p8130_hw4_xx2485

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Loading needed packages

```
library(readxl)
library(BSDA)

## Warning: package 'BSDA' was built under R version 4.4.2

library(janitor)
library(tidyverse)
library(knitr)
library(ggplot2)
```

Problem 1

Perform sign test.

```
##
   One-sample Sign-Test
##
## data: data
## s = 10, p-value = 0.2706
## alternative hypothesis: true median is less than 120
## 95 percent confidence interval:
##
        -Inf 122.1203
## sample estimates:
## median of x
##
           118
##
## Achieved and Interpolated Confidence Intervals:
##
##
                     Conf.Level L.E.pt
                                        U.E.pt
                         0.9461
                                  -Inf 122.0000
## Lower Achieved CI
## Interpolated CI
                         0.9500
                                  -Inf 122.1203
## Upper Achieved CI
                         0.9784
                                  -Inf 123.0000
```

We conducted an exact binomial test to evaluate whether the median blood sugar level in the population is less than 120. The hypotheses were as follows:

```
H_0: The true median is \geq 120 (probability of success = 0.5). H_a: The true median is < 120 (probability of success > 0.5).
```

The test results are: - Number of successes (blood sugar readings below 120): 14 - Number of trials: 24 - p-value: 0.2706

Since the p-value (0.2706) is greater than the significance level ($\alpha = 0.05$), we fail to reject the null hypothesis.

Conclusion: There is no statistically significant evidence to suggest that the median blood sugar level in the population is less than 120.

The test statistic is 10 as we use the smaller number of + and - signs, given n (number of trials) ≤ 25 .

Perform Wilcoxon signed-rank test.

```
# Perform the Wilcoxon signed-rank test to check if the median blood sugar level is less than 120
# HO: median = 120
# HA: median < 120
# Set alternative = "less" for a one-sided test
wilcoxon_test_result = wilcox.test(data, mu = 120, alternative = "less")
## Warning in wilcox.test.default(data, mu = 120, alternative = "less"): cannot
## compute exact p-value with ties
## Warning in wilcox.test.default(data, mu = 120, alternative = "less"): cannot
## compute exact p-value with zeroes
wilcoxon test result
##
##
  Wilcoxon signed rank test with continuity correction
##
## data: data
## V = 112.5, p-value = 0.1447
## alternative hypothesis: true location is less than 120
```

Since the p-value (0.1447) is greater than the significance level ($\alpha = 0.05$), we fail to reject the null hypothesis.

There is no statistically significant evidence to suggest that the median blood sugar level in the population is less than 120.

Problem 2

(a)

```
# Load the data
brain <- read_excel("Brain.xlsx") %>%
  clean_names()
```

```
# Filter out the human species (Homo sapiens)
nonhuman_data <- subset(brain, species != "Homo sapiens")

# Fit a regression model using ln_brain_mass as the predictor for glia_neuron_ratio
model <- lm(glia_neuron_ratio ~ ln_brain_mass, data = nonhuman_data)

# Summary of the regression model
summary(model)</pre>
```

```
##
## Call:
## lm(formula = glia_neuron_ratio ~ ln_brain_mass, data = nonhuman_data)
## Residuals:
                      Median
       Min
                 1Q
                                    3Q
                                            Max
## -0.24150 -0.12030 -0.01787 0.15940
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                 0.16370
                            0.15987
                                       1.024 0.322093
## ln_brain_mass 0.18113
                            0.03604
                                      5.026 0.000151 ***
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 0.1699 on 15 degrees of freedom
## Multiple R-squared: 0.6274, Adjusted R-squared: 0.6025
## F-statistic: 25.26 on 1 and 15 DF, p-value: 0.0001507
```

The regression model shows that $\ln(\text{Brain Mass})$ is a significant predictor of the glia-neuron ratio in non-human species (p < 0.001). The positive slope (0.1811) indicates that species with larger brain masses (in terms of the natural logarithm) tend to have higher glia-neuron ratios. The model explains a substantial portion of the variability in the data ($R^2 = 0.6025$), making it a good fit for the observed relationship.

(b)

```
# Given human brain mass
human_brain_mass <- 1373.3

# Calculate the natural logarithm of human brain mass
ln_human_brain_mass <- log(human_brain_mass)

# Use the regression coefficients from the model to predict glia-neuron ratio
intercept <- 0.1637  # From the regression model
slope <- 0.1811  # From the regression model

# Predicted glia-neuron ratio
predicted_glia_neuron_ratio <- intercept + slope * ln_human_brain_mass

# Output the result
predicted_glia_neuron_ratio</pre>
```

[1] 1.472142

The predicted glia-neuron ratio for humans, given their brain mass is 1.4721424.

(c)

An interval for the **predicted mean glianeuron ratio at the given brain mass** would be more relevant. We want to compare the human brain's glia-neuron ratio with the predicted mean of other primates, not with a single new observation.

(d)

```
# Construct a new data frame for prediction
new_data <- data.frame(ln_brain_mass = ln_human_brain_mass)

# Get prediction with confidence interval
ci <- predict(model, newdata = new_data, interval = "confidence", level = 0.95)</pre>
ci
```

```
## fit lwr upr
## 1 1.472359 1.230103 1.714614
```

The 95% Confidence Interval (CI) for the mean glia-neuron ratio at a brain mass of 1373.3 g is:

```
[1.230, 1.715]
```

This interval represents the plausible range for the **mean glia-neuron ratio** of primates at this brain mass. Since the observed human glia-neuron ratio (1.65) falls within this interval, human brain does NOT have an excessive glia-neuron ratio for its mass compared with other primates.

(e)

- The human data point represents the largest brain mass and glia-neuron ratio in the dataset, at the edge of the range of nonhuman primate data.
 - This makes the prediction for humans effectively an extrapolation, as the regression model is based primarily on nonhuman primate data. Predictions for humans may be less reliable due to limited data in this range.
- The human data point is almost an outlier from the graph, both in terms of ln(Brain Mass) and glia-neuron ratio.
 - Regression models are sensitive to outliers, which can disproportionately influence the slope and intercept of the regression line, potentially leading to biased results.

Problem 3

(a)

The main outcome is the number of emergency room (ER) visits, and the main predictor is the total cost in dollars. Other important covariates include age, gender, number of complications, and duration of treatment condition.

```
# Load the dataset
heart_data <- read.csv("HeartDisease.csv")</pre>
```

Descriptive statistics for continuous variables:

```
# Select continuous variables
continuous_vars <- heart_data %>%
  select(totalcost, age, drugs, ERvisits, complications, comorbidities, duration)
# Function to calculate descriptive statistics for one variable
calculate_stats <- function(variable, var_name) {</pre>
    Statistic = c("Mean", "SD", "Min", "Max", "Median", "Q1", "Q3"),
    Value = c(
      mean(variable, na.rm = TRUE),
      sd(variable, na.rm = TRUE),
      min(variable, na.rm = TRUE),
      max(variable, na.rm = TRUE),
      median(variable, na.rm = TRUE),
      quantile(variable, 0.25, na.rm = TRUE),
      quantile(variable, 0.75, na.rm = TRUE)
    )
  ) %>%
    kable(caption = paste("Descriptive Statistics for", var_name), digits = 2)
}
# Generate tables for each continuous variable
for (var in colnames(continuous_vars)) {
  cat("\n### ", var, "\n")
  print(calculate_stats(continuous_vars[[var]], var))
```

```
##
## ### totalcost
##
## Table: Descriptive Statistics for totalcost
##
## |Statistic |
                 Value
## |:----:|
## |Mean
           | 2799.96|
## |SD
            | 6690.26|
## |Min
                  0.00|
            1
## |Max
            | 52664.90|
## |Median
          507.20
```

```
## |Q1
             | 161.12|
## |Q3
             | 1905.45|
##
## ### age
##
##
## Table: Descriptive Statistics for age
## |Statistic | Value|
## |:----:|
## |Mean
            | 58.72|
## |SD
            | 6.75|
## |Min
            | 24.00|
            | 70.00|
## |Max
## |Median
           | 60.00|
             | 55.00|
## |Q1
## |Q3
            | 64.00|
##
## ### drugs
##
##
## Table: Descriptive Statistics for drugs
##
## |Statistic | Value|
## |:----:|
## |Mean
            0.45
## |SD
            1.06
## |Min
             0.00
## |Max
             9.00
## |Median
            0.001
## |Q1
             0.001
             0.00
## |Q3
##
## ### ERvisits
##
##
## Table: Descriptive Statistics for ERvisits
##
## |Statistic | Value|
## |:----:|
## |Mean
            | 3.43|
            2.64
## |SD
## |Min
            0.00
## |Max
            | 20.00|
## |Median
             3.00
             1 2.001
## |Q1
## |Q3
            | 5.00|
##
## ### complications
##
## Table: Descriptive Statistics for complications
## |Statistic | Value|
```

```
## |:----:|
## | Mean
            1 0.061
## |SD
            0.25
## |Min
            0.00
## |Max
            3.00
## |Median
            0.00
## |Q1
            1 0.001
## |Q3
            0.00
##
       comorbidities
## ###
##
##
## Table: Descriptive Statistics for comorbidities
##
## |Statistic | Value|
## |:----:|
## |Mean
            3.77
            | 5.95|
## |SD
## |Min
            1 0.001
## |Max
            | 60.00|
## |Median
            1.00
## |Q1
            0.00
## |Q3
            | 5.00|
##
## ### duration
##
##
## Table: Descriptive Statistics for duration
## |Statistic | Value|
## |:----:|
## |Mean
            | 164.03|
## |SD
            | 120.92|
## |Min
            0.001
            | 372.00|
## |Max
## |Median
            | 165.50|
## |Q1
            | 41.75|
## |Q3
            | 281.00|
```

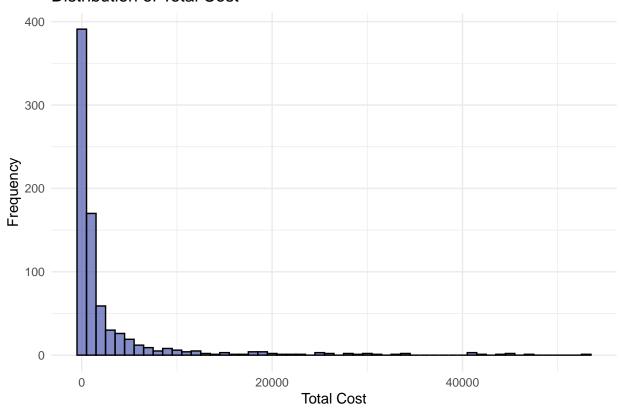
Descriptive statistics for categorical variables:

```
# Convert gender and interventions to factors
heart_data <- heart_data %>%
  mutate(
    gender = factor(gender, labels = c("Male", "Female")),
    interventions = as.factor(interventions)
)

# Frequency tables for categorical variables
gender_table <- heart_data %>%
  group_by(gender) %>%
  summarise(Count = n()) %>%
  mutate(Percentage = Count / sum(Count) * 100)
```

```
interventions_table <- heart_data %>%
  group_by(interventions) %>%
  summarise(Count = n()) %>%
 mutate(Percentage = Count / sum(Count) * 100)
# Display frequency tables
print(gender_table)
## # A tibble: 2 x 3
    gender Count Percentage
    <fct> <int>
                      <dbl>
                      77.2
## 1 Male
             608
## 2 Female 180
                      22.8
print(interventions_table)
## # A tibble: 32 x 3
     interventions Count Percentage
##
     <fct> <int>
                             <dbl>
## 1 0
                    128
                             16.2
## 2 1
                    125
                            15.9
## 3 2
                     110
                             14.0
## 4 3
                            9.39
                    74
## 54
                     60
                             7.61
## 6 5
                     52
                             6.60
## 76
                     52
                              6.60
                              4.06
## 8 7
                     32
## 98
                            3.17
                     25
## 10 9
                     19
                              2.41
## # i 22 more rows
(b)
ggplot(heart_data, aes(x = totalcost)) +
```

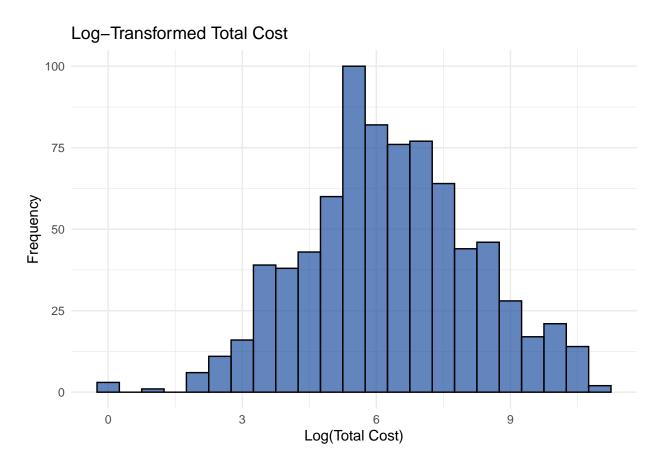
Distribution of Total Cost



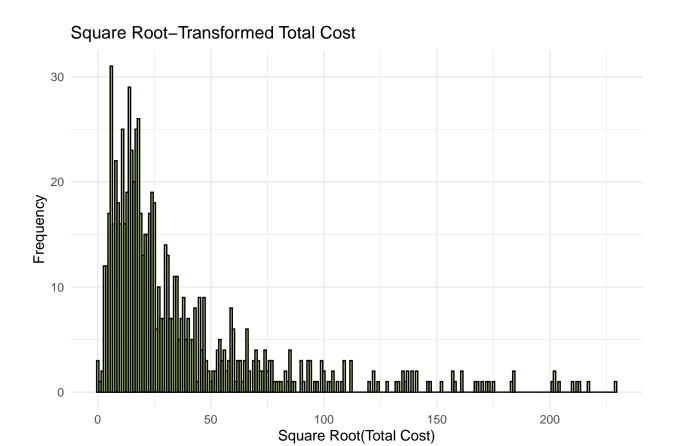
Apply transformations:

```
# Apply log transformation (adding 1 to avoid log(0))
heart_data$totalcost_log <- log(heart_data$totalcost + 1)</pre>
# Apply square root transformation
heart_data$totalcost_sqrt <- sqrt(heart_data$totalcost)</pre>
# Apply inverse transformation (1/totalcost)
heart_data$totalcost_inv <- 1 / (heart_data$totalcost + 1)</pre>
# Plot transformed distributions
log_plot <- ggplot(heart_data, aes(x = totalcost_log)) +</pre>
  geom_histogram(binwidth = 0.5, fill = "#1e50a2", color = "black", alpha = 0.7) +
 labs(title = "Log-Transformed Total Cost", x = "Log(Total Cost)", y = "Frequency") +
 theme_minimal()
sqrt_plot <- ggplot(heart_data, aes(x = totalcost_sqrt)) +</pre>
  geom_histogram(binwidth = 1, fill = "#aacf53", color = "black", alpha = 0.7) +
  labs(title = "Square Root-Transformed Total Cost", x = "Square Root(Total Cost)", y = "Frequency") +
 theme_minimal()
inv_plot <- ggplot(heart_data, aes(x = totalcost_inv)) +</pre>
  geom_histogram(binwidth = 0.001, fill = "#a22041", color = "black", alpha = 0.7) +
  labs(title = "Inverse-Transformed Total Cost", x = "Inverse(Total Cost)", y = "Frequency") +
  theme_minimal()
```

Display all plots log_plot

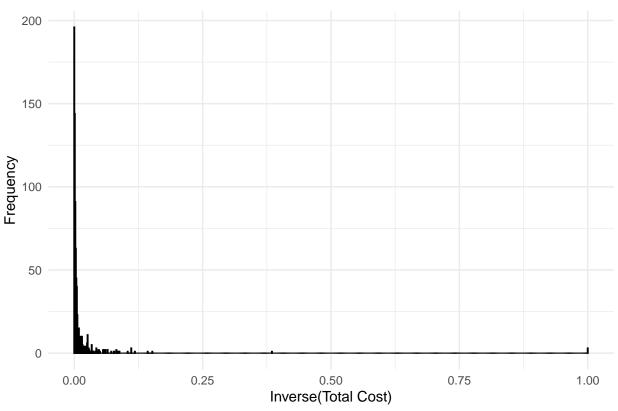


sqrt_plot



inv_plot

Inverse-Transformed Total Cost



The shape of the distribution for variable totalcost is extremely right-skewed, but after log transformation, it follows roughly a normal distribution shape.

(c)

```
heart_data <- heart_data %>%
  mutate(comp_bin = ifelse(complications == 0, 0, 1))
summary(heart_data)
```

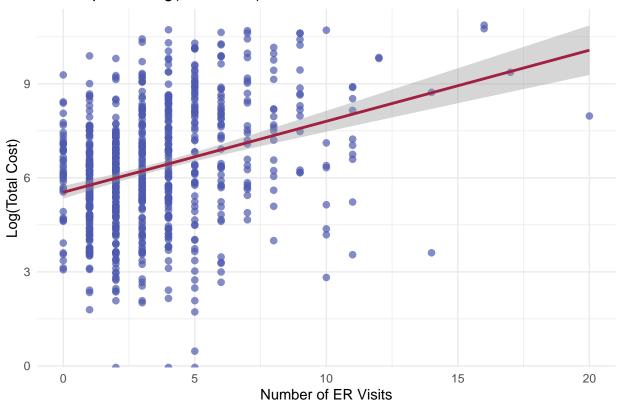
```
##
          id
                       totalcost
                                                                        interventions
                                              age
                                                             gender
                                  0.0
                                                          Male :608
                                                                        0
##
              1.0
                                        Min.
                                                :24.00
                                                                               :128
    1st Qu.:197.8
                               161.1
                                        1st Qu.:55.00
                                                          Female:180
                                                                               :125
##
                     1st Qu.:
                                                                        1
                                                                        2
    Median :394.5
                     Median :
                                507.2
                                        Median :60.00
                                                                               :110
##
            :394.5
                             : 2800.0
                                        Mean
                                                                        3
                                                                               : 74
##
    Mean
                     Mean
                                                :58.72
                                                                        4
##
    3rd Qu.:591.2
                     3rd Qu.: 1905.5
                                         3rd Qu.:64.00
                                                                               : 60
##
    Max.
            :788.0
                     Max.
                             :52664.9
                                        Max.
                                                :70.00
                                                                        5
                                                                               : 52
##
                                                                        (Other):239
                                         complications
##
        drugs
                         ERvisits
                                                            comorbidities
##
            :0.0000
                              : 0.000
                                                :0.00000
                                                                   : 0.000
    1st Qu.:0.0000
                      1st Qu.: 2.000
                                        1st Qu.:0.00000
                                                            1st Qu.: 0.000
##
##
    Median :0.0000
                      Median : 3.000
                                        Median :0.00000
                                                            Median : 1.000
                                                :0.05711
##
    Mean
           :0.4467
                             : 3.425
                                        Mean
                                                            Mean
                                                                  : 3.767
                      Mean
    3rd Qu.:0.0000
                      3rd Qu.: 5.000
                                        3rd Qu.:0.00000
                                                            3rd Qu.: 5.000
```

```
##
   Max.
          :9.0000
                   Max.
                          :20.000
                                    Max.
                                           :3.00000
                                                    Max.
                                                          :60.000
##
      duration
                                                    totalcost inv
##
                    totalcost log
                                    totalcost_sqrt
  Min. : 0.00
                   Min. : 0.000
                                    Min. : 0.00
                                                           :0.0000190
##
                                                    Min.
##
   1st Qu.: 41.75
                    1st Qu.: 5.088
                                    1st Qu.: 12.69
                                                    1st Qu.:0.0005247
##
  Median :165.50
                   Median : 6.231
                                    Median : 22.52
                                                    Median :0.0019677
  Mean :164.03
                    Mean : 6.298
                                    Mean : 36.19
                                                    Mean :0.0118873
                                    3rd Qu.: 43.65
                    3rd Qu.: 7.553
   3rd Qu.:281.00
                                                    3rd Qu.:0.0061681
##
##
   Max.
         :372.00
                   Max. :10.872 Max. :229.49
                                                    Max.
                                                          :1.0000000
##
      comp_bin
##
## Min.
         :0.00000
  1st Qu.:0.00000
##
## Median :0.00000
## Mean
         :0.05457
## 3rd Qu.:0.00000
## Max. :1.00000
##
(d)
# Create scatterplot with regression line
ggplot(heart_data, aes(x = ERvisits, y = log(totalcost))) +
 geom_point(color = "#4d5aaf", size = 2, alpha = 0.7) +
 geom_smooth(method = "lm", color = "#a22041", se = TRUE) +
 labs(title = "Scatterplot of Log(Total Cost) vs ER Visits",
      x = "Number of ER Visits",
      y = "Log(Total Cost)") +
 theme_minimal()
## 'geom_smooth()' using formula = 'y ~ x'
```

Warning: Removed 3 rows containing non-finite outside the scale range

('stat_smooth()').





```
# Fit a simple linear regression model
log_model <- lm(log(totalcost + 1) ~ ERvisits, data = heart_data)

# Summary of regression results
model_summary <- summary(log_model)</pre>
```

The p-value for the slope coefficient of ERvisits is 1.842×10^{-19} , which is less than the significance level of 0.05. This indicates that the slope is statistically significant. Therefore, there is strong evidence that the number of ER visits is associated with the log-transformed total cost.

The regression equation based on the output is:

$$Log(Total Cost + 1) = 5.527 + 0.2253 \cdot ERvisits$$

The slope coefficient for ERvisits is 0.2253. This means that for every additional ER visit, the log-transformed total cost is expected to increase by approximately 0.2253 units on average.

(e)

```
# Fit the multiple linear regression model
mlr_model <- lm(formula = log(heart_data$totalcost + 1) ~ heart_data$ERvisits * heart_data$comp_bin)
mlr_model</pre>
```

```
##
## Call:
## lm(formula = log(heart_data$totalcost + 1) ~ heart_data$ERvisits *
       heart_data$comp_bin)
##
##
## Coefficients:
                                 (Intercept)
##
                                     5.48849
##
##
                        heart_data$ERvisits
##
                                     0.20947
##
                        heart_data$comp_bin
                                     2.19096
##
## heart_data$ERvisits:heart_data$comp_bin
                                    -0.09753
##
```

From the regression model, the interaction term heart_data\$ERvisits:heart_data\$comp_bin has a coefficient of -0.09753 and a p-value of 0.311.

The p-value is greater than 0.05, indicating that the interaction term is not statistically significant. Thus, comp_bin does not modify the relationship between totalcost and ERvisits.

Test if comp bin is a confounder of the relationship between totalcost and ERvisits.

```
# Model 1: Without `comp_bin`
model_no_comp <- lm(log(heart_data$totalcost + 1) ~ heart_data$ERvisits, data = heart_data)

# Model 2: Including `comp_bin`
model_with_comp <- lm(log(heart_data$totalcost + 1) ~ heart_data$ERvisits + heart_data$comp_bin, data =

# Summaries of the models
summary_no_comp <- summary(model_no_comp)
summary_no_comp</pre>
```

```
##
## lm(formula = log(heart_data$totalcost + 1) ~ heart_data$ERvisits,
##
       data = heart_data)
##
## Residuals:
##
       Min
                1Q Median
                                3Q
                                       Max
## -6.6532 -1.1230 0.0309 1.2797
                                   4.2964
##
## Coefficients:
##
                       Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                        5.52674
                                  0.10510 52.584
                                                    <2e-16 ***
                                                    <2e-16 ***
## heart data$ERvisits 0.22529
                                   0.02432
                                            9.264
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.799 on 786 degrees of freedom
## Multiple R-squared: 0.09844,
                                   Adjusted R-squared: 0.09729
## F-statistic: 85.82 on 1 and 786 DF, p-value: < 2.2e-16
```

```
summary_with_comp <- summary(model_with_comp)</pre>
summary_with_comp
##
## Call:
## lm(formula = log(heart_data$totalcost + 1) ~ heart_data$ERvisits +
       heart_data$comp_bin, data = heart_data)
##
##
## Residuals:
##
       Min
                1Q Median
                                30
                                       Max
## -6.5249 -1.0769 -0.0074 1.1847 4.4024
## Coefficients:
##
                       Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                        5.51020
                                   0.10279 53.606 < 2e-16 ***
## heart_data$ERvisits 0.20295
                                             8.437 < 2e-16 ***
                                   0.02405
## heart_data$comp_bin 1.70573
                                   0.27915
                                             6.111 1.56e-09 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.759 on 785 degrees of freedom
## Multiple R-squared: 0.1394, Adjusted R-squared: 0.1372
## F-statistic: 63.57 on 2 and 785 DF, p-value: < 2.2e-16
Compare the coefficients.
# Extract coefficients for `ERvisits`
coef_no_comp <- summary_no_comp$coefficients["heart_data$ERvisits", "Estimate"]</pre>
coef with comp <- summary with comp$coefficients["heart data$ERvisits", "Estimate"]</pre>
# Calculate percent change
percent_change <- abs((coef_with_comp - coef_no_comp) / coef_no_comp) * 100</pre>
# Display results
cat("Coefficient of ERvisits without comp_bin:", round(coef_no_comp, 4), "\n")
## Coefficient of ERvisits without comp bin: 0.2253
cat("Coefficient of ERvisits with comp_bin:", round(coef_with_comp, 4), "\n")
## Coefficient of ERvisits with comp_bin: 0.2029
cat("Percent change in coefficient:", round(percent_change, 2), "%\n")
## Percent change in coefficient: 9.92 %
```

Conclusion: The percent change in the coefficient of ERvisits is less than 10% (9.92%). This suggests that comp_bin is not a significant confounder of the relationship between totalcost and ERvisits.

comp_bin should be included along with ERvisits. comp_bin is a statistically significant predictor, so it improves the explanatory power of the model. It does not act as a confounder either.

Adding comp_bin provides additional information about totalcost without distorting the relationship between ERvisits and totalcost.

(f)

```
# Fit the MLR model with additional covariates
mlr_model_extended <- lm(log(totalcost + 1) ~ ERvisits + comp_bin + age + gender + duration, data = hea
# Show the regression results
summary(mlr_model_extended)
##
## Call:
## lm(formula = log(totalcost + 1) ~ ERvisits + comp_bin + age +
##
       gender + duration, data = heart_data)
##
## Residuals:
                10 Median
                                30
                                       Max
## -5.4711 -1.0340 -0.1158 0.9493 4.3372
##
## Coefficients:
##
                  Estimate Std. Error t value Pr(>|t|)
                 5.9404610 0.5104064
                                      11.639 < 2e-16 ***
## (Intercept)
## ERvisits
                 0.1745975 0.0225736
                                        7.735 3.20e-14 ***
## comp_bin
                 1.5044946 0.2584882
                                        5.820 8.57e-09 ***
                                       -2.380
                                                0.0175 *
## age
                -0.0206475
                           0.0086746
## genderFemale -0.2067662
                            0.1387002
                                       -1.491
                                                0.1364
                 0.0057150
                           0.0004888
                                       11.691 < 2e-16 ***
## duration
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.624 on 782 degrees of freedom
## Multiple R-squared: 0.2694, Adjusted R-squared: 0.2647
## F-statistic: 57.68 on 5 and 782 DF, p-value: < 2.2e-16
```

F-statistic and overall significance:

- The overall F-statistic is 57.68, with a p-value of 782 (p < 0.05).
- This shows that the model is statistically significant and that the predictors collectively explain variability in log-transformed total cost.

Comments on Individual Predictors

1. ERvisits:

• Coefficient: 0.1746

• *p*-value: 3.197×10^{-14}

• Interpretation: ER visits are significantly increase log-transformed total cost (p < 0.05).

2. comp_bin:

• Coefficient: 1.504• p-value: 8.566×10^{-9} • Interpretation: Complications significantly increase log-transformed total cost (p < 0.05).

3. age:

Coefficient: -0.02065p-value: 0.01754

• Interpretation: Age significantly increase log-transformed total cost (p < 0.05).

4. gender:

Coefficient: -0.2068p-value: 0.1364

• Interpretation: Gender is not statistically significant (p = 0.1364).

5. duration:

• Coefficient: 0.005715• p-value: 3.258×10^{-29}

• Interpretation: Duration significantly increase log-transformed total cost (p < 0.05).

The model explains approximately 27% of the variability in log-transformed total cost. ERvisits, comp_bin, age, and duration are statistically significant, while gender is not. Duration has the strongest positive association with log-transformed total cost, followed by comp_bin and ERvisits.

Compare the SLR and MLR models.

Key Metrics from SLR Model

- 1. Residual Standard Error: 1.799
- 2. R^2 : 0.09844 (approximately 9.8% of variability in total cost explained by ER visits alone).
- 3. ERvisits Coefficient:

• Estimate: 0.2253• p-value: 1.842×10^{-19}

• Interpretation: The SLR model shows a statistically significant positive association between ER visits and total cost (p < 0.05).

Key Metrics from MLR Model

1. Residual Standard Error: 1.624

- 2. R^2 : 0.2694 (approximately 27% of variability in total cost explained by ER visits along with other predictors).
- 3. Adjusted R^2 : 0.2647.
- 4. ERvisits Coefficient:

• Estimate: 0.1746• p-value: 3.197×10^{-14}

• Interpretation: Even after adjusting for comp_bin, age, gender, and duration, ER visits remain a statistically significant positive predictor of total cost (p < 0.05).

The MLR model would be used to address the objective because it has a larger R^2 value. R^2 represents the proportion of variance explained by model, and there is a significant improvement in explanatory power when additional covariates are included.