

```

A = 0.028 * 1.01;
B = 0.028;
l =  $\sqrt{A^2 - B^2}$ ; u = ArcCosh[ $\frac{A}{l}$ ]; (* $\tau=8.0055 \times 10^{-15}$ ;
 $\sigma=\frac{4.2281 \times 10^7}{1-i*k*c*\tau}$ ); *);  $\sigma = 5.8 \times 10^7$ ;
z0 = 377;
c =  $2.99792458 \times 10^8$ ;  $\epsilon_0 = 8.8 \times 10^{-12}$ ;  $\epsilon = \epsilon_0$ ;
k =  $\frac{\omega}{c}$ ;
W =  $i * k * l^2$ ;
u1 = v1 = 0;
 $\lambda = \sqrt{i * k * z0 * \sigma}$ ;
Ru0 =  $i * l * \lambda * \text{Cosh}[u]$ ;

d0 =  $-\frac{W}{4} * \text{Sinh}[2 u] - \left( \frac{i * k}{\lambda^2} + \frac{i}{k} \right) * Ru0$ ;
z[0] =  $\frac{W}{8} * \text{Sinh}[2 u]$ ;
t0 =  $-\frac{1}{2 \pi * \epsilon * c}$ ;
s[0] =  $\frac{W}{4} * \text{Cosh}[2 u]$ ;
s[n_] :=  $+\frac{W}{8 (2 n + 1)} * \left( \frac{\text{Sinh}[2 n u]}{\text{Sinh}[(2 n + 2) u]} + \frac{\text{Cosh}[2 n u]}{\text{Cosh}[(2 n + 2) u]} \right)$ ;
d[n_] :=  $-W * \left( \frac{\text{Sinh}[(2 n + 2) * u]}{(16 n + 8) * \text{Sinh}[2 n u]} + \frac{\text{Cosh}[(2 n + 2) * u]}{(16 n + 8) * \text{Cosh}[2 n u]} + \right.$ 
 $\left. \frac{\text{Sinh}[(2 n - 2) u]}{(16 n - 8) * \text{Sinh}[2 n u]} + \frac{\text{Cosh}[(2 n - 2) u]}{(16 n - 8) * \text{Cosh}[2 n u]} \right) + \frac{4 n * i}{k} -$ 
 $\frac{i}{k} * Ru0 * \text{Coth}[2 n * u] - \frac{i * k}{\lambda^2} * (Ru0 * (\text{Tanh}[2 n u] + \text{Coth}[2 n * u]) - 4 n)$ ;
z[n_] :=  $+\frac{W}{8 (2 n + 1)} * \left( \frac{\text{Sinh}[(2 n + 2) u]}{\text{Sinh}[2 n u]} + \frac{\text{Cosh}[(2 n + 2) u]}{\text{Cosh}[2 n u]} \right)$ ;
t[n_] :=  $\frac{1}{\pi * \epsilon * c} * \text{Cosh}[2 * n u1] * \text{Cos}[2 * n v1] * (\text{Tanh}[2 * n u] - \text{Coth}[2 * n u])$ ;

CC[0] = d0;
CC[i_] :=  $d[i] - \frac{s[i - 1] * z[i - 1]}{CC[i - 1]}$ ; (* $i \geq 1$ *)

DD[1] =  $\frac{s[0]}{CC[0]}$ ;
DD[i_] :=  $\frac{s[i - 1]}{CC[i - 1]}$ ; (* $i \geq 1$ *)

T[0] = t0;
T[i_] :=  $t[i] - T[i - 1] * DD[i]$ ; (* $i \geq 1$ *)

X[20] =  $\frac{T[6]}{CC[6]}$ ;
X[i_] :=  $\frac{T[i] - z[i] * X[i + 1]}{CC[i]}$ ; (* $i \geq 1$ *)

```

```
AEI =  $\sum_{i=0}^6 (-1)^i X[i]$ ; // Timing
```

```
{1.13319, Null}
```

```
LogLinearPlot[Abs[AEI], { $\omega$ , 100, 1014},  
  PlotLegends → Placed[{"Infinite"}, {0.2, 0.6}], PlotRange → All, Frame → True,  
  FrameLabel → {" $\omega$ (HZ)", "Re ZL"}, GridLines → Automatic] // Timing
```

