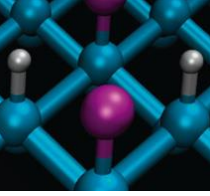


Chapter 1

Introduction to Chemistry

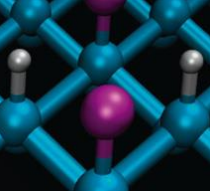


The Science of Chemistry: Observations, Models, and Systems



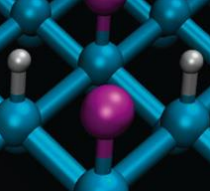
- Chemistry is an **empirical** science and is studied by:
 - Measuring physical properties and observing chemical reactions
 - Creating **models** to explain observations and organizing collected data

Observations in Science



- Observations are recorded via measurements
 - **Accuracy:** How close the observed value is to the “true” value
 - **Precision:** The spread in values obtained from measurements

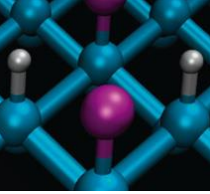
Observations in Science



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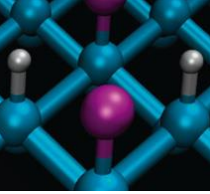
- Measurements can have poor precision and poor accuracy
 - Darts are widely scattered and far away from the target

Observations in Science



- Measurements can have good precision and poor accuracy
 - Darts are clustered together but are clustered far from the bull's-eye

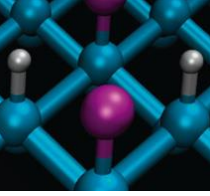
Observations in Science)



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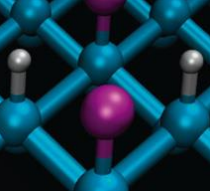
- Measurements can have good precision and good accuracy
 - Darts are clustered together and close to the target

Numbers and Measurements in Chemistry



- Chemists quantify data, expressing collected data with units and significant figures
 - **Units**: Designate the type of quantity measured
 - **Prefixes**: Provide scale to a base unit
 - **Significant Figures**: Indicate the amount of information that is reliable when discussing a measurement

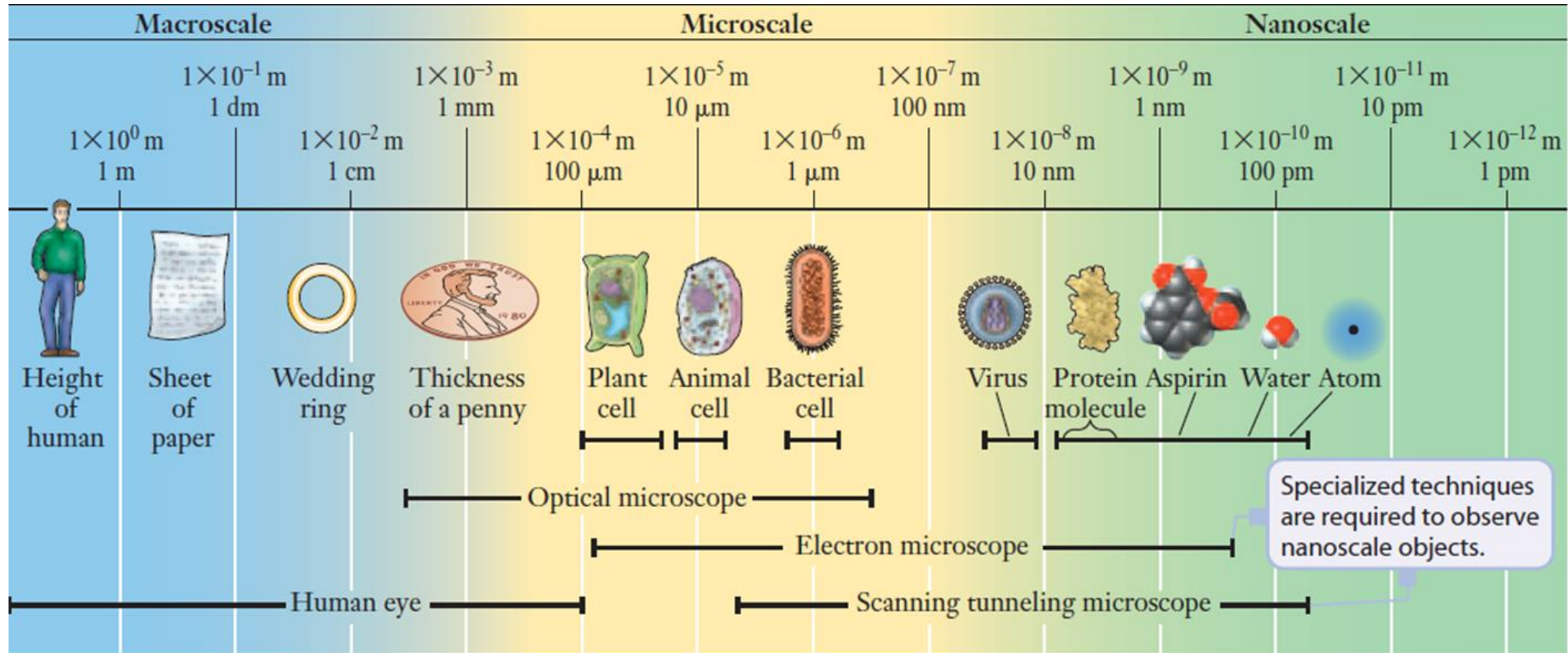
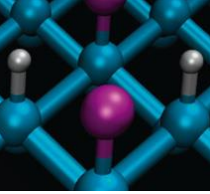
Units



Property	Unit, with Abbreviation
Mass	kilogram, kg
Time	second , s
Distance	meter, m
Electric current	ampere, A
Temperature	Kelvin, K
Number of particles	mole, mol
Light intensity	candela, cd

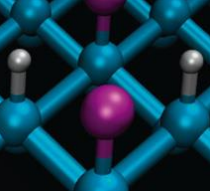
- Base unit designates the type of quantity being measured
- SI units are the base units of science
- Some units comprise combinations of these base units and are termed **derived units**
 - $1 \text{ J} = 1 \text{ kg m}^2 \text{ s}^{-2}$

Units



- Prefixes are used with base units to report and understand quantities of any size

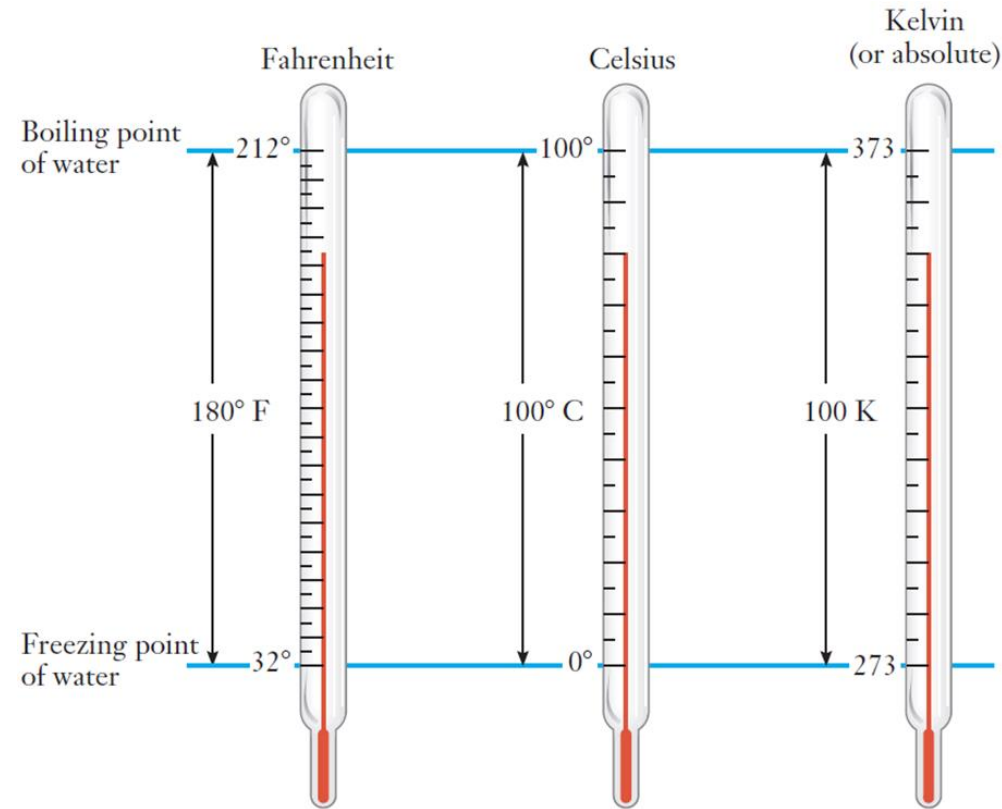
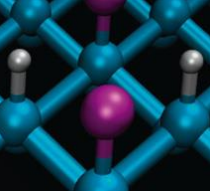
SI Prefixes



Factor	Name	Symbol	Factor	Name	Symbol
10^{24}	yotta	Y	10^{-1}	deci	d
10^{21}	zetta	Z	10^{-2}	centi	c
10^{18}	exa	E	10^{-3}	milli	m
10^{15}	peta	P	10^{-6}	micro	μ
10^{12}	tera	T	10^{-9}	nano	n
10^9	giga	G	10^{-12}	pico	p
10^6	mega	M	10^{-15}	femto	f
10^3	kilo	k	10^{-18}	atto	a
10^2	hecto	h	10^{-21}	zepto	z
10^1	deka	da	10^{-24}	yocto	y

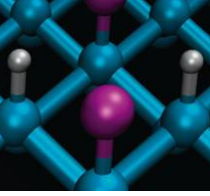
- Prefixes are based on multiples of 10

Temperature



- Temperature is measured using the Fahrenheit, Celsius, and Kelvin temperature scales

Temperature Scale Conversions



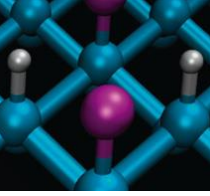
$$^{\circ}\text{F} = (1.8 \times ^{\circ}\text{C}) + 32$$

$$^{\circ}\text{C} = (^{\circ}\text{F} - 32)/1.8$$

$$\text{K} = ^{\circ}\text{C} + 273.15$$

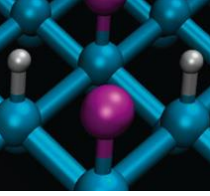
$$^{\circ}\text{C} = \text{K} - 273.15$$

Numbers and Significant Figures



- All digits reported are considered significant except for certain types of zeros
 - Trailing and Leading zeroes are not significant
 - 51,300 m: 3 significant figures
 - 0.043 g: 2 significant figures
 - A zero is significant when it *follows* a decimal point or when it occurs between other significant figures
 - 4.30 mL: 3 significant figures
 - 304.2 kg: 4 significant figures
- All numbers are significant when written in correct scientific notation

Numbers and Significant Figures

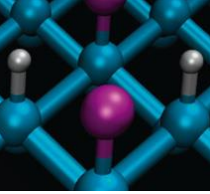


- **Scientific notation** is used to easily write very small and very large numbers
 - Numbers written using scientific notation factor out all powers of ten

$$54,000 = 5.4 \times 10^4$$

$$0.000042 = 4.2 \times 10^{-5}$$

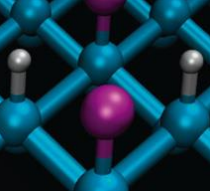
Example Problem 1.2



- An alloy contains 1.05% of some impurity. How many significant figures are reported in this value?

3

Numbers and Significant Figures (3 of 4)



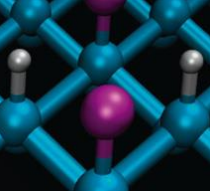
- For calculated values, the number of significant figures should be consistent with the data used in the calculation
 - For multiplication and division, the number of significant figures in a result must be the same as the number of significant figures in the factor with the fewest significant figures

$$0.24 \text{ kg} \times 4621 \text{ m} = 1100 \text{ kg m} \text{ or } 1.1 \times 10^3 \text{ kg m}$$

- For addition and subtraction, the result must have the same number of decimal places as the quantity with the fewest decimal places.

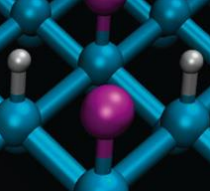
$$\begin{array}{r} 4.882 \text{ m} \\ + 0.3 \text{ m} \\ \hline 5.2 \text{ m} \end{array}$$

Example Problem 1.3



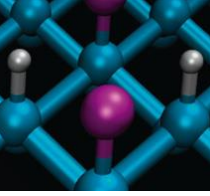
- Report the result for the indicated arithmetic operations using the correct number of significant figures. Assume all values are measurements and not exact numbers.
 - 4.30×0.31
 - $4.033 + 88.1$
 - $5.6 / 1.732 \times 10^4$

Numbers and Significant Figures



- When counting discrete objects, the result has no ambiguity
 - Such measurements use **exact numbers**
 - They have infinite significant figures
 - Two pennies would be 2.000000...
 - Exactly defined terms, such as metric prefixes, are also considered exact numbers

Ratios in Chemistry Calculations

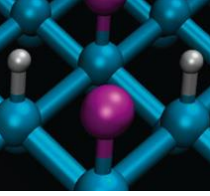


- **Mass Density**: Ratio of an object's mass to its volume
 - Temperature and compound specific
 - Allows conversion between mass and volume

$$346 \text{ L} \times \frac{1000 \text{ mL}}{1 \text{ L}} \times \frac{0.975 \text{ g}}{1 \text{ mL}} = 3.37 \times 10^5 \text{ g}$$

- Units of measurement can be used to determine how to write the appropriate ratio by “canceling” out
 - This type of reasoning is called **dimensional analysis** or the **factor-label method**

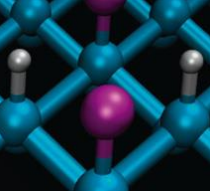
Example Problem 1.5



- What is the wavelength, in meters, of orange light of wavelength 615 nm?

$$6.15 \times 10^{-7} \text{ m}$$

Example Problem 1.6



- The density of water at 25°C is 0.997 g per mL. A child's swimming pool holds 346 L of water at this temperature. What mass of water is in the pool?

$$\begin{aligned} M &= \rho \cdot V \\ &= 0.997 \times 346 \times 1000 \\ &= 3.44962 \times 10^5 \text{ g} \end{aligned}$$