深搜和广搜

普通

BFS

走迷宫 注意状态框架

```
struct Coord {
   uint8_t x, y;
   Coord() {}
   Coord(int x, int y):x(x), y(y) {}
};
char g[N][N];
int d[N][N];
int r, c;
Coord q[N * N];
int dir[4][2] = {
   \{-1, 0\}, \{1, 0\}, \{0, -1\}, \{0, 1\}
};
c; }
int bfs() {
   int head = 0, tail = 0;
   q[0] = \{0, 0\};
   memset(d, -1, sizeof d);
   d[0][0] = 1; // contain start point
   int x, y;
   while (head <= tail) {</pre>
       auto& coord = q[head++];
       for (int i = 0; i < 4; ++i) {
           x = coord.x + dir[i][0];
           y = coord.y + dir[i][1];
           if (inbound(x, y) \& g[x][y] == '.' \& d[x][y] == -1) {
              d[x][y] = d[coord.x][coord.y] + 1;
              q[++tail] = \{x, y\};
           }
       }
```

DFS

八皇后问题

```
int n;
char board[N][N];
bool cols[N], dig[N<<1], adig[N<<1];</pre>
/* n = 3
dig[]: col - row = [-2, 2], so add n=3 would be [1, 5] <=> y = x + b,
that is b = y - x
    |_*|__| |
               |__|*|__|
                            |__|_*|
     [0+3=3]
                            [2+3=5]
                                         [-2+3=1]
                [1+3=4]
                                                       [-1+3=2]
adig[]: col + row = [0, 4] <=> y = -x + b, that is b = y + x
               |__|_*|__| |__|_*|
                            |__|*|__|
                            |_*|__|
                                        |__|*|__|
      [0]
                   [1]
                                [2]
                                            [3]
*/
void dfs(int row) {
   if (row == n) {
       for (int i = 0; i < n; ++i) puts(board[i]);</pre>
       puts("");
       return;
   for (int col = 0; col < n; ++col) {</pre>
       if (cols[col] || dig[col - row + n] || adig[col + row]) continue;
       board[row][col] = 'O';
```

图中

(dfs)

- 树重心的定义: 删除重心后, 剩余各连通块节点数的最大值最小 (即尽可能拆得均匀)
 - dfs遍历可以求每个子树的节点个数
 - dfs遍历:知左子树节点数,知右子树节点数,则也可知将自己这颗子树删去后剩余 全树的节点数
- 所以可知,一次树的dfs遍历即可求出各节点删除后各连通块中点数最大的值

```
int n;
int h[N], e[N<<1], ne[N<<1], idx;</pre>
bool flags[N];
int dfs(int u) {
    flags[u] = true;
    int sum = 1, res = 0;
    for (int i = h[u]; i != -1; i = ne[i]) {
        int j = e[i]; // for each subtree
        if (!flags[j]) {
             int s = dfs(j);
             res = max(res, s);
             sum += s;
        }
    }
    res = \max(\text{res}, n - \text{sum});
    ans = min(ans, res);
    return sum;
}
```

【bfs】有重边和自环的图,求从1号点走到n号点的最短距离

```
int n, m; // vertex & edge
int h[N], e[N], ne[N], idx;
int q[N]; // for bfs
int d[N]; // distance
int bfs() {
    int head = 0, tail = 0;
    q[0] = 1;
    memset(d, -1, sizeof d);
    d[1] = 0;
    while (head <= tail) {</pre>
        int t = q[head++];
        for (int i = h[t]; i != -1; i = ne[i]) {
            int j = e[i];
            if (d[j] == -1) { // not detect yet
                d[j] = d[t] + 1;
                q[++tail] = j;
            }
        }
    }
   return d[n];
}
```