



西安电子科技大学
XIDIAN UNIVERSITY

An Innovative **Heuristic** to Detect **Special States** in Concurrent Software Systems

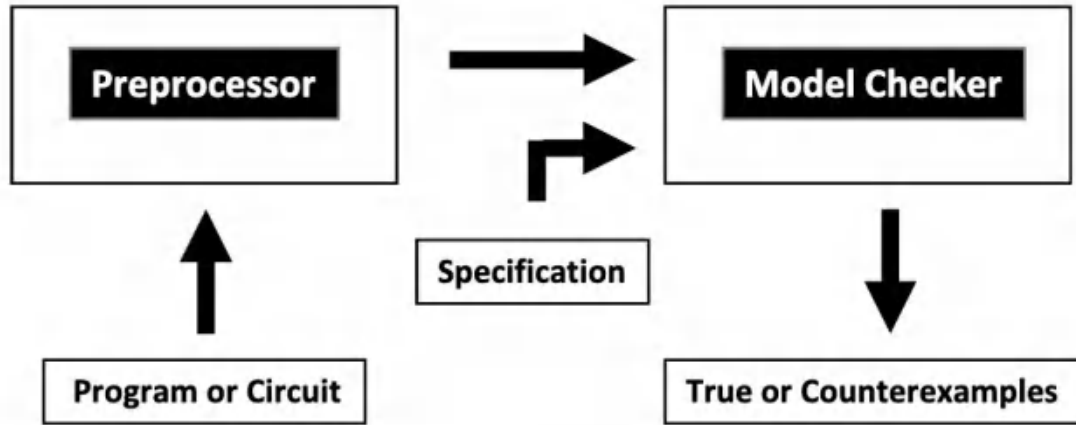
Quality and Reliability Engineering International

Einollah Pira, Alireza Rouhi



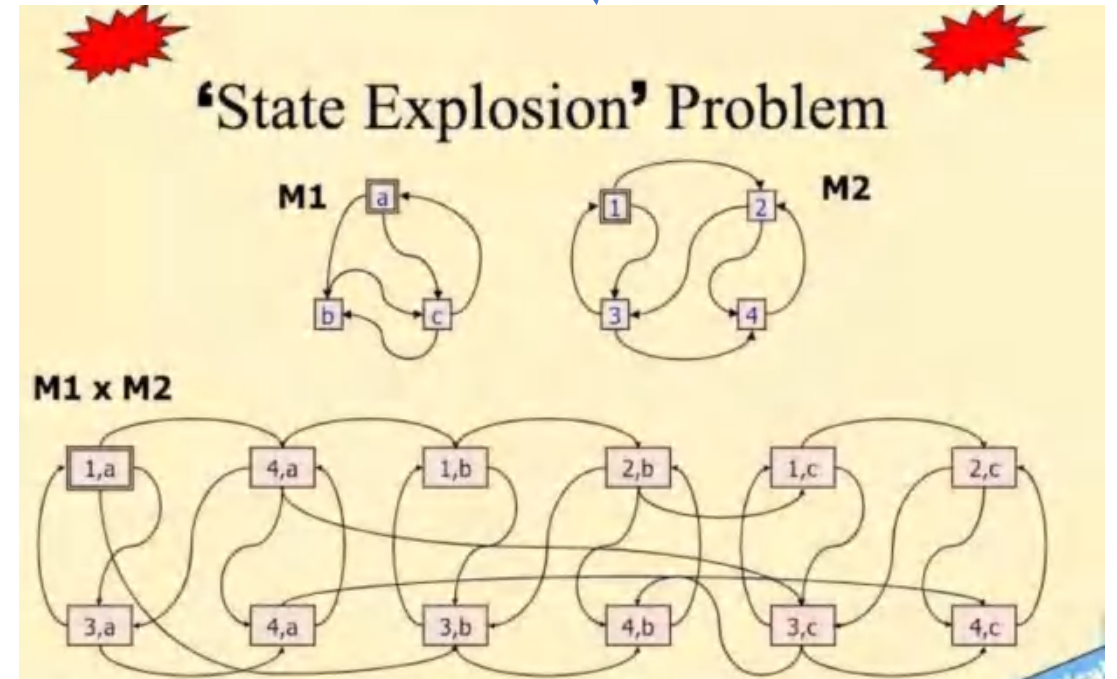


Model Checking and State Explosion



Model checking is a formal verification method used to verify whether a system's model satisfies a set of desired properties

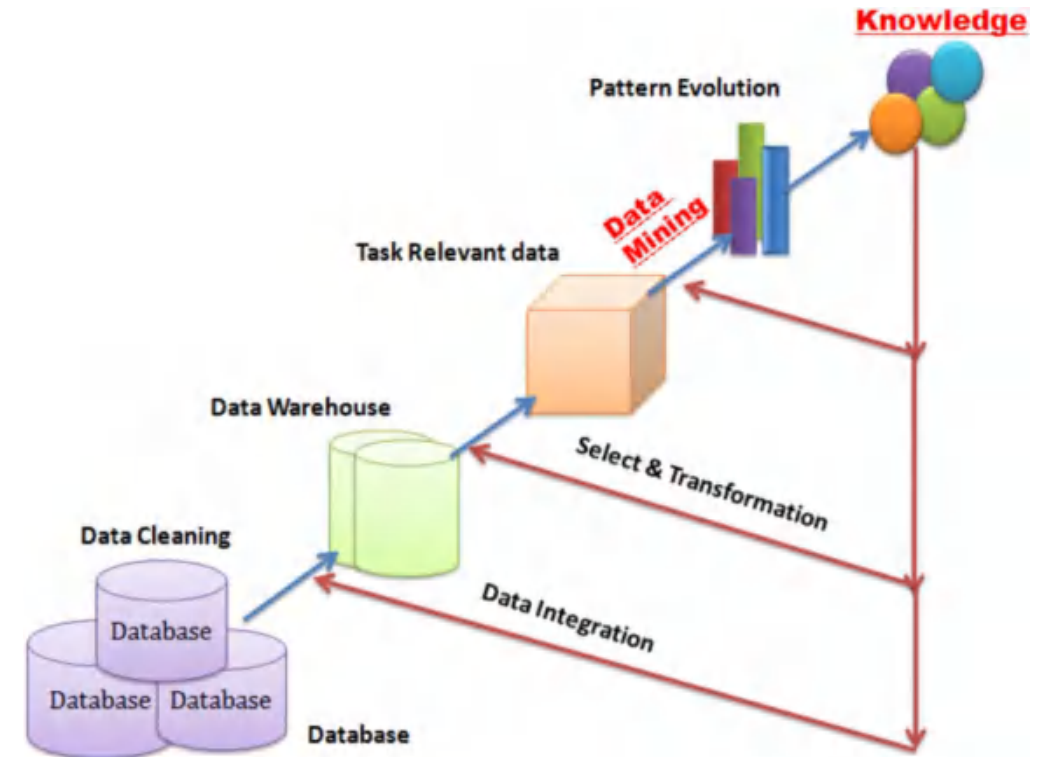
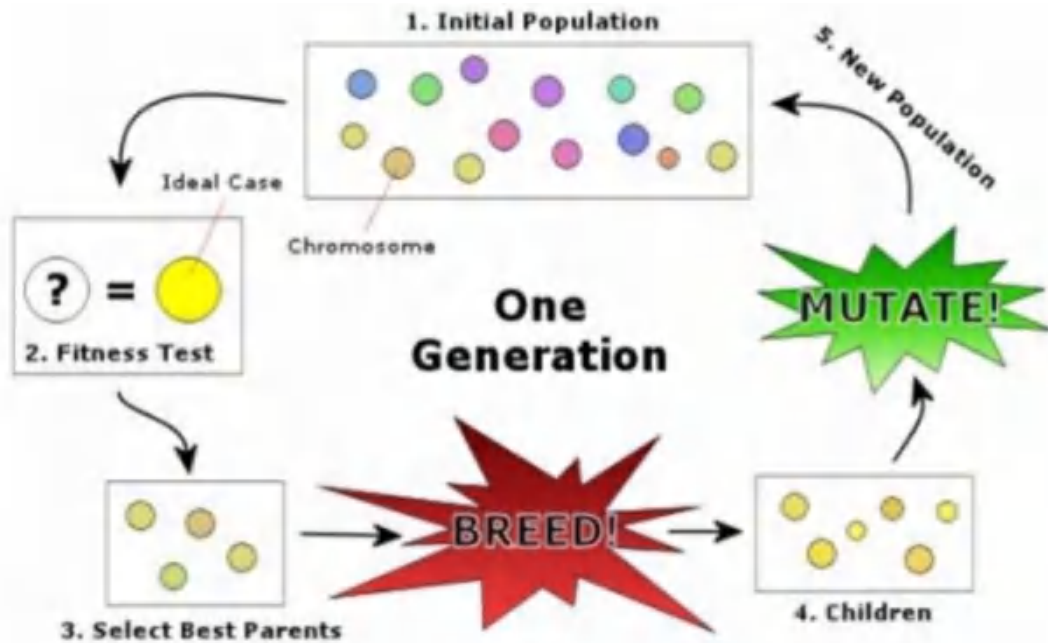
It involves systematically exploring all possible states of the model to check for the presence or absence of specific conditions.





While these methods reduce the number of states to explore, they still suffer from inefficiencies, particularly in large systems, due to the difficulty of estimating the "closeness" to the goal state without exploring too many states

such as behavior graphs for fault detection. While these methods can be effective, they have limitations, especially in systems with infinite state spaces or when suitable smaller models are not available





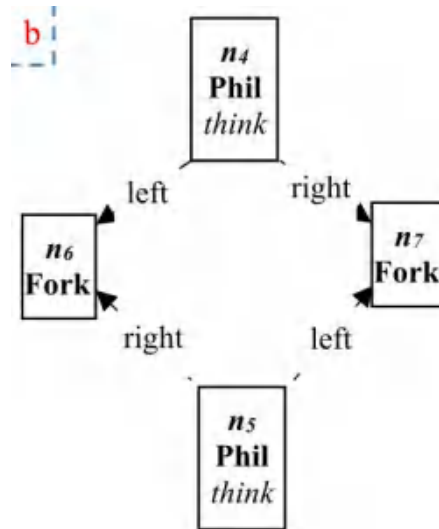
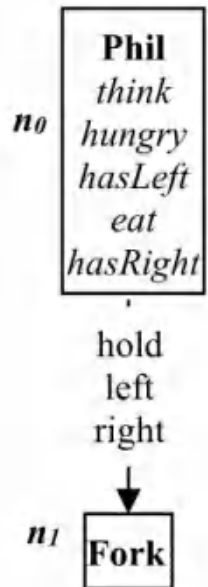
Graph Transformation System (GTS)

GTS

Type Graph

Host Graph

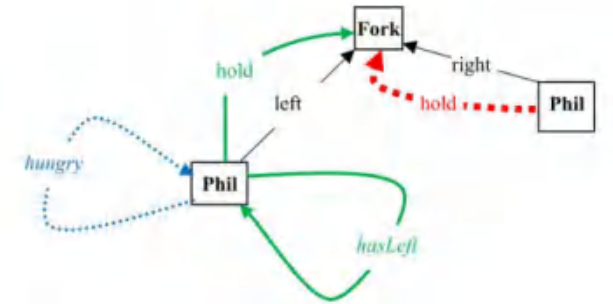
A set of Transformation Rules R



The go-hungry rule

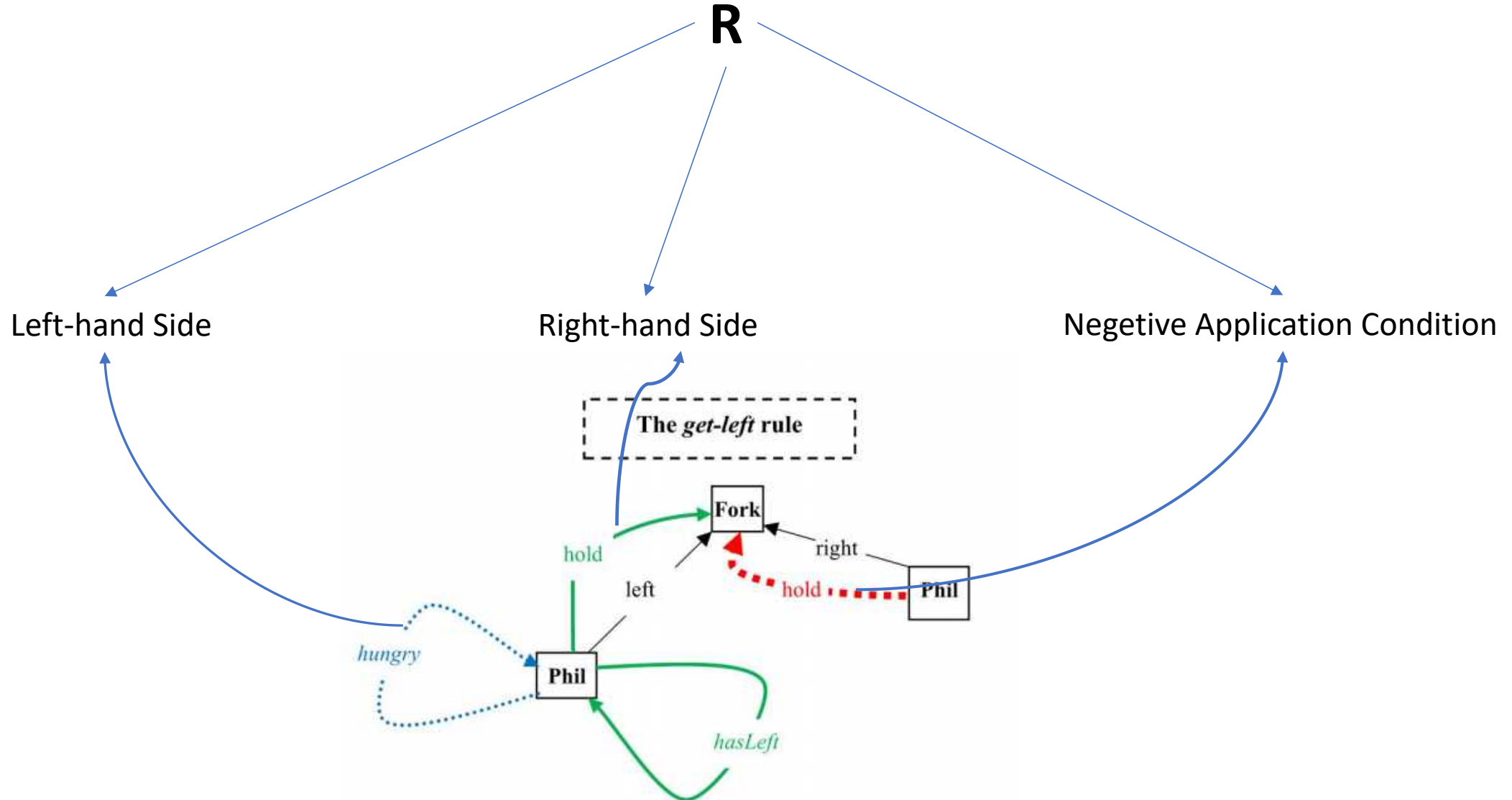


The get-left rule



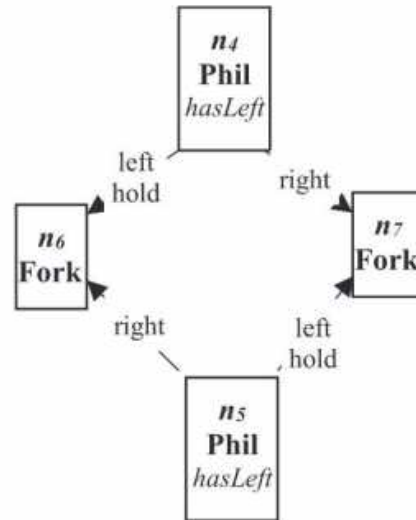


A set of Transformation Rules R





Special States in GTS



LHS = {phil+hasLeft+phil, phil+hold+fork}

||

RHS = {phil+hasLeft+phil, phil+hold+fork}



Deadlock State

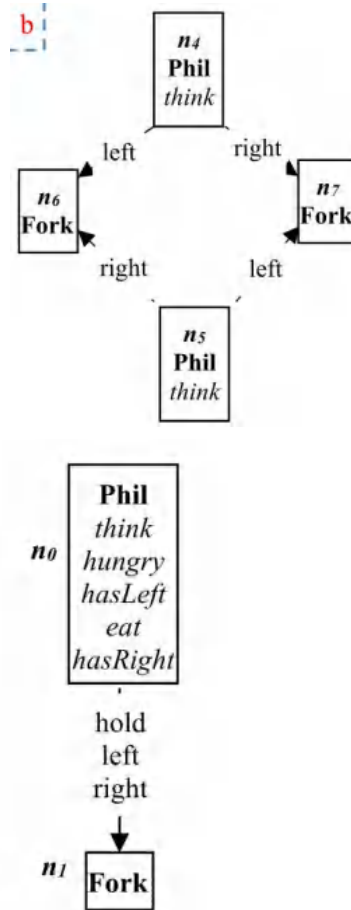


GTS M

M.host

M.Type

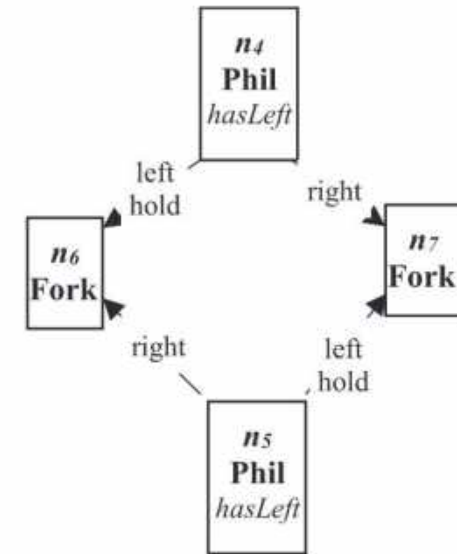
M.Rule = {r1, r2, ..., rn}



verify/reject



M.Goal



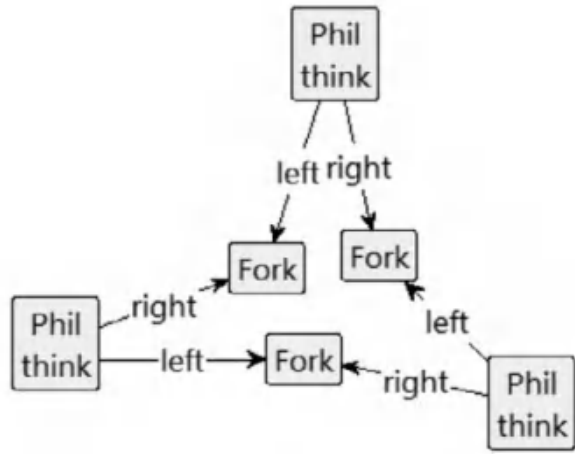
Rn.LHS

Rn.RHS

Rn.NAC



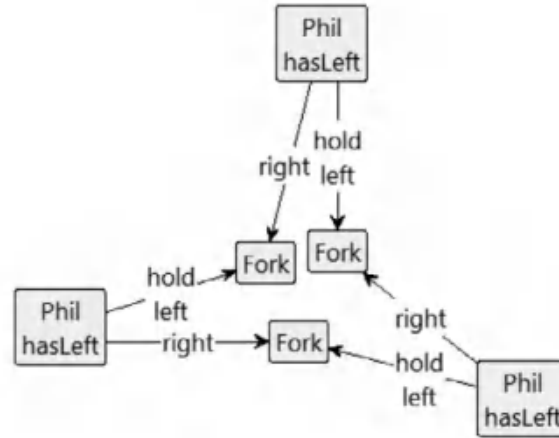
Step of Erase/Create Heuristic



Host graph: $Start_0$



Start={Phil+think+Phil,
Phil+left+Fork,
Phil+right+Fork}



Goal graph: $Goal$



Goal={Phil+hasLeft+Phil,
Phil+left+Fork,
Phil+hold+Fork,
Phil+right+Fork}

Allowable Rules (named as AR) = { }

Input: Create an arraylist of $AllStart$ with the initial value of $Start_0$ for maintaining start sets.



Rule	Graphical view	SRE format
go-hungry		$E = \{\text{Phil} + \text{think} + \text{Phil}\}$ $C = \{\text{Phil} + \text{hungry} + \text{Phil}\}$
get-right		$E = \{\text{Phil} + \text{hasLeft} + \text{Phil}\}$ $C = \{\text{Phil} + \text{eat} + \text{Phil}, \text{Phil} + \text{hold} + \text{Fork}\}$
get-left		$E = \{\text{Phil} + \text{hungry} + \text{Phil}\}$ $C = \{\text{Phil} + \text{hasLeft} + \text{Phil}, \text{Phil} + \text{hold} + \text{Fork}\}$
release-left		$E = \{\text{Phil} + \text{eat} + \text{Phil}, \text{Phil} + \text{hold} + \text{Fork}\}$ $C = \{\text{Phil} + \text{hasRight} + \text{Phil}\}$
release-right		$E = \{\text{Phil} + \text{hasRight} + \text{Phil}, \text{Phil} + \text{hold} + \text{Fork}\}$ $C = \{\text{Phil} + \text{think} + \text{Phil}\}$



Finding all Start Sets

Input: Create an arraylist of *AllStart* with the initial value of *Start₀* for maintaining start sets.



Start₀

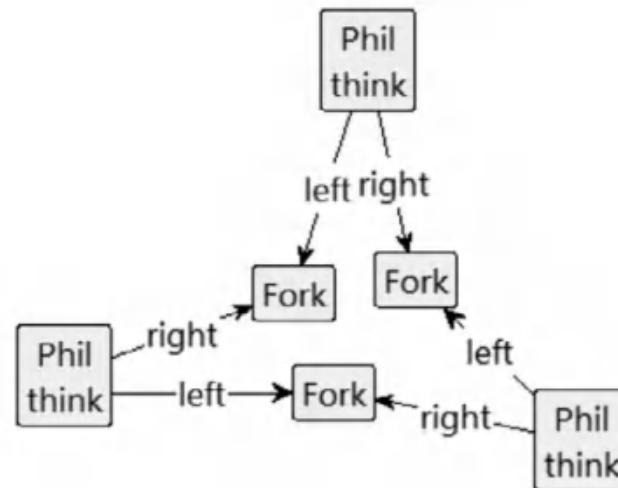
SRE= {Phil+think+Phil, Phil+left+Fork,
Phil+right+Fork}

AR= {*go-hungry*}

prevStartIndex = -1

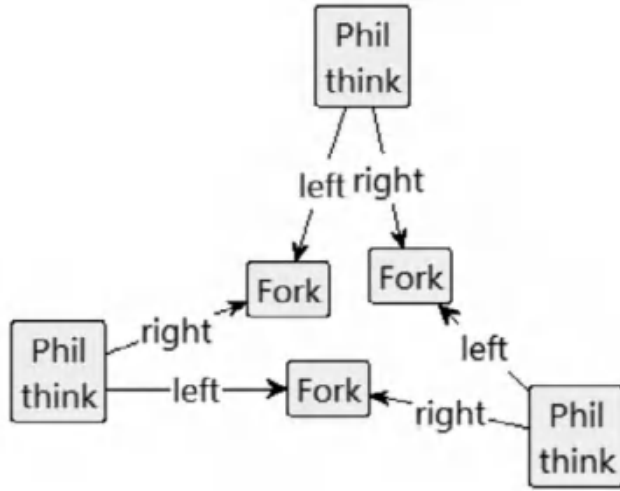
seqFoundRules = { *go-hungry* }

only this rule can be applied on the M.host

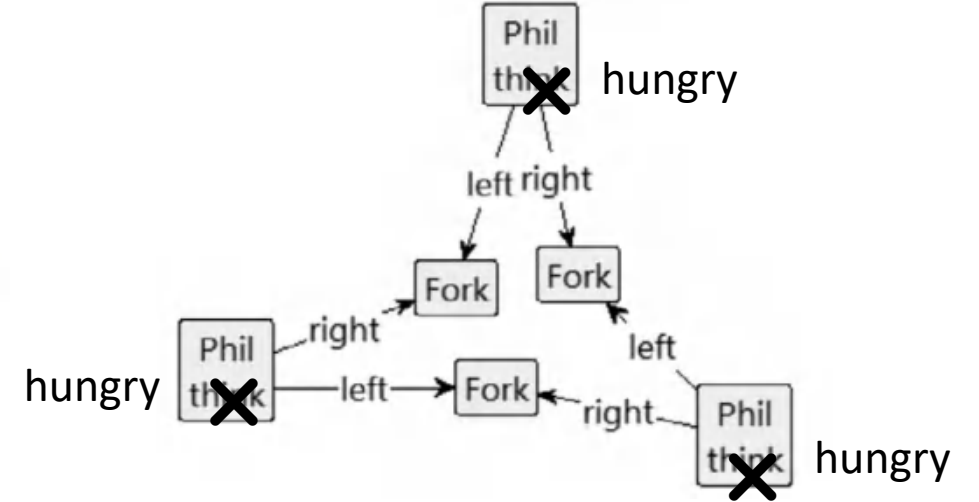




Finding all Start Sets



go-hungry



Start₀

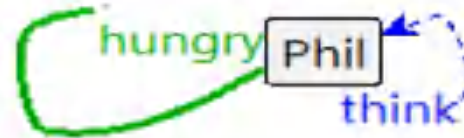
SRE= {Phil+think+Phil, Phil+left+Fork,
Phil+right+Fork}

AR= {go-hungry}

prevStartIndex = -1

seqFoundRules = { go-hungry }

go-hungry



Start₁

SRE= {Phil+hungry+Phil, Phil+left+Fork,
Phil+right+Fork}

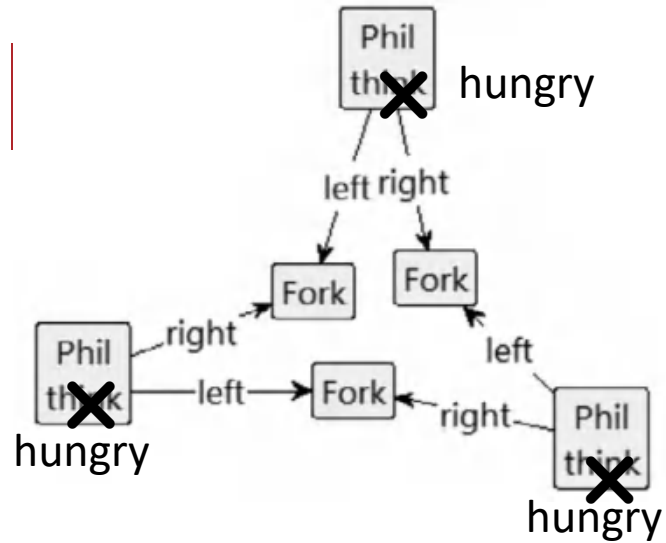
AR= {get-left}

prevStartIndex = 0

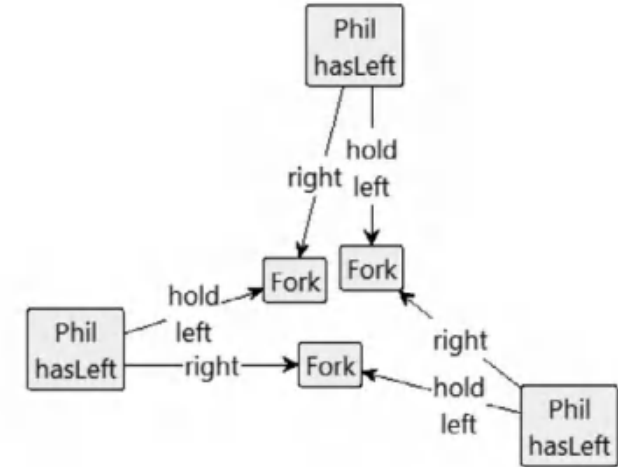
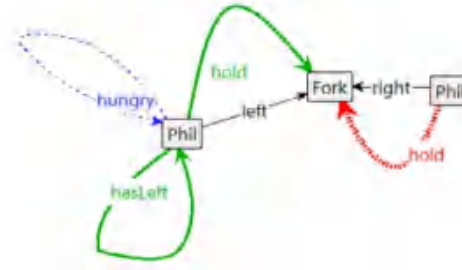
seqFoundRules = { go-hungry, get-left }



Finding all Start Sets



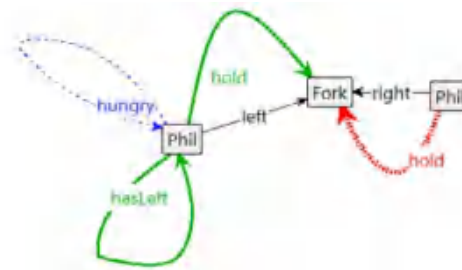
get-left



Start₁

SRE= {Phil+hungry+Phil, Phil+left+Fork,
Phil+right+Fork}
AR = {*get-left*}
prevStartIndex = 0
seqFoundRules = { *go-hungry*, *get-left* }

get-left



Start₂

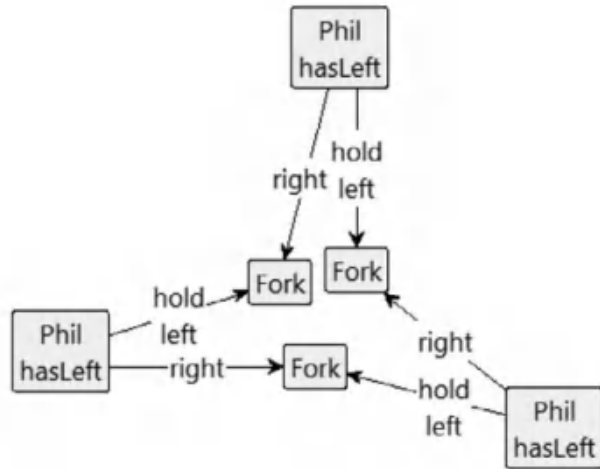
SRE= {Phil+hasLeft+Phil, Phil+left+Fork,
Phil+right+Fork, Phil+hold+Fork }
AR = {}
prevStartIndex = 1
seqFoundRules = {}



Check and Finish Finding all Start Sets

$$Goal \subseteq Start_2$$

$$seqFoundRules = \{ go-hungry, get-left \}$$



Goal Graph

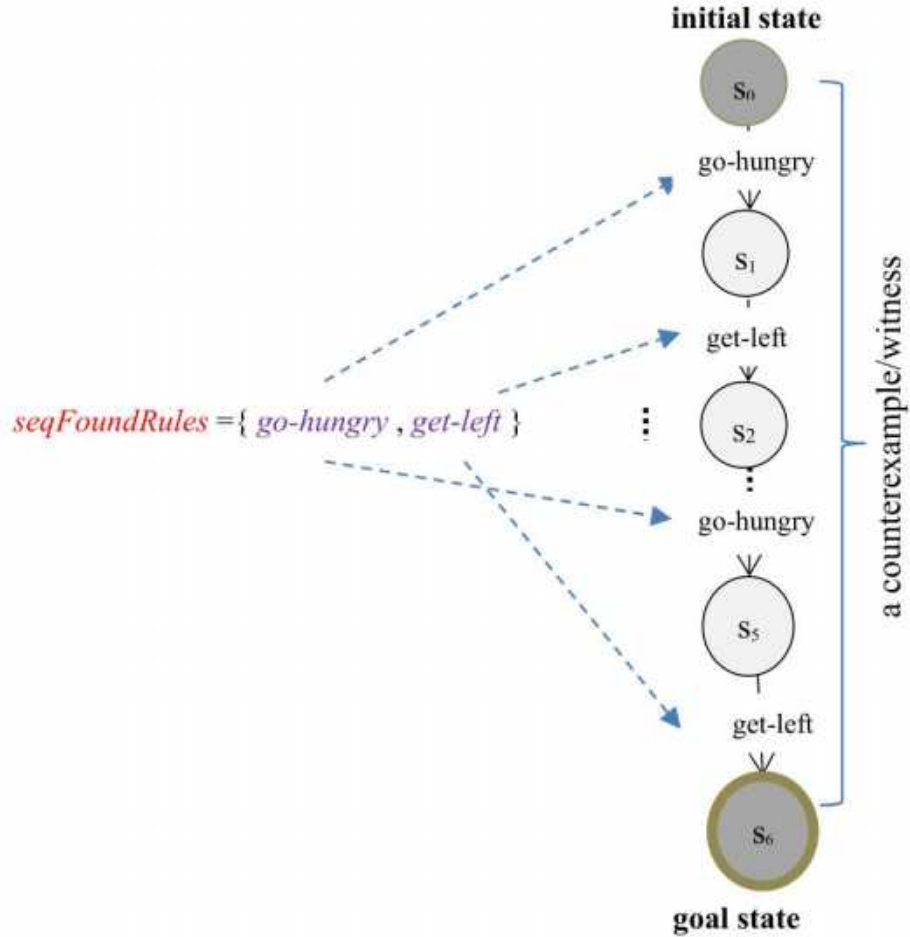
\sqcup

$Start_2$

SRE= {Phil+hasLeft+Phil, Phil+left+Fork,
Phil+right+Fork, Phil+hold+Fork }
AR = {}
prevStartIndex = 1
seqFoundRules = {}



SeqFoundRules for Confirm Result

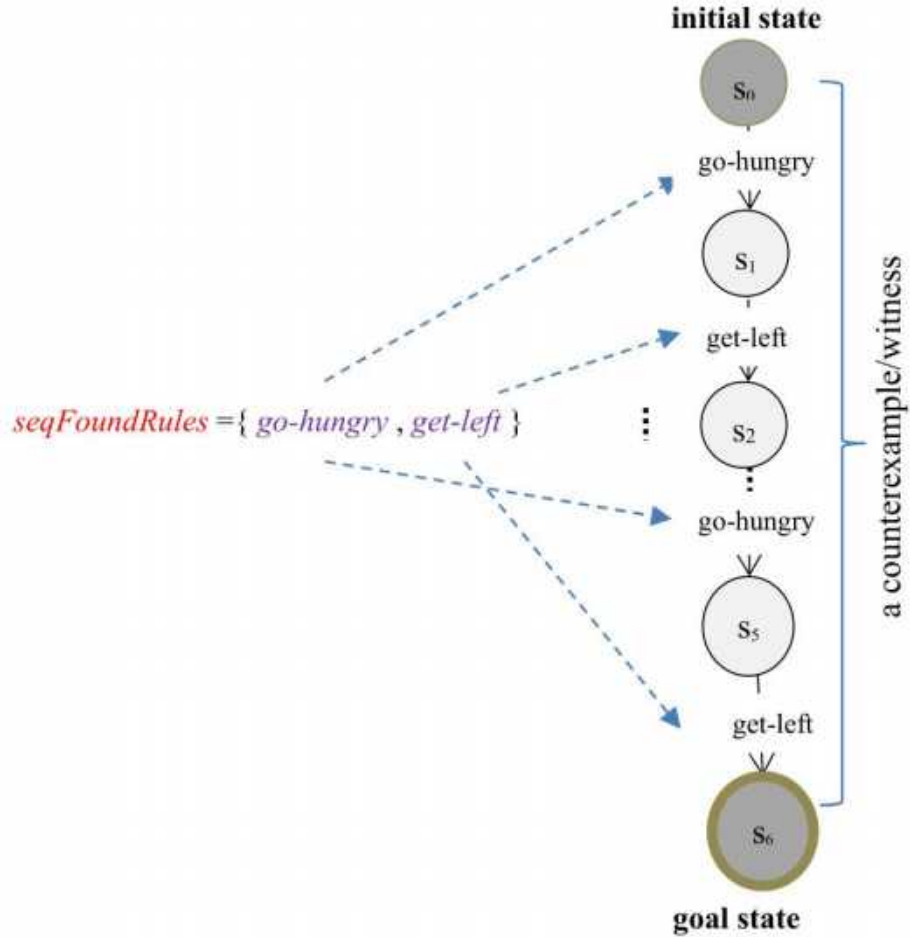


Each sequence rules comprises a series of rules that have been iteratively encountered along paths leading **to the desired goal state within the state space.**

each sequence rule is employed to explore the model's state space, progressing from the initial state, until either the goal state is attained or the explored path length does not exceed a defined depth (also called **maxDepth).**



SeqFoundRules for Confirm Result



Conversely, if all sequence rules are examined and the goal state is not found, it cannot be concluded that the given property is certainly satisfied/refuted in the model, **because only a small portion of the state space of the model is explored by this heuristic.**