Order-Preserving Key Compression for In-Memory Search Trees

Huanchen Zhang

(CMU → Snowflake → Tsinghua)

Lily Liu (CMU), David G. Andersen (CMU), Michael Kaminsky (BrdgAI), Kimberly Keeton (Hewlett-Packard Labs), Andrew Pavlo (CMU)

Source code: https://github.com/efficient/HOPE

Search tree compression matters



Tree indexes consume a lot of memory



Benchmark	Tree Index Memory
-----------	-------------------

[SIGMOD'16]

TPC-C

58%

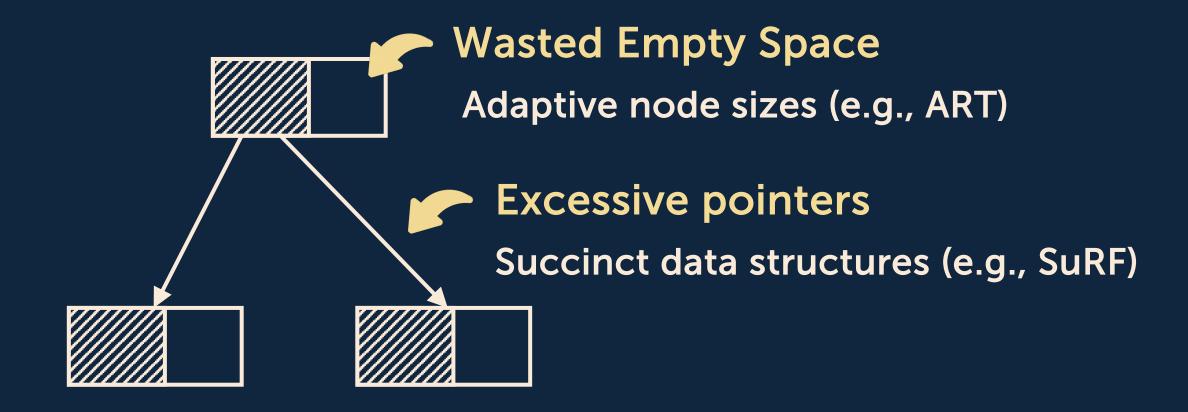


Databases face tight memory budgets

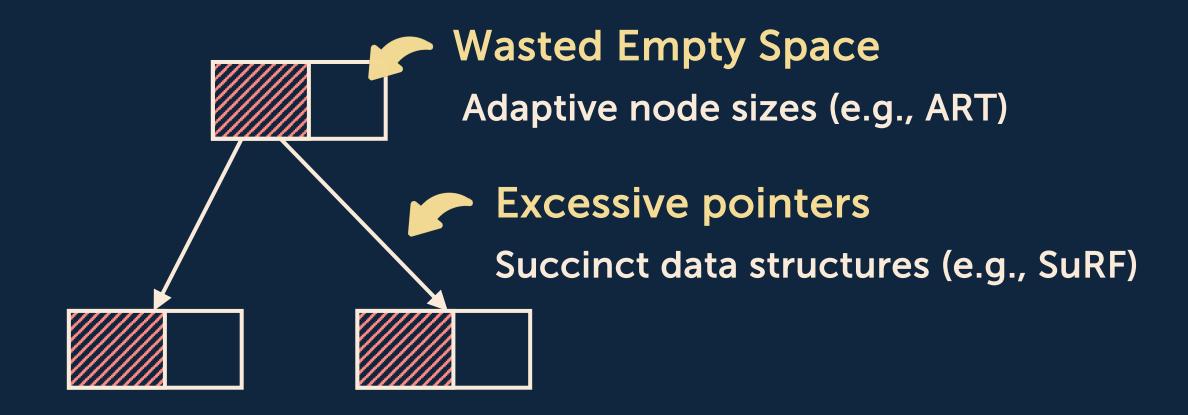


vCPU	Mem(GB)		SSD(GB)	
4	30.5	1:30	950	

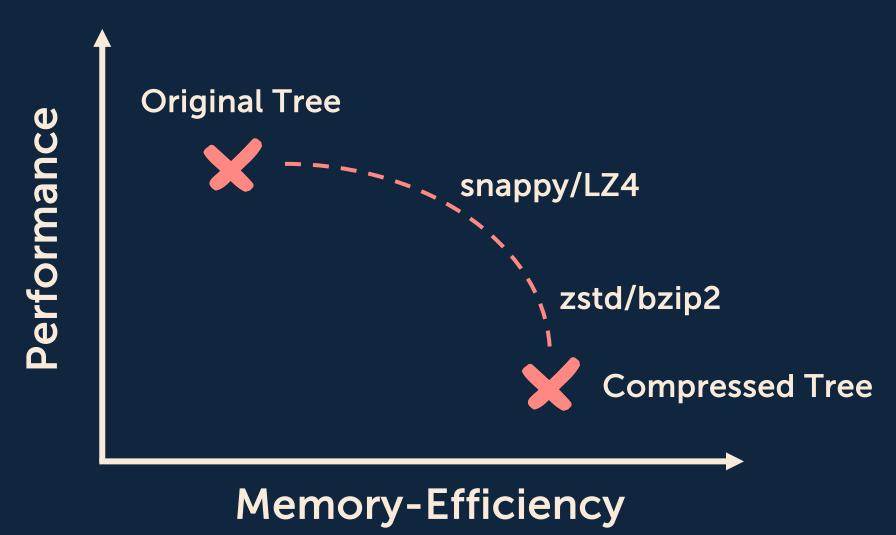
Prior work focuses on structural compression



Prior work focuses on structural compression

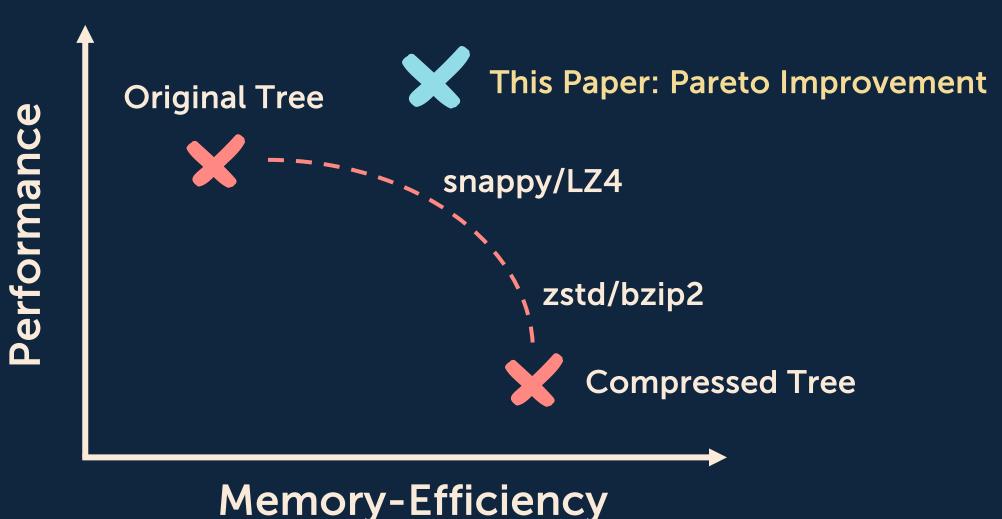


Block compression is slow



4

Block compression is slow

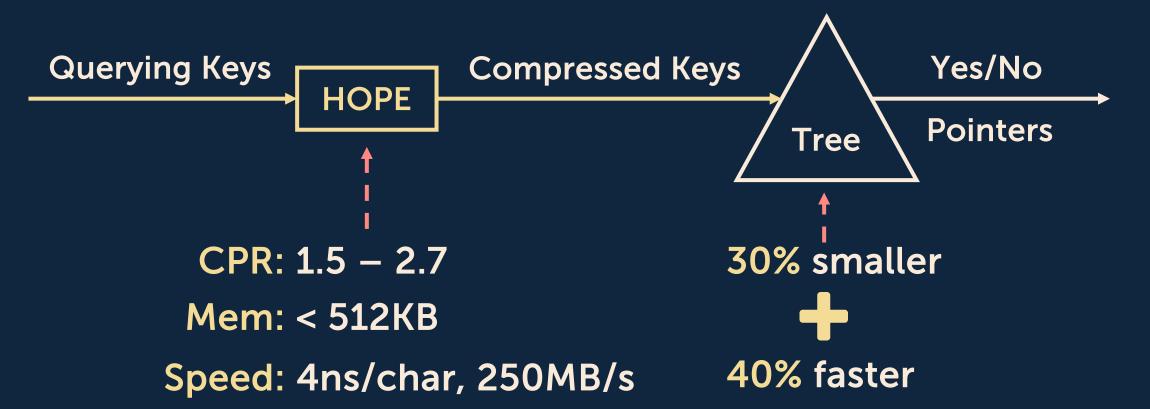


4

High-speed Order-Preserving Encoder



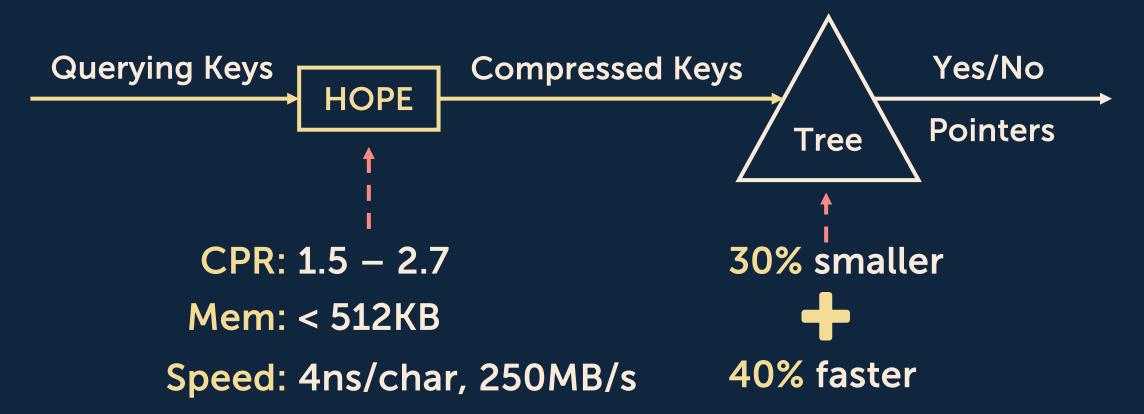
Stand-alone C++ library that can compress arbitrary keys while preserving order



High-speed Order-Preserving Encoder

➾

Stand-alone C++ library that can compress arbitrary keys while preserving order



Why whole-key dictionary compression fails

Table Column

Chopin

Mozart

Bach

Bach

Chopin

Bach



2

3

1

1

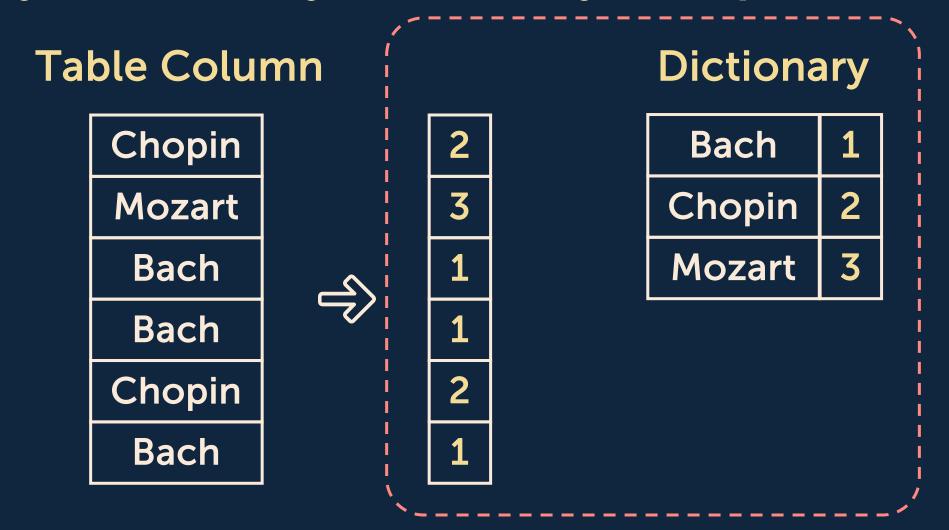
2

1

Dictionary

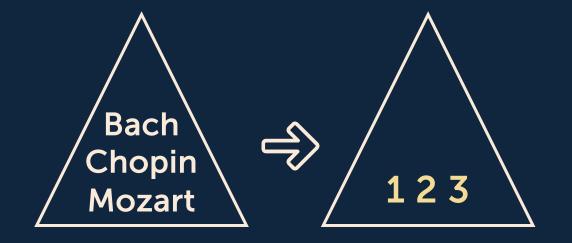
Bach	1
Chopin	2
Mozart	3

Why whole-key dictionary compression fails



Why whole-key dictionary compression fails

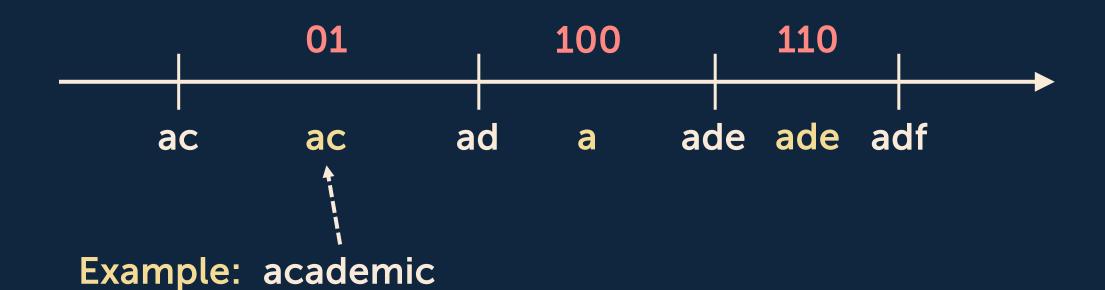
Tree Index

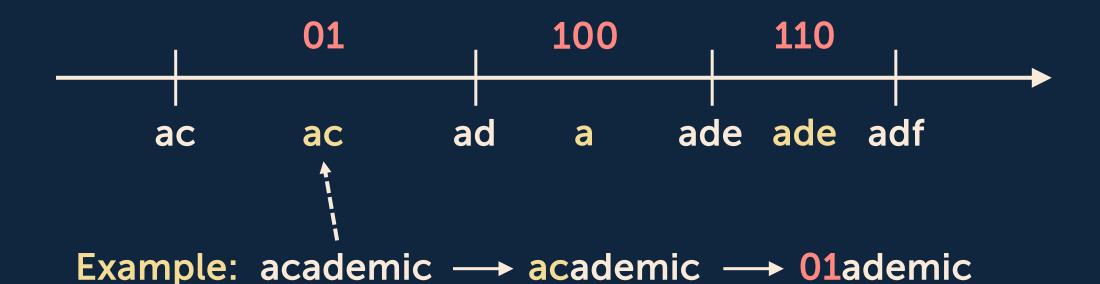


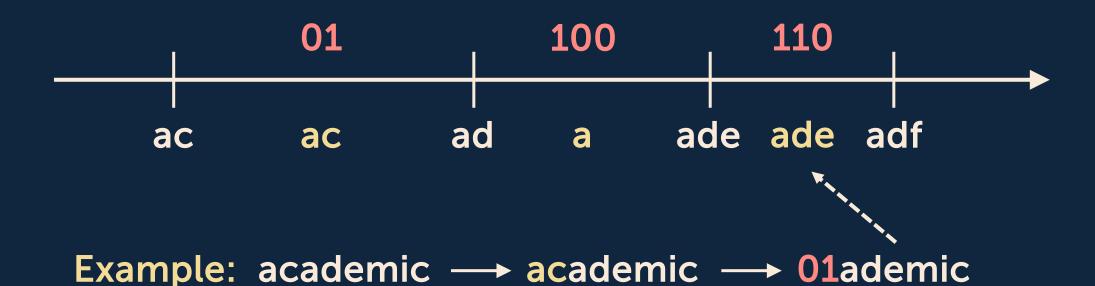
Dictionary

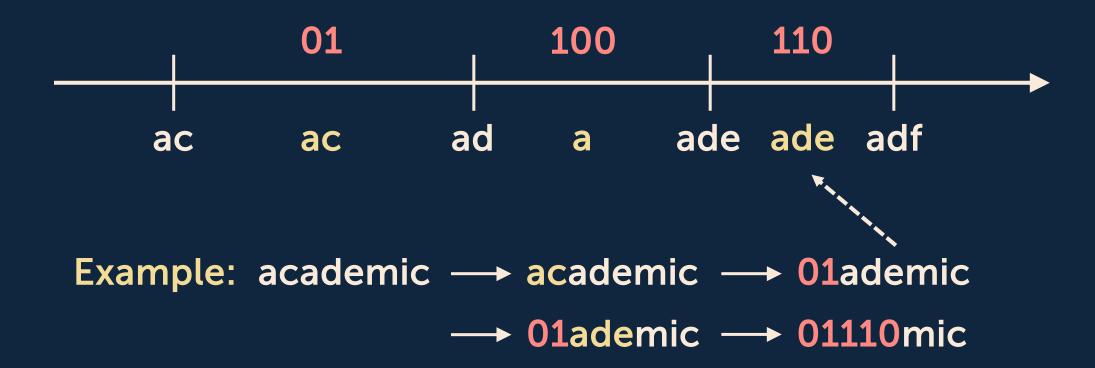
Bach	1
Chopin	2
Mozart	3

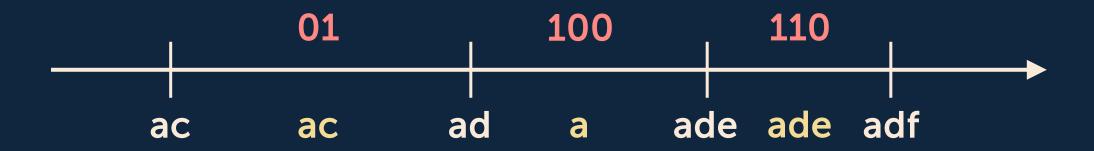
- No compression for unique keys
- Inefficiency in handling arbitrary input keys
- Overhead in maintaining dictionary order



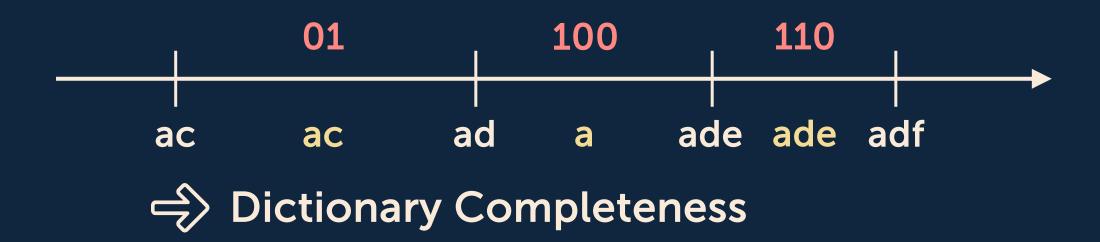








Example: academic
$$\longrightarrow$$
 academic \longrightarrow 01ademic \longrightarrow 01110mic \longrightarrow • • •





- **⇒** Dictionary Completeness
- ⇒ Order-Preserving

s1

Λ

s2

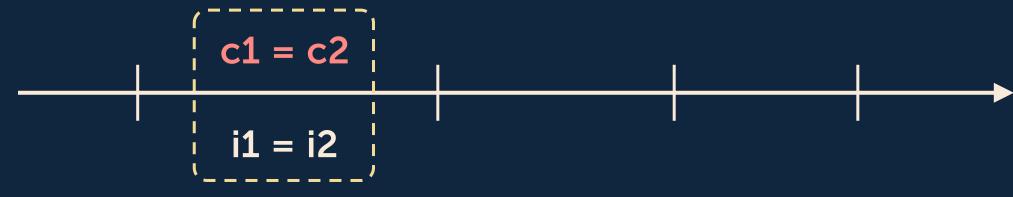


- **⇒** Dictionary Completeness
- ⇒ Order-Preserving

$$s1 \longrightarrow c1 \cdot s1_{suffix}$$

Λ

$$s2 \longrightarrow c2 \cdot s2_{suffix}$$



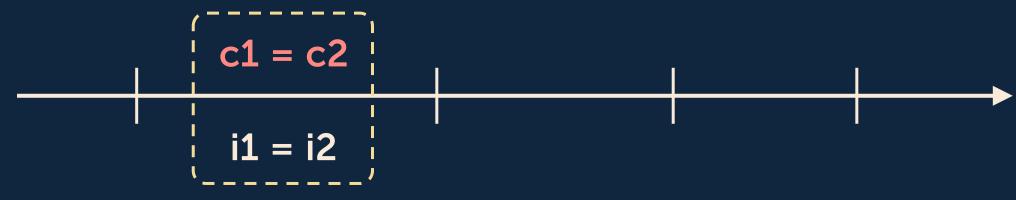
- ⇒ Dictionary Completeness
- → Order-Preserving

$$s1 \longrightarrow c1 \cdot s1_{suffix}$$
 \land
 $s2 \longrightarrow c2 \cdot s2_{suffix}$



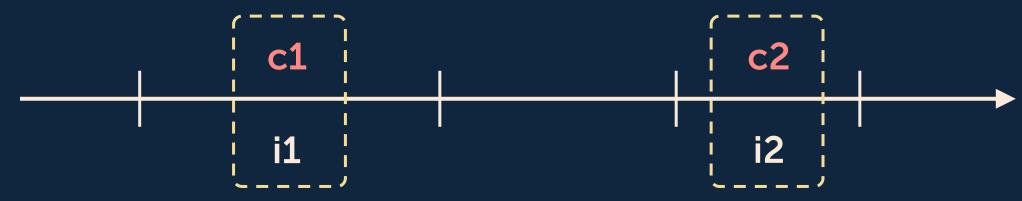
- ⇒ Dictionary Completeness
- → Order-Preserving

$$s1 \longrightarrow c1 \cdot s1_{suffix}$$
 $\Lambda \qquad II$
 $s2 \longrightarrow c2 \cdot s2_{suffix}$



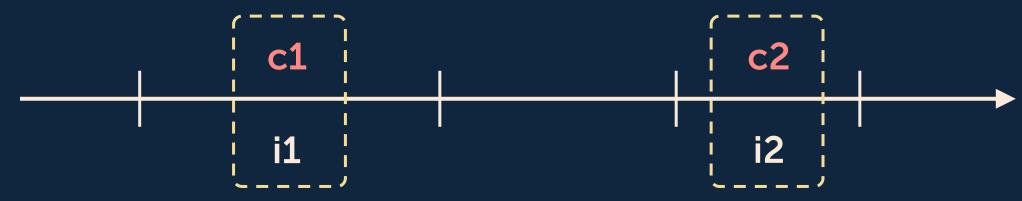
- ⇒ Dictionary Completeness
- → Order-Preserving

s1
$$\longrightarrow$$
 c1 • s1_{suffix}
 \land II \land
s2 \longrightarrow c2 • s2_{suffix}



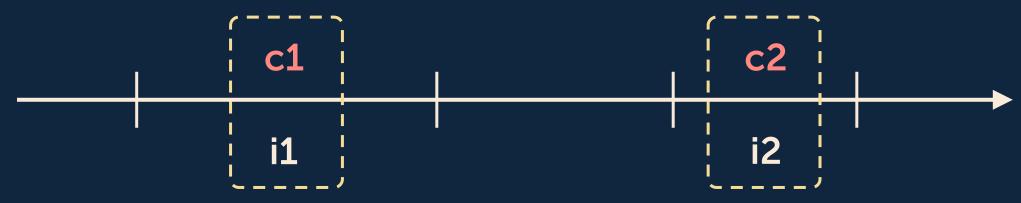
- ⇒ Dictionary Completeness
- → Order-Preserving

$$s1 \longrightarrow c1 \cdot s1_{suffix}$$
 \land
 $s2 \longrightarrow c2 \cdot s2_{suffix}$



- **⇒** Dictionary Completeness
- → Order-Preserving

$$s1 \longrightarrow c1 \cdot s1_{suffix}$$
 $\land \qquad \land$
 $s2 \longrightarrow c2 \cdot s2_{suffix}$

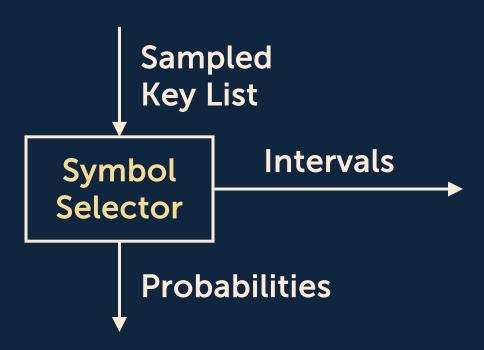


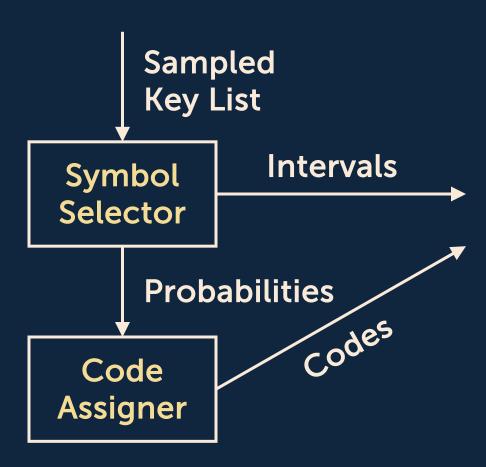
- ⇒ Dictionary Completeness
- → Order-Preserving

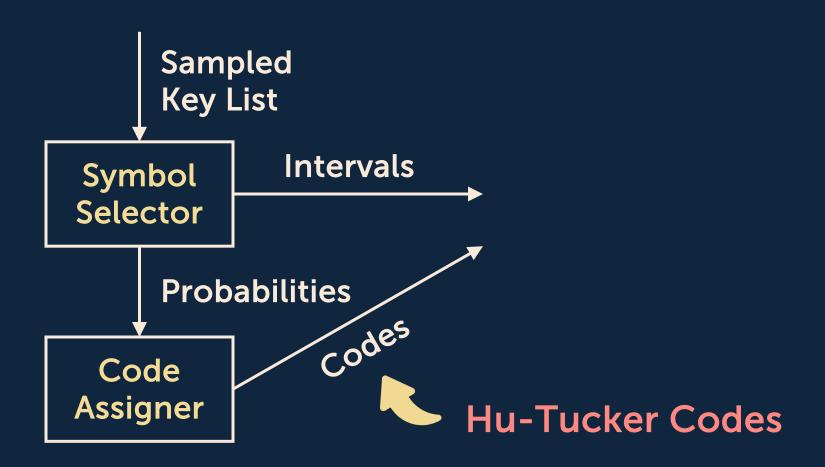
s1
$$\longrightarrow$$
 c1 • s1_{suffix} --- \longrightarrow Enc(s1)
 \land \land \land \land \land s2 \longrightarrow c2 • s2_{suffix} --- \longrightarrow Enc(s2)

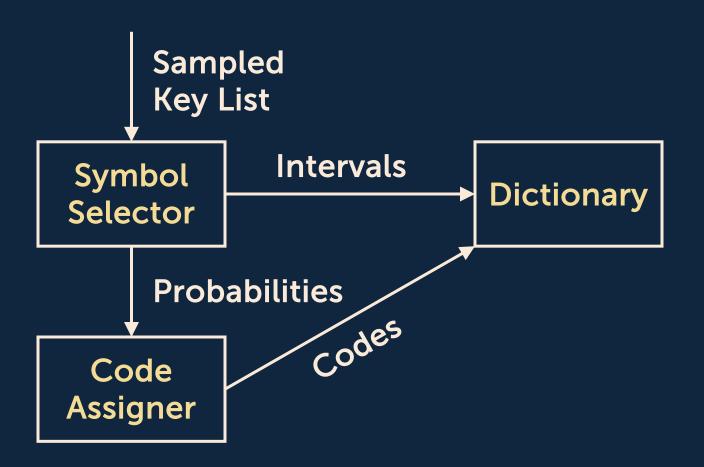


- **⇒** Dictionary Completeness
- ⇒ Order-Preserving
- Small Dictionary

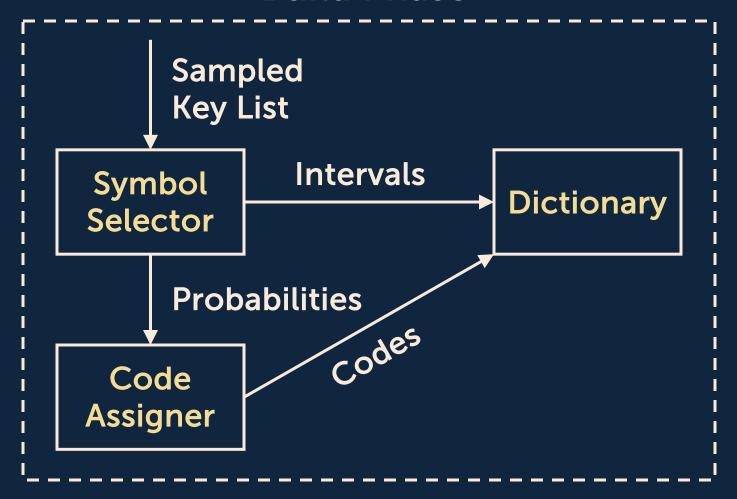


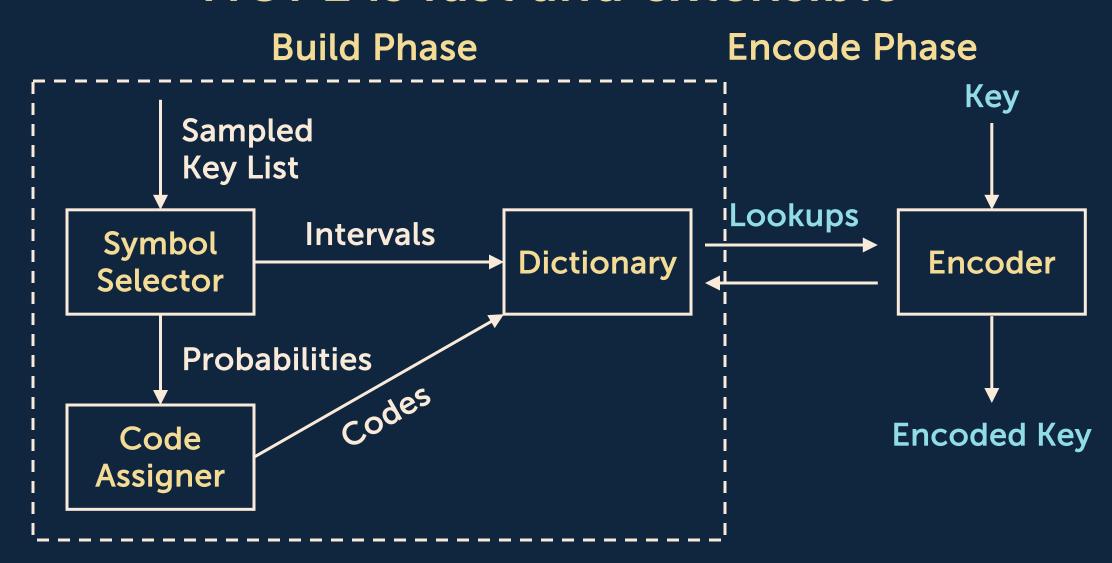






Build Phase





Applying HOPE to in-memory search trees

Structures: B+tree, Prefix B+tree, ART, HOT, SuRF

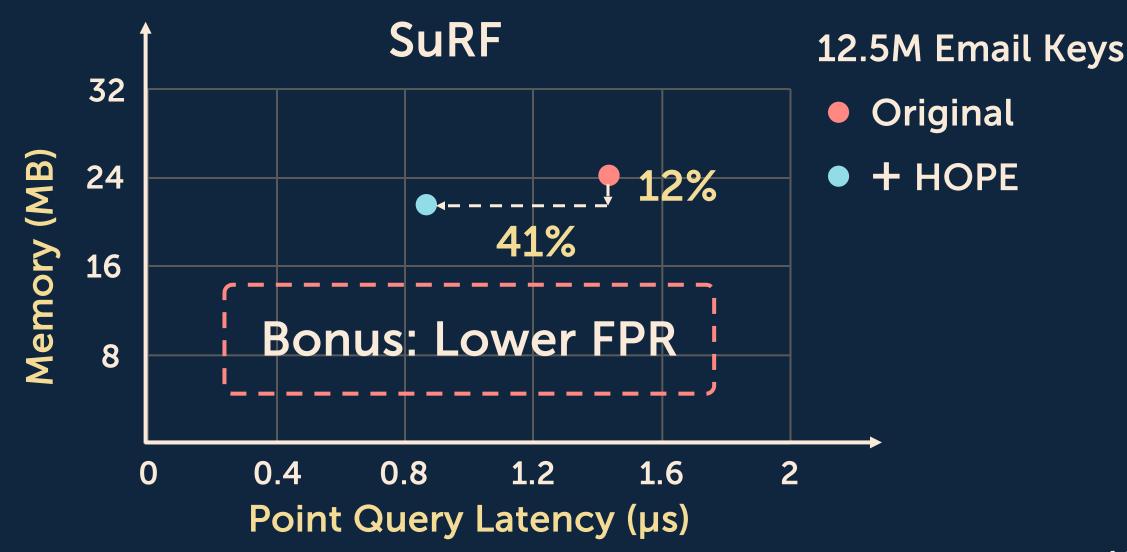
Keys: Emails, Wikipedia Titles, URLs

Operations: Lookup, Scan, Insert, Update



CPR: 1.5 – 2.7 Overhead: 4ns/char

HOPE is orthogonal to structural compression



Applying HOPE to string columns?

Pros

- Disk/Memory space savings
- Speedup queries by processing less data

Cons

Variable-length codes

HOPE Takeaways

→ Improves Space AND Performance.

⇒ Benefit beyond search trees?

Source code: https://github.com/efficient/HOPE