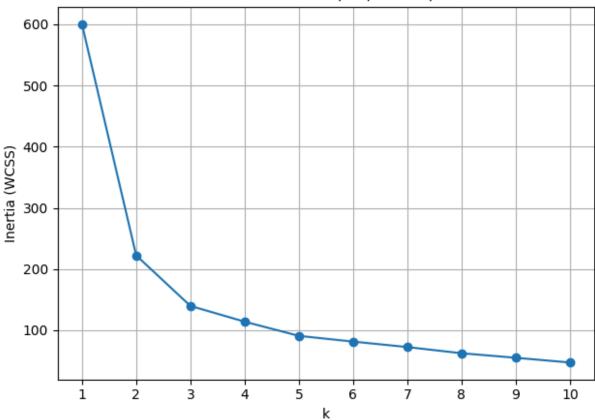
```
In [116...
        K-Means and Agglomerative Clustering on the Iris dataset
        K-Means: Uses scaling, elbow, and a 2D scatter on two features
        Agglomerative: Uses scaling, linkage, dendrogram and a 2D scatter on two fe
        .....
        import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
        from sklearn.datasets import load iris
        from sklearn.preprocessing import StandardScaler
        from sklearn.cluster import KMeans
        # ----
        # 1) Load data
        iris = load iris()
        X = iris.data
                                           # shape (150, 4)
        feature names = iris.feature names # 4 feature names
        df = pd.DataFrame(X, columns=feature_names)
        print("Samples:", X.shape[0], "| Features:", X.shape[1])
        print("Feature names:", feature_names)
        # 2) Scale features
        # -----
        scaler = StandardScaler()
        X_scaled = scaler.fit_transform(X)
       Samples: 150 | Features: 4
       Feature names: ['sepal length (cm)', 'sepal width (cm)', 'petal length (c
       m)', 'petal width (cm)']
## K Means Clustering
        In [120... | # -----
        # 3) Elbow method (find k)
        # -----
        ks = range(1, 11)
        inertias = []
        for k in ks:
            km = KMeans(n_clusters=k, init="k-means++", n_init=10,
                       random_state=42)
            km.fit(X scaled)
            inertias.append(km.inertia_)
        plt.figure()
```

```
plt.plot(ks, inertias, marker="o")
plt.title("Elbow Method (Iris, scaled)")
plt.xlabel("k")
plt.ylabel("Inertia (WCSS)")
plt.xticks(list(ks))
plt.grid()
plt.tight_layout()
plt.show()
# Choose k (for Iris, k=3 is natural)
k = 3
# 4) Fit final K-Means (k=3)
kmeans = KMeans(n_clusters=k, init="k-means++", n_init = 10,
               random_state=10)
labels = kmeans.fit_predict(X_scaled)
print("\nCluster sizes:", np.bincount(labels))
print("Final inertia (WCSS):", kmeans.inertia_)
print("Centroids in scaled space:\n", kmeans.cluster_centers_)
# 5) Simple 2D scatter (pick any two features)
# just plot two original features
# Choose two feature indices to plot
i, j = 0, 1 # sepal length vs sepal width often shows structure
plt.figure()
for c in range(k):
   mask = (labels == c)
   plt.scatter(X[mask, i], X[mask, j], label=f"cluster {c}", s=40)
plt.xlabel(feature_names[i])
plt.ylabel(feature_names[j])
plt.title("K-Means clusters on two original features")
plt.grid()
plt.legend()
plt.tight_layout()
plt.show()
# -----
# 6) Predict new samples
# -----
new_samples = np.array([
   [5.0, 3.5, 1.3, 0.3], # Setosa-like
   [6.0, 2.7, 5.1, 1.6], # Versicolor/Virginica-like
])
new scaled = scaler.transform(new samples)
pred = kmeans.predict(new_scaled)
print("\nPredicted clusters for new samples:", pred)
```

Elbow Method (Iris, scaled)



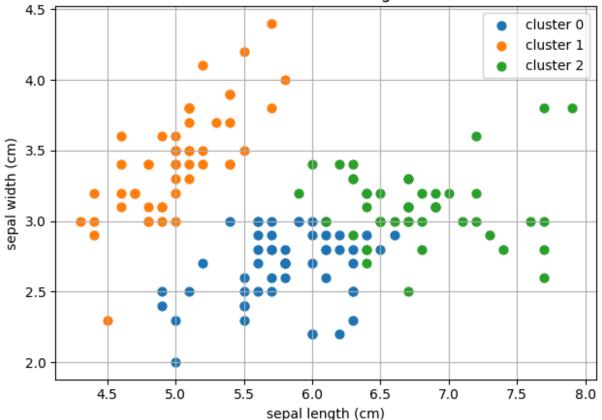
Cluster sizes: [53 50 47]

Final inertia (WCSS): 139.82049635974982

Centroids in scaled space:

[[-0.05021989 -0.88337647 0.34773781 0.2815273] [-1.01457897 0.85326268 -1.30498732 -1.25489349] [1.13597027 0.08842168 0.99615451 1.01752612]]

K-Means clusters on two original features

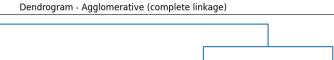


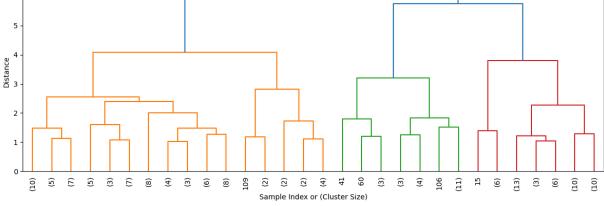
Predicted clusters for new samples: [1 0]

```
In []:
       In [106...
        ## Hierarchical Clustering: Agglomerative
        In [107... # =======
        # WHAT IS SCIPY?
        # SciPy = Scientific Python
        # It's a library built ON TOP of NumPy for scientific computing
        # Think of it this way:
        # NumPy --> Basic math, arrays, linear algebra
                 --> Advanced scientific tools (statistics, optimization, etc.)
        # Scikit-Learn --> Machine learning (built on NumPy)
        from scipy.cluster.hierarchy import dendrogram, linkage, fcluster
        from sklearn.cluster import AgglomerativeClustering
        # WHAT IS fcluster?
        # fcluster = "Form clusters"
```

```
# It's a SciPy function that CUTS a hierarchical tree
        # to get final cluster assignments for each sample
        # Think of it like:
        # 1. linkage() builds a TREE of how clusters merge
        # 2. dendrogram() VISUALIZES that tree
        # 3. fcluster() CUTS the tree to get final clusters
# 2) AGGLOMERATIVE CLUSTERING (Bottom-up)
        print("\n" + "="*60)
         print("AGGLOMERATIVE CLUSTERING (Bottom-up)")
         print("="*60)
       AGGLOMERATIVE CLUSTERING (Bottom-up)
In [109... | # Different linkage methods
        linkage_methods = ["complete", "average", "single"]
In [110... for method in linkage methods:
            print(f"\n--- Linkage Method: {method} ---")
            # Compute linkage matrix
            Z = linkage(X_scaled, method=method)
            # Create dendrogram
            plt.figure(figsize=(12, 5))
            dendrogram(Z, truncate_mode='lastp', p=30,
                      leaf_rotation=90., leaf_font_size=10.)
            plt.title(f"Dendrogram - Agglomerative ({method} linkage)")
            plt.xlabel("Sample Index or (Cluster Size)")
            plt.ylabel("Distance")
            plt.tight layout()
            plt.show()
            # Cluster with k=3
            agg_clustering = AgglomerativeClustering(n_clusters=3, linkage=method)
            agg labels = agg clustering.fit predict(X scaled)
            print(f"Cluster sizes: {np.bincount(agg_labels)}")
```

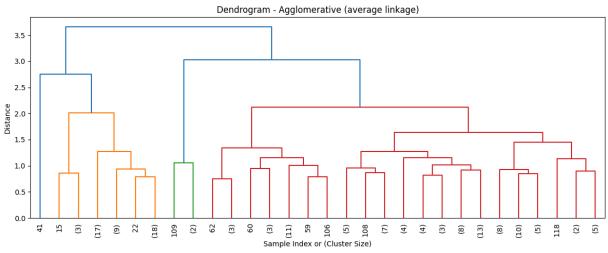
--- Linkage Method: complete ---





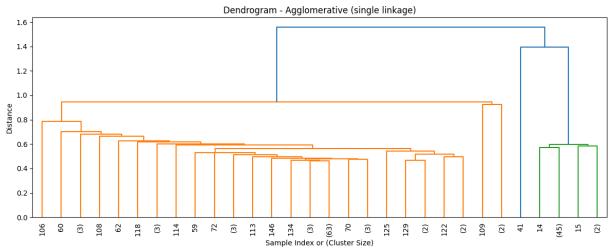
Cluster sizes: [77 49 24]

--- Linkage Method: average ---



Cluster sizes: [50 97 3]

--- Linkage Method: single ---

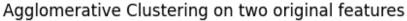


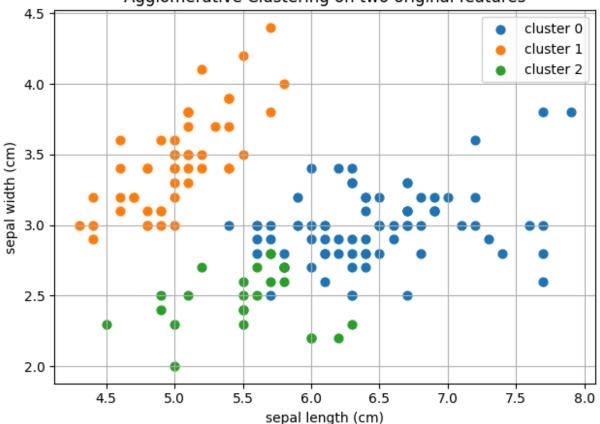
Cluster sizes: [100 1 49]

```
print("\n" + "="*60)
print("DETAILED AGGLOMERATIVE (Complete Linkage, k=3)")
print("="*60)
agg_complete = AgglomerativeClustering(n_clusters=3, linkage="complete")
agg_labels = agg_complete.fit_predict(X_scaled)
# # It COUNTS how many times each number appears in an array
print(f"Cluster sizes: {np.bincount(agg_labels)}")
# 2D scatter plot for agglomerative
i, j = 0, 1 # sepal length vs sepal width often shows structure
plt.figure()
for c in range(3):
    mask = (agg_labels == c)
    plt.scatter(X[mask, i], X[mask, j], label=f"cluster {c}", s=40)
plt.xlabel(feature_names[i])
plt.ylabel(feature names[j])
plt.title("Agglomerative Clustering on two original features")
plt.grid()
plt.legend()
plt.tight_layout()
plt.show()
```

DETAILED AGGLOMERATIVE (Complete Linkage, k=3)

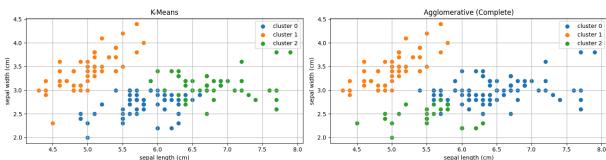
Cluster sizes: [77 49 24]





```
In [122...
         # 4) Compare K-Means and Agglomerative
         print("\n" + "="*60)
         print("COMPARISON: K-Means vs Agglomerative")
         print("="*60)
         from sklearn.cluster import KMeans
         # K-Means
         kmeans = KMeans(n_clusters=3, init="k-means++", n_init=10,
                        random_state=42)
         kmeans_labels = kmeans.fit_predict(X_scaled)
         # Agglomerative (Compelte)
         agg_labels_complete = AgglomerativeClustering(n_clusters=3,
                        linkage="complete").fit_predict(X_scaled)
         # Plot comparison
         fig, axes = plt.subplots(1, 2, figsize=(15, 4))
         methods = ["K-Means", "Agglomerative (Complete)"]
         labels_list = [kmeans_labels, agg_labels_complete]
         for idx, (ax, method, labels) in enumerate(zip(axes,methods,labels_list)):
             for c in range(3):
                mask = (labels == c)
                 ax.scatter(X[mask, i], X[mask, j], label=f"cluster {c}", s=40)
             ax.set_xlabel(feature_names[i])
             ax.set_ylabel(feature_names[j])
             ax.set_title(f"{method}")
             ax.grid()
             ax.legend()
         plt.tight_layout()
         plt.show()
```

COMPARISON: K-Means vs Agglomerative



```
print("SUMMARY")
print("="*60)
print("\nNote: Agglomerative & Divisive are distance-based hierarchical metr
print("- K-Means: Centroid-based, iterative")
print("- Agglomerative: Bottom-up, builds hierarchy from individual points")
print("- Divisive: Most ML libraries focus on agglomerative instead")
print("\nFor new sample prediction, K-Means is more suitable.")
print("For hierarchy interpretation, use dendrograms from hierarchical metho
```

SUMMARY

Note: Agglomerative & Divisive are distance-based hierarchical methods

- K-Means: Centroid-based, iterative
- Agglomerative: Bottom-up, builds hierarchy from individual points
- Divisive: Most ML libraries focus on agglomerative instead

For new sample prediction, K-Means is more suitable. For hierarchy interpretation, use dendrograms from hierarchical methods.

In []:	
In []:	