

ML Assignment 2 Write Up.

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1)

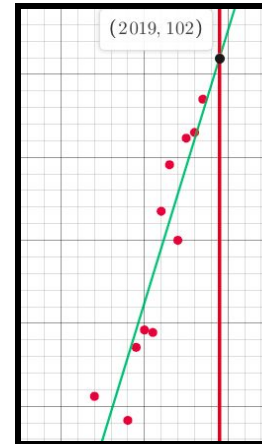
a) $Y = 3.28X - 6520.32$

A = sum(xi)	B = sum(yi)	C = sum(xi*xi)	D = sum(xi*yi)
22129	859.6	44517661	1729766.8

w0	w1
-6520.32	3.28

b) $H(2019) = 102$

c) $RMSE = 5.247$

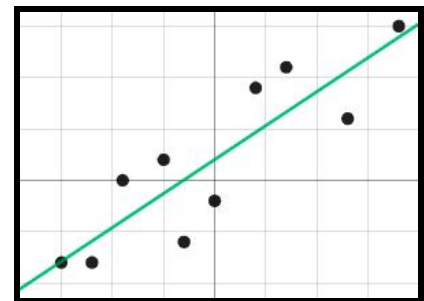


2) $X = ML, Y = HUR$

a) $Y = w1X + w0$

A = sum(xi)	B = sum(yi)	C = sum(xi*xi)	D = sum(xi*yi)
798	819	64722	66045

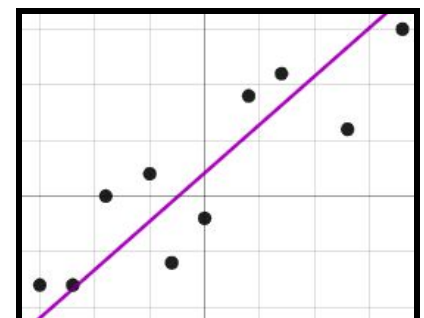
w0	w1
29.12903226	0.6612903226



b) $X = w3Y + w2$

A' = sum(yi)	B' = sum(xi)	C' = sum(yi*yi)	D' = sum(xi*yi)
819	798	67675	66045

w2	w3
-14.3938888	1.150108532



c) Plugging $X = 96$ into $Y = w_1X + w_0$
 $\Rightarrow Y = 92.613$

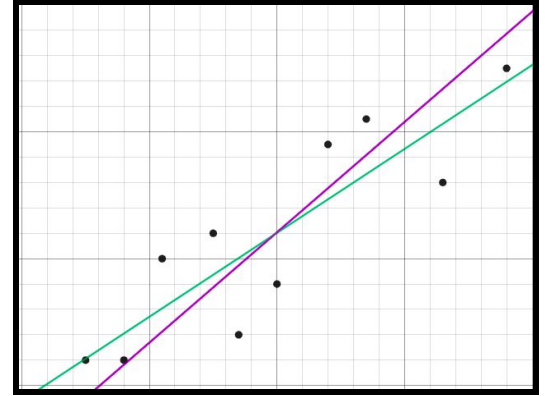
d) Plugging $Y = 95$ into $X = w_3Y + w_2$
 $\Rightarrow X = 94.866$

e) As we can see they are different lines and have different purposes. Like $Y = w_1X + w_0$ line should be used only to calculate the Y value for the corresponding X value and vice versa.

The green line is for part (a) ie $Y = w_1X + w_0$

The purple line is for part (b) ie $X = w_3Y + w_2$

In (a) Y depends on X whereas in (b) it's the other way around.



3)

$$PV^n = c$$

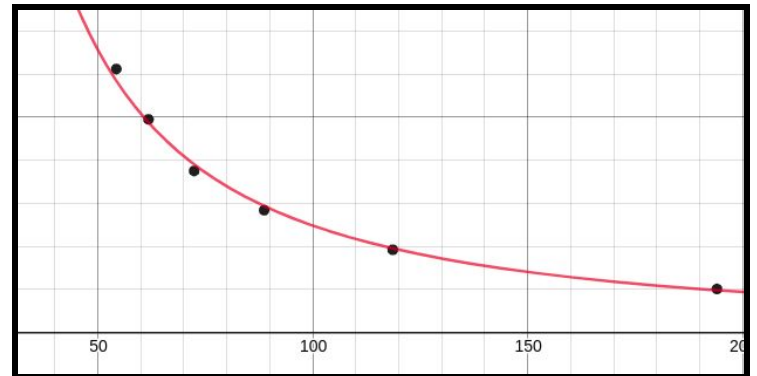
$$\ln(PV^n) = \ln(c)$$

$$\ln(P) + n \cdot \ln(V) = \ln(c)$$

$$\ln(P) = \ln(c) - n \cdot \ln(V)$$

$$\ln(P) = \ln(c) + n \cdot \ln(1/V)$$

This equation is similar to the linear equation. $Y = b + n \cdot X$



Where $X = \ln(1/V)$, $Y = \ln(P)$ and $b = \ln(c)$

$A = \sum(\ln(1/V))$	$B = \sum(\ln(P))$	$C = \sum(\ln^2(1/V))$	$D = \sum(\ln(1/V) \cdot \ln(P))$
-26.92950843	20.25429564	121.9758294	-89.34905996

a) n and c are mentioned in the table

n	b = ln(c)	c
1.403709404	9.675916646	15929.3189

b) The Equation becomes :

$$\ln(P) = \ln(c) + n \cdot \ln(1/V)$$

c) **24.819** units

4)

A = sum(xi)	B = sum(xi^2)	C = sum(yi)	D = sum(xi^3)	E = sum(yi*xi)	F = sum(xi^4)	G = sum(xi^2*yi)
21	91	59.1	441	266.9	2275	1367.5

All the calculations are attached in the excel sheet attached. As we can see this curve completely covers all the points.

$$Y = 2.50952 - 1.2X + 0.733333X^2$$

$$\begin{bmatrix} n & A & B \\ A & B & D \\ B & D & F \end{bmatrix} \begin{bmatrix} w0 \\ w1 \\ w2 \end{bmatrix} = \begin{bmatrix} C \\ E \\ G \end{bmatrix}$$

Plugging all the values and solving for w0, w1 and w2.

w0	w1	w2
2.50952	-1.2	0.733333

