# 0. Import Dependencies

In [2]:

```
from __future__ import print_function
import torch
import torch.nn as nn
import torch.nn.functional as F
import torch.optim as optim
from torchvision import datasets, transforms
import matplotlib.pyplot as plt

import pandas as pd
import numpy as np
import scipy
import matplotlib.pyplot as plt
```

## 1. MNIST classification

#### main references:

```
Andrew Ng, Machine Learning, https://www.coursera.org/learn/machine-learning https://zhuanlan.zhihu.com/p/38709373 https://github.com/alcarasj/simple-vision-stuff/blob/master/assignment2/main.py https://github.com/bdura/humanware/blob/469c0a9a285b83f0951b6d88608613047894197f/models/CNN.
```

- a. In the file mnist.py identify where the Stochastic Gradient Descent optimizer is created. Train the default CNN architecture by choosing appropriate parameter values for:
  - i) Learning rate explain what happens when you use too large or too small value and expl ain why it is happening.
  - ii) Weight decay explain what happens when you use too large or too small regularization and explain why it is happening.

#### Answer:

- i) In the process of training, we can adjust the network weights by controlling the updates rate. If the learning rate is too small, the loss function changes slowly and it will spend more time to converge, so it is easy to produce over-fitting; On the other hand, when the learning rate is relatively large, the learning speed will be faster, but the gradie nt decent can overshoot the minimum so it may fail to converge or even diverge. Therefore, the value of the learning rate should be moderate.
- ii) In the loss function, weight decay is a coefficient placed in front of the regularization. The regular term generally indicates the complexity of the model. Therefore, the effect of weight decay is to adjust the influence of model complexity on the loss function. The ultimate goal is to prevent Overfitting. If the weight decay is large, the value of the complex model loss function is large.

#### In [3]:

```
# Training hyperparameters
epochs = 1
batch_size = 64
learning_rate = 0.001# TODO
momentum = 0.9
weight_decay = 0.04 # TODO
log_interval = 20
```

```
class CNN (nn.Module):
    def init (self):
       super(CNN, self).__init__()
       self.conv1 = nn.Conv2d(in channels=1, out channels=16,
                               kernel size=5, stride=1, padding=0)
        self.maxpool = nn.MaxPool2d(2)
       self.conv2 = nn.Conv2d(in channels=16, out channels=32,
                               kernel size=3, stride=1, padding=0)
        self.fc1 = nn.Linear(in_features=800, out_features=128)
        self.fc2 = nn.Linear(in features=128, out features=10)
       nn.init.kaiming normal (self.conv1.weight, nonlinearity='relu')
       nn.init.kaiming normal (self.conv2.weight, nonlinearity='relu')
        nn.init.kaiming normal (self.fc1.weight, nonlinearity='relu')
       nn.init.kaiming_normal_(self.fc2.weight, nonlinearity='linear')
    def forward(self, x):
       x = self.conv1(x)
        x = F.relu(x)
       x = self.maxpool(x)
       x = self.conv2(x)
        x = F.relu(x)
       x = self.maxpool(x)
       x = x.view(-1, 800)
        x = self.fcl(x)
       x = F.relu(x)
        x = self.fc2(x)
        return F.log softmax(x, dim=1)
```

b) Correct the mistakes in CNN2 and train it on MNIST train set. Desired architecture of CNN2 is displayed on following diagam:

CONV KxK, N represents N features extracted by KxK filters, FC N represent fully-connected layer with N nodes. Set the padding so each convolution preserves input feature size.

#### In [4]:

```
class CNN2 (nn.Module):
   def init (self):
       super(CNN2, self). init ()
       self.conv1 = nn.Conv2d(in channels=1, out channels=32,
                               kernel size=5, stride=1, padding=2)
       self.maxpool = nn.MaxPool2d(2)
       self.conv2 = nn.Conv2d(in channels=32, out channels=64,
                               kernel size=5, stride=1, padding=2)
       self.fc1 = nn.Linear(in_features=3136, out_features=256)
       self.fc2 = nn.Linear(in_features=256, out_features=10)
       nn.init.kaiming_normal_(self.conv1.weight, nonlinearity='relu')
       nn.init.kaiming normal (self.conv2.weight, nonlinearity='relu')
       nn.init.kaiming normal (self.fc1.weight, nonlinearity='relu')
       nn.init.kaiming_normal_(self.fc2.weight, nonlinearity='linear')
   def forward(self, x):
       x = self.conv1(x)
       x = F.relu(x)
       x = self.maxpool(x)
       x = self.conv2(x)
       x = F.relu(x)
       x = self.maxpool(x)
       x = x.view(-1, 3136)
       x = self.fcl(x)
       x = F.relu(x)
       x = self.fc2(x)
       return F.log_softmax(x, dim=1)
```

d) Design CNN3 with additional regularization of your choosing. Explain benefits of such regularization and report its accurracy on fashion MNIST and its relative improvement over CNN2.

#### Answer:

```
The accuracy rate has improved 3% compared with the previous one.

1) After the convolutional layer of the convolutional neural network. BatchNorm2d is added
```

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to normalize the data, which makes the data not unstable due to excessive data before the  ${\tt R}$  elu is performed.

- 2) Modified the stride of the last layer of maxpool so that the downsampling is not twice as high.
- 3) Dropout reduces the dependencies between nodes, selectively ignoring individual neurons a nd avoiding overfitting. The entire dropout process is equivalent to averaging many different neural networks. Different networks produce different over-fittings, and some "re verse" fittings reduce the over-fitting as a whole. Besides, the dropout causes two neurons not necessarily to appear in one dropout network each time. Such updates of weights will no longer rely on the interaction of implicit nodes with fixed relationships, preventing situations where certain features are only effective under other specific features.

#### In [5]:

```
# class Net(nn.Module):
    def __init__(self):
         super(Net, self).__init__()
#
          self.dropout = nn.Dropout(p=.05)
          self.conv1 = nn.Conv2d(1, 16, kernel size=3, padding=1)
          self.bn1 = nn.BatchNorm2d(16)
          self.conv2 = nn.Conv2d(16, 32, kernel size=3, padding=1)
          self.bn2 = nn.BatchNorm2d(32)
          self.conv3 = nn.Conv2d(32, 32, kernel size=3, padding=1)
          self.bn3 = nn.BatchNorm2d(32)
         self.max = nn.MaxPool2d(2)
          self.conv4 = nn.Conv2d(32, 64, kernel size=3, padding=0)
          self.bn4 = nn.BatchNorm2d(64)
          self.fc1 = nn.Linear(in features=9216, out features=128)
          self.fc2 = nn.Linear(in features=128, out features=10)
         nn.init.kaiming normal (self.conv1.weight, nonlinearity='relu')
         nn.init.kaiming_normal_(self.conv2.weight, nonlinearity='relu')
nn.init.kaiming_normal_(self.conv3.weight, nonlinearity='relu')
          nn.init.kaiming normal (self.conv4.weight, nonlinearity='relu')
         nn.init.kaiming normal (self.fc1.weight, nonlinearity='relu')
         nn.init.kaiming normal (self.fc2.weight, nonlinearity='linear')
    def forward(self, x):
         n = x.size(0)
         x = self.conv1(x)
         x = self.bn1(x)
         x = F.relu(x)
         x = self.dropout(x)
        x = self.conv2(x)
         x = self.bn2(x)
         x = F.relu(x)
#
         x = self.dropout(x)
         x = self.conv3(x)
         x = self.bn3(x)
         x = F.relu(x)
#
         x = self.dropout(x)
         x = self.max(x)
          x = self.dropout(x)
         x = self.conv4(x)
          x = self.bn4(x)
          x = F.relu(x)
          x = self.dropout(x)
          # Flatten the tensor for dense layers
          x = x.view(-1,9216)
          y = F relu(y)
```

#### In [6]:

```
class CNN3 (nn.Module):
    def init (self):
        super(CNN3, self). init ()
        self.dropout = nn.Dropout(p=.05)
        self.layer1 = nn.Sequential(
            nn.Conv2d(1, 16, kernel_size=5, stride=1, padding=2),
            nn.BatchNorm2d(16),
            nn.ReLU(),
       )
        self.layer2 = nn.Sequential(
            nn.Conv2d(16, 32, kernel size=5, stride=1, padding=2),
            nn.BatchNorm2d(32),
           nn.ReLU(),
        self.layer3 = nn.Sequential(
            nn.Conv2d(32, 64, kernel size=5, stride=1, padding=2),
            nn.BatchNorm2d(64),
            nn.ReLU(),
            nn.MaxPool2d(2)
        )
        self.layer4 = nn.Sequential(
            nn.Conv2d(64, 128, kernel size=5, stride=1, padding=2),
            nn.BatchNorm2d(128),
            nn.ReLU(),
            nn.MaxPool2d(kernel size=3, stride=1)
        self.fc1 = nn.Linear(in features=18432, out features=10)
    def forward(self, x):
       x = self.layer1(x)
        x = self.layer2(x)
       x = self.layer3(x)
        x = self.layer4(x)
       x = x.reshape(x.size(0), -1)
       x = self.dropout(x)
        x = self.fcl(x)
        return F.log softmax(x, dim=1)
```

### In [5]:

```
# class CNN4(nn.Module):
     def init (self):
         super(CNN4, self). init ()
          self.layer1 = nn.Sequential(
             nn.Conv2d(1, 16, kernel size=5, stride=1, padding=2),
             nn.BatchNorm2d(16),
             nn.ReLU(),
          self.layer2 = nn.Sequential(
             nn.Conv2d(16, 32, kernel_size=5, stride=1, padding=2),
             nn.BatchNorm2d(32),
             nn.ReLU(),
          self.layer3 = nn.Sequential(
             nn.Conv2d(32, 64, kernel size=5, stride=1, padding=2),
#
             nn.BatchNorm2d(64),
             nn.ReLU()
          self.layer4 = nn.Sequential(
             nn.Conv2d(64, 128, kernel size=5, stride=1, padding=2),
             nn.BatchNorm2d(128),
             nn.ReLU(),
nn MayDool?d(bernel size=3 stride=1)
```

#### In [8]:

```
def plot_data(data, label, text):
    fig = plt.figure()
    for i in range(6):
        plt.subplot(2,3,i+1)
        plt.tight_layout()
        plt.imshow(data[i][0], cmap='gray', interpolation='none')
        plt.title(text + ": {}".format(label[i]))
        plt.xticks([])
        plt.yticks([])
        plt.show()
```

#### In [9]:

```
def predict_batch(model, device, test_loader):
    examples = enumerate(test_loader)
    model.eval()
    with torch.no_grad():
        batch_idx, (data, target) = next(examples)
        data, target = data.to(device), target.to(device)
        output = model(data)
        pred = output.cpu().data.max(1, keepdim=True)[1] # get the index of the max log-probability
        pred = pred.numpy()
    return data.cpu().data.numpy(), target.cpu().data.numpy(), pred
```

#### In [10]:

```
def plot_graph(train_x, train_y, test_x, test_y, ylabel=''):
    fig = plt.figure()
    plt.plot(train_x, train_y, color='blue')
    plt.plot(test_x, test_y, color='red')
    plt.legend(['Train', 'Test'], loc='upper right')
    plt.xlabel('number of training examples seen')
    plt.ylabel(ylabel)
    plt.grid()
    plt.show()
```

#### In [11]:

```
def train(model, device, train loader, optimizer, epoch, losses=[], counter=[], errors=[]):
   model.train()
    correct=0
    for batch idx, (data, target) in enumerate(train loader):
       data, target = data.to(device), target.to(device)
       optimizer.zero grad()
       output = model(data)
       loss = F.nll_loss(output, target)
        loss.backward()
        optimizer.step()
        if batch idx % log interval == 0:
            print('Train Epoch: {} [{}/{} ({:.0f}%)]\tLoss: {:.6f}'.format(
                epoch, batch_idx * len(data), len(train_loader.dataset),
                100. * batch_idx / len(train_loader), loss.item()))
            losses.append(loss.item())
            counter.append((batch idx*batch size) + ((epoch-1)*len(train loader.dataset)))
        pred = output.max(1, keepdim=True)[1]
        correct += pred.eq(target.view as(pred)).sum().item()
    errors.append(100. * (1 - correct / len(train_loader.dataset)))
```

#### In [12]:

```
def test(model, device, test loader, losses=[], errors=[]):
               model.eval()
                test loss = 0
                correct = 0
                with torch.no_grad():
                                for data, target in test loader:
                                                  data, target = data.to(device), target.to(device)
                                                  output = model (data)
                                                  test loss += F.nll loss(output, target, reduction='sum').item() # sum up batch loss
                                                  pred = output.max(1, keepdim=True)[1] # get the index of the max log-probability
                                                  correct += pred.eq(target.view_as(pred)).sum().item()
                 test loss /= len(test loader.dataset)
                  \texttt{print('\nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{\}/\{\} (\{:.0f\}\%) \\ \texttt{'nTest set: Average loss: \{:.4f\}, Accuracy: \{:.4
                                  test_loss, correct, len(test_loader.dataset),
                                 100. * correct / len(test_loader.dataset)))
                 losses.append(test loss)
                 errors.append(100. * (1 - correct / len(test loader.dataset)))
```

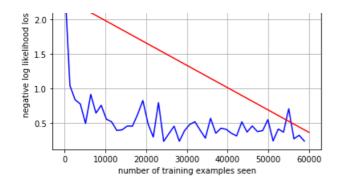
c) Change dataset to fashion MNIST (<a href="https://research.zalando.com/welcome/mission/research-projects/fashion-mnist/">https://research.zalando.com/welcome/mission/research-projects/fashion-mnist/</a>, hint: take a look at torchvision.datasets), estimate the dataset mean and standard deviation and use it to normalize the data in the data loader.

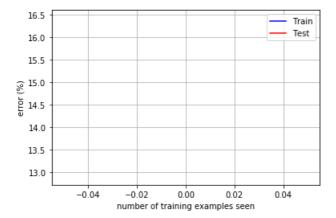
#### In [13]:

```
def main():
   use cuda = torch.cuda.is available()
   device = torch.device("cuda" if use_cuda else "cpu")
   # data transformation
   train data = datasets.FashionMNIST('.../data', train=True, download=True,
                   transform=transforms.Compose([
                      transforms.ToTensor(),
                       transforms.Normalize((0.1307,), (0.3081,))
                   ]))
   test data = datasets.FashionMNIST('.../data', train=False,
                   transform=transforms.Compose([
                       transforms.ToTensor(),
                       transforms.Normalize((0.1307,), (0.3081,))
                   ]))
    # data loaders
   kwargs = {'num_workers': 1, 'pin_memory': True} if use_cuda else {}
   train_loader = torch.utils.data.DataLoader(train_data, batch_size=batch_size, shuffle=True, **k
wards)
   test loader = torch.utils.data.DataLoader(test data, batch size=batch size, shuffle=False, **kw
args)
    # extract and plot random samples of data
   #examples = enumerate(test_loader)
   #batch idx, (data, target) = next(examples)
    #plot_data(data, target, 'Ground truth')
    # model creation
   model = CNN3().to(device)
    # optimizer creation
   optimizer = optim.SGD(model.parameters(), lr=learning rate, momentum=momentum, weight decay=wei
ght decay)
   # lists for saving history
   train losses = []
   train counter = []
   test losses = []
   test counter = [i*len(train loader.dataset) for i in range(epochs + 1)]
   train errors = []
   test_errors = []
   error counter = [i*len(train loader.dataset) for i in range(epochs)]
    # test of randomly initialized model
   test (model, device, test loader, losses=test losses)
    # global training and testing loop
   for anoth in range (1 anothe + 1).
```

```
TOT epoch In Tange (I, epochs T I).
        train(model, device, train_loader, optimizer, epoch, losses=train_losses, counter=train_cou
nter, errors=train_errors)
       test (model, device, test loader, losses=test losses, errors=test errors)
    # plotting training history
    plot graph(train counter, train losses, test counter, test losses, ylabel='negative log likelih
ood loss')
    plot_graph(error_counter, train_errors, error counter, test errors, ylabel='error (%)')
    # extract and plot random samples of data with predicted labels
    data, _, pred = predict batch(model, device, test loader)
    plot data(data, pred, 'Predicted')
4
In [14]:
if name
            == ' main ':
    main()
Test set: Average loss: 2.3017, Accuracy: 1096/10000 (11%)
Train Epoch: 1 [0/60000 (0%)] Loss: 2.529262
Train Epoch: 1 [1280/60000 (2%)] Loss: 1.037864
Train Epoch: 1 [2560/60000 (4%)] Loss: 0.832959
Train Epoch: 1 [3840/60000 (6%)] Loss: 0.771120
Train Epoch: 1 [5120/60000 (9%)] Loss: 0.489445
Train Epoch: 1 [6400/60000 (11%)] Loss: 0.910931
Train Epoch: 1 [7680/60000 (13%)] Loss: 0.640118
Train Epoch: 1 [8960/60000 (15%)] Loss: 0.752769
Train Epoch: 1 [10240/60000 (17%)] Loss: 0.552275
Train Epoch: 1 [11520/60000 (19%)] Loss: 0.514082
Train Epoch: 1 [12800/60000 (21%)] Loss: 0.389027
Train Epoch: 1 [14080/60000 (23%)] Loss: 0.397686
Train Epoch: 1 [15360/60000 (26%)] Loss: 0.452351
Train Epoch: 1 [16640/60000 (28%)] Loss: 0.450331
Train Epoch: 1 [17920/60000 (30%)] Loss: 0.621197
Train Epoch: 1 [19200/60000 (32%)] Loss: 0.822467
Train Epoch: 1 [20480/60000 (34%)] Loss: 0.484128
Train Epoch: 1 [21760/60000 (36%)] Loss: 0.292844
Train Epoch: 1 [23040/60000 (38%)] Loss: 0.791477
Train Epoch: 1 [24320/60000 (41%)] Loss: 0.230707
Train Epoch: 1 [25600/60000 (43%)] Loss: 0.342204
Train Epoch: 1 [26880/60000 (45%)] Loss: 0.450056
Train Epoch: 1 [28160/60000 (47%)] Loss: 0.231710
Train Epoch: 1 [29440/60000 (49%)] Loss: 0.386110
Train Epoch: 1 [30720/60000 (51%)] Loss: 0.475679
Train Epoch: 1 [32000/60000 (53%)] Loss: 0.515125
Train Epoch: 1 [33280/60000 (55%)] Loss: 0.392526
Train Epoch: 1 [34560/60000 (58%)] Loss: 0.277851
Train Epoch: 1 [35840/60000 (60%)] Loss: 0.564646
Train Epoch: 1 [37120/60000 (62%)] Loss: 0.348402
Train Epoch: 1 [38400/60000 (64%)] Loss: 0.421125
Train Epoch: 1 [39680/60000 (66%)] Loss: 0.404908
Train Epoch: 1 [40960/60000 (68%)] Loss: 0.347592
Train Epoch: 1 [42240/60000 (70%)] Loss: 0.309540
Train Epoch: 1 [43520/60000 (72%)] Loss: 0.513286
Train Epoch: 1 [44800/60000 (75%)] Loss: 0.365399
Train Epoch: 1 [46080/60000 (77%)] Loss: 0.453077
Train Epoch: 1 [47360/60000 (79%)] Loss: 0.371936
Train Epoch: 1 [48640/60000 (81%)] Loss: 0.386824
Train Epoch: 1 [49920/60000 (83%)] Loss: 0.544805
Train Epoch: 1 [51200/60000 (85%)] Loss: 0.236922
Train Epoch: 1 [52480/60000 (87%)] Loss: 0.410097
Train Epoch: 1 [53760/60000 (90%)] Loss: 0.364094
Train Epoch: 1 [55040/60000 (92%)] Loss: 0.703303
Train Epoch: 1 [56320/60000 (94%)] Loss: 0.267711
Train Epoch: 1 [57600/60000 (96%)] Loss: 0.319506
Train Epoch: 1 [58880/60000 (98%)] Loss: 0.235154
Test set: Average loss: 0.3614, Accuracy: 8711/10000 (87%)
```

Train Test





Predicted: [9]



Predicted: [1]



Predicted: [2]



Predicted: [6]



Predicted: [1]



Predicted: [1]

