EEE203 (18/19)

Continuous And Discrete Time Signals And Systems I



Contact information

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Office hours: 14:00-16:00 Tuesday

Research interests:

Image Processing, Computer Vision, Deep Learning







nuTonomy cabs ready for hailing in Singapore

Posted on August 26, 2016 in TRANSPORT



DAVID CURRY Contributing Writer













国务院近日印发《新一代人工智能发展规划》 明确了我国新一代人工智能发展的战略目标:

到2020年

- ▶人工智能总体技术和应用与世界先进水平同步
- ▶人工智能产业成为新的重要经济增长点
- ▶人工智能技术应用成为改善民生的新途径

到2025年

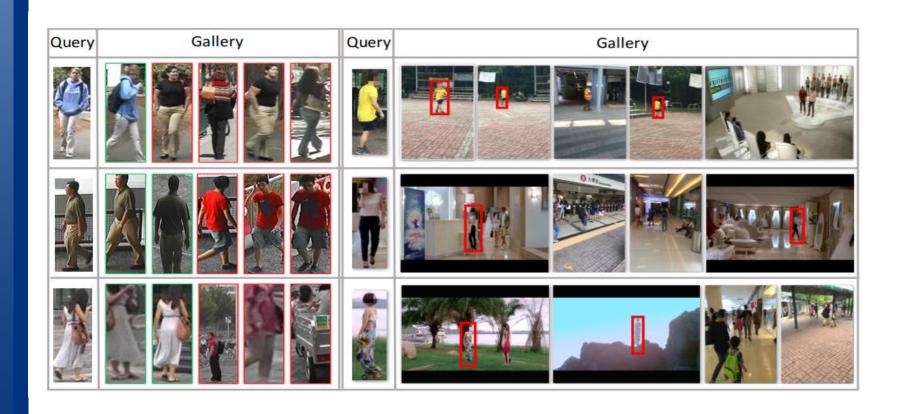
- ▶人工智能基础理论实现重大突破
- ▶部分技术与应用达到世界领先水平の人人人人人
- ▶人工智能成为我国产业升级 和经济转型的主要动力
- ▶智能社会建设取得积极进展

到2030年

▶人工智能理论、技术 与应用总体达到世界 领先水平,成为世界 主要人工智能创新中心









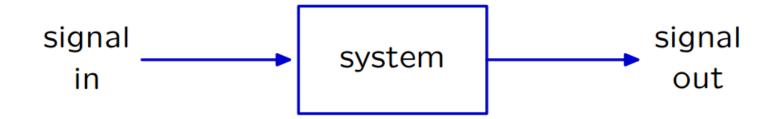
Learning Multi-Domain Convolutional Neural Networks for Visual Tracking

Hyeonseob Nam and Bohyung Han



Signals and Systems Abstraction

Describe a system (physical, mathematical, or computational) by the way it transforms an input signal into an output signal.

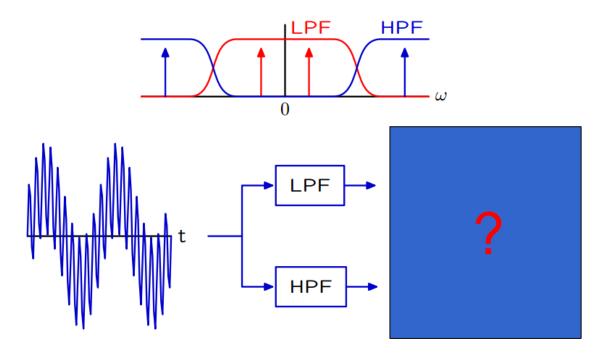




One example...

Systems can be designed to selectively pass certain frequency bands.

Examples: low-pass filter (LPF) and high-pass filter (HPF).





The course aims to ...

- ... present the concepts involved with signal and systems:
 - Signals, and systems classification
 - Fourier series
 - Fourier transform
 - Laplace transform
 - Linear time-invariant (LTI) systems



The course outcomes ...

- After successful completion of the module, the student should have:
 - an understanding of the use of Fourier series to represent periodic signals;
 - an understanding of the use of Fourier transform to represent finite energy signals;
 - an understanding of the use of Laplace transform in circuit and system analysis;
 - an understanding of linear time invariant systems.



Course outline

- Signals and Systems (4 hours)
- Linear systems (2 hours)
 - LTI-system
 - Impulse response
 - Convolution of signals
- Fourier series (4 hours)
 - Fourier Series
 - Spectrum of a signal

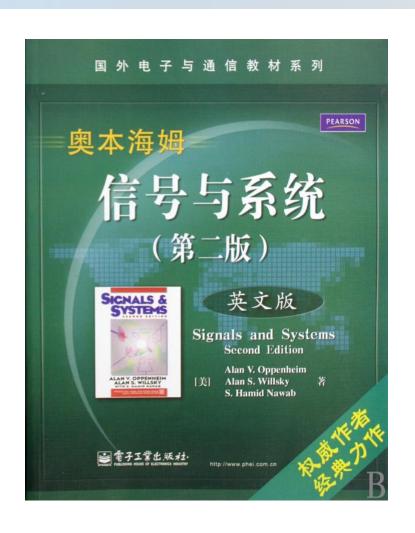


Course outline

- Fourier transform (4 hours)
 - Fourier transform
 - Properties of Fourier Transform
- Laplace transform (4 hours)
 - Laplace transform and region of convergence
 - Properties of Laplace Transform
- System stability (it will be extensively covered in the Control System course) (2 hours)
 - Frequency response and transfer function
 - Feedback systems
 - BIBO stability



Recommended texts



Signals and Systems,

Alan V. OPPENHEIM and Alan S. WILLSKY and S. Hamid NAWAB.

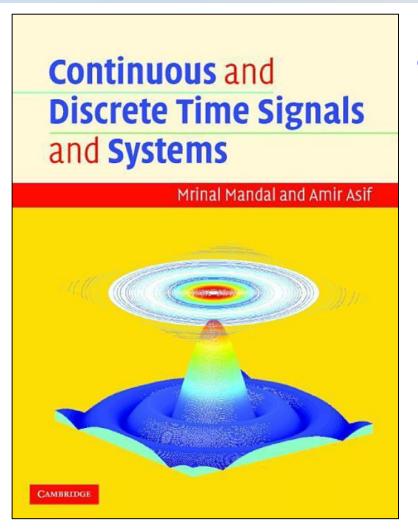
MIT open coursware

http://ocw.mit.edu/resources/res-6-007-signals-and-systems-spring-2011/

http://v.163.com/special/opencourse/signals.html



Recommended texts



References

Continuous and
 Discrete Time Signals
 and Systems, Mrinal
 MANDAL, Amir ASIF.



Recommended texts

References

- Signals and systems using the web and matlab, Edward w. KAMEN and bonnie s. HECK, Prentice-hall.
- Communication Systems, A. Bruce CARLSON,
 Paul B. CRILLY, Janet RUTLEDGE.



Useful Information

- Lectures: Tuesday 14:00-16:00, room: EE101
- ~15 hours lectures,
- ~7 hours problem classes,
- ~4 hours lab: week 12 in :EE213 and :EE215
- 1 hour revision,
- 1 hour mid-term exam
- 2 take home assignments
- 2 hours final exam



Assessment

- Final examination: 2 hours, 70%
- Midterm test: 1 hour, 10%
- 2 take home assignments, 20%
- Lab: 4 hours, 10%; <u>attend the lab</u> and <u>submit the report in time</u>
- The assignments and lab marks will be carried forward when evaluating the total re-sit mark, the total re-sit mark will be capped to 40



How to pass this course

Come to the lecture! Unless...

Sit at the front.

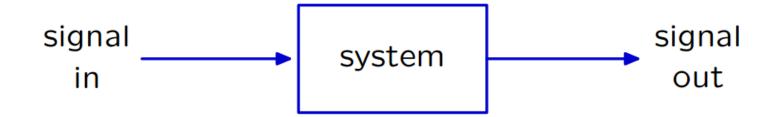
Bring a paper and a pen.

Do the excise.



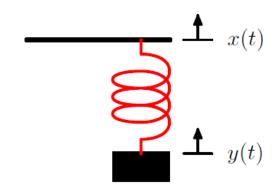
Signals and Systems Abstraction

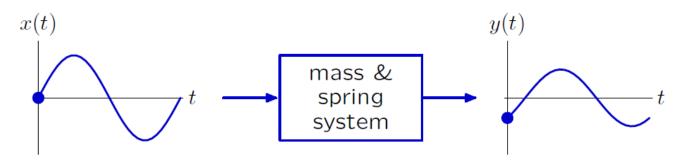
Describe a system (physical, mathematical, or computational) by the way it transforms an input signal into an output signal.





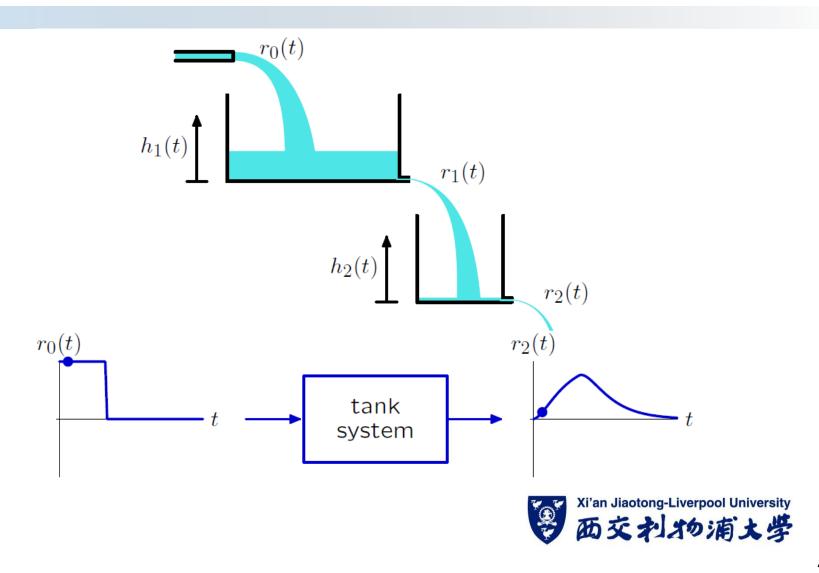
Example: Mass and Spring system



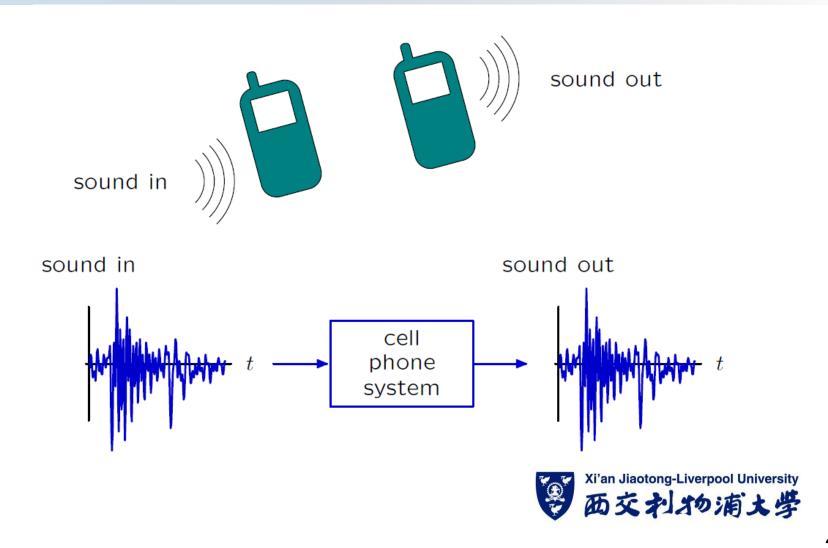




Example: Tanks



Example: Cell Phone System



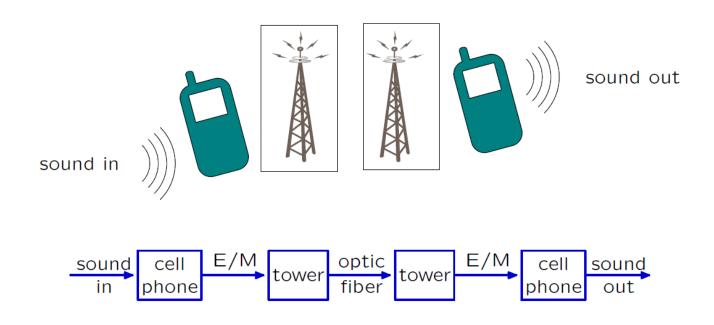
Signals and Systems: Widely Applicable

The Signals and Systems approach has broad application: electrical, mechanical, optical, acoustic, biological, financial,

mass & spring system $h_1(t)$ tank system sound out phone

Signals and Systems: Modular

The representation does not depend upon the physical substrate.

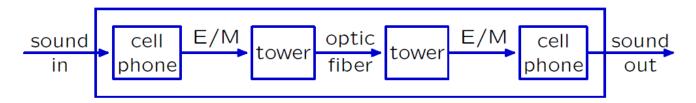


focuses on the flow of **information**, abstracts away everything else

Signals and Systems: Hierarchical

Representations of component systems are easily combined.

Example: cascade of component systems



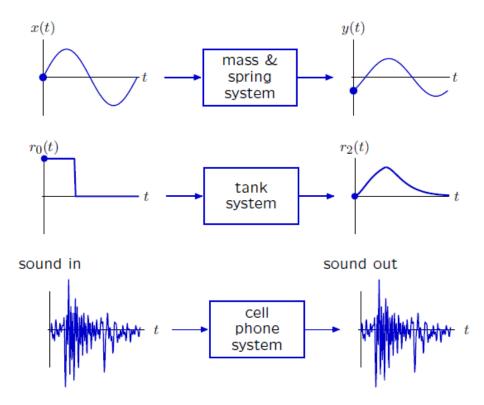
Composite system



Component and composite systems have the same form, and are analyzed with same methods.

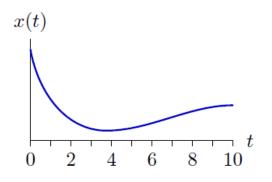
Signals are mathematical functions.

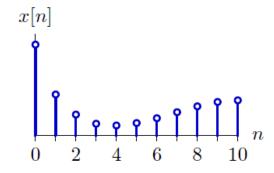
- independent variable = time
- dependent variable = voltage, flow rate, sound pressure





continuous "time" (CT) and discrete "time" (DT)





Signals from physical systems often functions of continuous time.

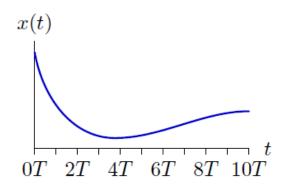
- mass and spring
- leaky tank

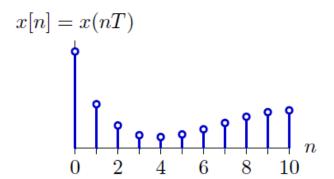
Signals from computation systems often functions of **discrete** time.

 state machines: given the current input and current state, what is the next output and next state.



Sampling: converting CT signals to DT





T =sampling interval

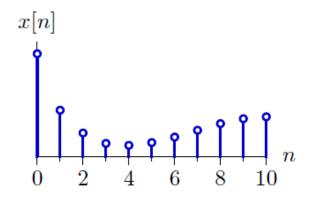
Important for computational manipulation of physical data.

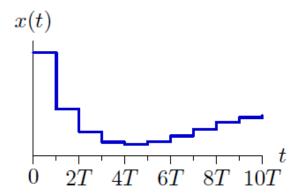
- digital representations of audio signals (e.g., MP3)
- digital representations of images (e.g., JPEG)



Reconstruction: converting DT signals to CT

zero-order hold



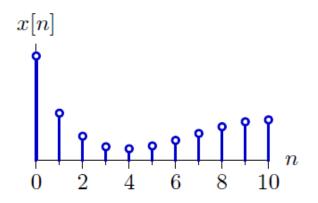


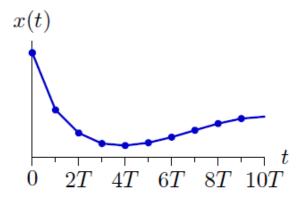
T =sampling interval

commonly used in audio output devices such as CD players



Reconstruction: converting DT signals to CT piecewise linear



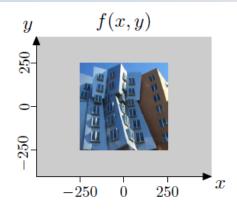


T =sampling interval

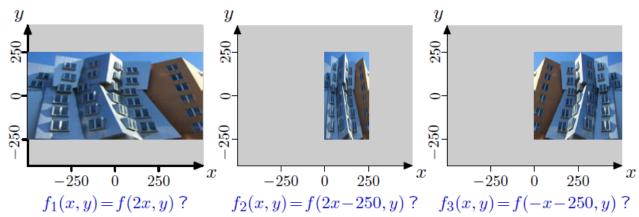
commonly used in rendering images



Check yourself

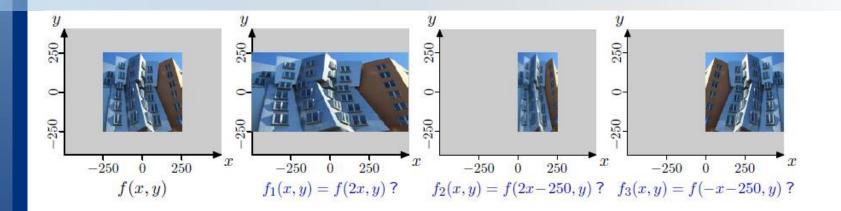


How many images match the expressions beneath them?





Check yourself



$$x = 0 \to f_1(0, y) = f(0, y)$$

$$x = 250 \rightarrow f_1(250, y) = f(500, y)$$

$$x = 0 \to f_2(0, y) = f(-250, y)$$

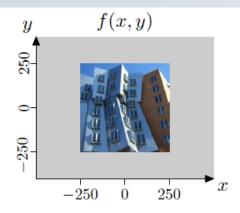
$$x = 250 \rightarrow f_2(250, y) = f(250, y)$$

$$x = 0$$
 $\to f_3(0, y) = f(-250, y)$ \times

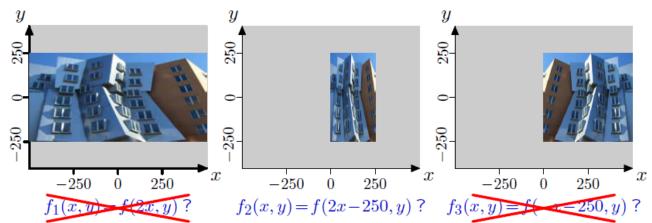
$$x = 250 \rightarrow f_3(250, y) = f(-500, y)$$



Check yourself



How many images match the expressions beneath them?





Question?



Acknowledgements

The course materials to be delivered in this course are prepared according to the following sources :

- Prof. Tammam TILLO
- Dr. Yang Du
- Materials taken from Wikipedia.org and the Internet.
- Prof. Enrico MAGLI, Politecnico di Torino;
- Prof. Trac D. TRAN, Johns Hopkins University, USA;

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