

T₄ 估算静态工作时 $I_B = 0.3V / 15k\Omega = 20\mu A$

又由 $V_{CE} = 12 - (I_C + \frac{V_{CE}}{R_L}) \cdot R_C$ 可作负载线. 图上负载线与 $I_B = 20\mu A$ 交点即为 Q.

$R_L = \infty$ 时. $I_{BQ} = 20\mu A$. $I_{CQ} = 2mA$. $V_{CEQ} = 6V$.

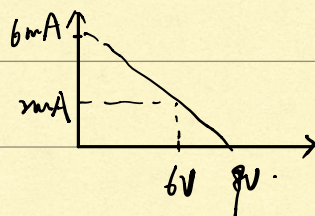
$U_{omax} = V_{CEQ} - V_{CEs} = 5.3V$. $U_{om} = U_{omax} / \sqrt{2} = 3.75V$

$R_L = 3k\Omega$ 时. $I_{BQ} = 20\mu A$. $I_{CQ} = 2mA$. $V_{CEQ} = 3V$.

$U_{omax} = 2.3V$. $U_{om} = 2.3 / \sqrt{2} = 1.63V$

T2.10 $\therefore I_{CQ} = 2\text{mA} \quad \therefore V_{CEQ} = V_{CC} - R_C \cdot I_{CQ} = 6\text{V}$

$I_{BQ} = I_{CQ} / \beta = 2\mu\text{A}$



$R_2 \parallel R_C = 1.5\text{k}\Omega$

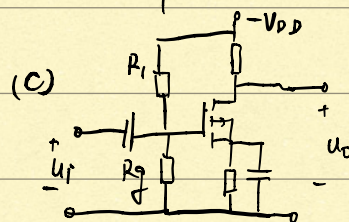
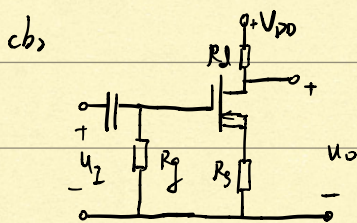
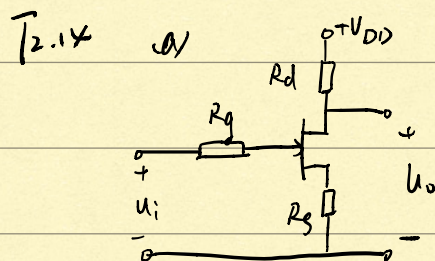
$V_{om} = 3/\sqrt{2} = 2.12\text{V}$

为使 V_{om} 最大 $I_{CQ}' \cdot R_C' = V_{CEQ} - V_{CES} \quad \therefore I_{CQ}' = 2.53\text{mA}$

$V_{CEQ}' = V_{CEQ} - I_{CQ}' \cdot R_C$

$\therefore I_B = \frac{I_{CQ}'}{\beta} \quad R_B = \frac{V_{CC} - V_{CES}}{I_B}$

$\therefore R_B = 447\text{k}\Omega \quad V_{om} \approx 2.68\text{V}$



2.3. 4) 反相

(2) 截止 ; 饱和 ; 饱和

(3) 截止

(4) 消除饱和失真 : 适当降低 Q 点 $\left\{ \begin{array}{l} \text{增大 } R_B \text{ 减小 } I_{BQ} \\ \text{减小 } R_C \text{ 增大 负载线斜率} \end{array} \right.$

消除截止失真 : 适当升高 Q 点 $\left\{ \begin{array}{l} \text{减小 } R_B \\ \text{增大 } R_E \end{array} \right.$