

Name: Jonaki Preettha Kandagappalan

USN: INH18IS109

Section: B

Course Code: 20ISE53

Course Name: Data Science

x	y	$(y_i - \bar{y})$	$(x_i - \bar{x})$	$x_i(y_i - \bar{y})$	$x_i(x_i - \bar{x})$	$(x_i - \bar{x})^2$
Batting Avg.	Sold Price					
121.01	350000	-129166.67	9.08	-15630458.74	1098.7708	82.4464
76.32	850000	370833.33	-35.61	28301999.15	-2717.7552	1268.0721
120.71	800000	320833.33	8.78	38727791.26	1059.8338	77.0884
95.45	500000	-429166.67	-16.48	-40963958.65	-1573.016	271.5904
72.22	500000	20833.33	-39.71	1504583.093	-2867.852	1576.8841
165.88	700000	220833.33	53.95	36631832.78	8949.226	2910.6025
114.73	950000	470833.33	2.8	54018707.95	321.244	7.84
127.51	450000	-29166.67	15.58	-3719042.092	1986.6058	242.7364
127.12	200000	-279166.67	15.19	-35487667.09	1930.9528	230.7361
80.64	200000	-279166.67	-31.29	-22512000.21	-2523.2256	979.0641
113.09	400000	-79166.67	1.16	-8952988.71	131.1844	1.3456
128.53	300000	-179166.67	16.6	-23028792.1	2133.398	275.56
1343.21	5750000	2.63		8890537.14	7929.526	7923.9661
$\bar{x} = 111.93$	$\bar{y} = 479166.67$					

$(y_i - \bar{y})^2$
 $(y_i - \bar{y})(x_i - \bar{x})$
 1.6684×10^{10}
 1.3751×10^{11}
 1.0293×10^{11}
 1.8418×10^{11}
 434027638.9
 4.8767×10^{10}
 2.21684×10^{11}
 850694638.9
 7.7934×10^{10}
 7.7934×10^{10}
 6267361639
 3.210×10^{10}

$\sum (y_i - \bar{y})^2 = 9.071 \times 10^{11}$
 \hat{y}_i

\hat{y}_i
489347.1
439241.1
489010.7
460689.5
43468.3
539654.8
482206
496634.8
496167.5
444084.7
480467.2
497778.4

$(\hat{y}_i - \bar{y})^2$
 $\hat{y}_i - \bar{y}$
 $y_i - \hat{y}_i$
103640446
1594048485
949050944
341406665
198224903
365885218
9855385.92
305135323
290050171
123074673
1691506
346396766
9960936876
10280.4
-39925.5
9844639
-18477.2
-44522.4
60488.14
3139329
17468.12
17030.86
-35082
1300.519
18611.74
59.667

$y_i - \hat{y}_i$
-139347
410758.9
310789.3
-410689
65355.74
160345.2
467694
-466348
-296198
-244085
-80467.2
-19778
-56.0992

$$(y_4 - y_1)^2$$

19417604577

1.687×10^{11}

9671437416

1.687×10^{11}

4271372913

25710579593

2.18×10^{11}

2174808922

87732976404

59577325785

6474978178

39116297768

8.9731×10^{11}

$$A) \hat{\beta}_1 = \frac{\sum_{i=1}^n x_i(y_i - \bar{y})}{\sum_{i=1}^n x_i(x_i - \bar{x})} = \frac{8890537.181}{7929.5626} = 1121.1889$$

$$\hat{\beta}_0 = \bar{y} - \hat{\beta}_1 \bar{x}$$

$$\hat{\beta}_0 = 479166.67 - 1121.1889 \times 111.93 = 353671.9964$$

$$\hat{y}_i = \hat{\beta}_0 + \hat{\beta}_1 x_i$$

$$x_i = 142.8$$

$$\hat{y}_i = 353671.9964 + 1121.1889 \times 142.8$$

$$\hat{y}_i = 513777.7713$$

$$B) \text{coefficient of determination} = R^2 = \frac{SSR}{SST} = \frac{(\hat{y}_i - \bar{y})^2}{(y_i - \bar{y})^2} = \frac{9960936876}{9.071 \times 10^{11}} = 0.010981$$

$$C) SSE = y_i - \hat{y}_i = -560992$$

$$SST = y_i - \bar{y} = 2.68$$

$$SSR = \hat{y}_i - \bar{y} = 59.667$$

$$D) t = \frac{\hat{y}_i - \bar{y}}{\sigma_y} = \frac{482306 - 479166.67}{274939.3873} = \frac{3139.33}{274939.3873} = 0.011$$

t_{13} : not enough, er.

E) Hypothesis testing

$$t = \frac{\hat{\beta}_1}{se(\hat{\beta}_1)}$$

$$se = \frac{\sqrt{\sum_{i=1}^n (y_i - \hat{y}_i)^2 / n - 2}}{\sqrt{\sum_{i=1}^n (x_i - \bar{x})^2}} = \frac{\sqrt{8.9731 \times 10^{11} / 10}}{\sqrt{7923.9661}} = \frac{947264.4826}{890166} = 10641.436$$

$$t = \frac{1121.1889}{10641.436} = 0.10536$$