

In linear Regression, me use 'Mean Squared Error' for the cost.

Error' for the cost.

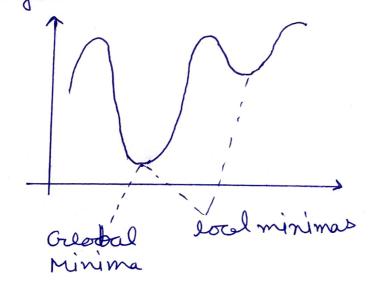
$$J = \sum_{i=1}^{n} (\hat{Y}_i - \hat{Y}_i)^2$$

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In logistic Regression, Yi is a non-linear function  $(\hat{Y} = \frac{1}{1+e^{-z}})$ 

It will give a non convex function:



Output of linear Regression lies between (0,1) While output of Logistic Regression lies between  $(-\infty,\infty)$ .

Also, It can be observed that line S is divider of classification and logistic Regression will give correct prediction.

New due to no limit of points on y=0 and y=1, Linear Regression is deviating from line S and will not give correct prediction between points P and Q.