Second Live Lecture (Webinar): Starts in **15** minutes

Christophe Bontemps, UN SIAP



Second Live Lecture (Webinar): Starts in **10** minutes

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Second Live Lecture (Webinar): Starts in **5** minutes

Christophe Bontemps, UN SIAP



Classification



[- REMINDER -]

► Mute yourself always!

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- ► Mute yourself always!
- ► The lecture is recorded

[- REMINDER -]

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- ► The lecture is recorded
- ► Ask questions in the chat

► Introduction

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- ► Classification in a (*Machine learning Framework*)

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- ► Q&A

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- ► Next week

What is a classification problem?

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A **classifier** is a tool that provides a classification for *y* using (*or not*) additional information from other variables

Measures of Fit

Introduction

[SUPERVISED *vs* UNSUPERVISED CLASSIFICATION]

Logit

ROC curve

Best classifier

Takeaways

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 - The goal is to classify observations from those variables (clustering) without having any information of what a category means.
- We'll focus on supervised classification

Logit

Measures of Fit

Introduction

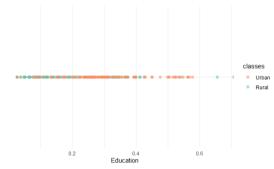
ROC curve

Best classifier

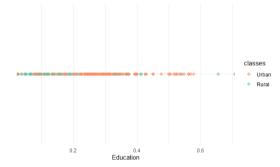
Takeaways

▶ You observe households in *Urban* or *Rural* and *Education*.

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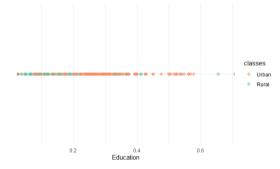


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A classifier "finds" the value of *Education* separating "*Rural*" from "*Urban*" Typically with a threshold rule: "if $x \ge T_0$ then category is *Urban*"

ROC curve

Best classifier

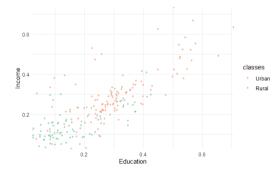
[CLASSIFICATION: A 2-D EXAMPLE]

Measures of Fit

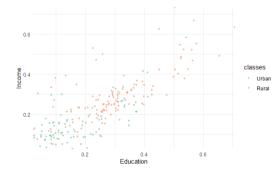
Introduction

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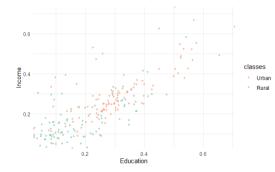
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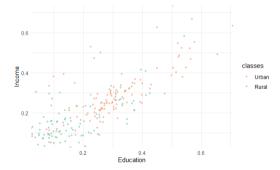
Where is the boundary? How to find it?

► A classifier will determine a **boundary** using both *Education* and *Income* to separate "Rural" from "Urban"

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► The rule can be based on a linear relationship between *Education* and *Income* or can be non linear.

ROC curve

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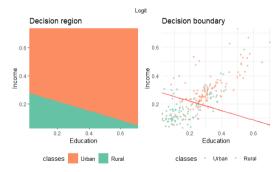
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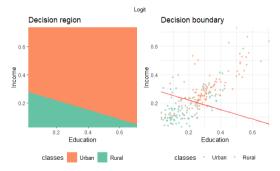
Introduction

► Example of a linear classifier

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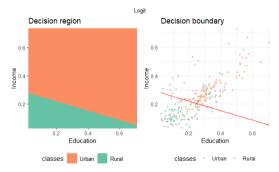


Example of a linear classifier



▶ The separation rule is $x'\beta \ge T_0$ for a particular T_0 : the *threshold*

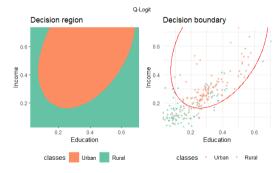
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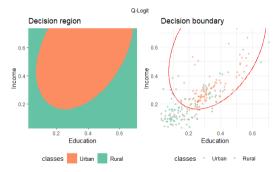
The separation rule is $x'\beta \ge T_0$ for a particular T_0 : the *threshold* e.g.: $\beta_0 + \beta_1 Education + \beta_2 Income > T_0 \Leftrightarrow Urban$

► Example of non-linear classifier

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► Example of non-linear classifier



► The rule that separated the two classes is non linear in the variables *Education* and *Income*

▶ What is the goal?

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- → Need for a criterion to determine what is a good classifier
 - Measures of fit in classification are different and specific

There are several popular measures of fit, differing in their spirit and their goal

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- Confusion matrix

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Each criterion answers to a different question

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- where $\widehat{f}(\cdot)$ is the classifier.
- → We want the **maximum** possible accuracy.
- ▶ Equivalently, we may want to **minimize** the *error rate* or *misclassification rate*

$$\Pr\left[y_0 \neq \widehat{f}(x_0)\right]$$

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	Observed (True)		
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Table: Confusion Matrix

Introduction

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It is the proportion of accurate predictions

In practice, with a classifier we have:

		Observed (True)	
		Urban	Rural
Predicted	Urban	87 (TP)	28 (FP)
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Introduction

[CONFUSION MATRIX & ACCURACY]

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▶ We have an accurate prediction in 75% of the cases.

[PROBLEM 1: ACCURACY IS ONE NUMBER]

Accuracy is not the panacea and may be misleading

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 - Compute Sensitivity & Specificity from the confusion matrix
 - They may go in different directions

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Sensitivity =
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= $\frac{87}{87 + 24} = 0.78$

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On *Urban*, we correctly predict in 78% of the cases

[Specificity or True Negative Rate]

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Specificity =
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On *Rural*, we predict correctly in **only** 71% of the cases

Imagine you observe much more Urban than Rural

Observed (True)

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Accuracy =
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Sensitivity = TP/(TP + FN) = 95/95 = 100 %

[THE KAPPA (κ) INDEX]

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The larger κ is, the better the model for a given distribution of classes in a data set

[LOGIT AS YOU KNOW IT]

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Logit

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 \rightarrow "The logit models log of odd ratios as linear in x"

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 \hookrightarrow The logit classifier depends on the linear combination of the x's

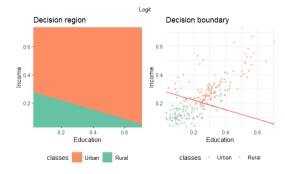
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▶ The rule $x'\beta = T_0$ defines the partition of the space

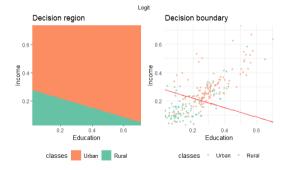
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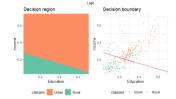
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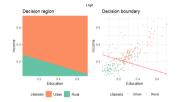


▶ This partition is sensitive to the choice of the threshold T_0 (and hence t_0)

[IMPORTANCE OF THE THRESHOLD]



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- ► Changing t_0 will change the predictions & the classification A **higher** t_0 will allocate **less** observations to the y = 1 category (Urban) A **lower** t_0 will allocate **more** observations to the y = 1 category
- ightharpoonup The choice of t_o should be done according to the data and observed classes repartition
- Specificity and Sensitivity are affected by t_0

▶ We want the *Specificity* and *Sensitivity* to be both **maximized** (ideally both would be 1)

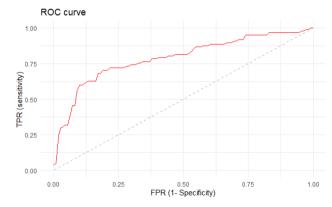
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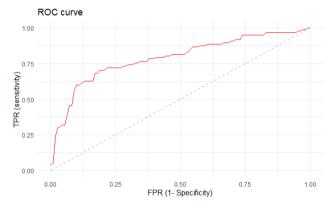
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- The ROC curve help visualize the best choice
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- \hookrightarrow Be careful of the axes

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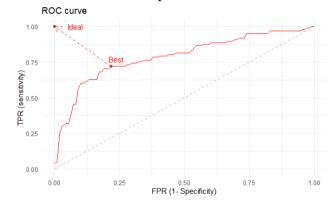
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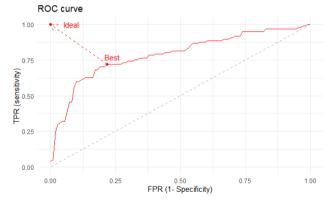
 \rightarrow sometimes on a ROC curve, x is sensitivity with inverted x-axis

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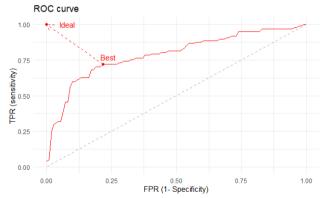


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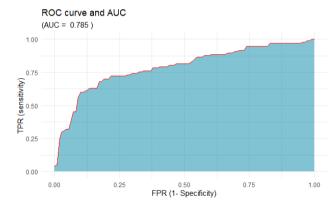
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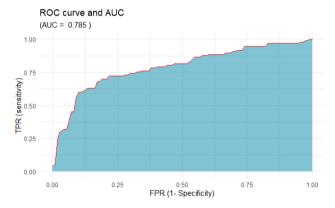
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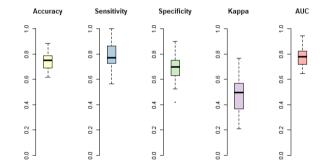


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Sensitivity

Specificity

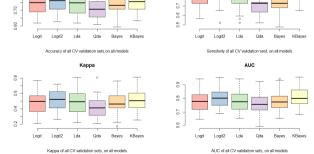
Specificity of all CV validation sest, on all models

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080

Accuracy



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 One may use the ROC to change the threshold parameter

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- Time is the limit...



Write your questions in the chat

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Have a nice week!