

April 9th

① Ans) for subnet 1

we need to have support of at least 64 interfaces
and $(2)^6 > 64$ so the prefix for subnet is $32-6-26$ for
subnet 1 = $223.1.170.126$ It has 64 different values from 0-63
(64 different values)

for subnet 2

we need to have support of at least 12 interfaces
and $(2)^4 > 12$ so prefix for subnet 3 is $32-4=28$, Also subnet 3
= $223.1.17.191/28$

Ans

Subnet A — $214.97.255/24$ (256 address)

a.) subnet B — $214.97.255.0/25$ — $214.97.255.0/21$

Subnet C — $214.97.254.128/28$ (128 address)

Subnet D — $214.97.254.0/31$ (2 address)

Subnet E — $214.97.254.2/31$ (2 address)

Subnet F — $214.97.254.430$ (4 address)

②
Ans

Route 1

longest prefix match

00001110 01100001 111111
00001110 01100001 11111100
00001110 01100001 11111101

outgoing Interface

subnet A
subnet D
subnet F

Route 2

longest prefix match

00001110 01100001 111111
00001110 01100001 11111100
00001110 01100001 11111101

outgoing Interface

subnet D
subnet B
subnet E

Route 3

longest prefix match

00001110 01100001 11111111
00001110 01100001 11111100
00001110 01100001 11111101

outgoing Interface

subnet F
subnet F
subnet C

Assuming that no datagrams have router interface as ultimate destination and also labeling D, E, F for the upper-right, bottom and upper left interior subnet respectively

3.)

Cost of the network links from given

a) figure 0

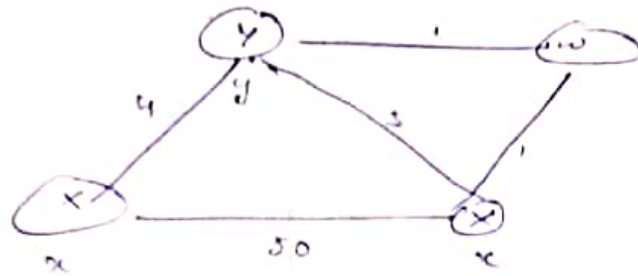
$$n(x, y) = 50$$

$$n(x, y) = 4$$

$$n(y, z) = 3$$

$$n(y, w) = 1$$

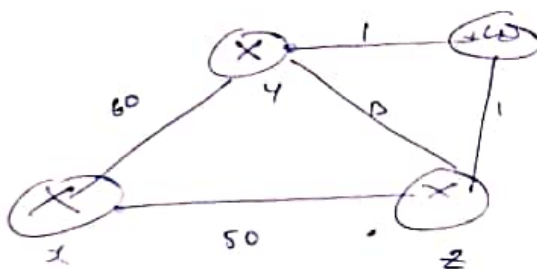
$$n(z, w) = 1$$



the distance value (D) do they tell each other a)

Router z	Informs w $D_z(x) = D$
Router w	Informs y $D_w(x) = 1 + 1 + 1 = 6$
Router y	connect y, $D_y(x) = D$ connect x, $D_y(y) = 5$
	connect w, $D_y(z) = 4$ connect z, $D_y(z) = 4$

b.)



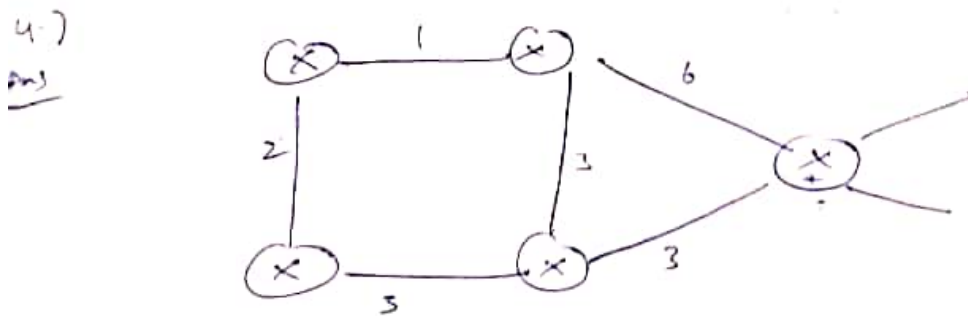
considering that link b/w x and y increased to 60, then there be a count-to-infinity problem even if poisoned reverse is used as routing converging process. And the core of the count-to-infinity problem is that if A tells B that it has a path somewhere, there is no way for B to know if the path has B as a path of it.

Routing converging process Table follow link change occurs b/w t_0 and t_1

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time	t_0	t_1	t_2	t_3	t_4
z	$\rightarrow w, R(z) = 6$ $\rightarrow y, D(z) = 6$	no change	$w, D(y) = D$ $\rightarrow y, R(z) = 11$	no change	no change
w	$\rightarrow y, D(w) = 10$ $\rightarrow z, D(w) = 5$				
y	$\rightarrow w, D(y) = 4$ $\rightarrow z, D(y) = 4$	no change		$\rightarrow w, D(y) = 6$ $\rightarrow z, D(y) = 6$	

loops continue, message exchange b/w w, y, z



step	n	$D(u), P(u)$	$P(u), P(u)$	$D(v), P(v)$	$D(w), P(w)$	$D(y), P(y)$	$D(z), P(z)$
0	x	∞	∞	3, x	6, x	6, x	3, x
1	x, y	7, y	6, y	3, x	6, x	6, x	3, x
2	x, y, u	7, y	6, y	3, x	6, x	6, x	3, x
3	x, y, u, w	7, y	6, y	3, x	6, x	6, x	3, x
4	x, y, u, w, y	7, y	6, y	3, x	6, x	6, x	3, x
5	x, y, u, w, y, z	7, y	6, y	3, x	6, x	6, x	3, x
6	x, y, u, w, y, z, z	7, y	6, y	3, x	6, x	6, x	3, x