

# In-Class Lab 12

ECON 4223 (Prof. Tyler Ransom, U of Oklahoma)

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The purpose of this in-class lab is to use R to practice with instrumental variables estimation. The lab should be completed in your group. To get credit, upload your .R script to the appropriate place on Canvas.

## For starters

You may need to install the packages `AER`, `flextable` and `modelsummary`. (AER may have already been installed when you previously installed `car` and `zoo`.)

Open up a new R script (named `ICL12_XYZ.R`, where `XYZ` are your initials) and add the usual “preamble” to the top:

```
# Add names of group members HERE
library(tidyverse)
library(wooldridge)
library(broom)
library(AER)
library(magrittr)
library(modelsummary)
library(vtable)
```

## Load the data

We’re going to use data on fertility of Botswanian women.

```
df <- as_tibble(fertil2)
```

## Summary statistics

Let’s look at summary statistics of our data by using the `vtable` package. We can export this to a word document format if we’d like:

```
df %>% sumtable(out="return")
```

##	Variable	N	Mean	Std. Dev.	Min	Pctl. 25	Pctl. 75	Max
## 1	mnthborn	4361	6.331	3.323	1	3	9	12
## 2	yearborn	4361	60.434	8.683	38	55	68	73
## 3	age	4361	27.405	8.685	15	20	33	49
## 4	electric	4358	0.14	0.347	0	0	0	1
## 5	radio	4359	0.702	0.458	0	0	1	1
## 6	tv	4359	0.093	0.29	0	0	0	1
## 7	bicycle	4358	0.276	0.447	0	0	1	1
## 8	educ	4361	5.856	3.927	0	3	8	20

## 9	ceb	4361	2.442	2.407	0	1	4	13
## 10	agefbrth	3273	19.011	3.092	10	17	20	38
## 11	children	4361	2.268	2.222	0	0	4	13
## 12	knowmeth	4354	0.963	0.188	0	1	1	1
## 13	usemeth	4290	0.578	0.494	0	0	1	1
## 14	monthfm	2079	6.27	3.62	1	3	9	12
## 15	yearfm	2079	76.912	7.76	50	72	83	88
## 16	agefm	2079	20.686	5.002	10	17	23	46
## 17	idlnchld	4241	4.616	2.219	0	3	6	20
## 18	heduc	1956	5.145	4.803	0	0	8	20
## 19	agesq	4361	826.46	526.923	225	400	1089	2401
## 20	urban	4361	0.517	0.5	0	0	1	1
## 21	urb_educ	4361	3.469	4.294	0	0	7	20
## 22	spirit	4361	0.422	0.494	0	0	1	1
## 23	protest	4361	0.228	0.419	0	0	0	1
## 24	catholic	4361	0.102	0.303	0	0	0	1
## 25	frsthalf	4361	0.54	0.498	0	0	1	1
## 26	educ0	4361	0.208	0.406	0	0	0	1
## 27	evermarr	4361	0.477	0.5	0	0	1	1

1. What do you think is going on when you see varying numbers of observations across the different variables?

## Determinants of fertility

Suppose we want to see if education causes lower fertility (as can be seen when comparing more- and less-educated countries):

$$children = \beta_0 + \beta_1 educ + \beta_2 age + \beta_3 age^2 + u$$

where *children* is the number of children born to the woman, *educ* is years of education, and *age* is age (in years).

2. Interpret the estimates of the regression:

```
est.ols <- lm(children ~ educ + age + I(age^2), data=df)
```

(Note: include `I(age^2)` puts the quadratic term in automatically without us having to use `mutate()` to create a new variable called `age.sq.`)

We can also use `stargazer` to examine the output. It puts the standard errors of each variable in parentheses under the estimated coefficient.

```
modelsummary(est.ols)
```

	Model 1
(Intercept)	-4.138 (0.241)
age	0.332 (0.017)
educ	-0.091 (0.006)
I(age <sup>2</sup> )	-0.003 (0.000)
Num.Obs.	4361
R2	0.569
R2 Adj.	0.568
AIC	15681.2
BIC	15713.1
Log.Lik.	-7835.592

### Instrumenting for endogenous education

We know that education is endogenous (i.e. people choose the level of education that maximizes their utility). A possible instrument for education is *firsthalf*, which is a dummy equal to 1 if the woman was born in the first half of the calendar year, and 0 otherwise.

Let's create this variable:

```
df %<>% mutate(firsthalf = mnthborn<7)
```

We will assume that *firsthalf* is uncorrelated with *u*.

3. Check that *firsthalf* is correlated with *educ* by running a regression. (I will suppress the code, since it should be old hat) Call the output `est.iv1`.

### IV estimation

Now let's do the IV regression:

```
est.iv <- ivreg(children ~ educ + age + I(age^2) | firsthalf + age + I(age^2), data=df)
```

The variables on the right hand side of the `|` are the instruments (including the *x*'s that we assume to be exogenous, like *age*). The endogenous *x* is the first one after the `~`.

Now we can compare the output for each of the models:

```
modelsummary(list(est.ols,est.iv1,est.iv))
```

	Model 1	Model 2	Model 3
(Intercept)	-4.138 (0.241)	6.363 (0.087)	-3.388 (0.548)
age	0.332 (0.017)		0.324 (0.018)
educ	-0.091 (0.006)		-0.171 (0.053)
I(age <sup>2</sup> )	-0.003 (0.000)		-0.003 (0.000)
firsthalfTRUE		-0.938 (0.118)	
Num.Obs.	4361	4361	4361
R2	0.569	0.014	0.550
R2 Adj.	0.568	0.014	0.550
AIC	15681.2	24249.6	
BIC	15713.1	24268.7	
Log.Lik.	-7835.592	-12121.779	

We can also save the output of `modelsummary()` to an image, a text file or something else:

```
modelsummary(list(est.ols,est.iv1,est.iv), output="results.jpg")
```

4. Comment on the IV estimates. Do they make sense? Discuss why the IV standard error is so much larger than the OLS standard error.