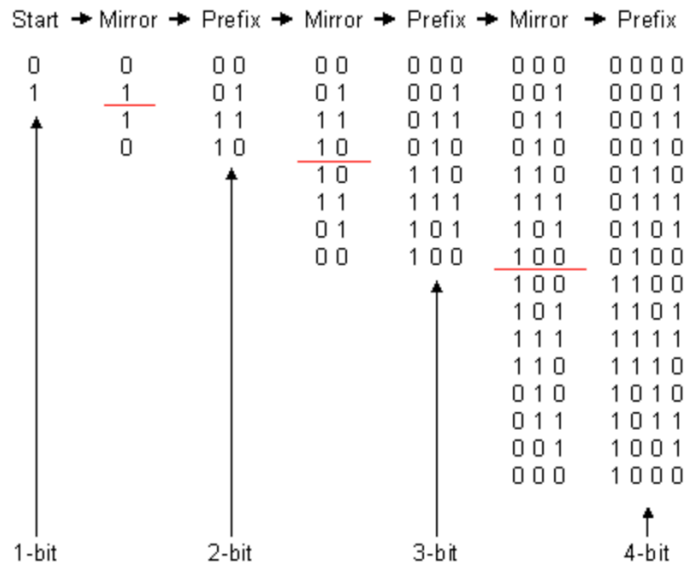


Quiz 8: Encoding Scheme & Error Detection/Correction

1. Please write the entire **4-bit** Gray code by reflecting and prefixing. ¶



2. Please Convert the following **Gray code** word to **Binary code**.

10011010

11101100

3. Convert the following **Binary code** word to **Gray code**.

10011010

11010111

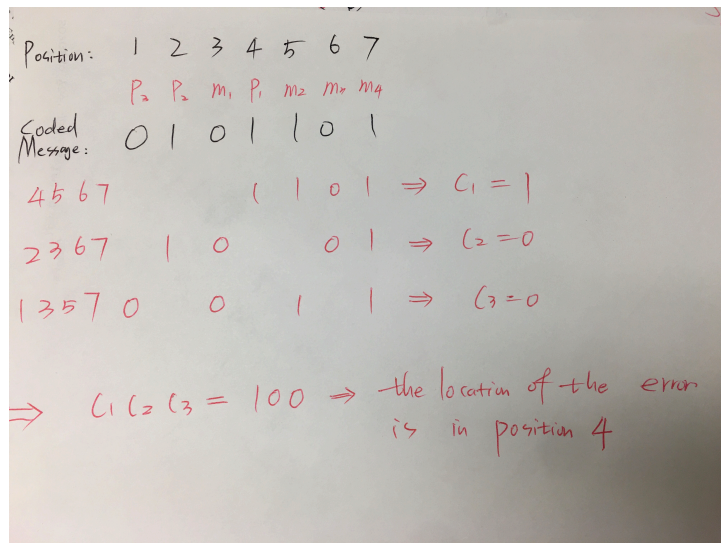
4. The following hamming coded message was received.
Use it to answer questions 4.1 - 4.6

0 1 0 1 1 0 1

(4.1) Circle the **parity bits** p3, p2 and p1

0 1 0 1 1 0 1

(4.2) What **position number** is generated to determine if an error has occurred in transmission?



4567 parity check: **c1 = 1**

2367 parity check: **c2 = 0**

1357 parity check: **c3 = 0**

100

(4.3) Did an error occur in transmission?

Yes. The location of the error is in **position 4**

(4.4) What was the **original correct coded message**?

0 1 0 0 1 0 1

(4.5) What was the **original correct message**?

0 1 0 1

(4.6) If the message is binary, what is the decimal value?

5

5. Convert a Negative Decimal Number **-15 to an 8-bit binary number using **Two's Complement**.**

1. Convert the positive number (15) to binary (8-bit)

00001111

2. Invert all bits (find the 1's complement)

11110000

3. Add 1 to the result (to get 2's complement)

11110001

6. Converting a signed Binary Number **1111 0001 in **Two's Complement** to its Decimal Number.**

1. Check the sign bit (MSB)

The first bit is 1 → the number is **negative**.

2. Invert all bits (1's complement):

00001110

3. Add 1 to get the magnitude:

00001111

Binary 00001111 = Decimal **15**

4. Apply the sign

-15

7. Encode a decimal number 4 using each of the following codes.

- A. Binary Code 0100
- B. BCD Code 0100
- C. Gray Code 0110
- D. Excess-3 Code 0111
- E. 7-bit Hamming Code 1001100

8. A self-complementing code has the special property that the 1's complement of a digit's code represents the code for its 9's complement. Using the (2,4,2,1) weighted code

8.1 what is the (2,4,2,1) binary code for decimal number 7?

$$2 \times 1 + 4 \times 1 + 2 \times 0 + 1 \times 1 = 7$$

(2,4,2,1) binary code is: 1101

8.2 what is the 1's complement of the above (2,4,2,1) code?

Flip each bit: 0010

8.3 what is the decimal value of its flipped code (1's complement)?

$$2 \times 0 + 4 \times 0 + 2 \times 1 + 1 \times 0 = 2$$

(which is the 9's complement of 7)

8.4 What is the necessary condition that a weighted code must satisfy in order to be self-complementing?

The sum of the weights must equal 9