

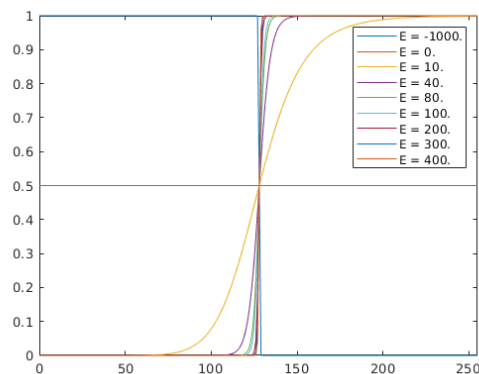
## 1. 探索对比度展宽函数

### ① 取巨大范围观察展宽效果

可见  $E = -1000$  只对1个 pixel 作用

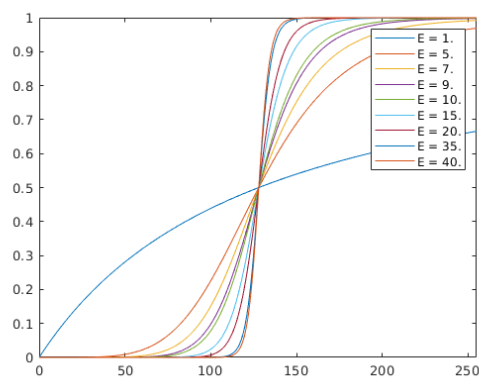
所以  $E$  不可取过大

$E$  取 40 会在窄的区间拉伸图像

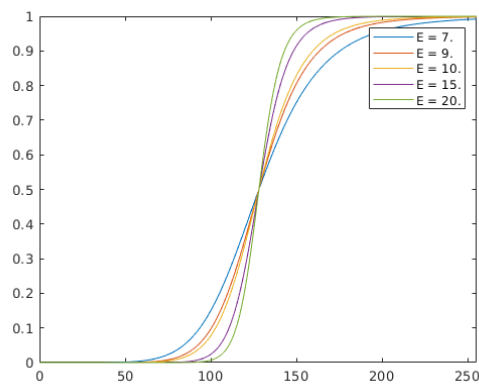


### ② 取 1-40 的一些点

观察效果



### ③ 经观察 E 在右图取值范围效果较好



实图效果及对应的直方图.

original image.



E = 7.0



E = 9.0



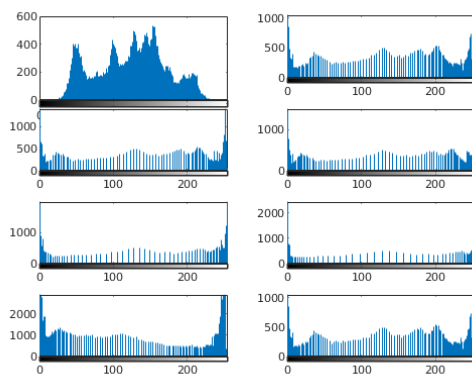
E = 10.0



E = 15.0



E = 20.0



## 2. 直方图均衡化

由图可知  $P_r(0) = 0.17$

$$r_k = 0$$

$$P_r(1) = 0.25$$

$$r_k = 1$$

$$P_r(2) = 0.21$$

$$r_k = 2$$

$$P_r(3) = 0.16$$

$$r_k = 3$$

$$P_r(4) = 0.07$$

$$r_k = 4$$

$$P_r(5) = 0.08$$

$$r_k = 5$$

$$P_r(6) = 0.04$$

$$r_k = 6$$

$$P_r(7) = 0.02$$

$$r_k = 7$$

$$S_0 = T(r_0) = P_r(r_0) = 0.17$$

$$S_1 = T(r_1) = \sum_{j=0}^1 P_r(r_j) = 0.17 + 0.25 = 0.42$$

$$s_2 = 0.63$$

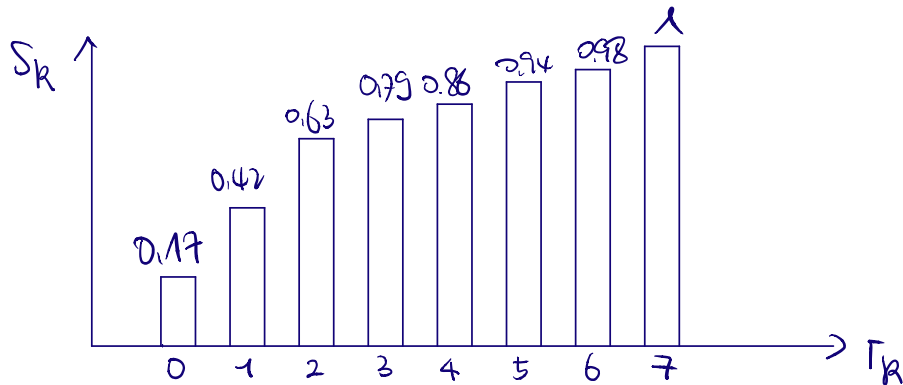
$$s_5 = 0.94$$

$$s_3 = 0.79$$

$$s_6 = 0.98$$

$$s_4 = 0.86$$

$$s_7 = 1$$



$$m_0 = \lfloor 7 \times 0.17 \rfloor = \lfloor 1.19 \rfloor = 1 \rightarrow 0.17$$

$$m_1 = \lfloor 7 \times 0.42 \rfloor = \lfloor 2.94 \rfloor = 3 \rightarrow 0.25$$

$$m_2 = \lfloor 7 \times 0.63 \rfloor = \lfloor 4.41 \rfloor = 4 \rightarrow 0.21$$

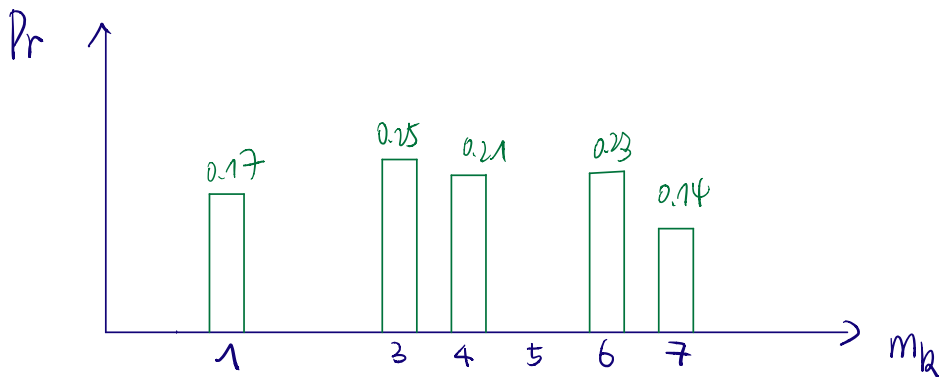
$$m_3 = \lfloor 7 \times 0.79 \rfloor = \lfloor 5.53 \rfloor = 6 \rightarrow 0.23$$

$$m_4 = \lfloor 7 \times 0.86 \rfloor = \lfloor 6.02 \rfloor = 6 \rightarrow 0.23$$

$$m_5 = \lfloor 7 \times 0.94 \rfloor = \lfloor 6.58 \rfloor = 7 \rightarrow 0.14$$

$$m_6 = \lfloor 7 \times 0.98 \rfloor = \lfloor 6.86 \rfloor = 7 \rightarrow 0.14$$

$$m_7 = \lfloor 7 \times 1 \rfloor = \lfloor 7 \rfloor = 7 \rightarrow 0.14$$



3. 由于累积分布函数是不减的阶梯函数,映射后的图像无法  
取到所有灰度级,由图可知,第一次均衡化后的图像已经均匀  
分布了.所以第次均衡化与第一次并无差异.

