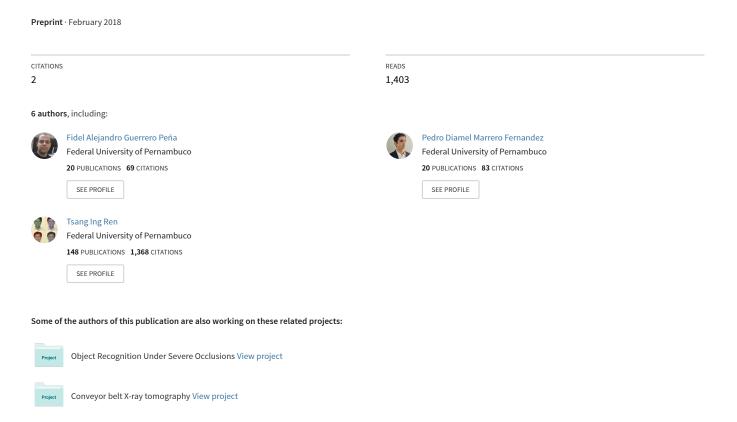
Multiclass Weighted Loss for Instance Segmentation of Cluttered Cells



MULTICLASS WEIGHTED LOSS FOR INSTANCE SEGMENTATION OF CLUTTERED CELLS

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ABSTRACT

We propose a new multiclass weighted loss function for instance segmentation of cluttered cells. We are primarily motivated by the need of developmental biologists to quantify and model the behavior of blood T-cells which might help us in understanding their regulation mechanisms and ultimately help researchers in their quest for developing an effective immunotherapy cancer treatment. Segmenting individual touching cells in cluttered regions is challenging as the feature distribution on shared borders and cell foreground are similar thus difficulting discriminating pixels into proper classes. We present two novel weight maps applied to the weighted cross entropy loss function which take into account both class imbalance and cell geometry. Binary ground truth training data is augmented so the learning model can handle not only foreground and background but also a third touching class. This framework allows training using U-Net. Experiments with our formulations have shown superior results when compared to other similar schemes, outperforming binary class models with significant improvement of boundary adequacy and instance detection. We validate our results on manually annotated microscope images of T-cells.

Index Terms— Deep learning, instance segmentation, multiclass segmentation, cell segmentation

1. INTRODUCTION

It is not fully understood how blood stem cells differentiate over time to generate all blood cell types in the body nor what are the mechanisms that drive their specialization. T–cells are descendants of blood stem cells with an important role in emerging immunotherapy cancer treatments [1]. We are particularly interested in determining how decisions are made by individual progenitor T–cells under controlled environmental conditions [2]. To carry out experiments, individual T–cells are isolated in microwells where they grow and proliferate for five or six days. Multiple cell divisions occur in each microwell leading to a dense cell population originated from a single cell. Multichannel images are acquired at intervals to follow cell development which can then be quantified by analyzing fluorescent signals expressing specific markers of differentiation. Segmenting individual cells is necessary to measure signal activation per cell and to count how many cells are active over time (see Fig.1).

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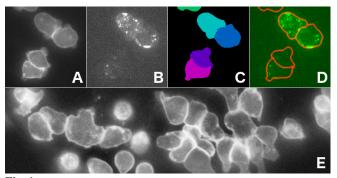


Fig. 1: We show in (A) cells marked by the *mTomato* fluorophore. Their corresponding signal of interest, *CD25*, which changes over time, is expressed in some cells (B). Our goal is to segment individual cells, as shown in (C), and colocalize *CD25* to measure its concentration within each cell (D) and consequently count how many cells are active at any given time. In this illustration, the top two cells are fully active as reported by their high *CD25* content. Colored masks in (C) are for illustration purpose only. A typical cluttering of T–cells is presented on panel E, which shows the maximum intensity projection of a few slices of a widefield stack.

The difficulties are in segmenting adjoining cells. These can take any shape, when cluttered or isolated, and their touching borders have nonuniform brightness and patterns defeating classical segmentation approaches. Weak boundaries are also troubling (see Fig.1 and also Fig.5). Furthermore, the total pixel count on adjoining borders is considerably smaller than the pixel count for the entire image which contributes to numerical optimization difficulties when training a neural network with imbalanced data [3] and without a properly calibrated loss function. The situation is exacerbated in large clusters where cells might overlap making it difficult, even for the trained eye, to locate cell contours. We approach these difficulties by adopting a loss function with pixel-wise weights, following [4], that take into account not only the location and length of touching borders but also the geometry of cell contours.

The problem of segmenting cells with difficult boundaries has been addressed by others. Long *et al.* [5] proposed a Fully Convolutional Network (FCN) which improved the image-level classification in a Convolutional Neural Network (CNN) to a pixel-level classification. This allowed segmentation maps to be generated for images of any size and it was much faster compared to the then prevalent patch classification approach. In the same year, Ronneberger *et al.* [4] introduced U-Net to segment biomedical images, a FCN encoderdecoder type of architecture, together with a weighted cross entropy loss function. This network was a breakthrough, achieving remarkable results in segmenting biomedical images, from cells to organs.

We have opted to use U-Net due to its proven success but we employ different per pixel weights in the loss function.

Browet *et al.* [6], working with mouse embryo cells, estimated pixel probabilities for cell interior, borders, and background – in line with our multiclass approach – and then minimized an energy cost function to match the class probabilities via graph–cuts. We favored to avoid the pitfalls of graph-cuts and the thresholding adopted in their formulation to define seeds within cells. Chen *et al.* [7] proposed DCAN, a contour aware FCN to segment glands from histology images towards improving the automatic diagnosis of adenocarcinomas. They also modeled a loss with contours which led them to win the *2015 MICCAI Gland Segmentation Challenge* [8] confirming the advantages of explicitly learning contours. Recently, Xu *et al.* [9] proposed a three branch network to segment individual glands in colon histology images.

Mask R-CNN [10] is considered to be the state of the art in instance segmentation for natural images. It classifies object bounding boxes using Faster R-CNN [11] and then applies FCN inside each box to segment a single object therein. Natural images, contrary to single channel, low entropy cell microscope images, are much richer in information. Natural objects in general differ to a great extent, making discrimination comparatively easier. Nevertheless, we plan to experiment and adapt Mask R-CNN to our cell images after sufficient training data has been collected and annotated.

Notation and definitions. We are given a training set S = $\{(x_1,g_1),...,(x_N,g_N)\}$, with cardinality |S|=N, where $x_k\colon\Omega\to$ $\mathbb{R}, \Omega \subset \mathbb{R}^2$, is a gray-level image and $g_k \colon \Omega \to \{0,1\}$ its binary ground truth segmentation. Let (x, g) be a generic tuple from S. We call g^0 and g^1 , respectively, the background and foreground subsets of g, and more generally $g^l = \{p \mid c(p) = l, p \in \Omega\}$, where c(p)returns the class assigned to pixel $p, c: \Omega \to \{0, \dots, C\}$. We write the pixel indicator function $\mathbb{1}_{q^l}(p)$ simply as y(p,l), i.e. y(p,l)=1if $p \in g^l$, otherwise y(p, l) = 0. The connected components of g, $g^T = \{t_j | t_j \cap t_i = \emptyset, j \neq i\}, \bigcup_j t_j = g^1$, are the non-empty masks for all trainable cells in x. For a mask t, Γ_t represents its contour and h(t) gives its convex hull, also written as h_t . We say $\Gamma = \bigcup_t \Gamma_t$ is the set of all contour pixels in g. A mask admits a skeleton s(t), also written as s_t , which is its medial-axis. The distance transform $\phi_q \colon \Omega \to \mathbb{R}$ assigns to every pixel of g the Euclidean distance to the closest non-background pixel. Touching cells in an image x share a common boundary (see e.g. Fig.1), which, by construction, is a one pixel wide background gap separating their respective connected components in g^T (see figure in Algorithm 1).

2. MULTICLASS AND FOCUS WEIGHTS

We propose higher weights to alleviate the imbalance of classes in the training data and to emphasize cell contours, specially at touching borders, while maintaining lower weights for the abundant, more homogeneous, easily separable background pixels. However, it is also critical that background pixels around cell contours should carry proportionally higher weights as they help capturing cell borders more accurately specially in acute concave regions.

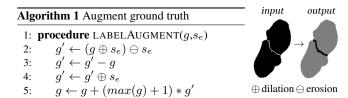
Some authors, e.g. [4, 9], consider the one pixel wide gaps in g separating connected components to be part of the background but with larger weights. By doing so, one might diminish the discriminative power of the network as the foreground and background intensity distributions overlap to some extent causing separation of pixels more difficult, as suggested by the histograms shown in Fig.2. There one can notice the difference between the signatures of touching borders, cell interiors, and background. If touching pixels are considered background pixels for the purpose of training the network with

only two classes, the distance between the classes, foreground and background, would not be as pronounced as if we have three separate classes. This way, background is far off the other two classes leaving interior and touching regions to be resolved, which is helped with proper shape-aware weights. We believe, and show experimentally, that by considering a multiclass learning approach we enhance the discriminative resolution of the network and hence obtain a more accurate segmentation of individual cells.

The goal of training our FCN network is to obtain a segmentation map \hat{g} as close as possible to $g,\,\hat{g}\approx g$, given image x. When x is evaluated by a FCN a probability map $z\colon\Omega\to\mathbb{R}^C$ is obtained such that z(p) reports the probabilities of pixel p belonging to each class. The binary \hat{g} can be obtained from z applying a decision rule, like the maximum a posteriori or, in our case, Algorithm2.

2.1. Class augmentation

We perform label augmentation on the binary g to create a third class corresponding to touching borders. This is done using morphological operations (Algorithm 1). By design, this new class occupies a slightly thicker region than the original gap between cells. Training can now be done using an augmented g and the resulting map g will have an extra class representing the distribution for touching pixels.



Mapping binary to three classes ground truth is done using morphological operations. We use a 3×3 square structuring element for s_e . Images are inverted for illustration purpose.

2.2. Focus weights

The weighted cross entropy loss function [4] is used to focus learning on important but underrepresented parts of an image:

$$L(y,z) = -\sum_{p \in \Omega} \sum_{l=0}^{C} w(p,\theta) y(p,l) \log \operatorname{smax}_{l}(z(p)) \tag{1}$$

where $\operatorname{smax}_l(u) = \exp(u_l)/\sum_{j=0}^C \exp(u_j)$ is the softmax function applied to vector u, \log is the logarithm function, $w(p,\theta)$ is a known weight at p parameterized by θ , y(p,l) is the class indicator function, z(p) is the unknown feature vector for pixel p, and C=2,3. We propose a distance transform based weight map (DWM)

$$w^{DWM}(p,\beta) = w_0(p) (1 - \min(\phi_g(p)/\beta, 1))$$
 (2)

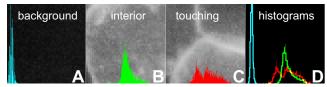


Fig. 2: The distinct intensity and structural signatures of the three predominant regions – background (A), cell interior (B), in-between cells (C) – found in our images are shown above. Shown in panel (D) are the combined histogram curves for comparison. This distinction led us to adopt a multiclass learning approach which helped resolve the narrow bright boundaries separating touching cells, as seen in (C).

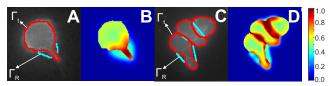


Fig. 3: SAW for single (B) and touching (D) cells. Contours Γ_t are shown in red and concavities r in cyan in panels (A) and (C). Color code is normalized to maximum weight value. Note the large weights (in red) on narrow and concave regions, which help the network learn to segment accurate contours.

where $\beta \geqslant 1$ is a control parameter that decays the weight from the contour, and $w_0(p) = 1/|g^{c(p)}|$ is the class imbalance weight [4], inversely proportional to the number of pixels in the class. Typically $|g^0| > |g^1| > |g^2|$, but the weights hold regardless. Note that w^{DWM} vanishes for $\phi > \beta$, and for $\phi \in [0,\beta]$, we have a linear decay $w^{WDM}(p) = w_0(p)(1-\phi_g(p)/\beta)$ for background pixels $p \in g^0$. Non-background pixels $p \in g^0$. Non-background pixels $p \in g^0$. It turns out that segmenting valid minutiae (e.g. cell tip in Fig.3A,B), usually in the form of high curvature and narrow regions, requires stronger weights. This led us to formulate a shape aware weight map to take into account small but important nuances around contours.

The concave complement of $t \in g^T$ is $r(t) = h(t) \setminus t$. Let K be a binary image with skeletons $s(t) \cup s(r)$ as foreground pixels, and ϕ_K the distance transform over K. We call $\Gamma_H = \Gamma_t \cup \Gamma_r$. Our shape aware weight map (SAW) is

$$w^{SAW}(p,\tau,\sigma) = w_0(p) + F_\sigma * w_c(p,\tau)$$
(3)

where convolution with filter F_{σ} , which combines copy padding and Gaussian smoothing, propagates w_c values from Γ_H ,

$$w_c(p,\tau) = \begin{cases} 1 - \phi_K(p)/\tau & \text{for } p \in \Gamma_H \\ 0 & \text{otherwise} \end{cases}$$
 (4

to neighboring pixels. $\tau = \sup_{p \in \Gamma_H} \phi_K(p)$ is a distance normalization factor. w_c measures complexity for each t by computing distances to the skeletons of the mask and of its complement to assess how narrow are the regions around the contours. The smallest distances give rise to larger weights. The value of τ governs the distance tolerance and it is application dependent. Note that SAW assigns large weights to small objects without any further processing or loss function change contrary to what has been proposed by Zhou et al. [12]. Examples of SAW for single and touching cells are shown in Fig.3 and comparatively for a cluster in Fig.4D.

2.3. Assigning touching pixels

The touching pixels in the network generated probability map z need to be distributed to adjacent cells. We do this in Algorithm2 by assigning each pixel p, for which it has been determined that $p \in \hat{g}^2$, to its closest adjacent cell. The method uses map z and two given thresholds γ_1 and γ_2 as decision rules to build the final binary segmentation $\hat{g}\colon \hat{g}^1$ contains the segmented cell masks \hat{g}^T in background \hat{g}^0 . The threshold γ_1 is used to determine touching pixels and γ_2 to determine cell masks: $z_2(p) > \gamma_1 \to p \in \hat{g}^2$, and $z_1(p) > \gamma_2 \to p \in \hat{g}^1$. All other pixels are background.

3. RESULTS

We demonstrate our method in a manually curated T-cell segmentation dataset containing thirteen images of size 1024x1024.

Algorithm 2 Pixel class assignment

```
\begin{array}{lll} \text{1: procedure } & \text{INSTANCEASSIGN}(z,\gamma_1,\gamma_2) \\ \text{2:} & & \text{if } z_2(p) > \gamma_1 \text{ then } p \in \hat{g}^2 \\ \text{3:} & & \text{if } z_1(p) > \gamma_2 \text{ and } p \notin \hat{g}^2 \text{ then } p \in \hat{g}^1 \\ \text{4:} & & \text{for all } p \text{ such that } p \in \hat{g}^2 \text{ do} \\ \text{5:} & & q \leftarrow \arg\min_{q \in \hat{g}^1} ||p-q||_2^2 \\ \text{6:} & & \hat{g}(p) \leftarrow \hat{g}(q) \\ \text{7:} & & t \leftarrow t \cup \{p\}, q \in t, t \in \hat{g}^T \\ \end{array}
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We augmented this data with warping and geometrical transformations (rotations, random crops, mirroring, and padding) in every training iteration. Ten images were used for the U-Net training [4]. We call UNET2 the use of U-Net with two classes and weights from [4]. The same model with label augmentation is referred as UNET3. DWM and SAW refer to training with U-Net network using the proposed w^{DWM} and w^{SAW} weights, respectively. We refer to FL as the focal loss work in [12] which was applied in the segmentation of small objects using an adaptive weight map. We use its loss combined with label augmented ground-truth. All networks were equally initialized with the same normally distributed weights using the Xavier method [13]. After training, binary segmentations are created using the pixel assignment algorithm described in section 2.3.

| Radius | 2 | 3 | 4 | 5 | 6 | 7 | | | |
|--------------|--------|--------|--------|--------|--------|--------|--|--|--|
| Training set | | | | | | | | | |
| UNET2 | 0.7995 | 0.8762 | 0.8936 | 0.9053 | 0.9109 | 0.9137 | | | |
| UNET3 | 0.7997 | 0.8896 | 0.9087 | 0.9244 | 0.9320 | 0.9356 | | | |
| FL | 0.7559 | 0.8557 | 0.8821 | 0.9007 | 0.9087 | 0.9125 | | | |
| DWM | 0.8285 | 0.9139 | 0.9333 | 0.9484 | 0.9546 | 0.9578 | | | |
| SAW | 0.8392 | 0.9183 | 0.9353 | 0.9485 | 0.9544 | 0.9573 | | | |
| Testing set | | | | | | | | | |
| UNET2 | 0.6158 | 0.7116 | 0.7368 | 0.7627 | 0.7721 | 0.7828 | | | |
| UNET3 | 0.6529 | 0.7505 | 0.7770 | 0.8021 | 0.8158 | 0.8238 | | | |
| FL | 0.5434 | 0.6566 | 0.6958 | 0.7263 | 0.7414 | 0.7505 | | | |
| DWM | 0.6749 | 0.7847 | 0.8156 | 0.8398 | 0.8531 | 0.8604 | | | |
| SAW | 0.7332 | 0.8298 | 0.8499 | 0.8699 | 0.8800 | 0.8860 | | | |

Table 1: Results of the F1 score for different contour uncertainty radii. Our SAW method performed better than others, with DWM the second best on training data.

We adopted the F1 score to compare computed contours to ground truth. To allow small differences in the location of contours, an uncertainty radius $\rho \in [2,7]$, measured in pixels, is used for the F1 calculation, following [14]. Table 1 compares the results from different methods for several *radii*. For all *radii* our

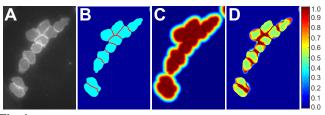


Fig. 4: An example of cluttered cells is shown in panel (A). The weight maps, from left to right are the plain class balancing weight map (B), our proposed distance transform based Weight map (C), and our shape aware weight map (D). Color code is normalized to maximum weight value with reds representing higher weights and blue small weights.

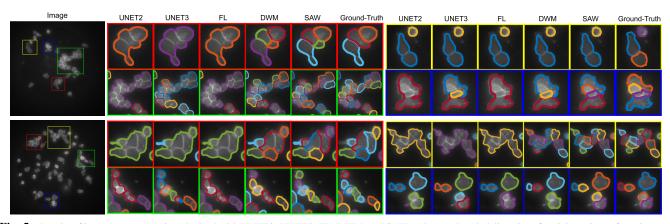


Fig. 5: Results of instance segmentation obtained with UNET2, UNET3, FL, DWM, and SAW and ground truth delineations for eight regions of two images. Results are for the best combination of γ_1 and γ_2 thresholds. Note that the two cells on top right set cannot be resolved by any method. This might be due to weak signal on a very small edge or lack of sufficient training data. Our methods render close to optimal solutions for almost all training and testing data. We expect enhancements, for all methods, when larger training data is available. Contour colors are only to illustrate separation of cells.

proposed methods outperform the other approaches. Better contour adequacy is obtained mainly with SAW for $\rho < 6$ in the training set. In the testing phase, however, higher generalization can be observed with SAW for all *radii*. DWM was ranked second best. We will perform further tests with UNET3 to increase separability but the accuracy we have achieved so far, see Fig.6, suggests improvements will not surpass DWM or SAW.

Plots of F1 score for different *radii* and fields of view are shown in Fig.6 for all methods. We have experiented with image sizes 1024x1024, 900x900, 500x500, and 250x250 corresponding to 1X, 1.1X, 2X and 4X fields of view. Objects look smaller to the network when the image size is reduced compromising instance segmentation. FL performed poorly when the field of view is increased. In all cases the best performances were obtained using SAW and DWM. To measure instance detection, every rec-

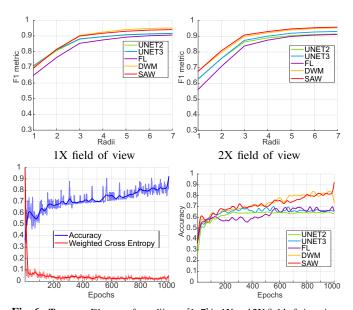


Fig. 6: Top row. F1 scores for radii $\rho \in [1,7]$ in 1X and 2X field of view size for each model. F1 values were consistently better for SAW and DWM. Bottom row. On the let panel, we show for all training epochs of the SAW network the class weighted accuracy (blue) and the weighted cross entropy (red). In right panel we show the accuracy during training for all tested models, with outperforming rates for our DWM and SAW.

ognized cell with Jaccard Index [15] greater than 0.5 is counted as True Positive. Contrary to the Intersection over Union (IoU) metric for detection [16] which uses bounding boxes, the Jaccard Index calculates the instance adequacy from object segmentation. Precision, Recall and F1 are calculated as described by Ozdemir *et al.*[17]. Table 2 shows the instance recognition metrics for all the approaches. The proposed methods outperform with high margin all the other methods when the number of recognized instances is taken into account. The SAW method showed an improvement of 6% over DWM for the training set and an improvement of 14% for the testing set. UNET2 behaved poorly in cluttered cells, unable to separate then. We speculate the combination of background and touching regions by UNET2 into a single class prevented the proper classification of pixels.

These encouraging results suggest that combining multiclass learning with pixel-wise shape aware weights might be advantageous to achieve improved segmentation results. We will perform further tests with UNET3 to increase separability but the accuracy we have achieved so far suggests minor improvements.

| | UNET2 | UNET3 | FL | DWM | SAW | | | | |
|--------------|--------|--------|--------|--------|--------|--|--|--|--|
| Training set | | | | | | | | | |
| Precision | 0.6506 | 0.7553 | 0.7276 | 0.8514 | 0.8218 | | | | |
| Recall | 0.4187 | 0.6457 | 0.4076 | 0.7191 | 0.8567 | | | | |
| F1 metric | 0.5096 | 0.6962 | 0.5225 | 0.7797 | 0.8389 | | | | |
| Testing test | | | | | | | | | |
| Precision | 0.5546 | 0.7013 | 0.6076 | 0.7046 | 0.8113 | | | | |
| Recall | 0.2311 | 0.3717 | 0.2071 | 0.5195 | 0.6713 | | | | |
| F1 metric | 0.3262 | 0.4858 | 0.3089 | 0.5980 | 0.7347 | | | | |

Table 2: Instance detection for Jacard Index above 0.5 is much pronunciated for SAW meaning it can detect more cell instances than the other methods.

4. CONCLUSIONS

We proposed two new shape based weight maps which improved the effectiveness of the weighted cross entropy loss function in segmenting cluttered cells. We showed how learning with augmented labels for touching cels can benefit instance segmentation. Experiments demonstrated the superiority of the proposed approach when compared to other similar methods. In future work we will explore learning procedures that adapt weights in the critical contour regions and possibily improve results by training with more data.

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