## **CFG LL(1) Analysis for Revised Grammar**

Table of First Sets, Follow Sets, and LL(1) Condition Verification

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<ps></ps>	{import}	{\$}	Only one production, condition satisfied	Not nullable, condition satisfied
<import_st></import_st>	{import}	{public, private, protected, static, final, abstract, class, \$}	Only one production, condition satisfied	Not nullable, condition satisfied
<import_tail></import_tail>	{;, .}	{public, private, protected, static, final, abstract, class, \$}	First(;) = {;}, First(. *) = {.}  ⇒ Disjoint, condition satisfied	Not nullable, condition satisfied
<qualified_name></qualified_name>	{ID}	{;, .}	Only one production, condition satisfied	Not nullable, condition satisfied
<qualified_name_tail></qualified_name_tail>	{., ε}	{;,.}	First(. ID $<$ qualified_name_tail>) = $\{.\}$ , First( $\epsilon$ ) = $\{\epsilon\}$ $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes,  First( $<$ qualified_name_tail $>$ ) $\cap$ Follow( $<$ qualified_name_tail $>$ )  = $\{\epsilon\} \cap \{;, .\} = \emptyset$ , condition  satisfied
<classname></classname>	{ID}	{(, {, ;, .}	Only one production, condition satisfied	Not nullable, condition satisfied
<main class=""></main>	{public}	{\$}	Only one production, condition satisfied	Not nullable, condition satisfied
<classes></classes>	{public, private, protected, static, final, abstract, class, ε}	{public}	First( $<$ class> $<$ classes> $)$ = {public, private, protected, static, final, abstract, class}, First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( $<$ classes $>$ ) $\cap$ Follow( $<$ classes $>$ ) = { $\epsilon$ } $\cap$ {public} = Ø, condition satisfied
<class></class>	{public, private, protected, static, final, abstract, class}	{public, private, protected, static, final,	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow Set abstract, class, \$}	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<class header=""></class>	{public, private, protected, static, final, abstract, class}	{extends, {}	Only one production, condition satisfied	Not nullable, condition satisfie
<inheritance></inheritance>	{extends, ε}	{{}	First(extends ID) = $\{\text{extends}\}$ , First( $\epsilon$ ) = $\{\epsilon\}$ $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes,  First( <inheritance>) <math>\cap</math>  Follow(<inheritance>) = {<math>\epsilon</math>} <math>\cap</math>  {{} = Ø, condition satisfied</inheritance></inheritance>
<class body=""></class>	{{, ε}	{public, private, protected, static, final, abstract, class, \$}	First({) = {{}, First( <attributes> &lt; class body&gt;) = First(<constructors> <class body="">) = First(<methods> &lt; class body&gt;) = {public, private, protected, static, final, abstract}, First(ε) = {ε} ⇒ Disjoint, condition satisfied</methods></class></constructors></attributes>	Nullable: Yes, First( <class body&gt;) ∩ Follow(<class body&gt;) = {ε} ∩ {public, private protected, static, final, abstrac class, \$} = Ø, condition satisfie</class </class 
<attributes></attributes>	{public, private, protected, static, final, abstract, DT}	{public, private, protected, static, final, abstract, class, \$, }}	Only one production, condition satisfied	Not nullable, condition satisfi
<modifiers'></modifiers'>	{public, private, protected, static, final, abstract}	{DT, ID}	First( <access_modifier>) = {public, private, protected}, First(static) = {static}, First(final) = {final}, First(abstract) = {abstract}  ⇒ Disjoint, condition satisfied</access_modifier>	Not nullable, condition satisfic
<access_modifier></access_modifier>	{public, private, protected}	{DT, ID}	First(public) = {public}, First(private) = {private},	Not nullable, condition satisfic

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First  Sets Disjoint)  First(protected) =  {protected} ⇒ Disjoint,  condition satisfied	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<constructor></constructor>	{public, private, protected, static, final, abstract, ID}	{public, private, protected, static, final, abstract, class, \$, }}	Only one production, condition satisfied	Not nullable, condition satisfied
<constructor header&gt;</constructor 	{public, private, protected, static, final, abstract, ID}	{{0}}	Only one production, condition satisfied	Not nullable, condition satisfied
<methods></methods>	{public, private, protected, static, final, abstract, DT, ε}	{public, private, protected, static, final, abstract, class, \$, }}	First( <method> <methods>) = {public, private, protected, static, final, abstract, DT}, First(<math>\epsilon</math>) = {<math>\epsilon</math>} <math>\Longrightarrow</math> Disjoint, condition satisfied</methods></method>	Nullable: Yes, First( <methods>)  <math>\cap</math> Follow(<methods>) = {<math>\epsilon</math>} <math>\cap</math> {public, private, protected, static, final, abstract, class, \$, }}  = <math>\emptyset</math>, condition satisfied</methods></methods>
<method></method>	{public, private, protected, static, final, abstract, DT}	{public, private, protected, static, final, abstract, DT, }}	Only one production, condition satisfied	Not nullable, condition satisfied
<method header=""></method>	{public, private, protected, static, final, abstract, DT}	{{}	Only one production, condition satisfied	Not nullable, condition satisfied
<method body=""></method>	{{}	{public, private, protected, static, final, abstract, DT, }}	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<parameters></parameters>	{DT, ε}	0}	First( <parameter> <parameter'>) = {DT},  First(<math>\epsilon</math>) = {<math>\epsilon</math>} <math>\Longrightarrow</math> Disjoint,  condition satisfied</parameter'></parameter>	Nullable: Yes,  First( $<$ Parameters $>$ ) $\cap$ Follow( $<$ Parameters $>$ ) = { $\epsilon$ } $\cap$ {)} = $\emptyset$ , condition satisfied
<parameter'></parameter'>	{ε, DT}	<b>{</b> }}	First( $\epsilon$ ) = { $\epsilon$ }, First( <parameters>) = {DT, <math>\epsilon</math>} <math>\Longrightarrow</math> NOT DISJOINT because of <math>\epsilon</math>, condition violated</parameters>	Nullable: Yes,  First( $<$ Parameter' $>$ ) $\cap$ Follow( $<$ Parameter' $>$ ) = { $\epsilon$ } $\cap$ {)} = $\emptyset$ , condition satisfied
<parameter></parameter>	{DT}	{DT, ε, )}	Only one production, condition satisfied	Not nullable, condition satisfie
<mst></mst>	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, ε}	{}, catch}	First( $<$ SST $><$ MST $>$ ) = {ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT}, First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( $<$ MST $>$ ) $\cap$ Follow( $<$ MST $>$ ) = { $\epsilon$ } $\cap$ {}, catch} = Ø, condition satisfied
<sst></sst>	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, }, catch, else}	Production first sets are unique, condition satisfied	Not nullable, condition satisfie
<unary opr=""></unary>	{inc, dec, NOT}	{ID, const, (, -}	First(inc dec) = {inc, dec}, First(NOT) = {NOT} $\Longrightarrow$ Disjoint, condition satisfied	Not nullable, condition satisfie
<binary opr=""></binary>	{PM, MDM, RO1, RO2, AND, OR}	{ID, const, (, -, NOT}	Each operator has a distinct first token, condition satisfied	Not nullable, condition satisfie
<assign_st></assign_st>	{ID}	<b>{</b> ;}	Only one production, condition satisfied	Not nullable, condition satisfie
<assign opr=""></assign>	{=, +=, -=, *=, /=, %=}	{ID, inc, dec, NOT,	First sets for all productions are distinct,	Not nullable, condition satisfie

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
		PM, (, const}	condition satisfied	
<method call=""></method>	{ID}	{;, ., ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<constructor call=""></constructor>	{new}	{;, ., ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<args></args>	{ID, inc, dec, NOT, PM, const, (, new, ε}	<b>{</b> }	First( $\langle Exp \rangle \langle Args' \rangle$ ) = {ID, inc, dec, NOT, PM, const, (, new}, First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( $<$ Args $>$ ) $\cap$ Follow( $<$ Args $>$ ) = { $\epsilon$ } $\cap$ {)} = $\emptyset$ , condition satisfied
<args'></args'>	{ε, ,}	0}	First( $\epsilon$ ) = { $\epsilon$ }, First(, <args>) = {<math>\epsilon</math>} <math>\Rightarrow</math> Disjoint, condition satisfied</args>	Nullable: Yes, First( $<$ Args' $>$ ) $\cap$ Follow( $<$ Args' $>$ ) = { $\epsilon$ } $\cap$ {)} = $\emptyset$ , condition satisfied
<ts></ts>	{this, super, ID}	{;}	Only one production, condition satisfied	Not nullable, condition satisfied
<this id="" or="" super=""></this>	{this, super, ID}	{()	First(this) = {this},  First(super) = {super},  First(ID) = {ID} ⇒ Disjoint,  condition satisfied	Not nullable, condition satisfied
<return st=""></return>	{return}	€}	First(return <exp>) = {return}, First(return this.) = {return} ⇒ NOT DISJOINT, condition violated</exp>	Not nullable, condition satisfied
<main method=""></main>	{public}	{\$}	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow	LL(1) Condition 1 (First	LL(1) Condition 2 (Nullable
	THISC SEC	Set	Sets Disjoint)	First ∩ Follow Empty)
<m.m body=""></m.m>	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, ε}	{}}	Only one production, condition satisfied	Not nullable, condition satisfied
<m.m header=""></m.m>	{public}	{{}	Only one production, condition satisfied	Not nullable, condition satisfied
<object decl=""></object>	{Type}	{;}	Only one production, condition satisfied	Not nullable, condition satisfied
<obj header=""></obj>	{Type}	{;}	Only one production, condition satisfied	Not nullable, condition satisfied
<new expr=""></new>	{new}	{;, ., ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<arg list="" opt=""></arg>	{ID, const, new, ε}	0}	First( <arg list="">) = {ID, const, new}, First(<math>\epsilon</math>) = {<math>\epsilon</math>} <math>\Rightarrow</math> Disjoint, condition satisfied</arg>	Nullable: Yes, First( <arg list="" opt="">) <math>\cap</math> Follow(<arg list="" opt="">) = <math>\{\epsilon\} \cap \{\}\} = \emptyset</math>, condition satisfied</arg></arg>
<arg list=""></arg>	{ID, const, new}	{}}	Only one production, condition satisfied	Not nullable, condition satisfied
<arg list="" tail=""></arg>	{, ε}	<b>{</b> }}	First(, <arg list="">) = {,}, First(<math>\epsilon</math>) = {<math>\epsilon</math>} <math>\Longrightarrow</math> Disjoint, condition satisfied</arg>	Nullable: Yes, First( $<$ arg list tail $>$ ) $\cap$ Follow( $<$ arg list tail $>$ ) = $\{\epsilon\} \cap \{\}\} = \emptyset$ , condition satisfied
Expr	{ID, const, new}	{, }}	First(ID <expr tail="">) = {ID}, First(<const>) = {const}, First(<new expr="">) = {new}  ⇒ Disjoint, condition satisfied</new></const></expr>	Not nullable, condition satisfied
<expr tail=""></expr>	{(, ε}	{,,}}	First(( < arg list opt> )) = {(}, First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( $<$ expr tail $>$ ) $\cap$ Follow( $<$ expr tail $>$ ) = { $\epsilon$ } $\cap$ {, } = $\emptyset$ , condition satisfied

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<type></type>	{ID}	{ID}	Only one production, condition satisfied	Not nullable, condition satisfied
<const></const>	{int_const, string_const, boolean_const}	{;, ., ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First(int_const) = {int_const},  First(string_const) = {string_const},  First(boolean_const) = {boolean_const} ⇒  Disjoint, condition satisfied	Not nullable, condition satisfied
<object call=""></object>	{ID, this, super, new, Method Call}	{;}	Only one production, condition satisfied	Not nullable, condition satisfied
<primary expr=""></primary>	{ID, this, super, new, Method Call}	{}	First(ID) = {ID}, First(this) = {this}, First(super) = {super}, First( <new expr="">) = {new}, First(<method call="">) = {ID} ⇒ NOT DISJOINT (ID and method call), condition violated</method></new>	Not nullable, condition satisfied
<access chain=""></access>	{., ε}	{}	First( $<$ access> $<$ access chain>) = {.}, First( $\epsilon$ ) = { $\epsilon$ } $\Rightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( <access chain="">) <math>\cap</math> Follow(<access chain="">) = <math>\{\epsilon\} \cap \{;\} = \emptyset</math>, condition satisfied</access></access>
<access></access>	{.}	{., ;}	Only one production, condition satisfied	Not nullable, condition satisfied
<access tail=""></access>	{(, ε}	{,;}	First(( <arg list="" opt=""> )) = <math>\{(\}, First(\epsilon) = \{\epsilon\} \Rightarrow Disjoint, </math> condition satisfied</arg>	Nullable: Yes, First( <access tail="">) <math>\cap</math> Follow(<access tail="">) = <math>\{\epsilon\} \cap \{., ;\} = \emptyset</math>, condition satisfied</access></access>
<exp></exp>	{ID, const, Method Call, constructor call, -, NOT, (}	{;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<oe></oe>	{ID, const, Method Call, constructor call, -, NOT, (}	{;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<oe'></oe'>	{OR, ε}	{;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First(OR <ae> <oe'>) = <math>\{OR\}</math>, First(<math>\epsilon</math>) = <math>\{\epsilon\}</math> <math>\Longrightarrow</math> Disjoint, condition satisfied</oe'></ae>	Nullable: Yes, First( $<$ OE' $>$ ) $\cap$ Follow( $<$ OE' $>$ ) = { $\epsilon$ } $\cap$ {;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR} = $\emptyset$ , condition satisfied
<ae></ae>	{ID, const, Method Call, constructor call, -, NOT, (}	{OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<ae'></ae'>	{AND, ε}	{OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First(AND <re2> <ae'>) <math display="block">= \{AND\}, First(\epsilon) = \{\epsilon\} \Longrightarrow</math> Disjoint, condition satisfied</ae'></re2>	Nullable: Yes, First( $<$ AE' $>$ ) $\cap$ Follow( $<$ AE' $>$ ) = { $\epsilon$ } $\cap$ {OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR} = $\emptyset$ , condition satisfied
<re2></re2>	{ID, const, Method Call, constructor call, -, NOT, (}	{AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	Only one production, condition satisfied	Not nullable, condition satisfied
<re2'></re2'>	{RO2, ε}	{AND, OR, ;, ,, ), ID, inc, dec, NOT, PM,	First(RO2 < RE1 > < RE2' >) $= \{RO2\}, First(\epsilon) = \{\epsilon\} \Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes, First( $<$ RE2' $>$ ) $\cap$ Follow( $<$ RE2' $>$ ) = { $\epsilon$ } $\cap$ {AND, OR, ;, ,, ), ID, inc, dec, NOT, PM,

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
		MDM,		MDM, RO1, RO2, AND, OR} =
		RO1, RO2,		Ø, condition satisfied
		AND, OR}		
		{RO2,		
	{ID, const,	AND, OR, ;,		
	Method Call,	,, ), ID, inc,	Only one production,	
<re1></re1>	constructor call,	dec, NOT,	condition satisfied	Not nullable, condition satisfie
	-, NOT, ()	PM, MDM,	condition satisfied	
	, 1101, 0	RO1, RO2,		
		AND, OR}		
		{RO2,		Nullable: Yes, First( <re1'>) ∩</re1'>
		AND, OR, ;,		Follow( $\langle RE1' \rangle$ ) = { $\epsilon$ } $\cap$ {RO2, AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2,
		,, ), ID, inc,	First(RO1 <e> <re1'>) =</re1'></e>	
<re1'></re1'>	{RO1, ε}	dec, NOT,	$\{RO1\}$ , First( $\epsilon$ ) = $\{\epsilon\}$ $\Longrightarrow$ Disjoint, condition satisfied	
		PM, MDM,		AND, OR $\} = \emptyset$ , condition
		RO1, RO2,		satisfied
		AND, OR}		Satisfied
		{RO1, RO2,		
	{ID, const,	AND, OR, ;,		Not nullable, condition satisfie
	Method Call,	,, ), ID, inc,	Only one production,	
<e></e>	constructor call,	dec, NOT,	condition satisfied	
	-, NOT, ()	PM, MDM,		
	, , , , , , ,	RO1, RO2,		
		AND, OR}		
		{RO1, RO2,		Nullable: Yes, First( <e'>) ∩</e'>
		AND, OR, ;,		Follow( $\langle E' \rangle$ ) = { $\epsilon$ } $\cap$ {RO1,
		,, ), ID, inc,	First(PM <t> <e'>) =</e'></t>	RO2, AND, OR, ;, ,, ), ID, inc,
<e'></e'>	{ΡΜ, ε}	dec, NOT,	$\{PM\}, First(\epsilon) = \{\epsilon\} \Longrightarrow$	dec, NOT, PM, MDM, RO1,
		PM, MDM,	Disjoint, condition satisfied	RO2, AND, OR $ = \emptyset $ , condition
		RO1, RO2,		satisfied
		AND, OR}		
<t></t>	{ID, const,	{PM, RO1,	Only one production,	Not nullable, condition satisfie
	Method Call,	RO2, AND,	condition satisfied	
	constructor call,	OR, ;, ,, ),		
	-, NOT, (}	ID, inc,		

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
		dec, NOT, PM, MDM, RO1, RO2, AND, OR}		
<t'></t'>	{MDM, ε}	{PM, RO1, RO2, AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First(MDM <f> <t'>) = {MDM}, First(<math>\epsilon</math>) = {<math>\epsilon</math>} <math>\Rightarrow</math> Disjoint, condition satisfied</t'></f>	Nullable: Yes, First( $<$ T'>) $\cap$ Follow( $<$ T'>) = { $\epsilon$ } $\cap$ {PM, RO1, RO2, AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR} = $\emptyset$ , condition satisfied
<f></f>	{ID, const, Method Call, constructor call, -, NOT, (}	{MDM, PM, RO1, RO2, AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First( <primary>) = {ID, const, Method Call, constructor call}, First(- <f>) = {-}, First(NOT <f>) = {NOT}, First(( <oe> )) = {(} ⇒ Disjoint, condition satisfied</oe></f></f></primary>	Not nullable, condition satisfied
<pre><pre><pre><pre>primary&gt;</pre></pre></pre></pre>	{ID, const, Method Call, constructor call, assign st}	{MDM, PM, RO1, RO2, AND, OR, ;, ,, ), ID, inc, dec, NOT, PM, MDM, RO1, RO2, AND, OR}	First(ID) = {ID}, First(const) = {const}, First( <method call="">) = {ID}, First(<constructor call="">) = {new}, First(<assign st="">) = {ID} \ightarrow NOT DISJOINT (ID, method call, assign st), condition violated</assign></constructor></method>	Not nullable, condition satisfied
<try></try>	{try}	{ID, inc, dec, NOT, PM, this, super, return, if,	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
		while, for, DT, }, catch, else}		
<catch_list></catch_list>	{catch}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, }, catch, else}	Only one production, condition satisfied	Not nullable, condition satisfied
<catch_list_tail></catch_list_tail>	{catch, ε}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, }, catch, else}	First(catch ( ID ) { $<$ MST $>$ } $<$ catch_list_tail $>$ ) = {catch}, First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint, condition satisfied	Nullable: Yes,  First( $<$ catch_list_tail $>$ ) $\cap$ Follow( $<$ catch_list_tail $>$ ) = { $\epsilon$ } $\cap$ {ID, inc, dec, NOT, PM, this,  super, return, if, while, for, DT, },  catch, else} = $\emptyset$ , condition  satisfied
<throw></throw>	{throw}	{;}	Only one production, condition satisfied	Not nullable, condition satisfied
<throw_options></throw_options>	{ID, Const, new}	{:}	First(ID) = {ID}, First(Const) = {Const}, First(new ID ( <param_list> )) = {new}    ⇒ Disjoint, condition   satisfied</param_list>	Not nullable, condition satisfied
<while st=""></while>	{while}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, }, catch, else}	Only one production, condition satisfied	Not nullable, condition satisfied

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First  Sets Disjoint)	LL(1) Condition 2 (Nullable First ∩ Follow Empty)
<cond></cond>	{ID, Const, inc, dec, NOT, PM, const, Method Call, constructor call, -, (}	{}}	First( <const_or_id>) = {ID, Const}, First(<const_or_id> <rop> <const_or_id>) = {ID, Const}, First(<exp>) = {ID, inc, dec, NOT, PM, const, Method Call, constructor call, -, (} ⇒ NOT DISJOINT, condition violated</exp></const_or_id></rop></const_or_id></const_or_id>	Not nullable, condition satisfied
<rop></rop>	{RO1, RO2}	{ID, Const}	First(RO1) = {RO1}, First(RO2) = {RO2} $\Longrightarrow$ Disjoint, condition satisfied	Not nullable, condition satisfied
<loop_body></loop_body>	{;, ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, {}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, else, }, catch}	First(;) = {;}, First( <sst>) = {ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT}, First({<mst>}) = {{}}  ⇒ Disjoint, condition satisfied</mst></sst>	Not nullable, condition satisfie
<for_loop></for_loop>	{for}	{ID, inc, dec, NOT, PM, this, super, return, if, while, for, DT, else, }, catch}	Only one production, condition satisfied	Not nullable, condition satisfie
<f1></f1>	{DT, ID, =, ;}	{ID, Const, ε, ;}	First( <dt_dec>) = {DT}, First(<assign_st>) = {ID, =}, First(;) = {;} ⇒ Disjoint, condition satisfied</assign_st></dt_dec>	Not nullable, condition satisfie
<f2></f2>	{ID, Const, inc, dec, NOT, PM,	<b>{;</b> }	First( <cond>) = {ID, Const, inc, dec, NOT, PM, const,</cond>	Nullable: Yes, First( $<$ F2 $>$ ) $\cap$ Follow( $<$ F2 $>$ ) = { $\epsilon$ } $\cap$ {;} = $\emptyset$ ,

Non-Terminal	First Set	Follow Set	LL(1) Condition 1 (First  Sets Disjoint)  Method Call, constructor	LL(1) Condition 2 (Nullable  First ∩ Follow Empty)  condition satisfied
	const, Method Call,		call, -, (), First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$	Condition satisfied
	constructor call,		Disjoint, condition satisfied	
	-, (, ε}		Disjointy contained a substitute	
<f3></f3>	{inc, dec, ID, =, null}	{}}	First( <inc_dec>) = {inc, dec}, First(<assign_st>) = {ID, =}, First(null) = {null} ⇒ Disjoint, condition satisfied</assign_st></inc_dec>	Not nullable, condition satisfied
<if></if>	{if}	{ID, inc,		
		dec, NOT,		
		PM, this,		Not nullable, condition satisfied
		super,	Only one production,	
		return, if,	condition satisfied	
		while, for,		
		DT, else, },		
		catch}		
<else></else>	{else, null}	{ID, inc,	First(else <loop_body>) = {else}, First(null) = {null} ⇒ Not nullable, condition satisfied</loop_body>	
		dec, NOT,		
		PM, this,		
		super,		Not nullable, condition satisfied
		return, if,		
		while, for,		
		DT, else, },		
		catch}		
<array_dec></array_dec>	{DT, ID}	{ID, inc, dec, NOT,		
		PM, this,	Only one production, condition satisfied	Not nullable, condition satisfied
		super,		
		return, if,		
		while, for,		
		DT, else, },		
		catch}		
<arr_type></arr_type>	{DT, ID}	{ID}	First(DT) = {DT}, First(ID) =	Not nullable, condition satisfied
			{ID} ⇒ Disjoint, condition	

Non-Terminal	First Set	Follow	LL(1) Condition 1 (First	LL(1) Condition 2 (Nullable
		Set	Sets Disjoint)	First ∩ Follow Empty)
			satisfied	
<arr_const_or_id></arr_const_or_id>	{ε, ID, Const}	{}}	First( $\epsilon$ ) = { $\epsilon$ },	
			First( <const_or_id>) =</const_or_id>	
			{ID, Const}, First(ID ,) =	Nullable: Yes,
			{ID}, First(Const ,) =	First( <arr_const_or_id>) ∩</arr_const_or_id>
			{Const} ⇒ NOT DISJOINT	Follow( <arr_const_or_id>) = {ε}</arr_const_or_id>
			(ID and Const appear in	$\cap$ {}} = Ø, condition satisfied
			multiple productions),	
			condition violated	
<dt_dec></dt_dec>	{=, ε}	{;}	First( <var_init></var_init>	
			<var_init_tail> ;) = {=, ε}</var_init_tail>	Not nullable, condition satisfied
			$\Rightarrow$ Only one production,	
			condition satisfied	
<var_init></var_init>	{=, ε}	{,;}	First(= <const_or_id>) =</const_or_id>	Nullable: Yes, First( <var_init>)</var_init>
			$\{=\}$ , First( $\epsilon$ ) = $\{\epsilon\}$ $\Longrightarrow$	$\cap$ Follow( <var_init>) = {<math>\epsilon</math>} <math>\cap</math> {,,</var_init>
			Disjoint, condition satisfied	;} = Ø, condition satisfied
<var_init_tail></var_init_tail>	{, ε}	<b>{</b> }	First(, ID <var_init></var_init>	Nullable: Yes,
			<var_init_tail>) = {,},</var_init_tail>	First( <var_init_tail>) ∩</var_init_tail>
			First( $\epsilon$ ) = { $\epsilon$ } $\Longrightarrow$ Disjoint,	Follow( <var_init_tail>) = {ε} ∩</var_init_tail>
			condition satisfied	$\{;\} = \emptyset$ , condition satisfied
	•	•	•	•

## **Summary of LL(1) Violations**

- 1. **Parameter**' >: First( $\epsilon$ ) and First( $\epsilon$ ) both contain  $\epsilon$ , making them not disjoint.
- 2. **<Return St>**: Both productions start with "return", making First sets not disjoint.
- 3. **<pri>rimary expr>**: ID and <method call> both start with ID, making First sets not disjoint.
- 4. **<pri>primary>**: ID, <method call>, and <assign st> all start with ID, making First sets not disjoint.
- 5. **<cond>**: Multiple productions have overlapping First sets.
- 6. <arr\_const\_or\_id>: Multiple productions have overlapping First sets for ID and Const.

To transform this grammar into a proper LL(1) grammar, these conflicts need to be resolved through left-factoring or other grammar transformations.