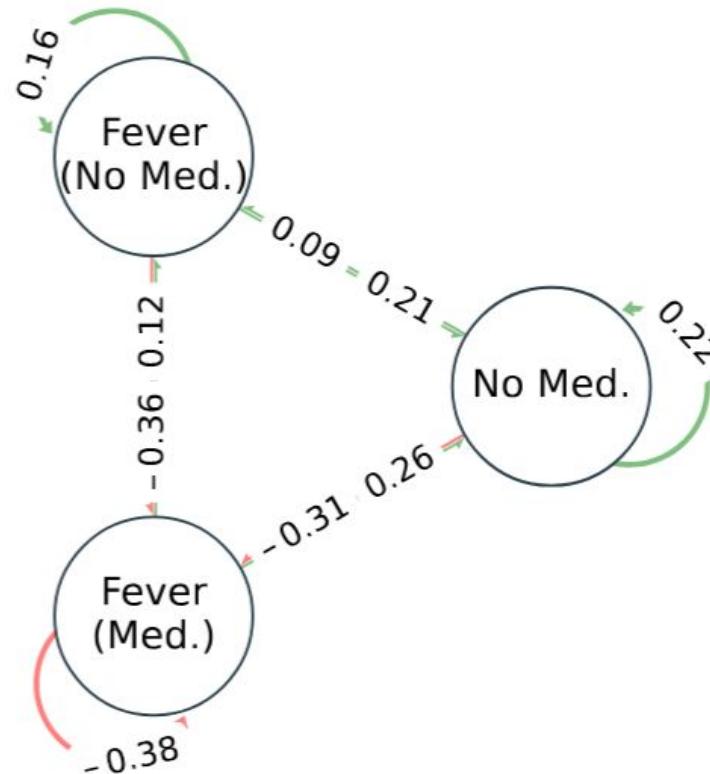
```

Medication MCM



$sMCATE(P_A, P_B)$

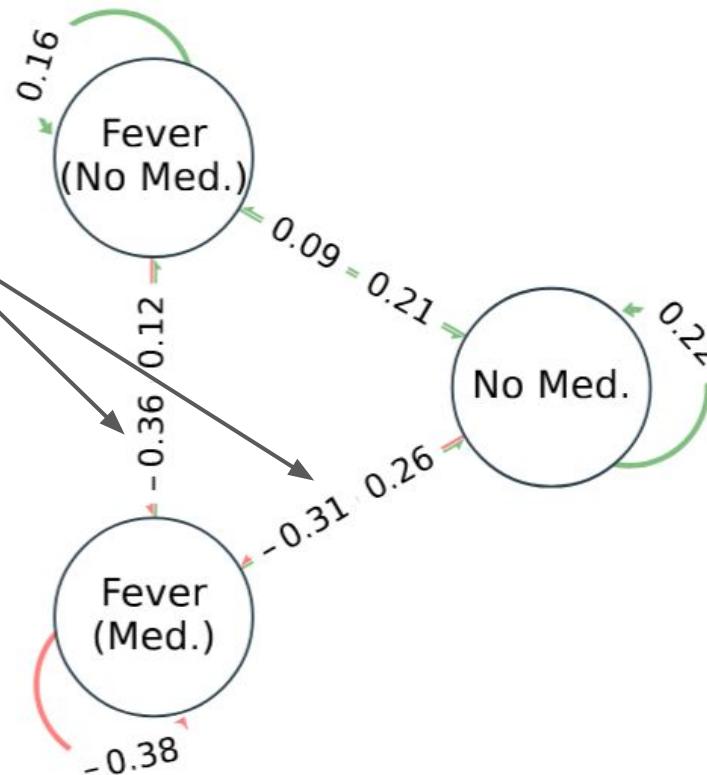
Medication MCA



$$\text{sMCATE}(P_A, P_B)$$

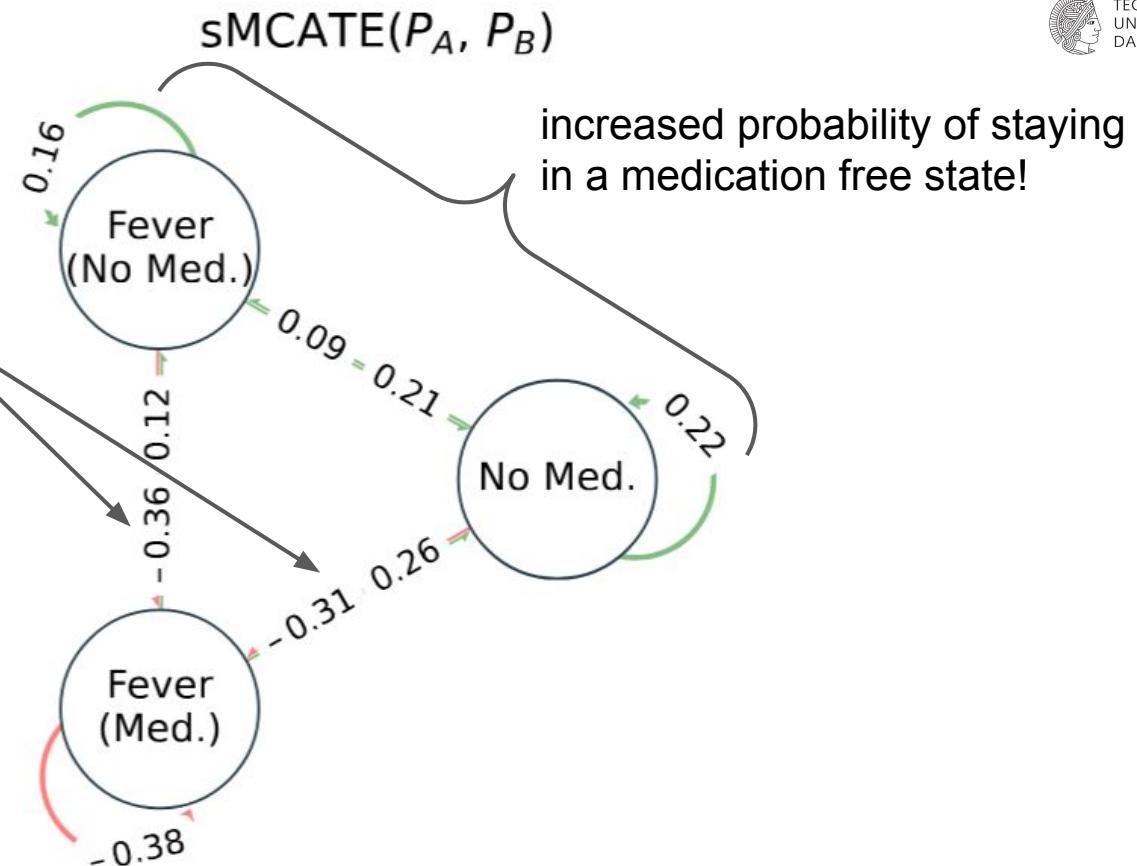
Medication MCA

reduced transition
probabilities into fever state!



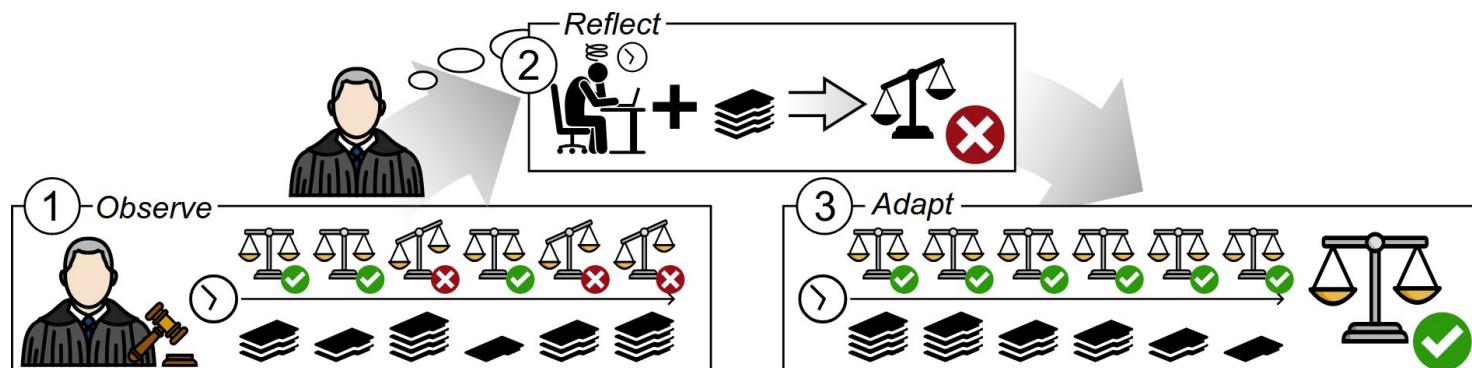
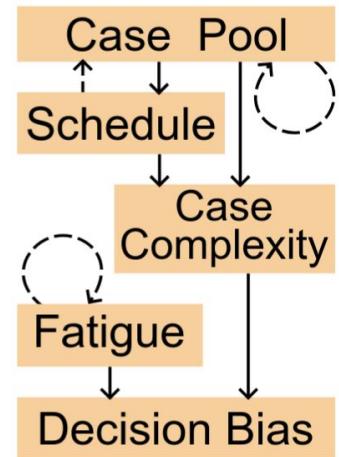
Medication MCA

reduced transition probabilities into fever state!



Judicial Decision-Making

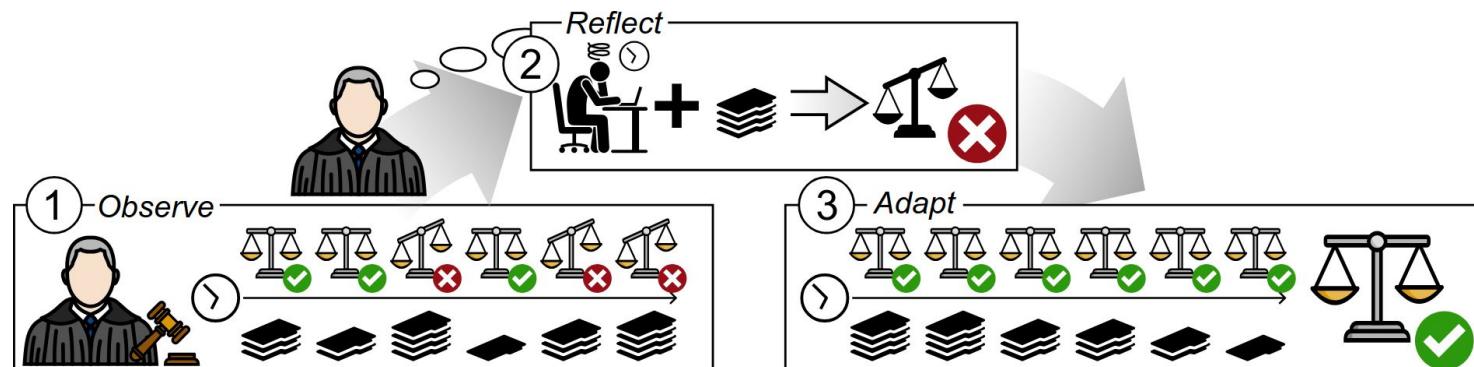
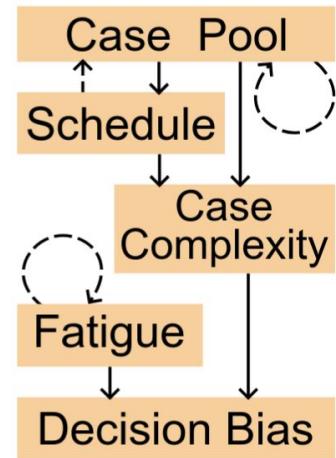
Throughout the day a judge picks cases from a case pool and makes decision. Upon reflecting, the judge notices that biased decisions are due to high fatigue and case complexity.



Judicial Decision-Making

Throughout the day a judge picks cases from a case pool and makes decision. Upon reflecting, the judge notices that biased decisions are due to high fatigue and case complexity.

The key insight here is not just that fatigue causes bias, but under what conditions this causal link becomes active.



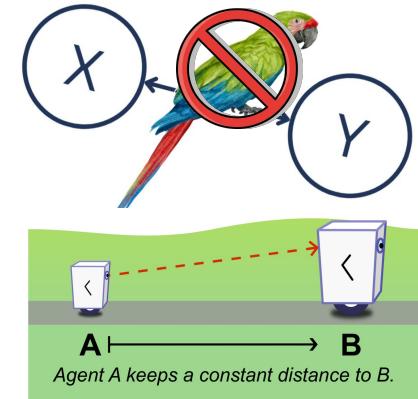
From Parroting to Understanding: A Meta-Causal Path

- **Reflection & Adaptation:** Intelligence isn't just about knowing that A causes B, but understanding the conditions under which that relationship holds, and to adapt when it changes.



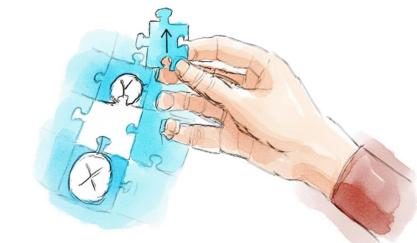
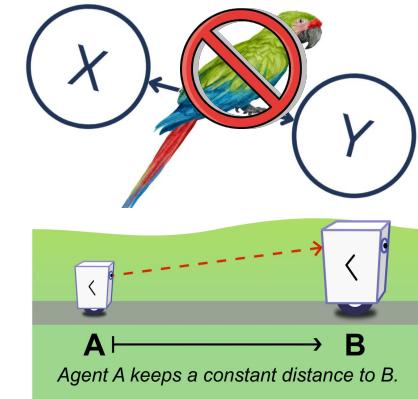
From Parroting to Understanding: A Meta-Causal Path

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- **Meta-Causal Models** allow to explicitly reason about *how* and *why* causal relationships change.



From Parroting to Understanding: A Meta-Causal Path

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From Parroting to Understanding: A Meta-Causal Path

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“Meta-Causality may be the dividing line between systems that merely describe the world from those that truly understand it.”

