Create two t-contrast brain map plots (see Figure 5.9 in your textbook) for each condition (eyes open and eyes closed). This involves fitting a GLM model for every voxel in the dataset. Discuss your results. Hint: Check out the Nilearn plot surf stat map function. https://nilearn.github.io/stable/auto\_examples/01\_plotting/plot\_3d\_map\_to\_surface\_projection.html#making-a-surface-plot-of-a-3d-statistical-map

```
In []: # Import the required Packages
import os
import numpy as np
import matplotlib.pyplot as plt
%matplotlib inline
import nibabel as nib

fmri_file = '../../datasets/fMRI/HW4/sub-001_ses-001_task-eoec_bold.nii.gz' # Get the nifti file (fMRI)
img = nib.load(fmri_file) # Load in the nifti file (fMRI)

mri_file = '../../datasets/fMRI/HW4/sub-001_ses-001_acq-highres_Tlw.nii.gz' # Get the nifti file (MRI)
background_img = nib.load(mri_file) # Load in the nifti file (MRI)
```

### The Predictors

The numbers used in the predictiors came from the content in the tsv file.

```
In [2]: # TSV File content
        # onset duration
                                trial type
                       EC
        # 0
                20
        # 20
                20
                        E0
        # 40
               20
                        FC
        # 60
                20
        # 80
                20
                        FC
        # 100 20
        # 120 20
                        FC
        # 140
               20
                        F0
        # 160
               20
                        FC
        # 180
               20
               20
        # 200
                        FC
        # 220
                20
        # Timepoints (assuming 1-second TR, adjust as necessary)
        n_timepoints = 240 # Total timepoints
        time = np.arange(n_timepoints)
        # Create binary regressors
        design_EC = np.zeros(n_timepoints)
        design E0 = np.zeros(n timepoints)
        # Populate ranges based on TSV file
        design EC[0:20] = -1 # Set the value of first occurance of Eye Closed
        design EC[40:60] = -1 # Set the value of second occurance of Eye Closed
        design EC[80:100] = -1 # Set the value of third occurance of Eye Closed
        design_EC[120:140] = -10 # Set the value of fourth occurance of Eye Closed
        design EC[160:180] = -15 # Set the value of fifth occurance of Eye Closed
        design_EC[200:220] = -10 # Set the value of sixth occurance of Eye Closed
        design_E0[20:40] = 20 # Set the value of first occurance of Eye Open
        design_E0[60:80] = 15 # Set the value of second occurance of Eye Open
        design_E0[100:120] = 20 # Set the value of third occurance of Eye Open
        design_E0[140:160] = 10 # Set the value of fourth occurance of Eye Open
        design_E0[180:200] = 10 # Set the value of fifth occurance of Eye Open
        design E0[220:240] = 10 # Set the value of sixth occurance of Eye Open
        {\tt design\_E0\_downsampled = design\_E0.reshape(-1, 2).mean(axis=1) \# \textit{Downsample the eyes open vector}}
        design EC downsampled = design EC.reshape(-1, 2).mean(axis=1) # Downsample the eyes open vector
```

# GLM Application to Every Voxel Signal

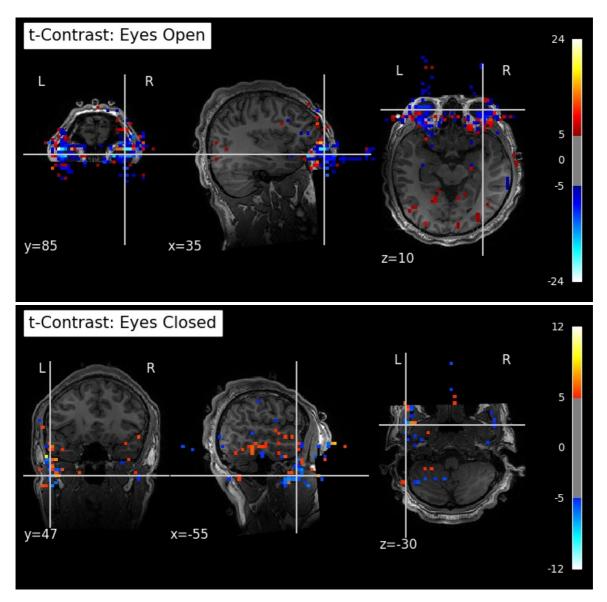
Given two events (eyes open & eyes closed) which are now associated to 2 GLM models (Q2 and Q3), we will now plot them in every voxel to try and see if we can find anything meaningful. With this we will also plot Q2 and Q3 just to see any general differences between the two that we didn't see in the analysis of Q3.

#### Plot details

Firstly the threshold was set to 5 to cut out any loosely corralated voxel signals to more accurately show high corralation voxel signals. Second, the background image of the plot takes the MRI image and maps the fMRI results onto that map to better see what's going on and where in a high resolution.

## Plot Q2 Eyes Open & Eyes Closed GLMs (no HRF) results to all rMRI data.

```
In [ ]: # Import more libraries to plot changes
                    import numpy as np
                    import nibabel as nib
                    from nilearn.image import resample to img, new img like
                    from nilearn.glm.first_level import make_first_level_design_matrix
                    from nilearn.plotting import plot stat map
                    from nilearn.glm.first_level import run_glm
                    from nilearn.glm.contrasts import compute contrast
                    icept = np.ones((design EC downsampled.size, 1)) # Generate template for intercepts
                    # Combine Eyes Open and Eyes Closed regressors
                    design_matrix = np.column_stack([icept, design_E0_downsampled, design_EC_downsampled])
                    # Fit GLM to each voxel
                    data = img.get_fdata()
                    shape = data.shape[:-1] # Exclude time dimension
                    beta maps = np.zeros((*shape, 3)) # Now accounting for three predictors
                    for x in range(shape[0]): # Loop through x axis
                             for y in range(shape[1]): # Loop through y axis
                                       for z in range(shape[2]): # Loop through z axis
                                                voxel_signal = data[x, y, z, :] # Grab voxel signal
                                                 if np.any(voxel_signal): # Check if the voxel signal is valid
                                                          betas_simple = np.linalg.inv(design_matrix.T @ design_matrix) @ design_matrix.T @ voxel signal
                                                          beta_maps[x, y, z, :] = betas_simple # Put the betas into same voxel position
                    contrast E0 = np.array([0, 1, 0])
                    contrast EC = np.array([0, 0, 1])
                    # Compute t-maps
                    t map E0 = np.zeros(shape)
                    t map EC = np.zeros(shape)
                    for x in range(shape[0]): # Loop through x axis
                             for y in range(shape[1]): # Loop through y axis
                                       for z in range(shape[2]): # Loop through z axis
                                                beta = beta_maps[x, y, z, :] # Grab beta vector for a given voxel
                                                residual\_var = np.sum((data[x, y, z, :] - design \ matrix @ beta) \ ** 2) \ / \ (design \ matrix.shape[0] - design \ matrix \ ** 2) \ / \ (design \ matrix \ ** 2) \ / \ (design \ matrix \ ** 3) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ ** 4) \ / \ (design \ matrix \ matrix \ ** 4) \ / \ (design \ matrix 
                                                var_beta = np.linalg.inv(design_matrix.T @ design_matrix).diagonal() # Calculate the variance of the
                                                t_map_E0[x, y, z] = (contrast_E0 @ beta) / np.sqrt(residual_var * (contrast_E0 @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(designap_EC[x, y, z] = (contrast_EC[x, y, z] = (contrast_EC[x, y, z] = (
                    # Create statistical maps
                    t map EO img = new img like(img, t map EO) # Make map with t-tests of eyes open
                    t map EC img = new img like(img, t map EC) # Make map with t-tests of eyes closed
                    # Plot
                    plot_stat_map(t_map_E0_img, bg_img=background_img, title="t-Contrast: Eyes Open", threshold=5.0, dim=-0.5) # Plot_stat_map(t_map_E0_img, bg_img=background_img, title="t-Contrast: Eyes Open", threshold=5.0, dim=-0.5)
                    plot_stat_map(t_map_EC_img, bg_img=background_img, title="t-Contrast: Eyes Closed", threshold=5.0, dim=-0.5) # #
                 /tmp/ipykernel_389692/212898104.py:43: RuntimeWarning: invalid value encountered in scalar divide
                      t map EO[x, y, z] = (contrast EO @ beta) / np.sqrt(residual var * (contrast EO @ np.linalg.inv(design matrix.T
                 @ design matrix) @ contrast EO)) # Get t-test result for eyes open
                 /tmp/ipykernel 389692/212898104.py:44: RuntimeWarning: invalid value encountered in scalar divide
                    @ design matrix) @ contrast EC)) # Get t-test result for eyes closed
```



From the results above we can see how well our non HRF GLMs did and for the most part they did ok.

The first thing to notice is that in the eyes open plot you see a huge negative corralation around the eyes. This can indicate that something is going on here which leads the GLM to be accurate in making the wrong prediction, so if the model says high then the voxel signals around the eyes go low to a very reliable degree. There are also some high corralation spots there too, but not as many. This makes sense that there is something going on near the eyes because, the eyes are open in the eyes open case probably leading to an activity which is not netural.

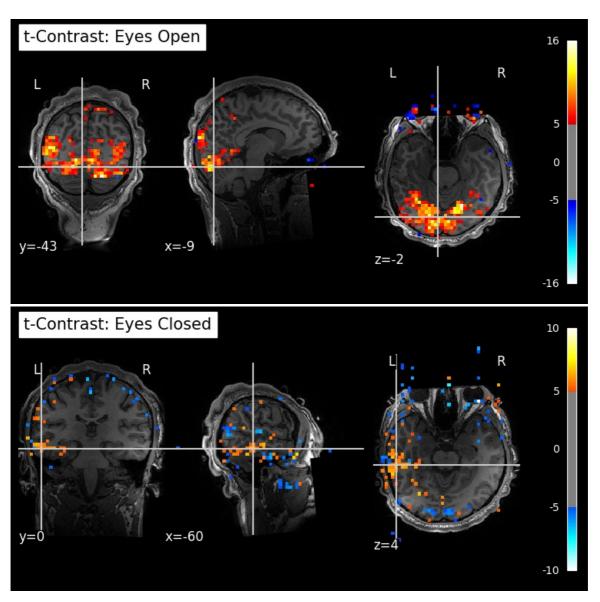
And when it comes to the eyes closed plot we don't see a good corralation really, I mean there are some dots scattered around the brain on the left hand side, but not so much where we can make a good conclusion with our model and the eyes being closed here.

# Plot Q3 Eyes Open & Eyes Closed HRF GLMs results to all rMRI data.

```
In [16]: # Create a canonical HRF function
from nilearn.glm.first_level.hemodynamic_models import glover_hrf # Import glover_hrf function
from scipy.interpolate import interpld

TR = 2 # Repetition Time
osf = 2 # Oversampling Factor
length_hrf = 32 # Length of HRF in seconds
canonical_hrf = glover_hrf(tr=TR, oversampling=osf, time_length=length_hrf,
onset=0) # Assign the resulting glover_hrf with the specified input above to a variable
canonical_hrf /= canonical_hrf.max() # Normalize HRF to have a maximum of one.
```

```
print("Size of canonical hrf variable: %i" % canonical_hrf.size) # Print hrf size
 # HRF MODEL GENERATION
 predictor all = design EO # Assign the eyes open vector to predictor all
 predictor_conv = np.convolve(predictor_all.squeeze(), canonical_hrf) # Convolve the predictor_all vector with ti
 # After convolution, we also neem to "trim" off some excess values from the convolved signal
 predictor conv = predictor conv[:predictor all.size]
 # And we have to add a new axis again to go from shape (N,) to (N, 1), which is important for stacking the inte
 predictor_conv = predictor_conv[:, np.newaxis]
 original scale = np.arange(0, 240) # Sample the original time values (seconds)
 resampler = interpld(original_scale, np.squeeze(predictor_conv)) # Resample the time values with the convolved
 desired scale = np.arange(0, 240, 2) # Half the original time to get time volumes
 predictor_conv_ds = resampler(desired_scale) # Apply the resample to get desired scale
 predictor EO ds = predictor conv ds[:, np.newaxis] # Copy predictor and add an extra axis to it
 # HRF MODEL GENERATION
 predictor all = design EC # Assign the eyes open vector to predictor all
 predictor conv = np.convolve(predictor all.squeeze(), canonical hrf) # Convolve the predictor all vector with the
 # After convolution, we also neem to "trim" off some excess values from the convolved signal
 predictor conv = predictor conv[:predictor all.size]
 # And we have to add a new axis again to go from shape (N,) to (N, 1), which is important for stacking the integral (N, 1)
 predictor conv = predictor_conv[:, np.newaxis]
 original scale = np.arange(0, 240) # Sample the original time values (seconds)
 resampler = interpld(original scale, np.squeeze(predictor conv)) # Resample the time values with the convolved
 desired_scale = np.arange(0, 240, 2) # Half the original time to get time volumes
 predictor conv ds = resampler(desired scale) # Apply the resample to get desired scale
 predictor_EC_ds = predictor_conv_ds[:, np.newaxis] # Copy predictor and add an extra axis to it
 icept = np.ones((design EC downsampled.size, 1)) # Generate template for intercepts
 # Combine Eyes Open and Eyes Closed regressors
 design matrix = np.column stack([icept, predictor EO ds, predictor EC ds])
 # Fit GLM to each voxel
 data = img.get fdata()
 shape = data.shape[:-1] # Exclude time dimension
 beta_maps = np.zeros((*shape, 3)) # Now accounting for three predictors
 for x in range(shape[0]): # Loop through x axis
     for y in range(shape[1]): # Loop through y axis
         for z in range(shape[2]): # Loop through z axis
             voxel_signal = data[x, y, z, :] # Grab voxel signal
             if np.any(voxel signal): # Check if the voxel signal is valid
                  betas simple = np.linalq.inv(desiqn matrix.T @ desiqn matrix) @ desiqn matrix.T @ voxel signal
                  beta maps[x, y, z, :] = betas simple # Put the betas into same voxel position
 # Contrasts
 # Compute t-maps
 t map E0 = np.zeros(shape)
 t map EC = np.zeros(shape)
 for x in range(shape[0]): # Loop through x axis
     for y in range(shape[1]): # Loop through y axis
         for z in range(shape[2]): # Loop through z axis
             beta = beta_maps[x, y, z, :] # Grab beta vector for a given voxel
             residual_var = np.sum((data[x, y, z, :] - design_matrix @ beta) ** 2) / (design_matrix.shape[0] - devar_beta = np.linalg.inv(design_matrix.T @ design_matrix).diagonal() # Calculate the variance of the
             t map EO[x, y, z] = (contrast EO @ beta) / np.sqrt(residual var * (contrast EO @ np.linalg.inv(design)
             t_map_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(desidual_var))
 # Create statistical maps
 t_map_E0_img = new_img_like(img, t_map_E0) # Make map with t-tests of eyes open
 t_map_EC_img = new_img_like(img, t_map_EC) # Make map with t-tests of eyes closed
 # Plot
 plot stat map(t map E0 img, bg img=background img, title="t-Contrast: Eyes Open", threshold=5.0, dim=-0.5) # Plot stat map(t map E0 img, bg img=background img, title="t-Contrast: Eyes Open", threshold=5.0, dim=-0.5)
 plot stat map(t map EC img, bg img=background img, title="t-Contrast: Eyes Closed", threshold=5.0, dim=-0.5) # /
Size of canonical hrf variable: 32
/tmp/ipykernel 389692/3472818731.py:74: RuntimeWarning: invalid value encountered in scalar divide
  \texttt{t\_map\_EO[x, y, z] = (contrast\_EO @ beta) / np.sqrt(residual\_var * (contrast\_EO @ np.linalg.inv(design\_matrix.Test) } 
@ design_matrix) @ contrast_E0)) # Get t-test result for eyes open
/tmp/ipykernel 389692/3472818731.py:75: RuntimeWarning: invalid value encountered in scalar divide
 t_map_EC[x, y, z] = (contrast_EC @ beta) / np.sqrt(residual_var * (contrast_EC @ np.linalg.inv(design_matrix.T
@ design_matrix) @ contrast_EC)) # Get t-test result for eyes closed
```



From the results above we can see how well our HRF GLMs did and for the most part they did better than the non HRF GLMs.

The first thing to notice is that in the eyes open plot you see a massive positive corralation going on near back of the brain. The signal is extremely bright showing us that our models assumption of higher amplitude of the voxel signal during eyes open events was correct in this back part of the brain. This area looks to be the occipital lobe and makes sense due to general consensus being that the occipital lobe is responsible for visual prossesing. That also maps onto our plot here showing high brain activation in that region when the eyes are open.

And when it comes to the eyes closed plot we see a better corralation than before in that bottom left portion of the brain. Even though the corralation in this plot is not as strong as the eyes open plot, there is still some key things to notice here. This bottem left portion of the brain looks to be the temporal lobe of which general consensus is that the temporal lobe is responsible for memory processing, processing visual information, and other similar functionalities. With that information along with our plot we can assume that potentially this person is processing the image which they just saw in the eyes open phase in the eyes closed phase. However an intresting thing to note is that this signal is mostly on the left hand side and essentially empty on the right.

# General Thoughts about All Plots

I think the fact that the non HRF GLM eyes open plot had high negative corralation in the eyes and the HRF GLM eyes open plot had high possitive corralation in the occipital lobe as a strange thing that I didn't expect to happen. Both make sense, but if anything I would have expected one or the other, not both.

Also the fact that you could tell there was a little something going on in the left temporal lobe in the non HRF GLM eyes closed plot was interesting, but still not strong enough to go off of in my opinion and then that corralation being more confidently confirmed by the HRF GLM eyes closed model was neat to see and shows why HRF are very useful in looking at fMRI data.

Overall, I would say that the GLMs were good enough to see good corralations and make good conclutions from that after seeing it applied to all voxel signals in the fMRI data.