

$$\vec{\nabla} \cdot \vec{B} = 0$$

$$\vec{\nabla} \times \vec{E} + \frac{1}{c} \frac{\partial \vec{B}}{\partial t} = 0$$

$$\vec{\nabla} \cdot \vec{E} = 4\pi\rho$$

Some assembly required

Computational simulations of dusty plasma

$$\vec{B} = \vec{\nabla} \times \vec{A}$$

$$\vec{E} = -\vec{\nabla}\phi - \frac{1}{c} \frac{\partial \vec{A}}{\partial t}$$

I.J. Rodríguez | J.Black, E.J.Sánchez

```
def E_from_V(rho, J, dx):
    """Uses the finite difference

    source = rho[0:J-1]*dx**2
    M = np.zeros((J-1,J-1))

    for i in range(0, J-1):
        for j in range(0, J-1):
            if i == j:
                M[i,j] = 2.
            if i == j-1:
                M[i,j] = -1.
            if i == j+1:
                M[i,j] = -1.

    M[0, J-1] = -1.
    M[J-2, 0] = -1.

    V = np.linalg.solve(M, source)

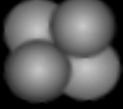
    E = np.zeros((J,1))

    for i in range(1,J-2):
        E[i] = (V[i+1] - V[i-1])
    E[J-2] = (V[0] - V[J-3]) / 2.
    E[0] = (V[1] - V[J-2]) / 2./c
    E[J-1] = E[0]
```

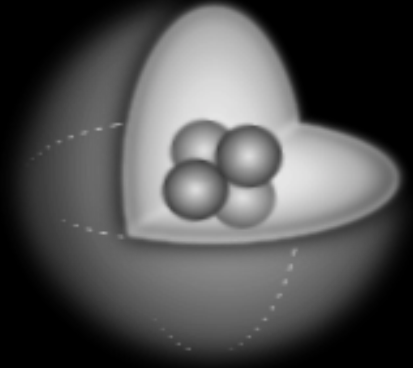






electrons
-



ions
+



neutral atoms
0



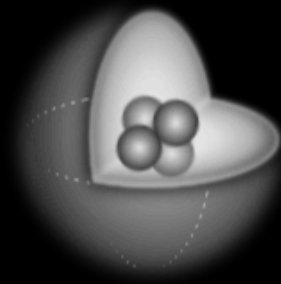
electrons

—



ions

+



neutrals

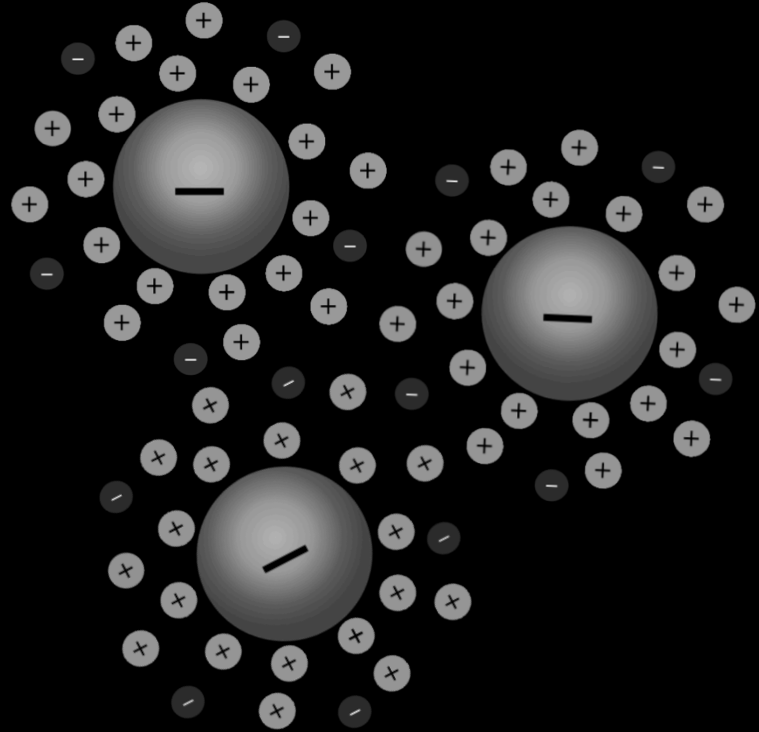
0

dust

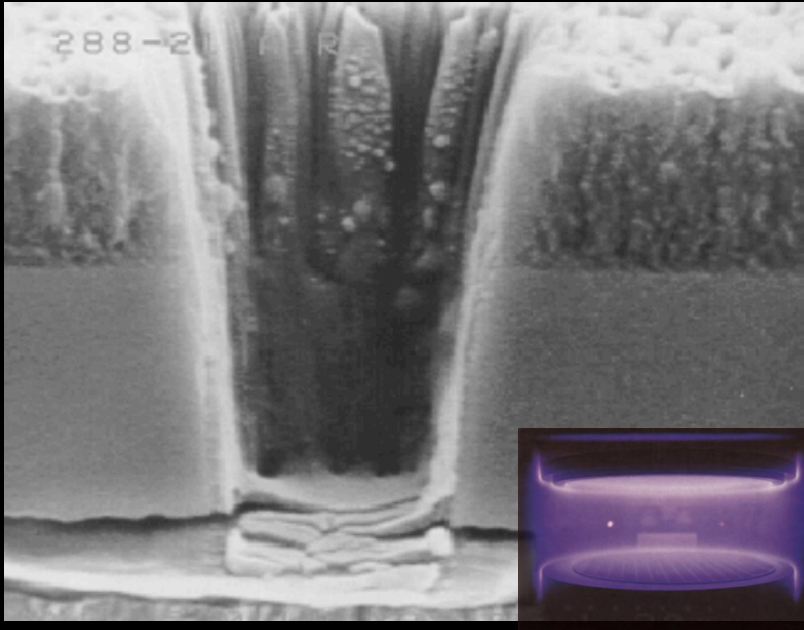
— / +

Dust tends to:

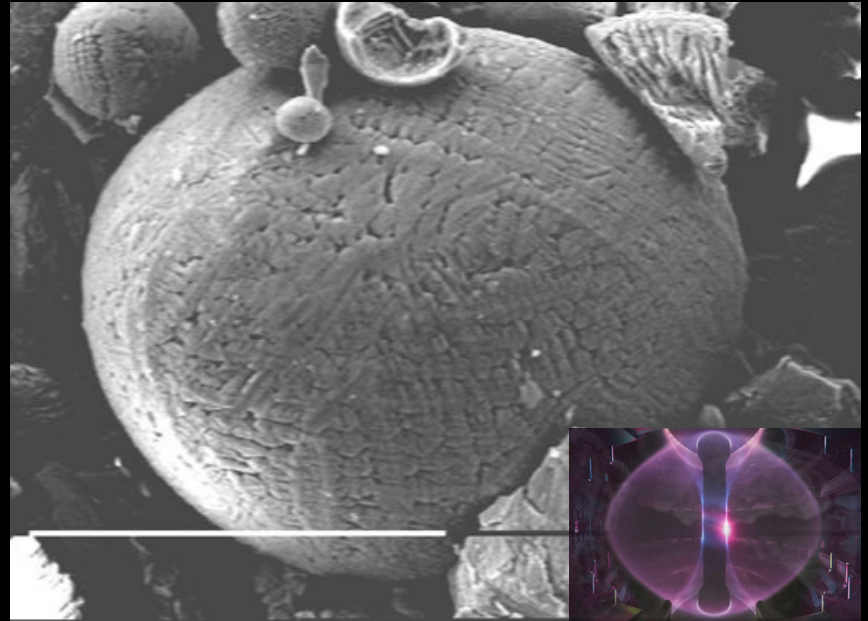
- acquire a net charge
- cluster and grow
- accumulate at boundaries



The presence of dust in plasmas can be problematic.



Layers of contamination on silicon wafers.



Ejected debris in tokamak fusion devices.

$$\vec{\nabla} \times \vec{B} - \frac{1}{c} \frac{\partial \vec{E}}{\partial t} = \frac{4\pi}{c} \vec{J}$$

$$\vec{B} = \vec{\nabla} \times \vec{A}$$

$$\vec{E} = -\vec{\nabla} \phi - \frac{1}{c} \frac{\partial \vec{A}}{\partial t}$$

$$\vec{\nabla} \cdot \vec{B} = 0$$

$$\vec{\nabla} \times \vec{E} + \frac{1}{c} \frac{\partial \vec{B}}{\partial t} = 0$$

$$\vec{\nabla} \cdot \vec{E} = 4\pi\rho$$

```
E_from_V(rho, J, dx):
    """Uses the finite difference
```

```
source = rho[0:J-1]*dx**2
M = np.zeros((J-1,J-1))
```

```
for i in range(0, J-1):
    for j in range(0, J-1):
```

```
        if i == j:
```

```
            M[i,j] = 2.
```

```
        if i == j-1:
```

```
            M[i,j] = -1.
```

```
        if i == j+1:
```

```
            M[i,j] = -1.
```

```
M[0, J-2] = -1.
```

```
M[J-2, 0] = -1.
```

```
v = np.linalg.solve(M, source)
```

```
E = np.zeros((J,1))
```

```
for i in range (1,J-2):
```

```
    E[i] = (V[i+1] - V[i-1])
```

```
E[J-2] = (V[0] - V[J-3]) / 2
```

```
E[0] = (V[1] - V[J-2]) / 2.
```

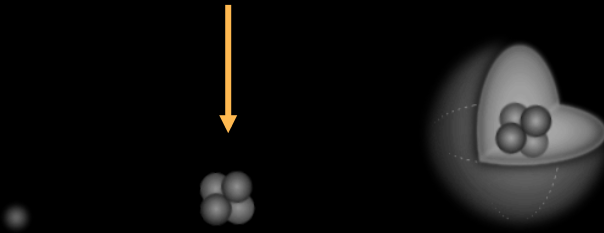
```
E[J-1] = E[0]
```

Computation

Experiment

Goal

Use a budget-friendly computational platform to simulate the dynamics of plasma particles around a dust grain.

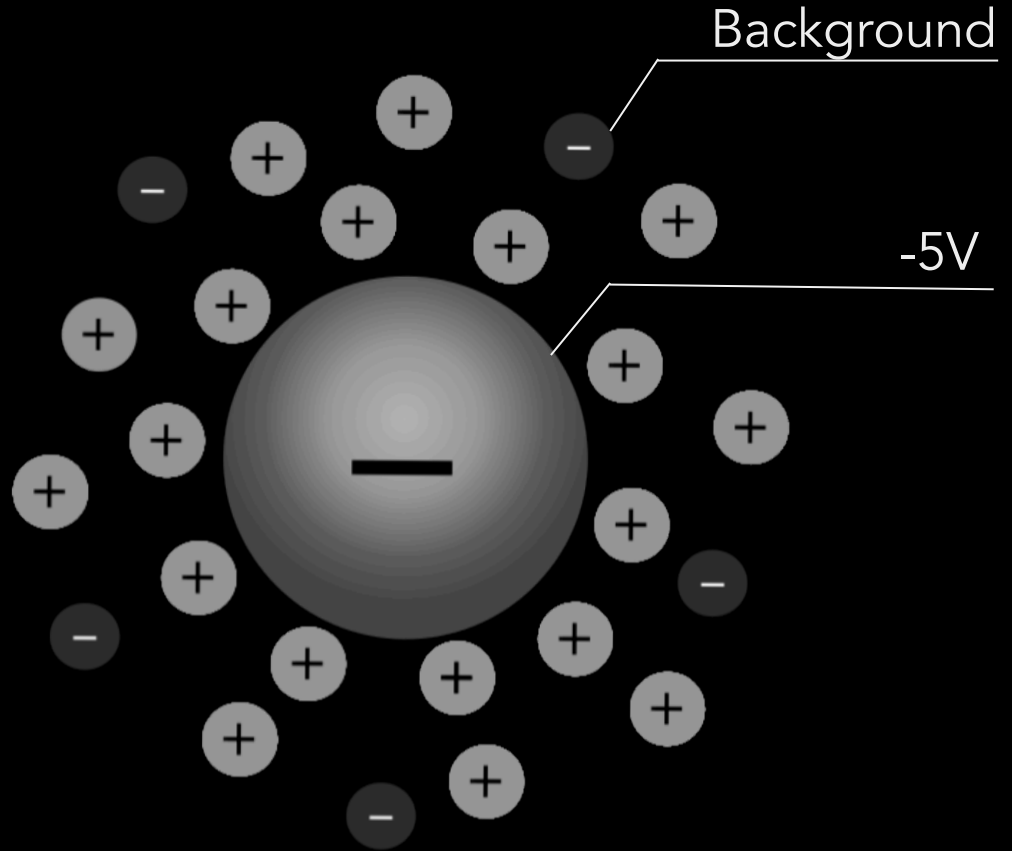


The ion drag force is responsible for the collective effects that lead to arrangements of dust particles.

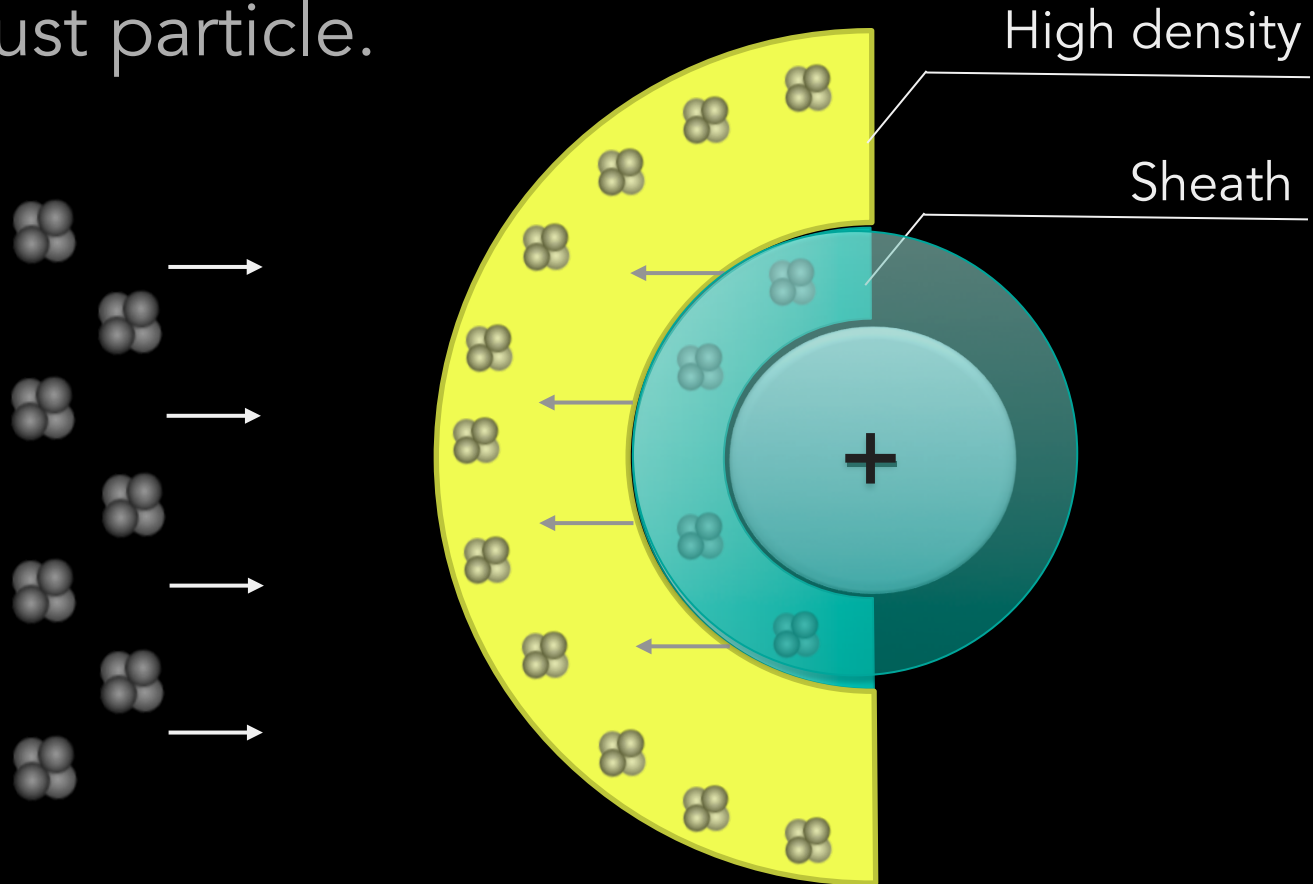


The model:

An electrostatic,
low temperature,
low density
Argon plasma



Ion density around a negatively charged dust particle.





...the point?

To develop and share open-source code that can be used to explore:

- Fundamental science

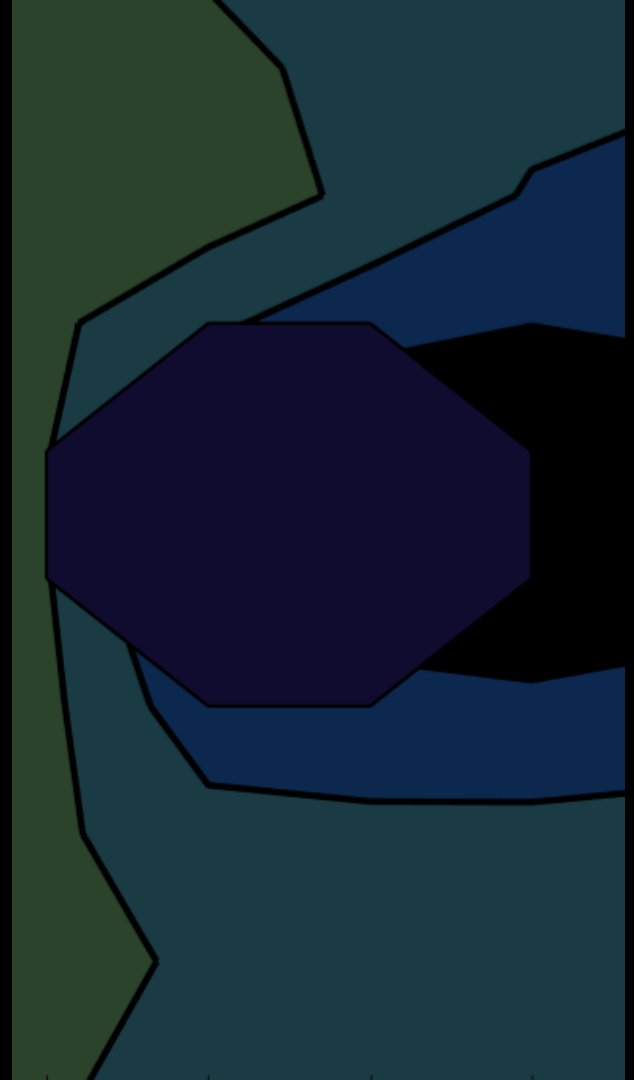
- Ion engines

- Space dust

- Plasma processing technology

- Coulomb crystals

- Solar wind effects...



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Wrapping up

- Contaminated plasma is everywhere!
- To understand their dynamic behavior, computational techniques help fill in the gaps.

```
def E_from_V(rho, J, dx):
    """Uses the finite difference

    source = rho[0:J-1]*dx**2
    M = np.zeros((J-1,J-1))

    for i in range(0, J-1):
        for j in range(0, J-1):
            if i == j:
                M[i,j] = 2.
            if i == j-1:
                M[i,j] = -1.
            if i == j+1:
                M[i,j] = -1.
            M[i,j-2] = -1.
            M[i,j+2] = -1.

    V = np.linalg.solve(M, source)

    E = np.zeros((J,1))

    for i in range(1,J-2):
        E[i] = (V[i+1] - V[i-1])
    E[J-2] = (V[0] - V[J-3]) / 2.
    E[0] = (V[1] - V[J-2]) / 2./c
    E[J-1] = E[0]
```

$$\vec{E} = -\vec{\nabla}\phi - \frac{1}{c} \frac{\partial \vec{A}}{\partial t}$$

Sánchez Research Group
Portland State LSAMP
Oregon Space Grant
University Honors College
All of you!

Thank you