

Enrolment for the module

Within six weeks after starting the lectures

Requirements for written examination

Regular participation in lectures and exercises



Written examination

Monday, 22nd February 2016, 10:00 - 12:00 hours, lecture hall 2, Abbeanum



4 credit points

1.1. Contents of the Lectures







November 2010



Contents

- 1. Introduction
- 2. Interferometry
- 3. Interferometric Wavefront Analysis
- 4. Wavefront Sensors
- 5. Holography and Holographic Interferometry
- 6. Structured Light Illumination
- 7. Future Prospects

References



Bass (Ed.) Handbook of Optics II, McGraw-Hill, New York, 1995

Born/Wolf Principles of Optics, Pergamon Press, Oxford, 1999

Gasvik Optical Metrology, Wiley & Sons, Chichester, 1987

Goodman Introduction to Fourier Optics, McGraw-Hill, New York, 1988

Hariharan Interferometry, Cambridge Univ. Press, 1986

Hernandez Fabry-Perot-Interferometer, Cambridge Univ. Press, 1986

Hecht Optics, Addison Wesley, San Francisco, 2002

Klein/Furtak Optik, Springer-Verlag, Berlin 1986

Kreis Holographic interferometry, Akademie Verlag, Berlin, 1996

Lauterborn Kohärente Optik, Springer-Verlag, Berlin, 1993

Ludmann u.a. Holography for the new millenium, Springer, New York, 2002

References



Malacara u.a. Handbook of Optical Engineering, Dekker, New York, 2001

Mandel/Wolf Optical Coherence and Quantum Optics, Cambridge Press, 1995

Pedrotti u.a. Optik, Prentice Hall, München, 1996

Reynolds u.a. Physical Optics Notebook: Tutorials in Fourieroptics, SPIE, 1989

Sirohi (Ed.) Speckle Metrology, Dekker, New York, 1993

SPIE Proceedings

Steel Interferometry, Cambridge University Press, Cambridge, 1987

Young Optik, Laser, Wellenleiter, Springer-Verlag, Berlin, 1997

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Amsterdam, Book series since 1961





Optical metrology essentially measurement of length

Industry:

Precision measuring technique



Demands

- Positioning accuracy of workpieces < 20 nm
- Reproducibility of dimensional measurements < 10 nm

Machine building

Lengths to be measured \leq 100 mm (... some m) with \pm 1 μ m

(1 μ m = extension of a Fe-rod (1 m) for Δ T = 1 K)



Characterization of measuring devices

- 1) Test piece/specimen/measuring object scanning/sensing
- 2) Measurement signal (material measure, standard, etalon)
- 3) Amplification of the signal
- 4) Indication of the measured value

If 1) or 2) or 3) is performed out optically

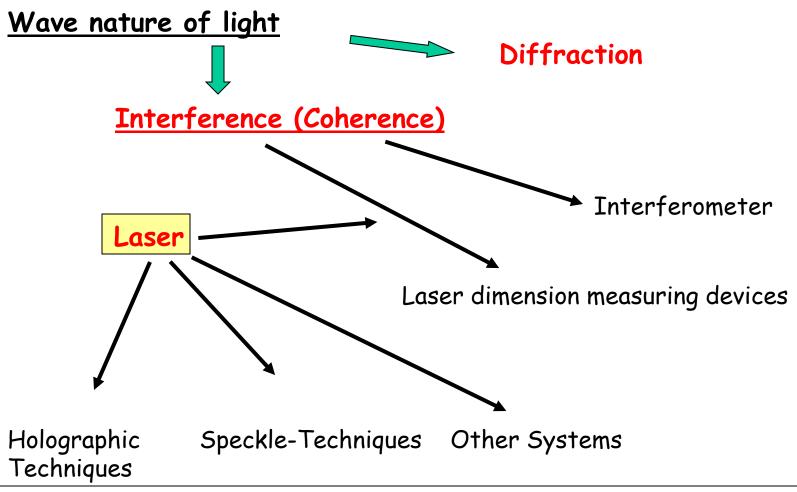


Optical measuring instrument

1.2. Characterization of the Field



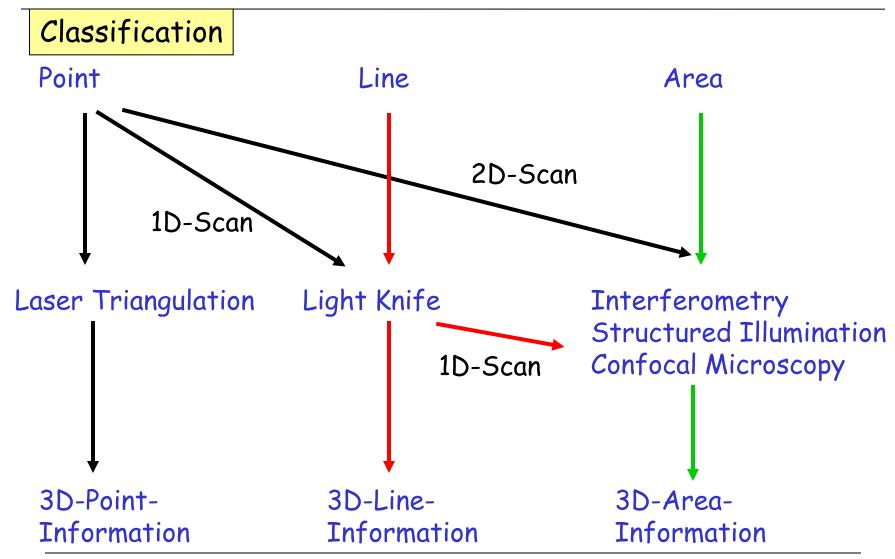
Methods



Prof. R. Kowarschik, Optical metrology and sensing

1.2. Characterization of the Field





Prof. R. Kowarschik, Optical metrology and sensing



Result of Measurement = Measured Value ± Uncertainty of Measurement



Measurement Terms

Accuracy: In situations where we believe that the measured value is

close to the true value, we say that the measured value is

accurate.

<u>Precision:</u> When values obtained by repeat measurements of a

particular quantity exhibit little variability, we say that

those values are precise.

Attention: Precision and accuracy are qualitative terms!



Measurement Terms

Repeatability: How capable a gage is of providing the same reading for

(of a gage) a single user when measuring a specific sample.

Reproducibility: Ability for different users to get the same reading when

measuring a specific sample.

Resolution: Smallest amount of input signal change the instrument

can detect reliably.

<u>Sensitivity:</u> Smallest signal the instrument can measure.

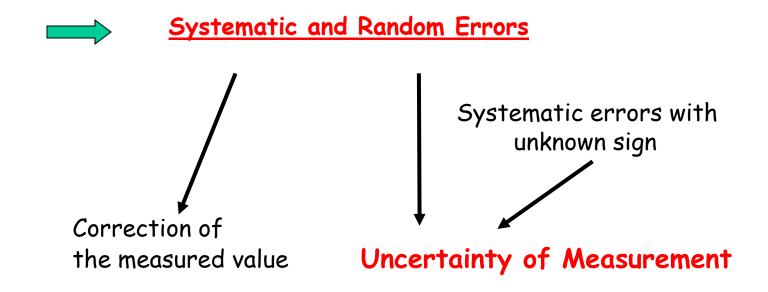


Result of Measurement = Measured Value ± Uncertainty of Measurement

Errors (selection)

- Material measure (standard, etalon)
- Mechanical "failures" of the system
- Distortion of the Abbe comparator principle
- Environments
- Experimenter/observer







Normal (Gaussian) distribution of measured values

Within interval $\pm \sigma$ are 68.27 % \forall measured values (statist. certainty: 68.27 %)

Within interval \pm 2 σ are 95.45 % \forall measured values (statist. certainty: 95.45 %)

Within interval $\pm 3\sigma$ are 99.73 % \forall measured values (statist. certainty: 99.73 %)

Denotation:

For a given statistical certainty the corresponding range is called $\pm c \cdot \sigma$ confidence interval (CI).

The true value lies within the confidence interval for a given statistical certainty if there are no systematic errors.



Propagation of errors

Systematic Errors:

$$df = \frac{\partial f}{\partial x} dx + \frac{\partial f}{\partial y} dy + \frac{\partial f}{\partial z} dz$$

Statistical Errors:

$$u = \pm \sqrt{\left(\frac{\partial f}{\partial x}\right)^2 (dx)^2 + \left(\frac{\partial f}{\partial y}\right)^2 (dy)^2 + \left(\frac{\partial f}{\partial z}\right)^2 (dz)^2}$$



Definition of the Meter

1791: French Academy of Sciences

1 m = one ten-millionth part of the quadrant of the earth's meridian

1875: Treaty of the Meter (Meter Convention)

General Conference on Weights and Measures (GCPM)

International Bureau of Weights and Measures (BIPM)

1889: International Prototype

("final" definition 1927 by 7th GCPM)



Uncertainty of the Prototype

1. External conditions

$$\Delta T = \pm 0.001^{\circ}$$
 $\Delta I/I = \pm 10^{-8}$

2. Measurement procedure

- Engraved lines
- Illumination, cross section, contamination

3. Instability





Required Accuracy

Everyday life: $\Delta I/I = \pm 10^{-3}$ (commerce)

 $\Delta I/I = \pm 10^{-6}$ (gauge block)

Physics: $\Delta I/I = \pm 10^{-7}$

Problems with the Prototype

- arbitrary unit
- unique unit

Hierarchy of secondary standards, prototypes

Propagation of errors

<u>Definition of the Meter based upon the Wavelength</u>

1893: Michelson: 1st measurement with red Cd-line

1906: Benoit, Fabry, Perot: measurement repeated

1927: 7th GCPM

red Cd - Line = primary standard for spectroscopy

(dry air, 15 °C, 101.33 kPa, carbonic acid 0.03 volume percent)

Disadvantages

- 1) Wavelength in air
- 2) Cd emission non-monochromatic
- 3) Michelson Lamp
- 4) Bad reproducibility
- 5) Insensitive SEM's



1960: 11th *GC*PM

Kr - wavelength = new standard

1m = 1,650,763.73 vacuum wavelength of the radiation of
$$^{2}p_{10} \longrightarrow {}^{5}d_{5}$$
 of $_{36}Kr$

$$(\lambda = 605.8 \text{ nm})$$

<u>Advantages</u>

- 1) Vacuum
- 2) No Hyperfine structure
- 3) No instruction for the generation of the radiation

$$\Delta I/I = \pm 10^{-8}... \pm 4.10^{-9}$$



1983:

1 m = length of the path travelled by light in vacuum during a time interval of 1/299,792,458 s

SI base units	relative uncertainty (realization) 10-14	
S		
m	10-14	
kg	0	
A	10-6	
K	10-6	
mol	10 -5	
Cd	5.10 -3	

1.4. Some Basics



<u>Coherence</u> = <u>Capability of Interference</u>

Correlation of wave fields (coherence function)

a) Spatial Coherence

Coherence = f (dimensions of the source of light)

Point source = spatially coherent

Measurement procedure: Young Interferometer

b) Temporal Coherence

Finite "wave train" path difference too high \rightarrow no interference Measurement procedure: Michelson interferometer

1.4. Some Basics

i

Temporal Coherence

Source	Δλ [nm]	Δν [Ηz	Δl _c [m]
Hg (high-pressure) 546 nm	10	1013	3.10-5
Hg (low-pressure)	1	10^{12}	3·10-4
546 nm Ar-Laser 514 nm	9·10-3	1010	3·10-2
He-Ne-Laser	4·10 -3	3.109	0,1
(multimode) 633 nm	1 2 10 10	100	2 106
He-Ne-Laser (stabilized)	1.3·10-10	100	3.106
633 nm LED	3·10	3·10 ¹³	10-5
631 nm			