# Antenna Lab 1

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## 1 Part 1: linear antenna (dipole of general length)

In this part we graph the antenna pattern of different linear dipole antenna. Figures 1-4 show the results for different inputs.

## 1.1 Examples

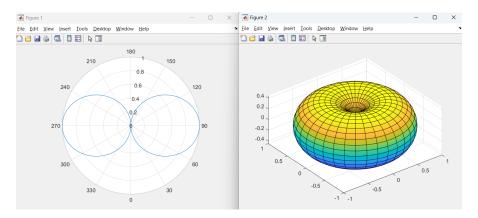


Figure 1:  $l = \frac{\lambda}{2}$ 

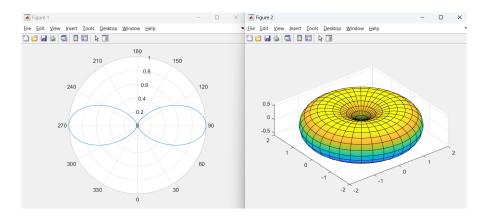


Figure 2:  $l = \lambda$ 

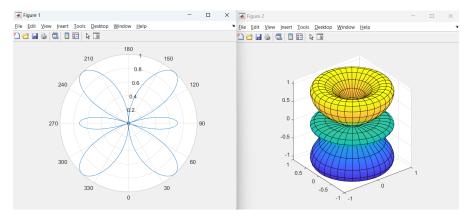


Figure 3:  $l = \frac{3\lambda}{2}$ 

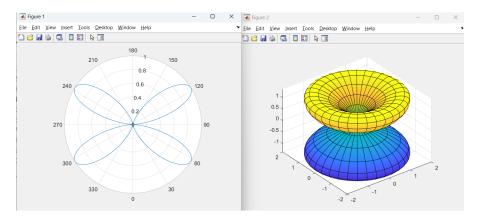


Figure 4:  $l = 2\lambda$ 

# 2 Part 2: Uniform linear antenna array

In this part we will be graphing the Array Factor of uniform linear antenna arrays. Figures 5-7 show the results for different inputs.

## 2.1 Examples

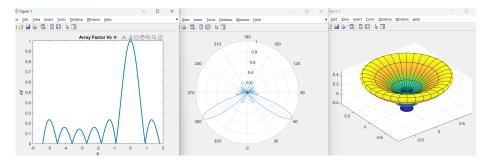


Figure 5:  $d = \frac{4\lambda}{7}$ , N = 7,  $\alpha = \frac{-4\pi}{7}$ 

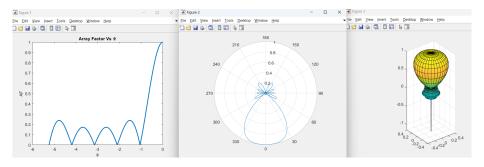


Figure 6:  $d = \frac{5\lambda}{12}$ , N = 6,  $\alpha = \frac{-5\pi}{12}$ 

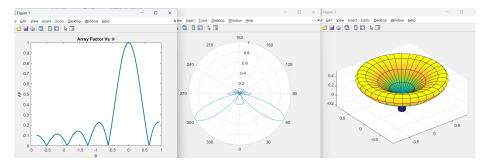


Figure 7:  $d = \frac{3\lambda}{10}$ , N = 10,  $\alpha = \frac{-3\pi}{10}$ 

### 3 Code

#### 3.1 Main

Code 1 shows the code used in the main file, this code makes use of five custom functions, each of which will be discussed subsequently.

```
%% Part 1: linear antenna (dipole of general length)
   L_Lamda_ratio = input("Enter length of dipole relative to lamda: ");
3
   E_plot_2D(L_Lamda_ratio);
4
   E_plot_3D(L_Lamda_ratio);
5
   %% Part 2: Uniform linear antenna array(ULA)
   d_lamda_ratio = input("Enter spacing w.r.t lamda (d): ");
   N = input("Enter number of elements (N): ");
   alpha = input("Enter the progressive shift (alpha): ");
10
   AF_cartesian_2D(N, alpha, d_lamda_ratio);
11
   AF_polar_2D(N, alpha, d_lamda_ratio);
12
   AF_cartesian_3D(N, alpha, d_lamda_ratio);
```

Code 1: Main code

#### 3.2 E\_plot\_2D

This function plots the  $E_n$  pattern in polar co-ordinates in 2D.

```
% This function plots the normalized E pattern in polar co-ordinates in 2D function E_plot_2D(L_Lamda_ratio)
% Define constants
step = 0.01;
```

```
theta = -pi:step:pi;
                                                                        % Theta
6
       lamda = 0.2;
                                                                        % Wavelength
7
       B = 2*pi/lamda;
                                                                      % Beta
8
       L = L_Lamda_ratio * lamda;
                                                            % Wire length
9
10
11
       E_n_{theta} = (\cos(B*L*\cos(theta)/2) - \cos(B*L/2)) ./ \sin(theta);
12
       E_n_theta = E_n_theta/ max(abs(E_n_theta));
       E_n_theta = E_n_theta .* sign(theta);
13
14
15
       figure
       polarplot(theta, E_n_theta)
16
17
       pax = gca;
18
       pax.ThetaZeroLocation = 'bottom';
19
```

Code 2: E\_plot\_2D

## 3.3 E\_plot\_3D

This function plots the  $E_n$  pattern in 3D.

```
% This function plots the E pattern in 3D
   function E_plot_3D(L_Lamda_ratio)
2
3
        syms phi theta
4
        % Define constants
5
        lamda = 0.2;
                                                            % Wavelength
6
        B = 2*pi/lamda;
                                                            % Beta
7
        L = L_Lamda_ratio * lamda;
                                                            % Wire length
8
9
        E_{theta} = (\cos(B*L * \cos(phi)/2) - \cos(B*L/2)) / \sin(phi);
10
       %Converting to Cartesian Coordinates for plotting.
11
12
        x = E_theta*sin(phi)*cos(theta);
13
        y = E_theta*sin(phi)*sin(theta);
14
        z = E_theta*cos(phi);
15
        %Plotting E pattern with the defined ranges for x, y
16
17
        figure
        fsurf(x,y,z,[0 pi 0 2*pi])
18
19
20
        %for uniform plotting
        axis equal
21
22
23
   end
```

Code 3: E\_plot\_3D

#### 4 AF\_cartesian\_2D

This function draws the graph of the AF in 2D cartesian co-ordinates.

```
% This function plots the normalized Array Factor Vs Psi in cartesian
% co-ordinates
function AF_cartesian_2D(N, alpha, d_lamda_ratio)
% Define constants
```

```
step = 0.01;
6
        gamma = -pi:step:pi;
7
        psi = alpha + 2*pi*d_lamda_ratio * cos(gamma);
8
9
        AF = \sin(N*psi/2) ./ (N * \sin(psi/2));
10
        AF = abs(AF);
11
12
        figure
        plot(psi, AF, 'linewidth', 2);
13
14
        xlabel('\Psi')
        ylabel('AF')
15
        title('Array Factor Vs \Psi')
16
17
```

Code 4: AF\_cartesian\_2D

#### 4.1 AF\_polar\_2D

This function draws the 2D pattern of AF in polar co-ordinates.

```
% This function plots the normalized Array factor pattern in polar co-ordinates in 2D
2
   function AF_polar_2D(N, alpha, d_lamda_ratio)
3
        % Define constants
4
        step = 0.01;
5
        gamma = -pi:step:pi;
6
        psi = alpha + 2*pi*d_lamda_ratio * cos(gamma);
7
8
        AF = \frac{\sin(N*psi/2)}{\sqrt{N*sin(psi/2)}};
9
        AF = abs(AF);
10
        figure
11
        polarplot(gamma, AF)
12
13
        pax = gca;
14
        pax.ThetaZeroLocation = 'bottom';
15
```

Code 5: AF\_polar\_2D

#### 5 AF cartesian 3D

This function draws the graph of the AF in 3D cartesian co-ordinates.

```
% This function plots the Array Factor in 3D
2
   function AF_cartesian_3D(N, alpha, d_lamda_ratio)
3
       syms phi theta
4
       %Defining psi based on the inputs.
5
6
       psi = alpha + 2*pi*d_lamda_ratio * cos(phi);
7
8
       E_{theta} = \sin(N*psi/2) ./ (N * \sin(psi/2));
9
10
       %Converting to Cartesian Coordinates for plotting.
       x = E_theta*sin(phi).*cos(theta);
11
12
       y = E_theta*sin(phi).*sin(theta);
       z = E_theta.*cos(phi);
13
14
```

```
%Plotting E pattern with the defined ranges for x, y

figure
fsurf(x,y,z,[0 pi 0 2*pi])

%for uniform plotting
axis equal
end
```

Code 6: AF\_cartesian\_3D