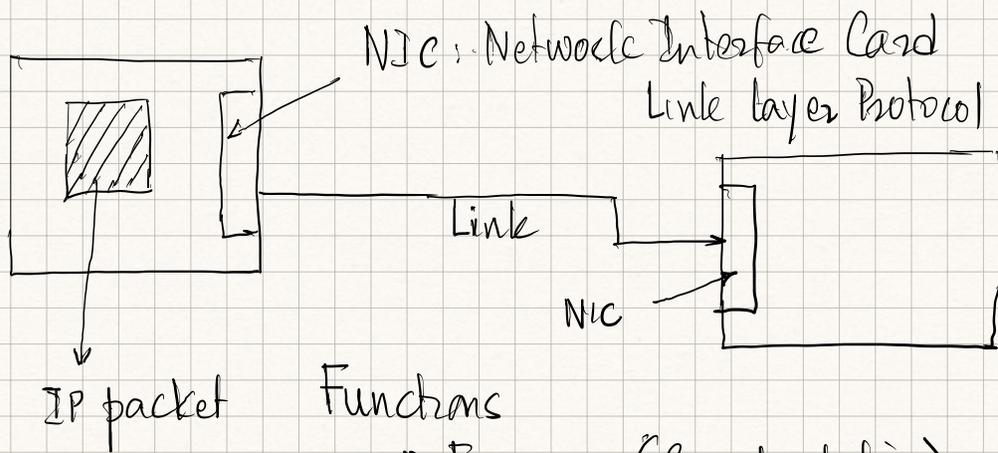


## Link Layer

- Link Layer Functions & Services
- Types of links
- Broadcast links
- Medium Access Control

Communication between two nodes that share the same link



### Functions

- Framing (Encapsulation)
- Error detection/correction
- Reliable Transfer
- Medium Access Control

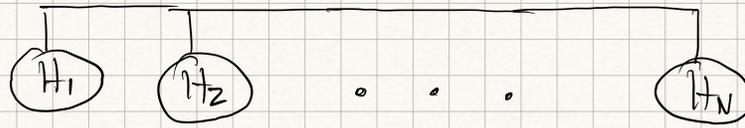
## Types of links

→ Point-to-point links: one sender one receiver

Full duplex  $\longleftrightarrow$  both simultaneously

Half duplex  $\text{---}$  One at a time

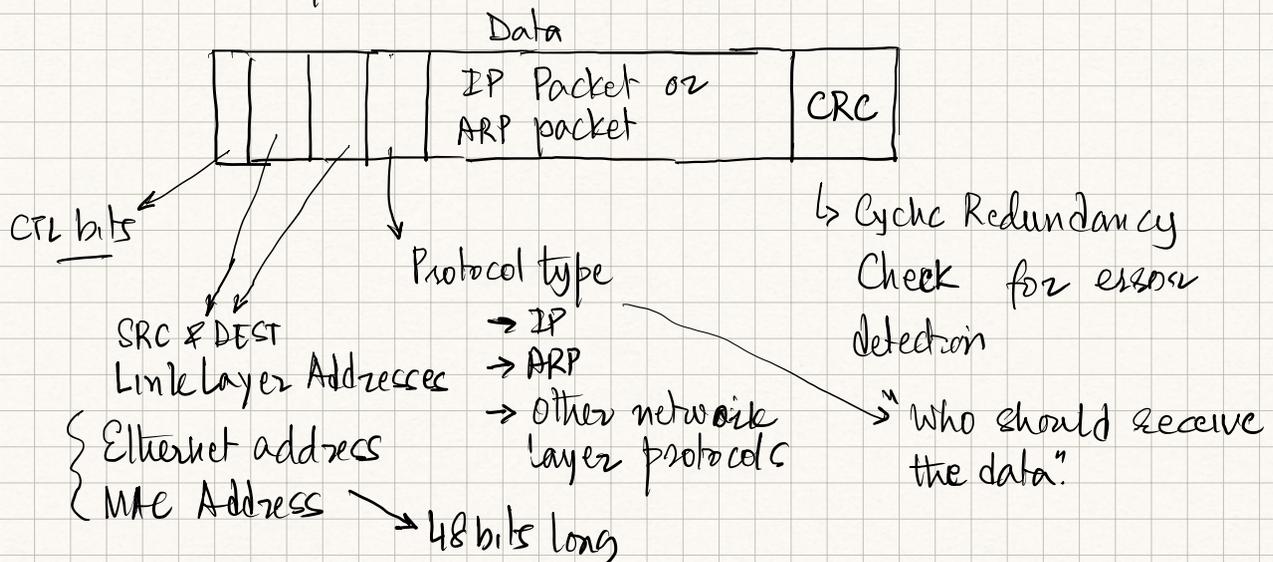
## → Broadcast



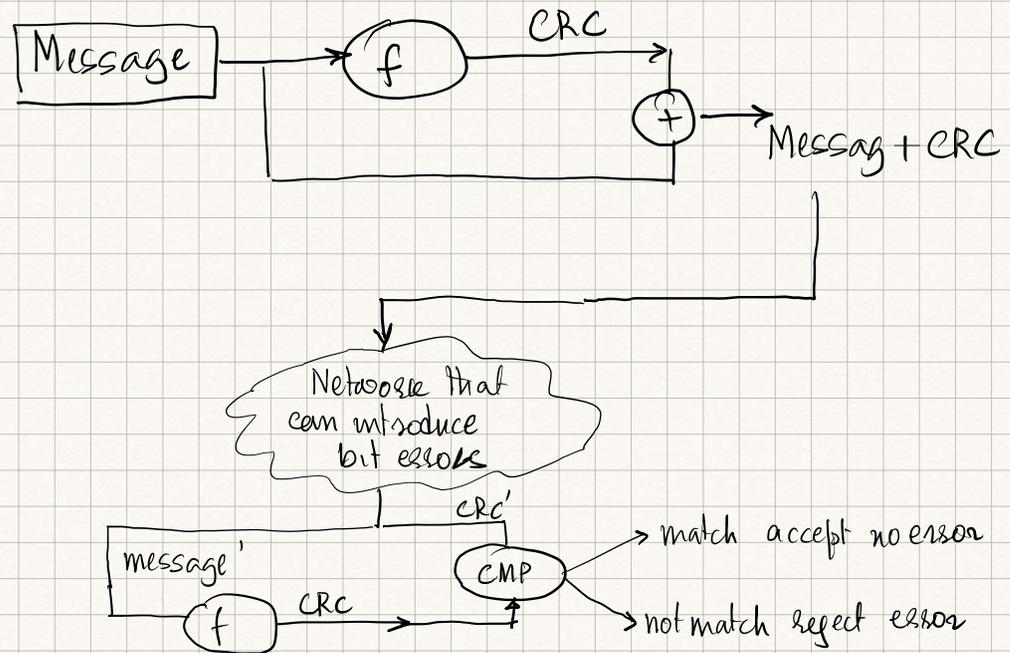
- All the host share a common channel (common wire or common freq)
- When a node transmits all node can hear
- When more than 1 node transmits at same time, there will be collision and the transmissions will be garbled

## 1. Framing (Encapsulation)

- A network layer pkt (IP packet) is encapsulated in a frame



## 2. Error Checking



## 3. Reliable Transfer Protocol

- The link layer can implement a reliable transfer protocol
  - Use Ack, Sequence Number, Timer, Retransmission achieve reliable transfer over the link.
  - We will study how it is done when we look at the transport layer
  - Very few link layer protocols implement reliable transfer protocol

## 4. Medium Access Control (MAC) protocol

- How a node accesses the link to transmit data

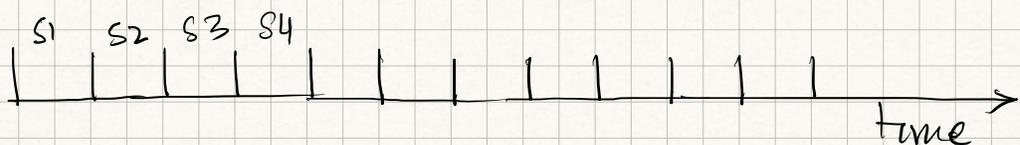
- Particularly important in broadcast links
- 3 broad classes
  - Random Access
  - Taking Turns
  - Channel Partitioning

### Random Access MAC Protocol

- Node transmits data when it is available
- If more than 1 node transmits there is collision
- Methods to reduce collision <sup>and</sup> reduce the waste when there is collisions.

### Slotted Aloha

- We will assume that time is slotted and the slot time is greater than the pkt transmission time. We ignore propagation delay
- We will assume that all transmission attempts are made at slot boundaries



- We will assume a node  $i$  active in a particular slot (has a pkt to transmit) with probability  $p$
- Outcome of a slot can be one of a) Idle (I) b) collision (C) and c) Successful (S)

Example:

	S1	S2	S3	S4	S5	S6	S7	S8	S9	
Host 1	T			T				T		
Host 2		T	T				T	T		
Host 3	T			T				T		
Host 4				T				T		
	C	S	S	C	I	I	S	C		time →

T: The host  $i$  active. All nodes start transmission at beginning of the slot boundary

A slot is idle (I) if no node is active in the slot.

The throughput of the slotted Aloha system is the probability that a slot is successful

$$\eta = P(S) = P(\text{only 1 node is active in a slot})$$

$$= \binom{n}{1} p (1-p)^{n-1} = n p (1-p)^{n-1}$$

$$P(s) = 1 - P(i) - P(c)$$

$$= 1 - \binom{n}{0} p^0 (1-p)^{n-0} - \sum_{k=2}^n \binom{n}{k} p^k (1-p)^{n-k}$$

Probability that 2 or more nodes are active

- In the above derivation we have used the Binomial distribution

$$X \sim \text{Binom}(n, p)$$

$$P(X=k) = \binom{n}{k} p^k (1-p)^{n-k} \leftarrow \text{pmt}$$

$k \in \{0, 1, 2, \dots, n\}$

$X$  is the number of successes in  $n$  independent Bernoulli trials with probability of success  $p$

- We did not state before but the nodes (hosts) are assumed to be independent
- We can find  $p$  that maximizes the throughput

$$\eta = n p (1-p)^{n-1}$$

$$\frac{d\eta}{dp} = n (1-p)^{n-1} + n p (n-1) (1-p)^{n-2} (-1)$$

$$\frac{d\eta}{dp} \geq 0 \Leftrightarrow n (1-p)^{n-1} = n p (n-1) (1-p)^{n-2}$$

$$\Rightarrow p^* = \frac{1}{n}$$

- This result is intuitive. If  $p^* > 1/n$  then there will be more collisions. On the other hand, if  $p^* < 1/n$  then more slots will go idle.

$$\eta_{\max} = n \cdot \frac{1}{n} \left(1 - \frac{1}{n}\right)^{n-1}$$

$$= \left(1 - \frac{1}{n}\right)^{n-1}$$

$$\lim_{n \rightarrow \infty} \frac{d}{dn} \eta_{\max} = \lim_{n \rightarrow \infty} \frac{d}{dn} \left(1 - \frac{1}{n}\right)^{n-1}$$

$$= \lim_{n \rightarrow \infty} \left(1 - \frac{1}{n}\right)^{-1} \cdot \left(1 - \frac{1}{n}\right)^n$$

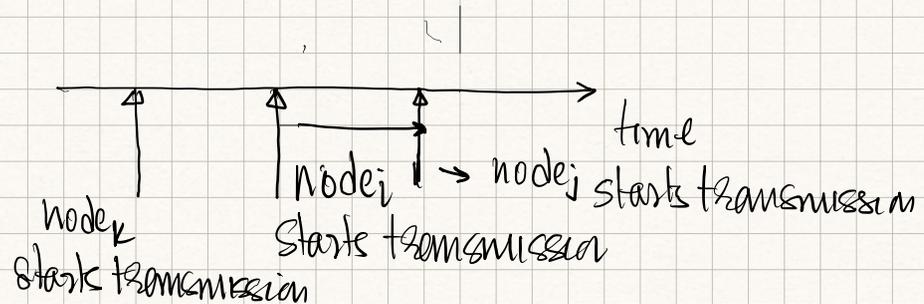
$$= \lim_{n \rightarrow \infty} \left(1 - \frac{1}{n}\right)^n \quad \text{as} \quad \lim_{n \rightarrow \infty} \left(1 - \frac{1}{n}\right)^{-1} \rightarrow 1$$

$$= \frac{1}{e} = 37\%$$

to show that it is max you need to show that  $\left. \frac{d^2\eta}{dp^2} < 0 \right|_{p^*}$

## Unslotted Aloha

- In the unslotted case a node will transmit as soon as it has a pkt to transmit
- If we consider the transmission time of the pkt to be the same as the slot time



- Ignoring the propagation delay, the vulnerability zone is now 2 slot time

1.  $\text{node}_j$  transmission can collide with  $\text{node}_k$  transmission that started little less than a slot time ago

2.  $\text{node}_j$  transmission can collide with  $\text{node}_j$  transmission that will start little less than a slot time later

- This suggests that for unslotted Aloha

$$\lim_{n \rightarrow \infty} \eta_{\max} = \frac{1}{2e}$$

## CSMA: Carrier Sense Multiple Access

- One way to reduce collision is to sense the channel before transmitting.
  - Transmit only if the channel is idle
- This would reduce collisions but not eliminate it
- Because of the propagation delay, a node can sense a channel to be idle only because the signal from another node that is already transmitting has not yet reached it.

## CSMA/CD: Carrier Sense Multiple Access with Collision Detect

- If a node detects that its transmission has collided
  - ⇒ abort transmission
- If the collision is detected quickly, then this would reduce the time the channel is wasted due to collision
- How is the collision detected?

A) When signals collide there will be constructive and destructive interference

B) A node compares the transmit signal with what it receives (requires the interface to transmit & receive simultaneously)  
<sup>Strength</sup>

⇒ If there is significant difference then there is collision