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Instructions: Do not communicate with anyone in any shape or form. This is an independent exam. Do not delete any problem formulation, just attach your answer in the space provided. If the problem is deleted and you send only the answer, you shall receive ZERO points.

Copy and paste the Mid-Term Exam into a Word document, enter your answers (either by typing in Word, or by inserting a VERY CLEAR picture of your hand-written solution) and transform the file of the exam into a PDF format. If we cannot clearly read the picture, you will get ZERO for that answer! Make sure that you insert EACH answer immediately after EACH question. Failure to do so will result in ZERO points for the entire exam! Submit the PDF file with the name **MidTerm_Exam_netID.pdf**, where netID is your unique netid provided by UTD. If you submit your exam in any other format you will receive ZERO points. The Midterm shall be submitted in eLearning before the deadline. No late submissions shall be graded! Any cheating attempt will determine the ENTIRE grade of the mid-term to become ZERO.

Problem 1 (50 points)

Proteins have an amino acid “alphabet” of 11 elements: AM1, AM2, ..., AM11. Amino acids are chemically linked together to form protein chains. Between amino acids there are chemical links of different strengths. Suppose you examine under microscope a sample of a protein that belongs to an alien species, having only 11 amino acids. You want to generate an optimal path between AM1 and AM2 using the A search algorithm. You are given the strengths of the chemical links in the sample as a graph representation:*

Oracle distance to AM2		The Graph			
AM1	160	AM11	-----	AM4	:::: 50
AM3	100	AM11	-----	AM10	:::: 150
AM4	200	AM11	-----	AM9	:::: 15
AM5	120	AM4	-----	AM7	:::: 40
AM6	80	AM7	-----	AM8	:::: 180
AM7	250	AM7	-----	AM6	:::: 110
AM8	40	AM9	-----	AM8	:::: 70
AM9	60	AM10	-----	AM2	:::: 30
AM10	25	AM8	-----	AM2	:::: 45
AM11	100	AM10	-----	AM3	:::: 80
*****		AM3	-----	AM5	:::: 50
*****		AM5	-----	AM1	:::: 40
*****		AM1	-----	AM6	:::: 70
*****		AM6	-----	AM8	:::: 20
*****		AM1	-----	AM4	:::: 350

An oracle also gives you the heuristic distance values to AM2 from each other amino acid in the sample. This heuristic is consistent. Specify if you will use TREE-SEARCH or GRAPH-SEARCH. Motivate your decision. (5 points)

Solution:

We can apply GRAPH-SEARCH for this problem as the given heuristic is consistent.

Provide the path of amino acids from AM1 to AM2 as well as the cost of obtaining it. it. Describe at each step of the search (1) what amino acids you have on the search frontier; (2) the current list of explored amino acids; (3) the current path from AM1 to the current amino acid and the cost of that path. Show the successors of each current node, show how you compute all the evaluation functions and which node you select for the next step. (45 points)

Solution:

Initial State = AM1

Goal State = AM2

Frontier = {}

Explored = {}

Step 1:

Current Node = AM1

Is AM1 the goal ? No

Explored = {AM1}

Successors of AM1 = {AM4, AM5, AM6}

$$F(AM4) = g(AM4) + h(AM4) = 350 + 200 = 550$$

$$F(AM5) = g(AM5) + h(AM5) = 40 + 120 = 160$$

$$F(AM6) = g(AM6) + h(AM6) = 70 + 80 = 150$$

Frontier = [{AM6, f=150.0}, {AM5, f=160.0}, {AM4, f=550.0}]

Next Node = AM6

Step 2:

Current Node = AM6

Is AM6 the goal ? No

Explored = {AM1, AM6}

Current Path = AM1 -> AM6

Successors of AM6 = [AM1, AM7, AM8]

$$F(AM7) = g(AM7) + h(AM7) = 70 + 110 + 250 = 430$$

$$F(AM8) = g(AM8) + h(AM8) = 70 + 20 + 40 = 130$$

Frontier=[{AM8, f=130.0}, {AM5, f=160.0}, {AM7, f=430.0}, {AM4, f=550.0}]]

Next node = AM8

Step 3:

Current Node = AM8

Is AM8 the goal ? No

Explored = {AM1, AM6, AM8}

Current Path = AM1 -> AM6 -> AM8

Successors of AM8 = [AM2, AM6, AM7, AM9]

$$F(AM2) = g(AM2) + h(AM2) = 90 + 45 + 0 = 135$$

$$F(AM9) = g(AM9) + h(AM9) = 90 + 70 + 60 = 220$$

Frontier = [{AM2, f=135.0}, {AM5, f=160.0}, {AM9, f=220.0}, {AM7, f=430.0}, {AM4, f=550.0}]

Next node = AM2

Step 4:

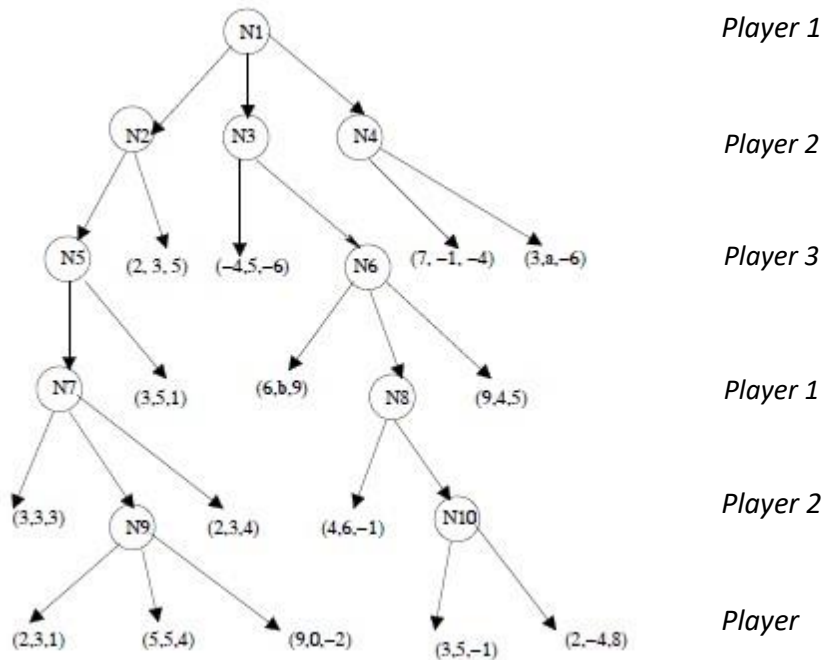
Current Node = AM2

Is AM2 the goal ? True

Solution Path = AM1 -> AM6 -> AM8 -> AM2 with Path cost = 135

Problem 2 (50 points)

(a) (15 points) Given the following game tree, find the possible values of variables a and b such that the minimax values in node N1 are $(7, -1, -4)$. Also compute the minimax values at nodes: N2, N3, N4, N5, N6, N7, N8, N9 and N10.



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Solution:

1. The value of variable " a " should be less than -1 for minimax value at N1 to be $(7, -1, -4)$. Player 2 chooses maximum of its own utility value, if " a " > -1 it will choose $(3, a, -6)$ and not $(7, -1, -4)$
2. The value of variable " b " does not influence the minimax value at N1 to be $(7, -1, -4)$ and hence " b " can be any value

N2 = $(5, 5, 4)$

N3 = $(6, b, 9)$ when $b > 5$

$(-4, 5, -6)$ when $b \leq 5$

N4 = $(7, -1, -4)$ when $a \leq -1$

$(3, a, -6)$ when $a > -1$

N5 = $(5, 5, 4)$

N6 = $(6, b, 9)$

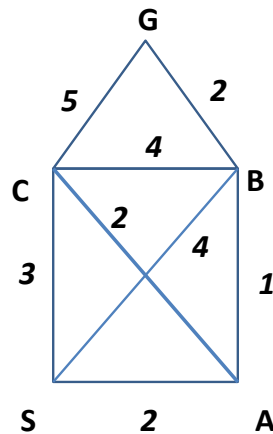
N7 = $(5, 5, 4)$

N8 = $(4, 6, -1)$

N9 = (5, 5, 4)

N10 = (3, 5, -1)

(b) **(15 points)** An agent starting in state S should reach the goal state G . If the possible states the agent can reach are A , B , C or G , as depicted bellow:



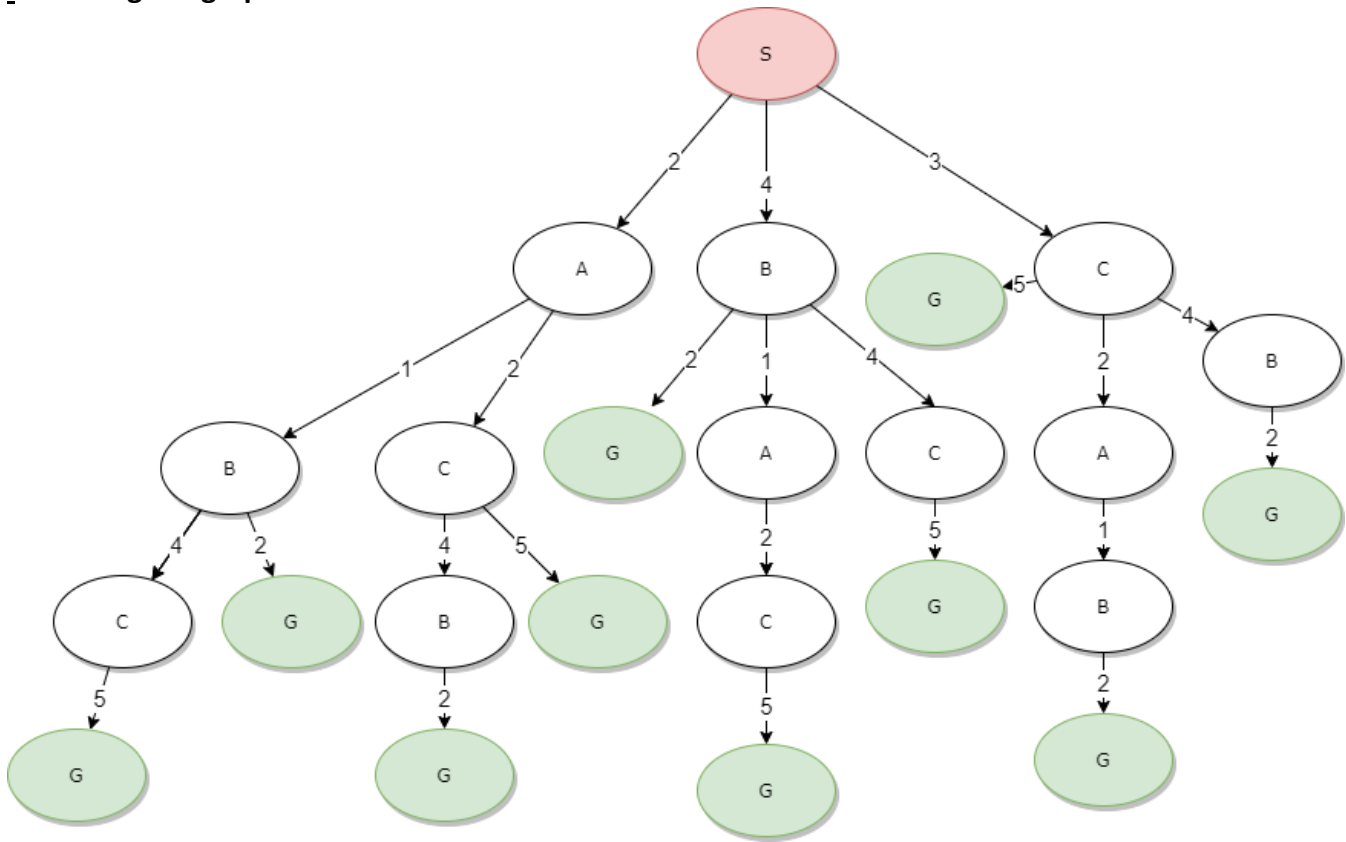
And as shown in the figure: $\text{cost}(S \rightarrow A) = 2$; $\text{cost}(S \rightarrow B) = 4$; $\text{cost}(S \rightarrow C) = 3$;
 $\text{cost}(A \rightarrow B) = 1$; $\text{cost}(A \rightarrow C) = 2$; $\text{cost}(B \rightarrow C) = 4$; $\text{cost}(B \rightarrow G) = 2$; $\text{cost}(C \rightarrow G) = 5$; you
are asked to:

(a) draw the search tree that allows the agent to travel from S to G , knowing that the agent *cannot ever visit S again*, and cannot visit any state more than once. Show in the search tree all the ways in which the agent can get from the state S to the goal state G ;
(5 points) How many ways of getting to the goal state G from S are there? **(2 points)**

HINT: Any solution path starts in S and ends in G but does not have to visit all other nodes! However, it cannot visit more than one any node!

Solution:

Assuming the graph is undirected:



Number of ways of getting to G from S = 10

(b) What is the least costly and the costliest way for the agent to get from state S to state G? Show the least costly path (**2 points**) and specify how much it costs (**2 points**). Show the costliest path (**2 points**) and specify how much it costs (**2 points**) and show how you have computed the costs.

Solution:

Least Costly way to go from S to G:

S -> A -> B -> G

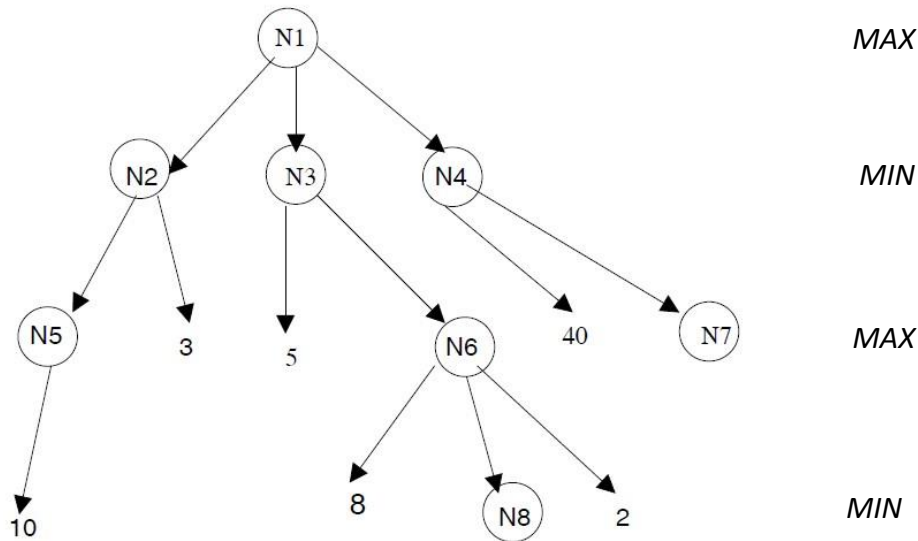
Path cost: $2 + 1 + 2 = 5$

Costliest way to go from S to G:

S -> B -> C -> G

Path Cost: $4 + 4 + 5 = 13$

(c) (**20 points**) Given the game tree below, compute the value of alpha and beta at following nodes, if the order is the same as in depth-first search:



(1) alpha and beta at node N3 before and after visiting the terminal node with utility 5. Also show the values of alpha and beta in N3 after visiting N6 (Hint: Show also the values of alpha and beta at all nodes visited before you reached N3.); **(3 points)**

Solution:

N1: alpha = $-\infty$ beta = ∞ max_value = $-\infty$
N2: alpha = $-\infty$ beta = ∞ min_val = ∞
N5: alpha = $-\infty$ beta = ∞ max_value = $-\infty$
10: return = 10
N5: alpha = 10 beta = ∞ max_value = 10
N2: alpha = $-\infty$ beta = 10 min_value = 10
3: return = 3
N2: alpha = $-\infty$ beta = 3 min_value = 3
N1: alpha = 3 beta = ∞ max_value = 3
N3: alpha = 3 beta = ∞ min_value = ∞
5: return = 5
N3: alpha = 3 beta = 5 min_value = 5
N6: alpha = 3 beta = 5 max_value = $-\infty$
8: return = 8
N6 beta pruned
N3: alpha = 3 beta = 5 min_value = 5

(2) alpha and beta at node N6; **(2 points)**

Solution:

N6: $\alpha = 3$ $\beta = 5$ $\max_value = -\infty$

(3) α and β at node N1 after visiting N7, if the node N7 has a child node with an utility value x (after you visited all nodes illustrated in the Figure) **(5 points)**

Solution:

" x " can have 3 different range of values that produce different alpha beta trees

Case 1: $x < 5$

N1: $\alpha = 5$ $\beta = \infty$ $\max_value = 5$

Case 2: $x > 5$ and $x < 40$

N1: $\alpha = x$ $\beta = \infty$ $\max_value = x$

Case 3: $x > 40$

N1: $\alpha = 40$ $\beta = \infty$ $\max_value = 40$

(4) should the game tree be pruned? If yes, how? **(10 points)**

Solution:

Yes the game will be pruned due to beta pruning at node N6. After visiting terminal node with utility 8, at N6 $\Rightarrow v = 8$ and $\beta = 5$. Since $v \geq \beta$, the subtrees will be pruned.

