

Transmission systems

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Transmission systems

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Outline

- ▶ Introduction
- ▶ Transmission system components
- ▶ Modulation principle
- ▶ Analog modulations
 - Amplitude modulations
 - Frequency and phase modulations
- ▶ Digital modulations
- ▶ Main transceiver architectures

Outline

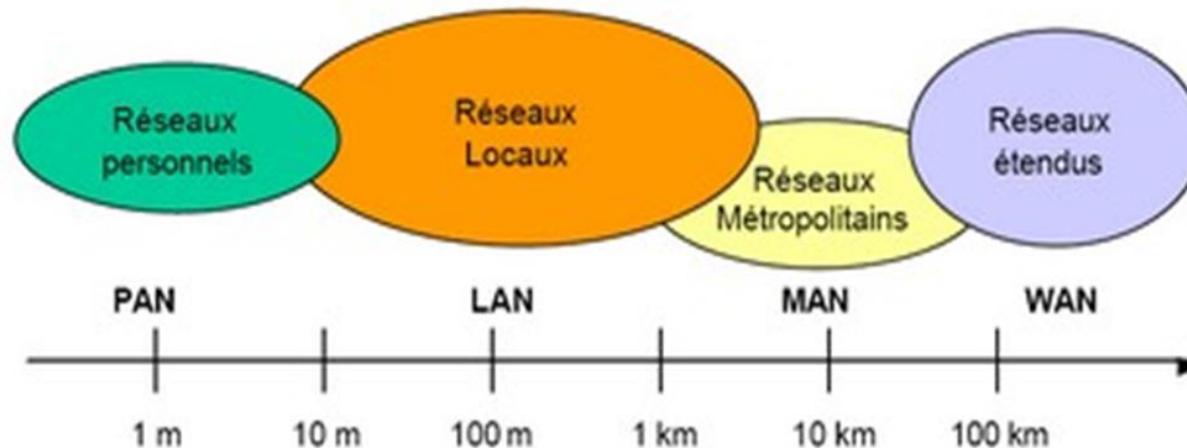
- ▶ **Introduction**
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Introduction

- ▶ Course objectives:
 - acquire the basics on
 - Principles of transmission systems
 - Transmission components
 - Transmission technologies and techniques
 - Transceivers architectures
 - Be able to understand, compare and choose a transmission system according to a given application

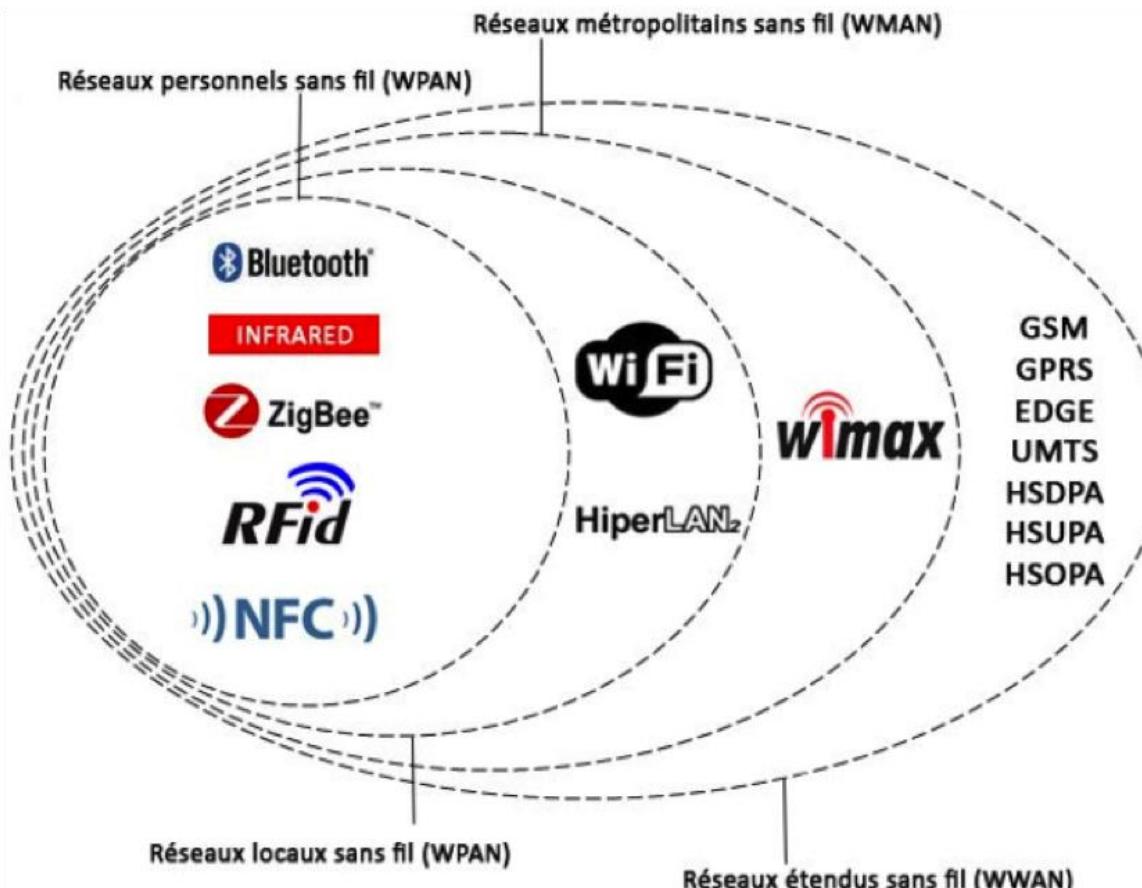
Introduction

- ▶ Transmission systems to share information
 - Through different networks
 - PAN : Personal Area Network
 - LAN : Local Area Network
 - MAN : Metropolitan Area Network
 - WAN : Wide Area Network



Introduction

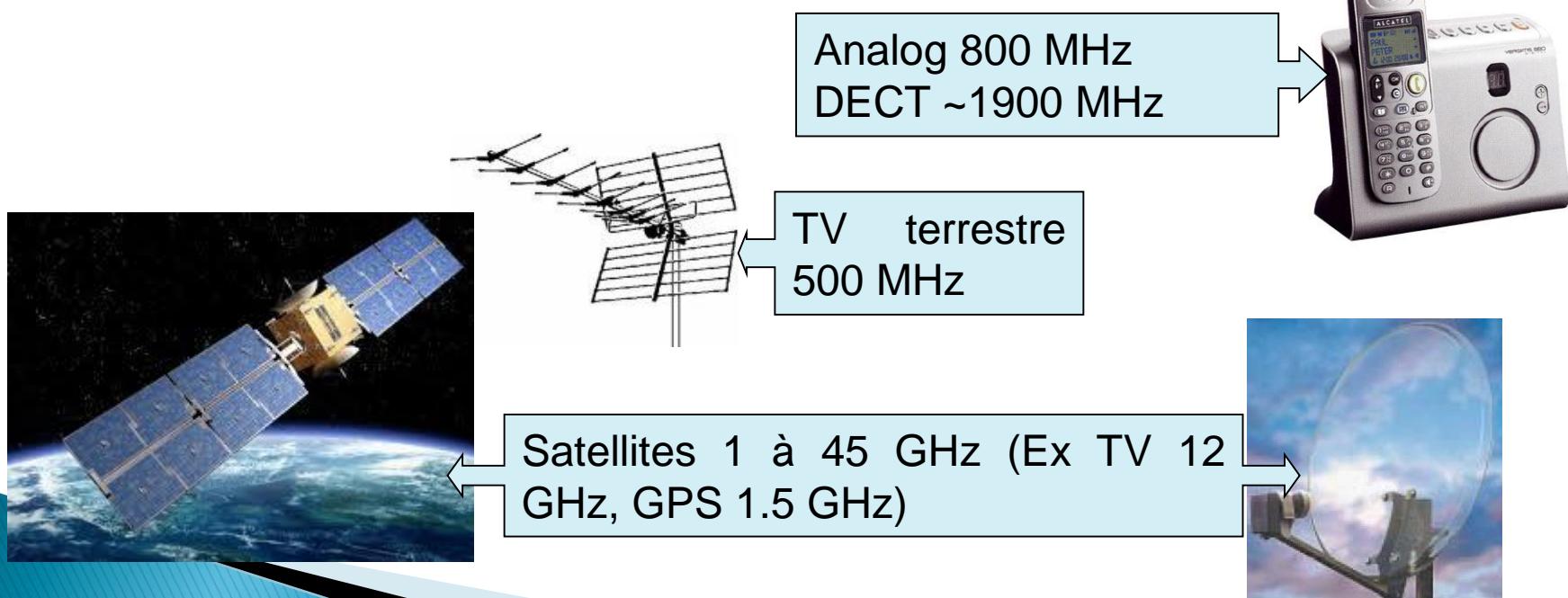
- ▶ Transmission systems to share information
 - Through different networks wireless or not



Introduction

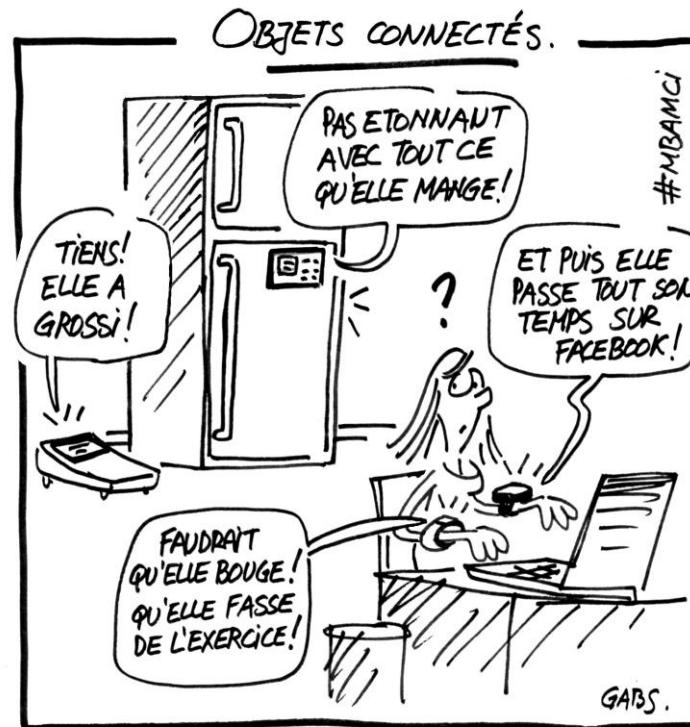


▶ Classical telecommunications



introduction

- ▶ Information transmission in an ultra-connected world



Introduction

- ▶ Information transmission in an ultra-connected world
- ▶ Ex: transports, smart things



anticollision radar~80 GHz
Toll ~6 GHz
Garage doors 433 MHz



Outline

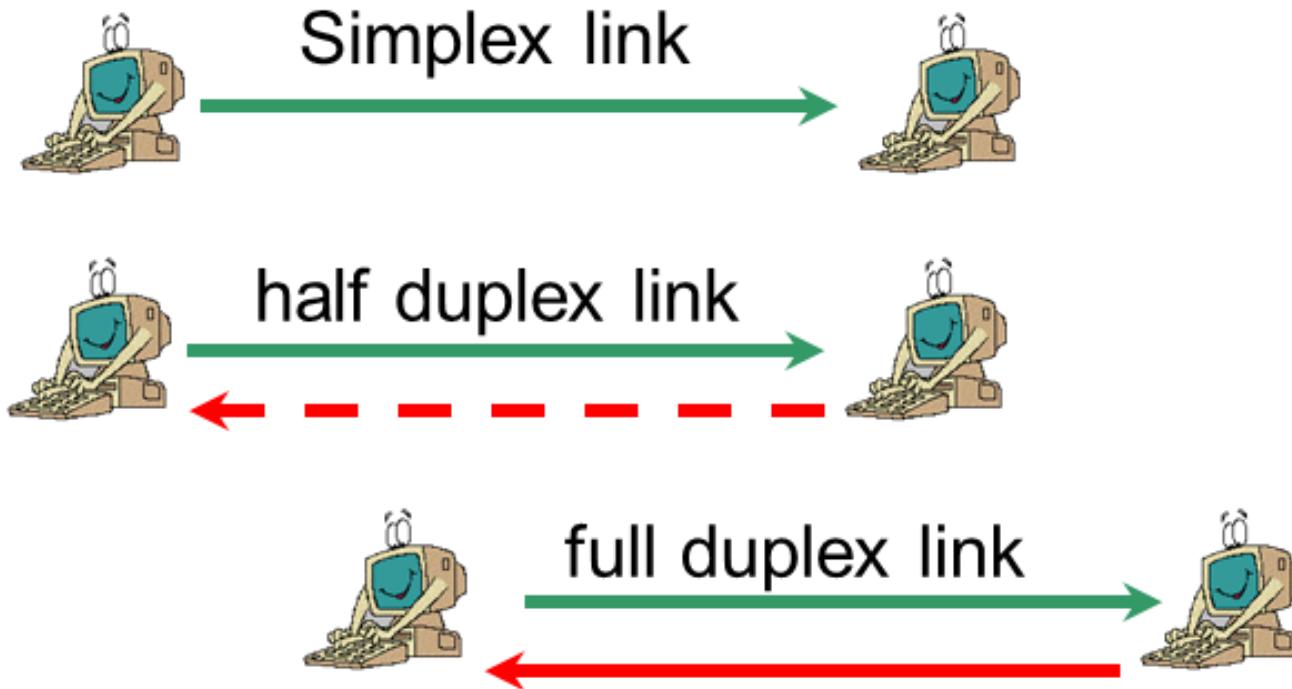
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- ▶ **Transmission system components**
- ▶ Modulation principle
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Transmission system components

- 
- ▶ Transmission systems to share information
 - Which kind of information ?
 - Image, sound, temperature, pressure, data
 - Most of them are physical signals (not necessary electromagnetic)
 - Sensors provide electrical signals that vary in an **analogous** way to the physical variations
 - These variations are continuous in the values and in the time domain
 - **Analog** signals can be converted into **digital** ones, then they have discrete or quantized values at discrete instants

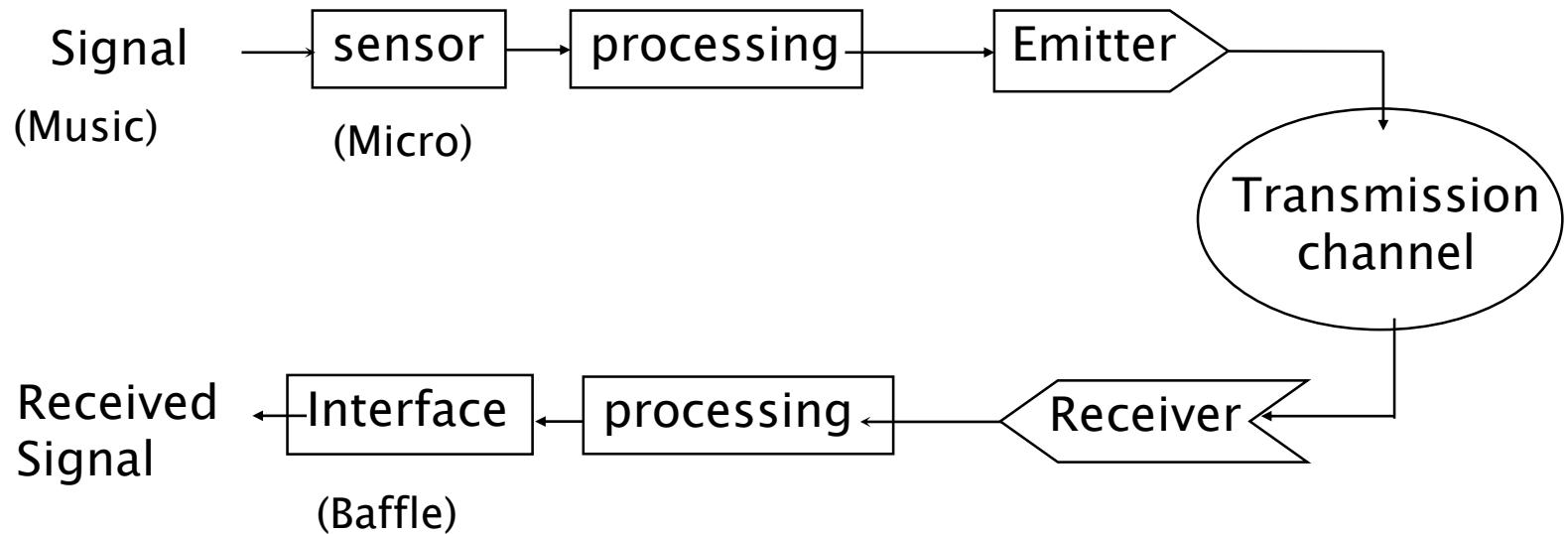
Transmission system components

▶ Transmission systems modes



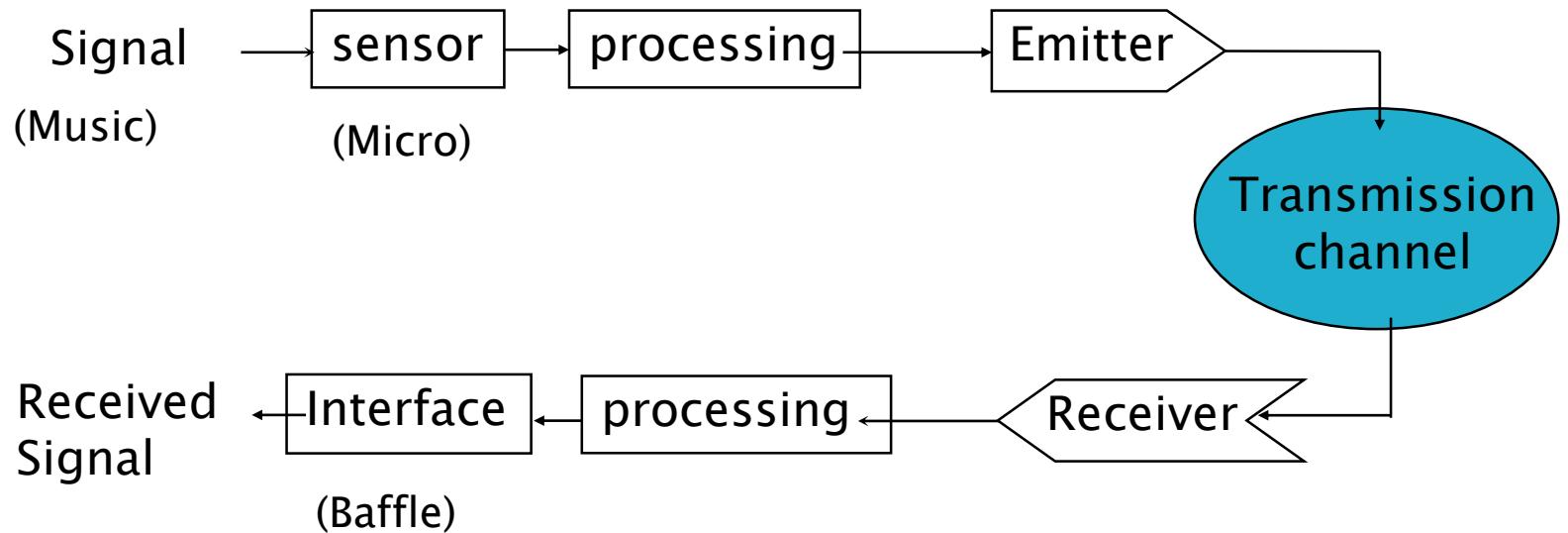
Transmission system components

- ▶ Transmission wired or wireless



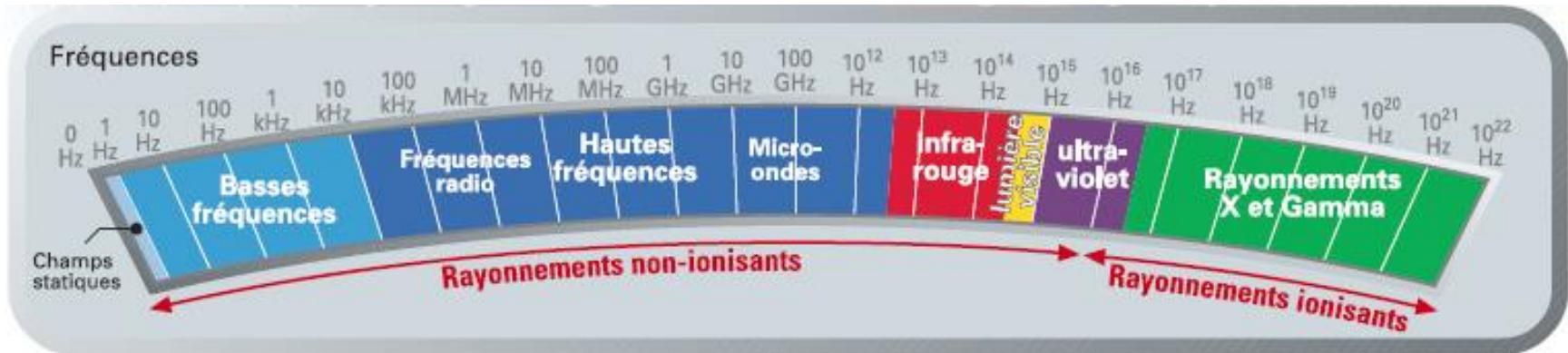
Transmission system components

- ▶ Transmission wired or wireless



Transmission system components

▶ Frequency bands



▶ Transmission channel bandwidth

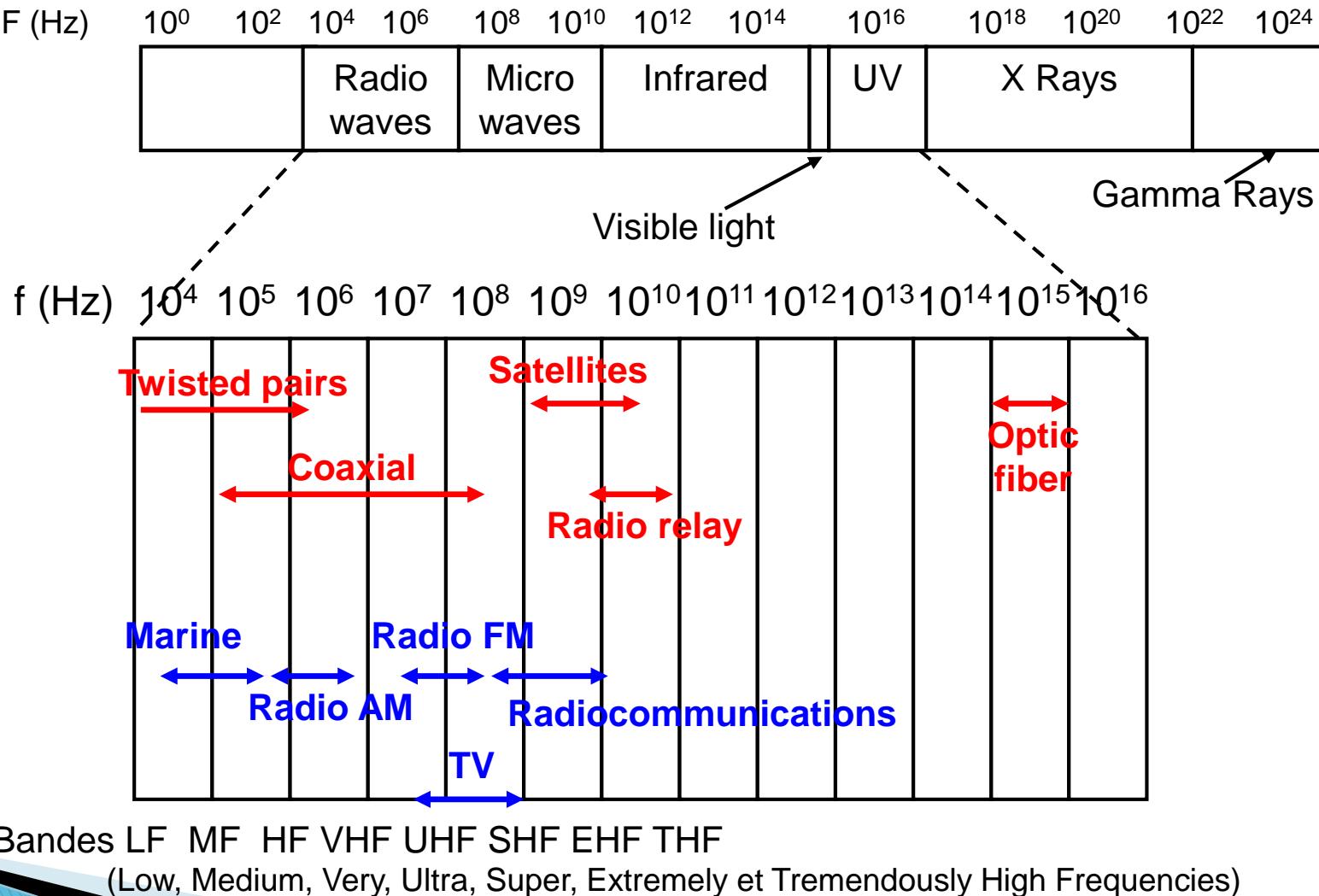
- Characterizes any transmission medium, it is the frequency band in which the signals are correctly received

$$W = F_{\max} - F_{\min}$$

- ex: the atmosphere eliminates UV
- the human ear is sensitive in the band 15–15000 Hz

Transmission system components

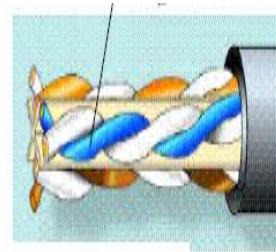
▶ Transmission channel



Transmission system components

- ▶ Transmission channel
 - Three supports are used in wired networks

- The twisted pair



- The coaxial cable



- The optical fiber

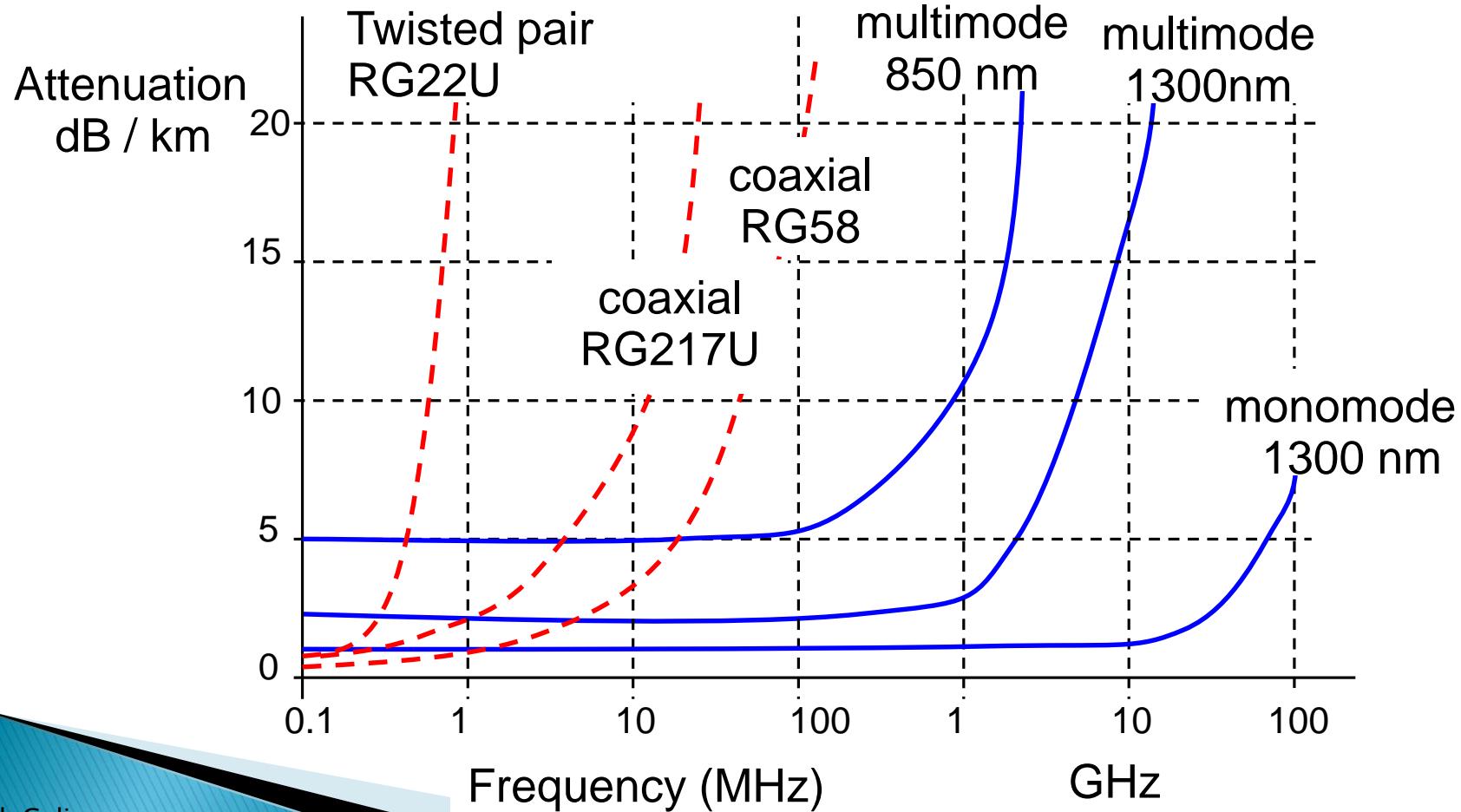


Transmission system components

- ▶ The choice of the medium determines the maximum data rate and the size of the network.
- ▶ The choice of a support also determines the wiring conditions
 - Flexibility of support desirable or not
 - Cost of connection
- ▶ Transmission channel – Objectives to be achieved in choosing a wiring:
 - high bandwidth,
 - the possibility of using these cables over long distances,
 - easy to install,
 - simple and resistant connectors,
 - low cost ...

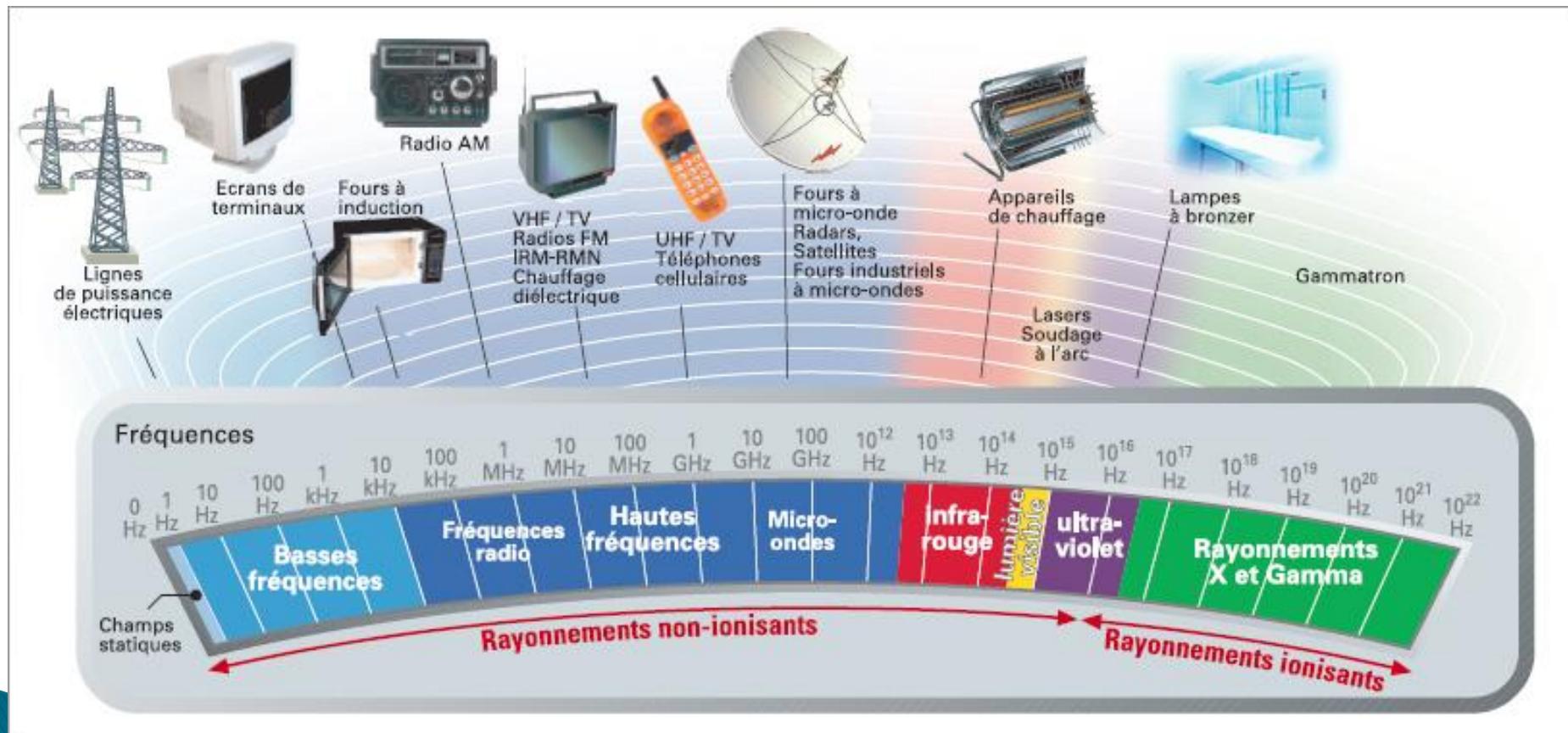
Transmission system components

► Wired transmission bandwidth



Transmission system components

► Wireless radiations and transmissions frequency bands

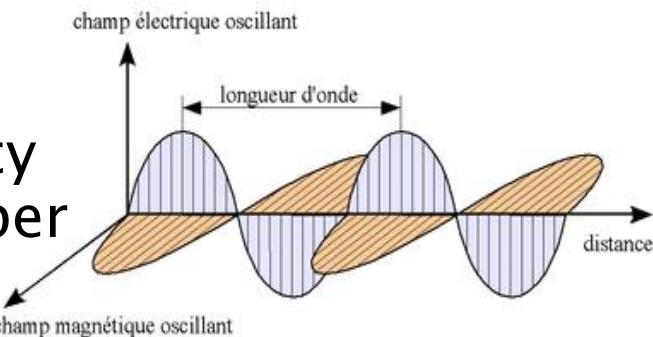


Transmission system components

- ▶ Choice of a frequency band depends on:
 - Desired coverage distances
 - The required data rate
 - The preferred mode of propagation
 - Congestion of the EM spectrum
- ▶ Standardization bodies managing the allocation of frequencies:
 - At the international level: the ITU (International Telecommunication Union, <http://www.itu.int>)
 - At the European level :
 - The ETSI (European Telecommunication Standard Institute, <http://www.etsi.org/>)
 - The CEPT (European Conference of Posts and Telecommunications, <http://www.cept.org/>)
 - In France :
 - The ARCEP (former ART, <http://www.arcep.com/>)
 - The ANFR (National Frequency Agency, <http://www.anfr.fr/>)

Transmission system components

- ▶ Wired or wireless, the transmitted signal is an electromagnetic wave
 - A wave is a vibration that propagates in space (alternating electric field and magnetic field)
 - A wave is characterized by its frequency expressed in Hertz (number of cycles per second)
 - The frequencies used for mobile and wireless telecommunications are between 900 MHz and 6 GHz
 - Electromagnetic waves propagate in the air at the speed of light (300,000 km / s)



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- ▶ **Modulation principle**
- ▶ Analog modulations
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Modulation principle

► What is a modulation ?

- Signal processing which consists on modifying a sinusoidal signal characteristic (amplitude, phase, etc) in order to convey the emitted signal.
- The sinusoidal modified signal is called the modulated signal
- The conveyed signal is called the modulating signal.
- Initial sinusoidal signal is called the carrier $s_c(t)$
- The emitted signal (modulating) varies or modulates the carrier.

$$s_c(t) = \overbrace{\tilde{A}}^{\text{Amplitude}} \cos \left(\underbrace{2\pi f_0 t + \varphi_0}_{\text{Angle}} \right)$$

Modulation principle

- ▶ Example of an amplitude modulation:
 - Carrier

$$s_c(t) = \overbrace{\hat{A}}^{\text{Amplitude}} \cos \left(\underbrace{2\pi f_0 t + \varphi_0}_{\text{Angle}} \right)$$

- The amplitude carries the information signal $I(t)$ called the modulating signal: $A \Rightarrow A[I(t)]$.

$$s(t) = A[I(t)] \times \cos(\omega_0 t + \varphi_0)$$

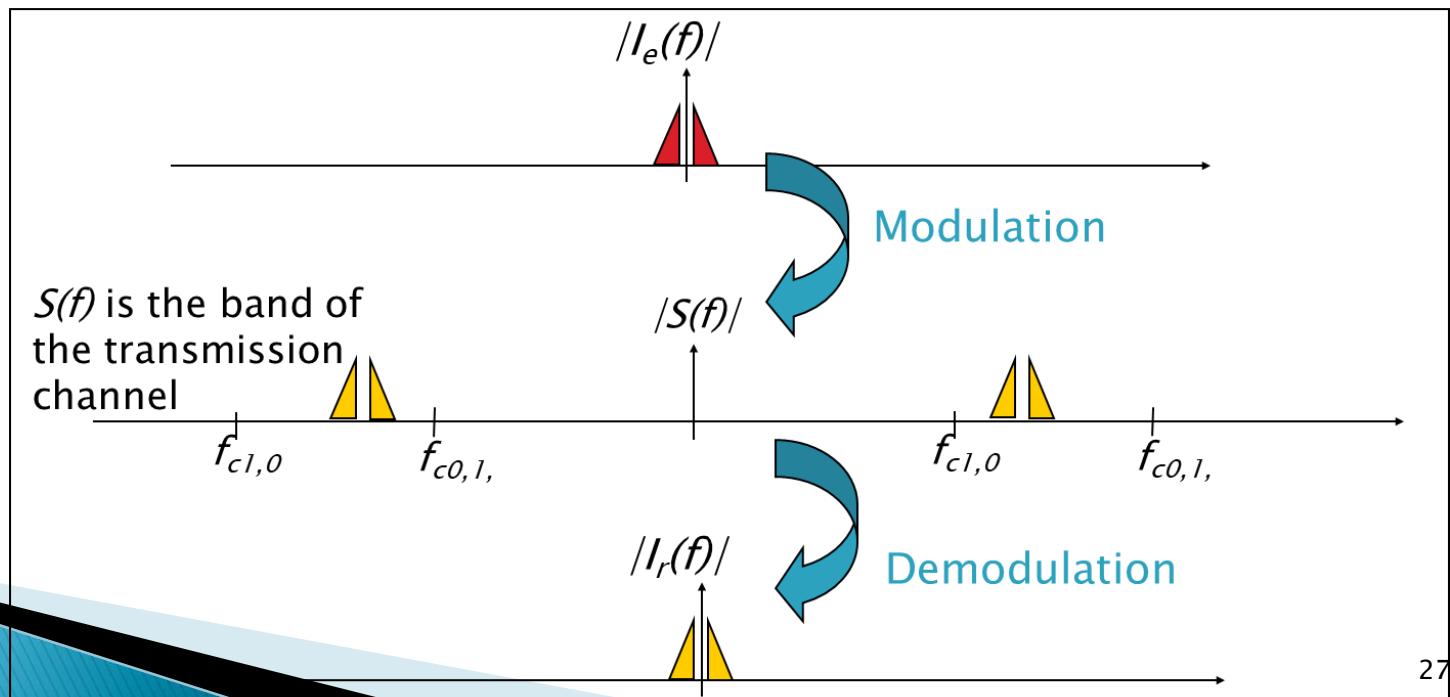
- $I(t)$: modulating signal
- $s(t)$: modulated signal

Modulation principle



▶ Why modulate ?

- Adapt the signal to the transmission channel bandwidth.
 - Frequency translation of the emitted (modulating) signal
 - Small size antennas

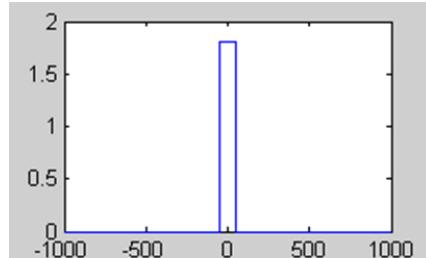


Modulation principle

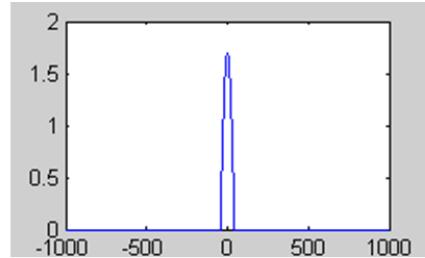
► Why modulate ?



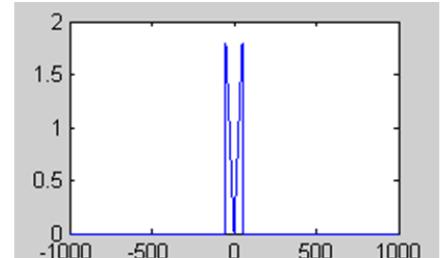
- Multiplex several signals on the same transmission medium



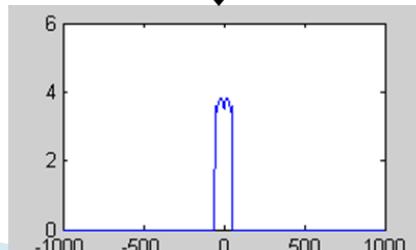
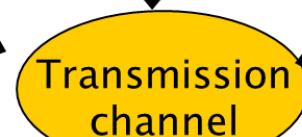
Spectrum of signal 1



Spectrum of signal 2



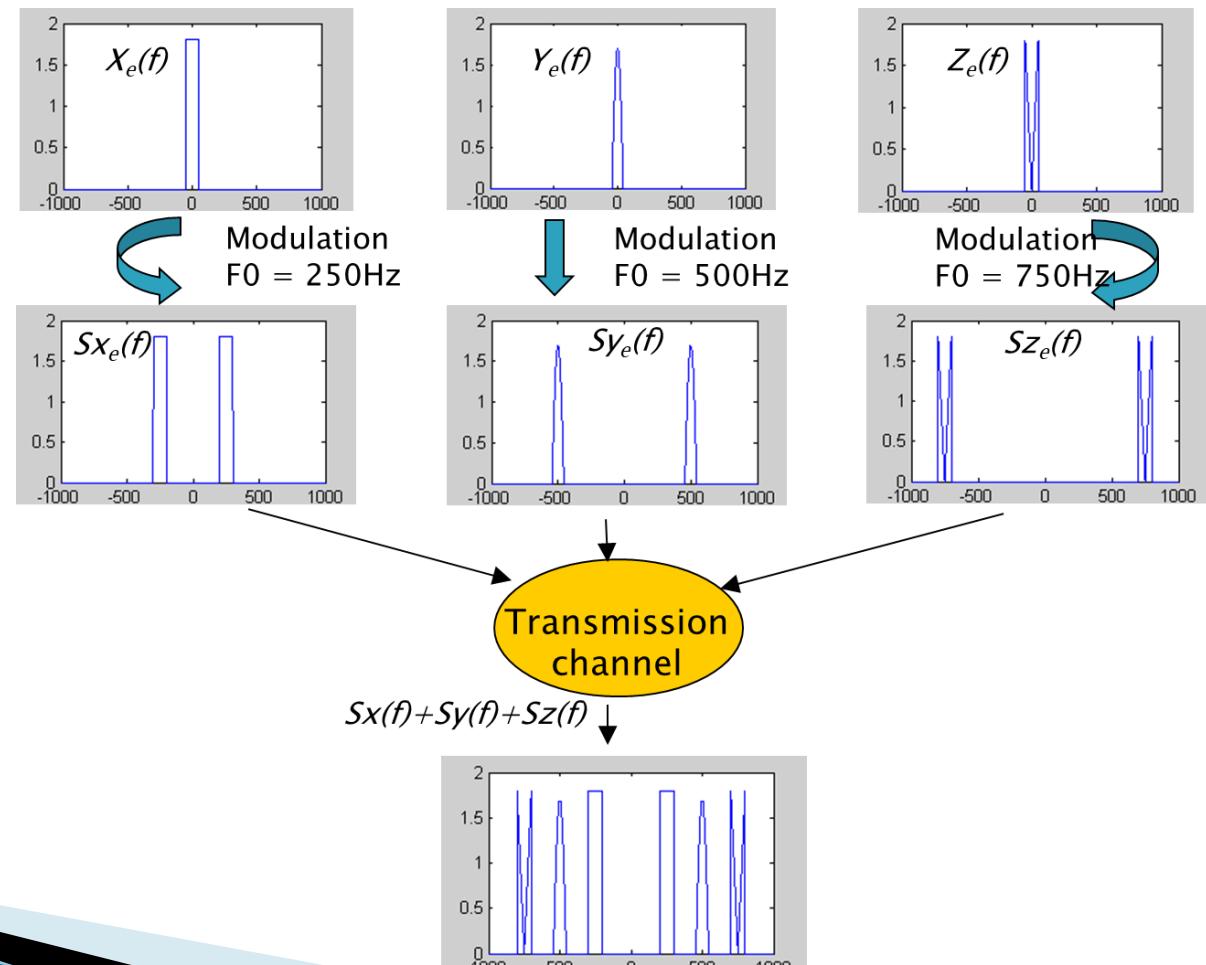
Spectrum of signal 3



Unable to disassociate the signals at the output of the transmission channel

Modulation principle

► Why modulate ?



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Analog Modulations

- ▶ Transmit the information of a signal through a carrier
- ▶ The information is an analog signal: the **modulating signal**
- ▶ The conveyor is a sinusoidal signal: the **carrier**
- ▶ The output is an analog signal: the **modulated signal**
- ▶ The modulating signal can modulate the amplitude, the frequency or the phase of the carrier

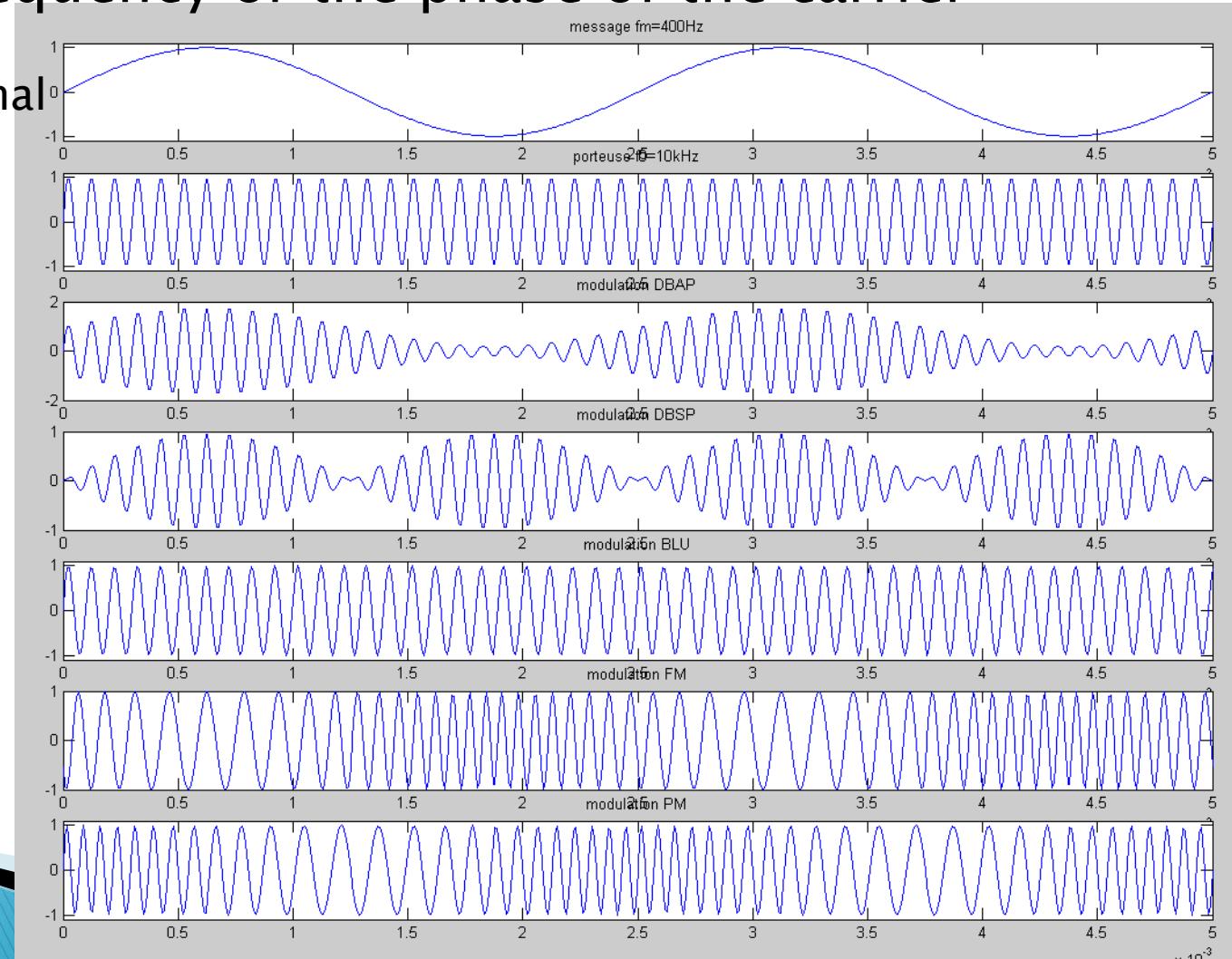
Analog Modulations

- The modulating signal can modulate the amplitude, the frequency or the phase of the carrier

Modulating signal

carrier

Modulated signals



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Amplitude Modulation

- ▶ The carrier

$$s_c(t) = \overbrace{A}^{\text{Amplitude}} \cos \underbrace{\left(2\pi f_0 t + \varphi_0 \right)}_{\text{Angle}}$$

- ▶ The amplitude carries the information signal $I(t)$ called the modulating signal:
 - $A \Rightarrow A[I(t)]$.

$$s(t) = A[I(t)] \times \cos(\omega_0 t + \varphi_0)$$

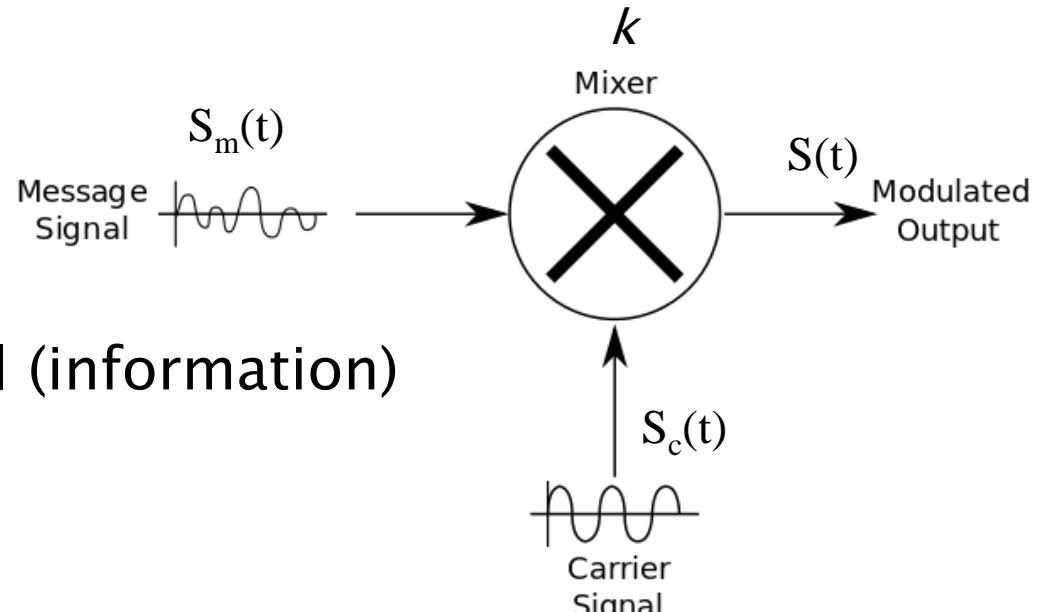
- $I(t)$: modulating signal
- $s(t)$: modulated signal

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- ▶ **Analog modulations**
 - **Amplitude modulations**
 - Double-sideband suppressed-carrier (DSB-SC)
 - Double-sideband modulation with carrier (DSB-WC)
 - Single-sideband modulation (SSB, or SSB-AM)
 - Frequency and phase modulations
- ▶ Digital modulations
- ▶ Main transceiver architectures

Double-sideband suppressed-carrier (DSB-SC)

▶ Modulation



- Modulating signal (information)

$$S_m(t) = A_m \cos(2\pi f_m t)$$

- Carrier

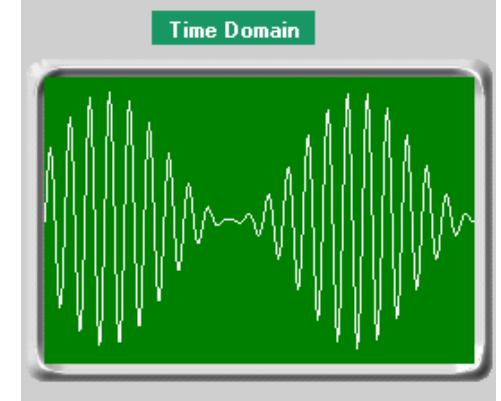
$$S_c(t) = A_c \cos(2\pi f_c t)$$

- Modulated signal

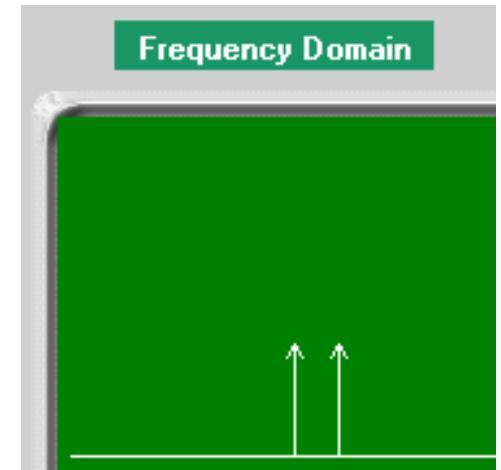
$$S(t) = k A_m A_c \cos(2\pi f_m t) \cos(2\pi f_c t)$$

Double-sideband suppressed-carrier (DSB-SC)

$$S(t) = k A_m A_c \cos(2\pi f_m t) \cos((2\pi f_c)t)$$

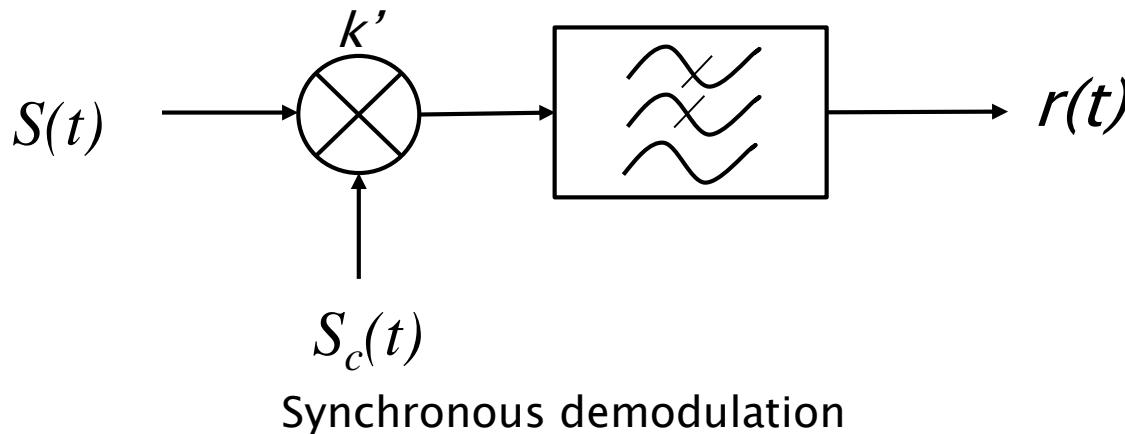


$$S(t) = (k A_m A_c / 2) [\cos(2\pi(f_c + f_m)t) + \cos(2\pi(f_c - f_m)t)]$$



Double-sideband suppressed-carrier (DSB-SC)

▶ Demodulation



- Carrier

$$S_c(t) = A_c \cos(2\pi f_c t)$$

- Modulated signal

$$S(t) = kA_m A_c \cos(2\pi f_m t) \cos(2\pi f_c t)$$

Double-sideband suppressed-carrier (DSB-SC)

- ▶ Advantage
 - In conventional amplitude modulation, much of the transmitted power is used to send the carrier
 - The idea of suppressing the carrier so that the power emitted serves only to transmit useful information.

Double-sideband modulation with carrier (DSB-WC)

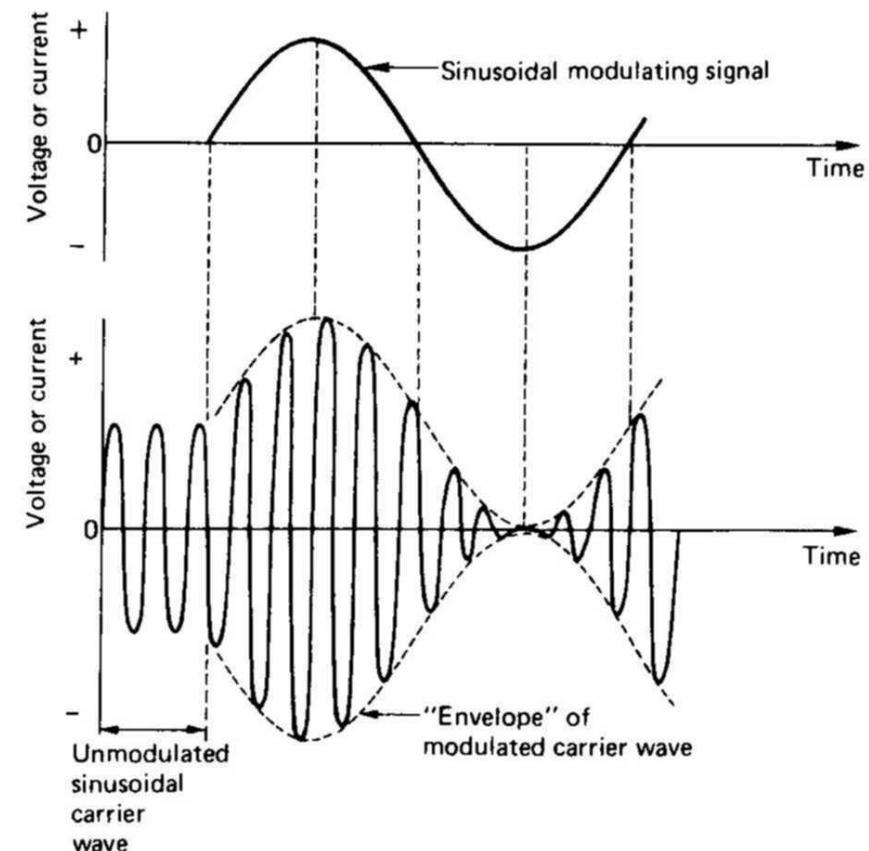
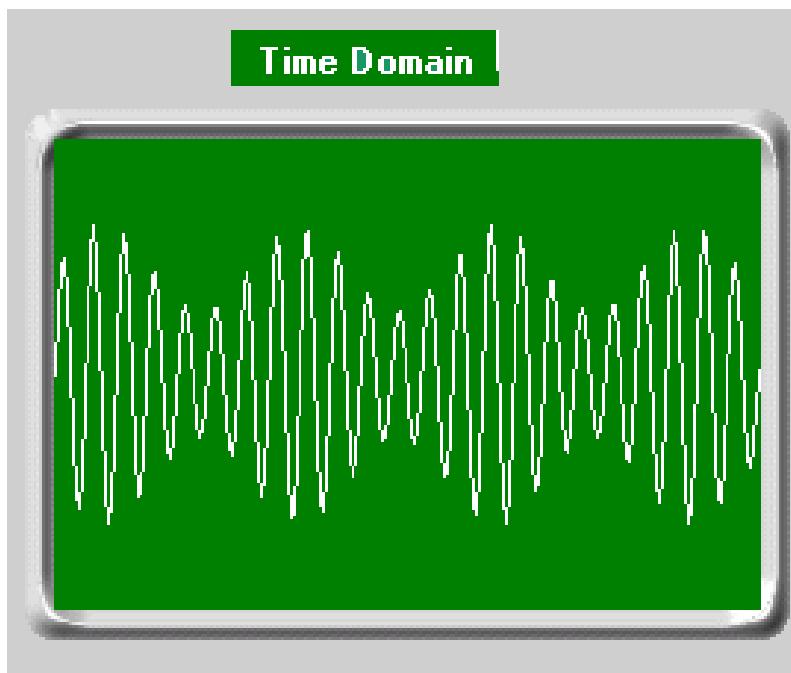
- ▶ First type of modulation used for radio broadcasting.
- ▶ Great simplicity of the receiver .
- ▶ Massive use
- ▶ Allowed the development of broadcasting in the 1920s.

Double-sideband modulation with carrier (DSB-WC)

- ▶ $S_{DSB-SC}(t) = k A_c A_m \cos(2\pi f_c t) \cos(2\pi f_m t)$
- ▶ To avoid reconstructing the carrier $A_c \cos 2\pi f_c t$ on reception, it is transmitted with the signal produced.
- ▶ $m = kA_m$ **modulation index (or rate)**
- ▶ $S(t) = A_c [1 + m \cos(2\pi f_m t)] \cos(2\pi f_c t).$

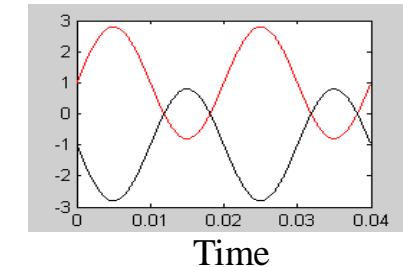
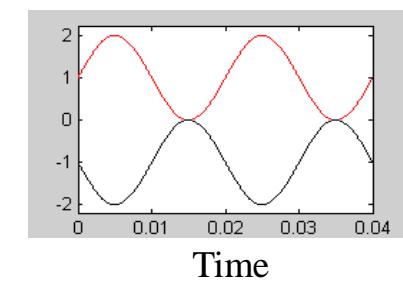
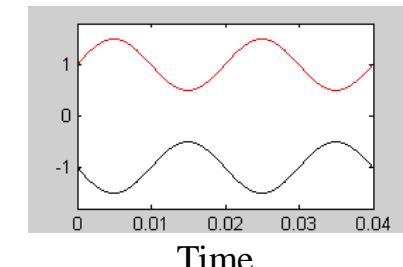
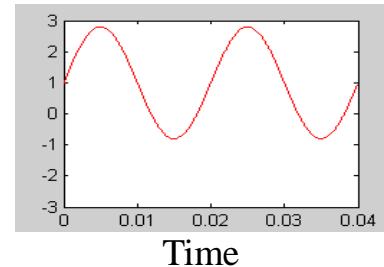
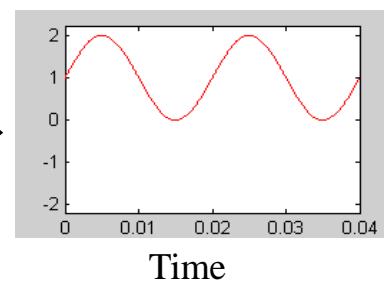
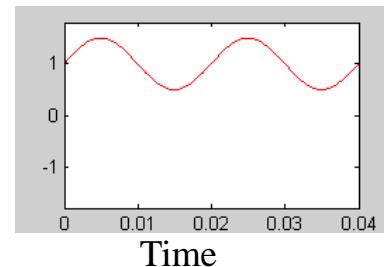
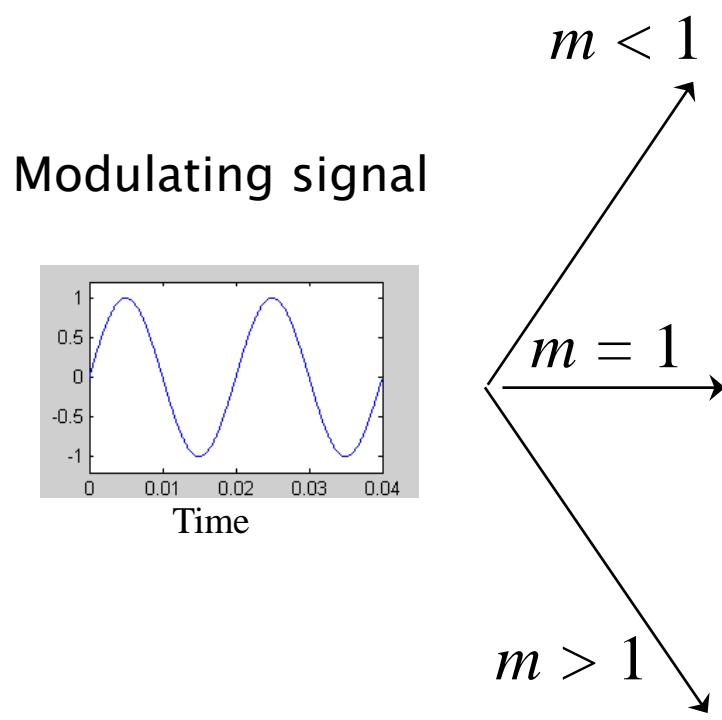
Double-sideband modulation with carrier (DSB-WC)

► $S(t) = A_c [1 + m \cos(2\pi f_m t)] \cos(2\pi f_c t)$.



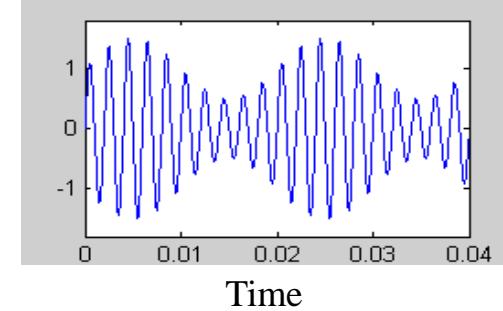
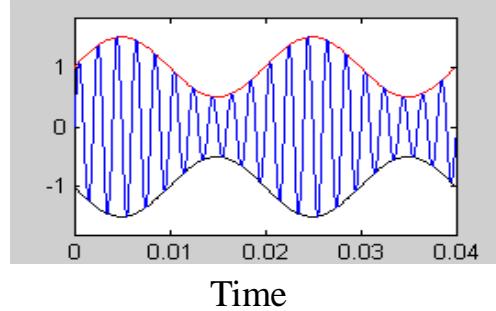
Double-sideband modulation with carrier (DSB-WC)

Modulated signal amplitude Modulated signal envelop

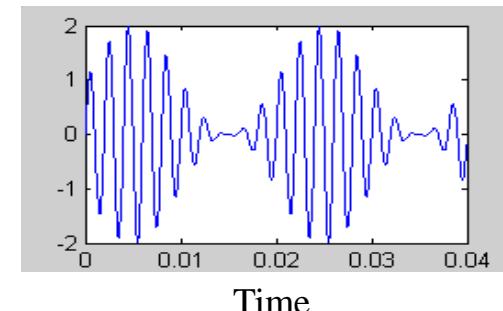
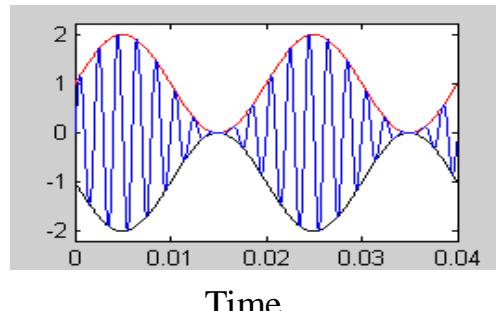


Double-sideband modulation with carrier (DSB-WC)

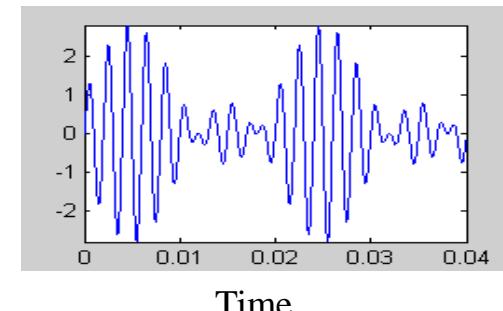
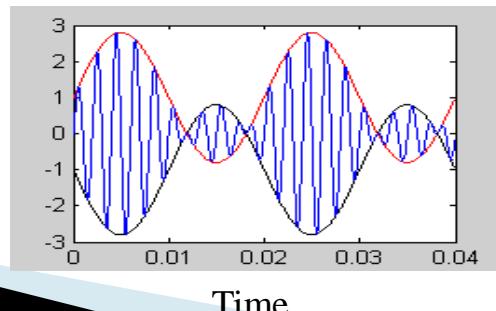
$m < 1$



$m = 1$

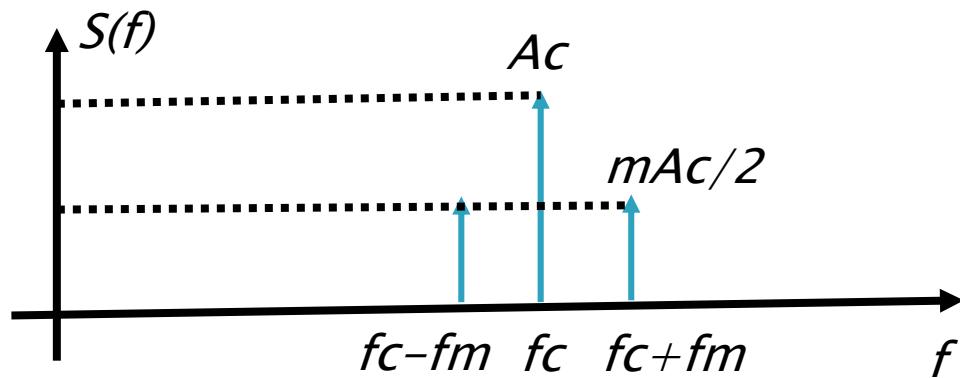


$m > 1$



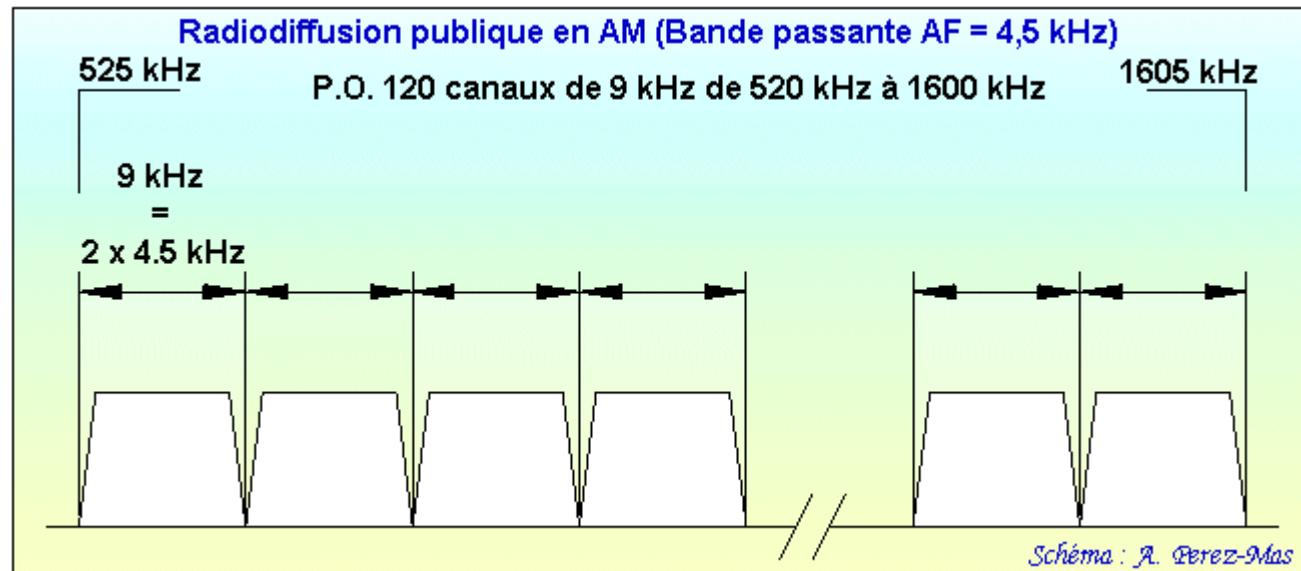
Double-sideband modulation with carrier (DSB-WC)

- ▶ $S(t) = A_c [1 + m \cos(2\pi f_m t)] \cos(2\pi f_c t).$
- ▶ $S(t) = A_c \cos(2\pi f_c t) + (mA_c/2)[\cos(2\pi(f_c + f_m)t) + \cos(2\pi(f_c - f_m)t)].$



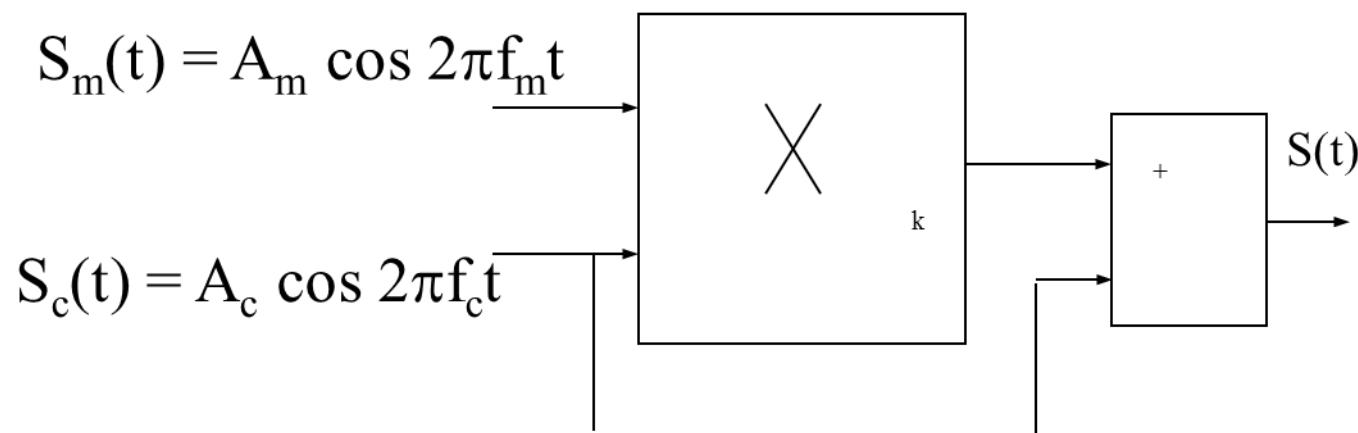
Double-sideband modulation with carrier (DSB-WC)

- ▶ An international standard sets a frequency band of 9 kHz maximum (2 lateral bands of 4.5 kHz) for AM broadcasting stations.
- ▶ Thus 120 channels with a width of 525 kHz to 1605 kHz for 120 transmitters



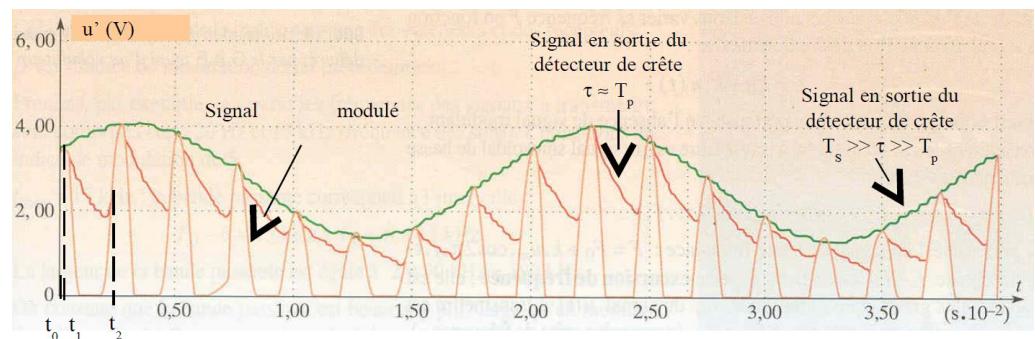
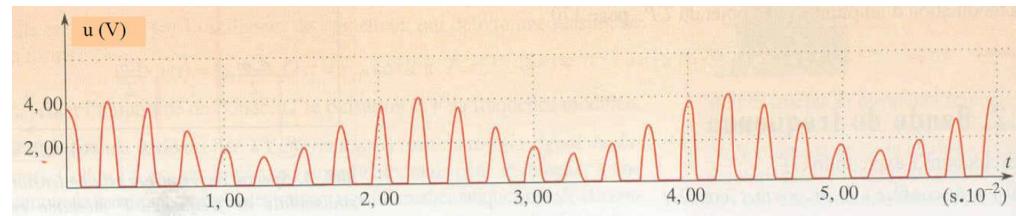
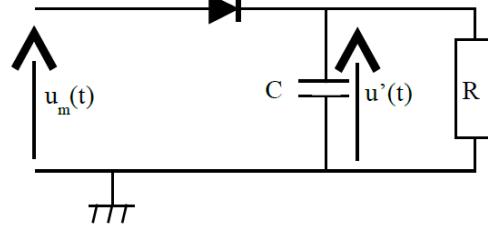
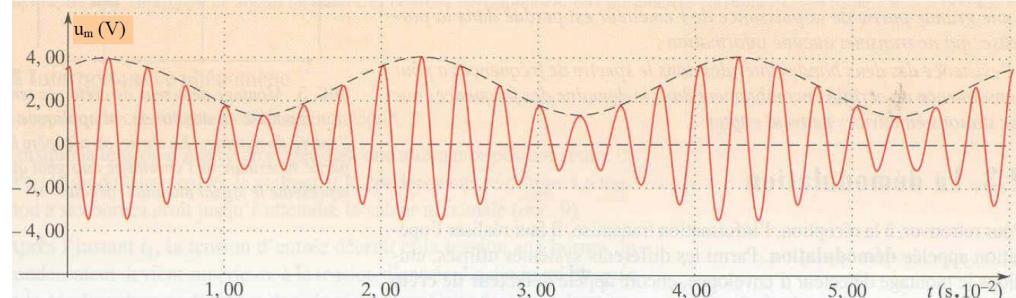
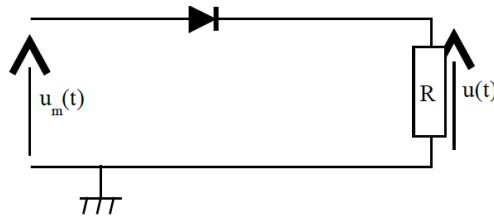
Double-sideband modulation with carrier (DSB-WC)

▶ Modulation



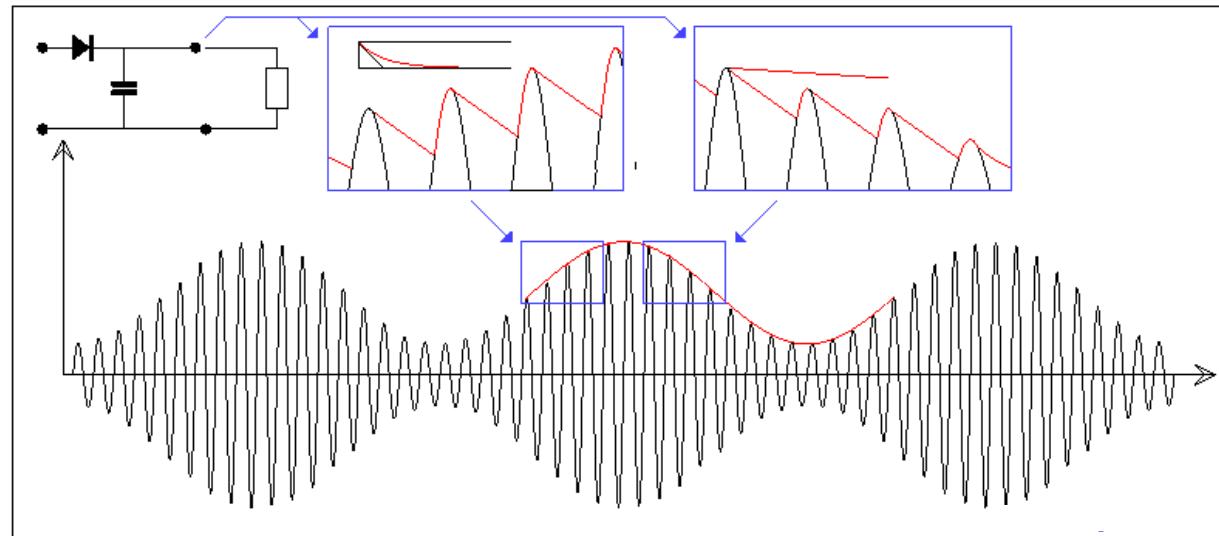
Double-sideband modulation with carrier (DSB-WC)

- ▶ Demodulation : envelop detection



Double-sideband modulation with carrier (DSB-WC)

- Constant time calculation

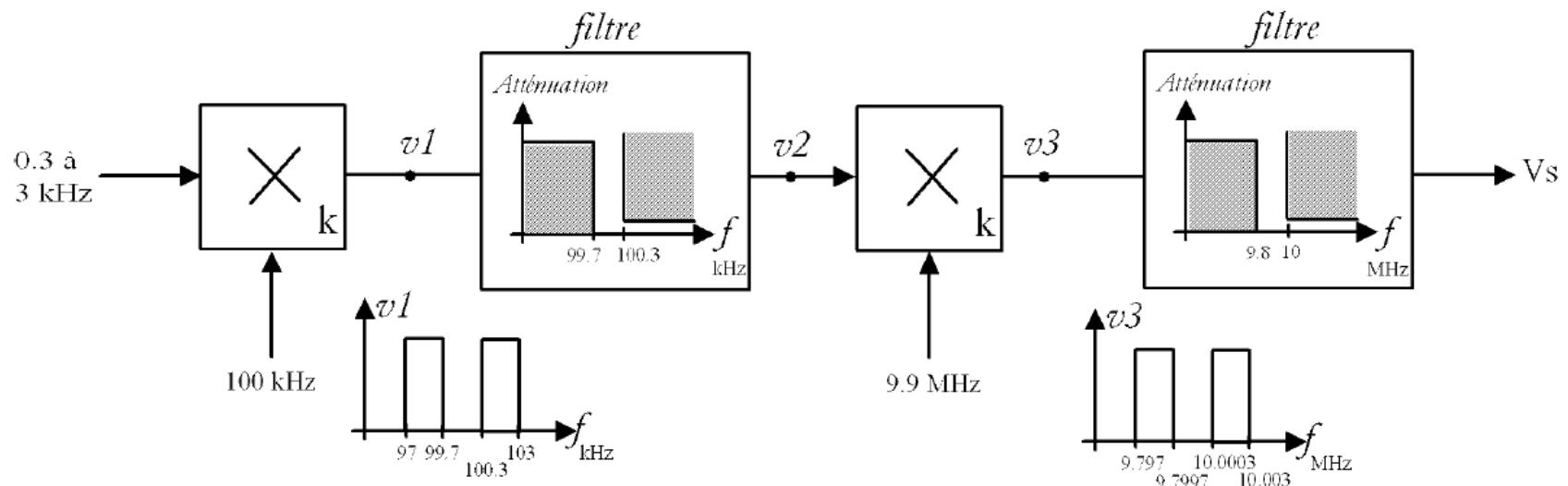


Single-sideband modulation (SSB, or SSB-AM)

- ▶ Improve spectral efficacy -> useful information is a small part of the emitted signal
 - ▶ Oversize the output power stages of the transmitters.
 - ▶ Keep a single band before emission
-
- $$▶ S(t) = \frac{kA_c A_m}{2} \cos(2\pi(f_c + f_m)t)$$

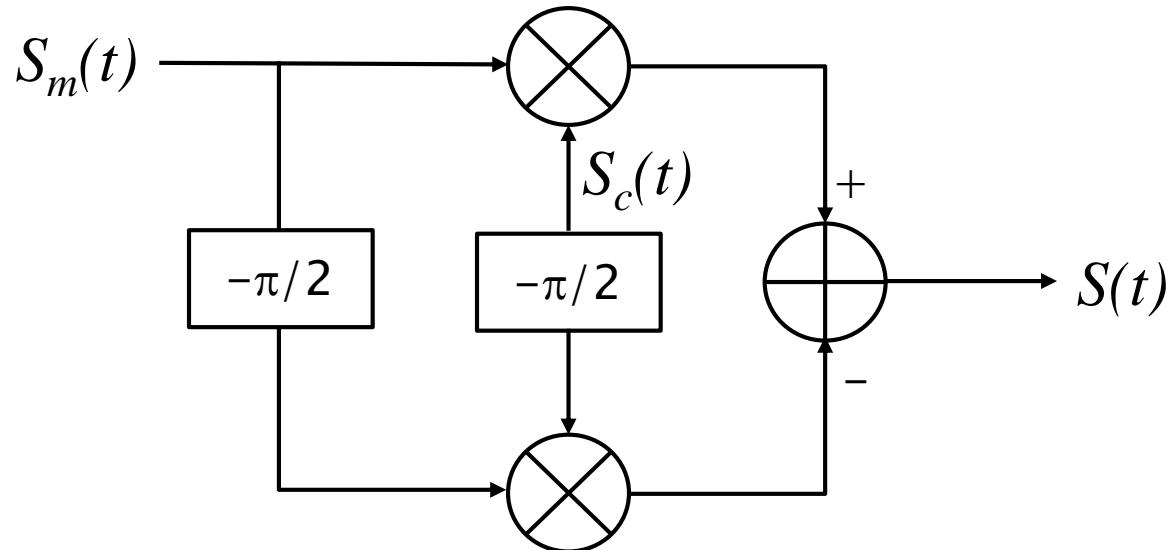
Single-sideband modulation (SSB, or SSB-AM)

► Modulation scheme 1



Single-sideband modulation (SSB, or SSB-AM)

- ▶ Modulation scheme 2



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Phase and frequency modulation principles

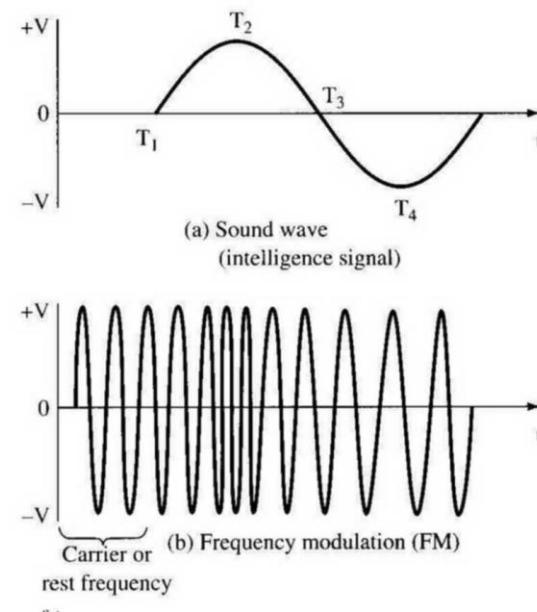
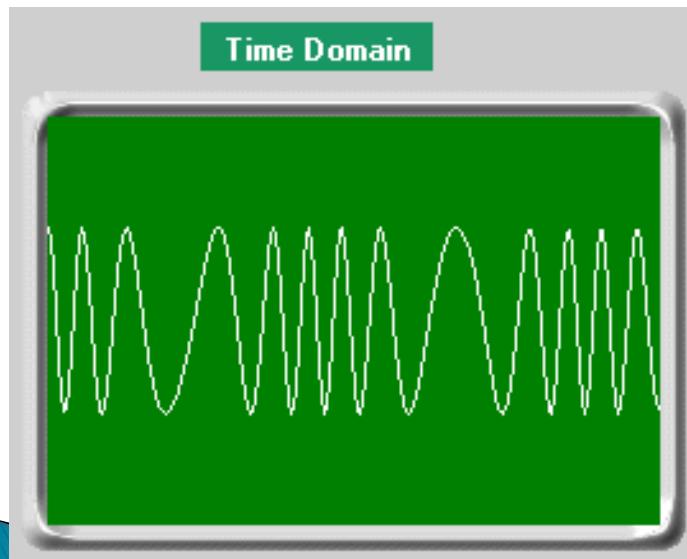
- ▶ Emitted signal is $S(t) = A_c \cos[2\pi f_c t + \varphi(t)]$
- ▶ Phase modulation:
 - $\varphi(t)$ is directly proportionnal to the modulating signal $\varphi(t) = k S_m(t)$.
 - k is the modulation sensitivity given in Hz.V^{-1} .
- ▶ Frequency modulation:
 - The variable part of the instant frequency is proportional to the modulating signal
 - $\frac{d\varphi(t)}{dt} = k S_m(t)$

Frequency Modulation of a sinusoid.

- ▶ Modulated signal:
 - $s(t) = A_c \cos[2\pi f_c t + \beta \sin(2\pi f_m t)].$
- ▶ Instant frequency is $f_c + \beta f_m \cos(2\pi f_m t)$.
 - $\beta \sin(2\pi f_m t)$ = *phase deviation*.
 - β , is the *modulation index*.
 - $\beta f_m \cos(2\pi f_m t)$ = *frequency deviation*.
- ▶ Its maximum value or *peak frequency deviation* Δf depends on the modulation index $\Delta f = \beta f_m$.

Signal shape.

- If we don't know the modulant signal, we can't differentiate a frequency modulation from a phase one, by the modulated signal observation only.



F.M. signal spectrum

- ▶ $S(t) = A_c \cos[2\pi f_c t + \beta \sin(2\pi f_m t)]$
 $= A_c [a(t) \cos(2\pi f_c t) - b(t) \sin(2\pi f_c t)].$

- ▶ **a(t) = $\cos(\beta \sin(2\pi f_m t))$.**
 - Mathematical decomposition:
 $a(t) = J_0(\beta) + 2 J_2(\beta) \cos(2\pi 2f_m t) + \dots$

- ▶ **b(t) = $\sin(\beta \sin(2\pi f_m t))$.**
 - Mathematical decomposition:
 $b(t) = 2J_1(\beta) \sin(2\pi f_m t) + 2 J_3(\beta) \sin(2\pi 3f_m t) + \dots$

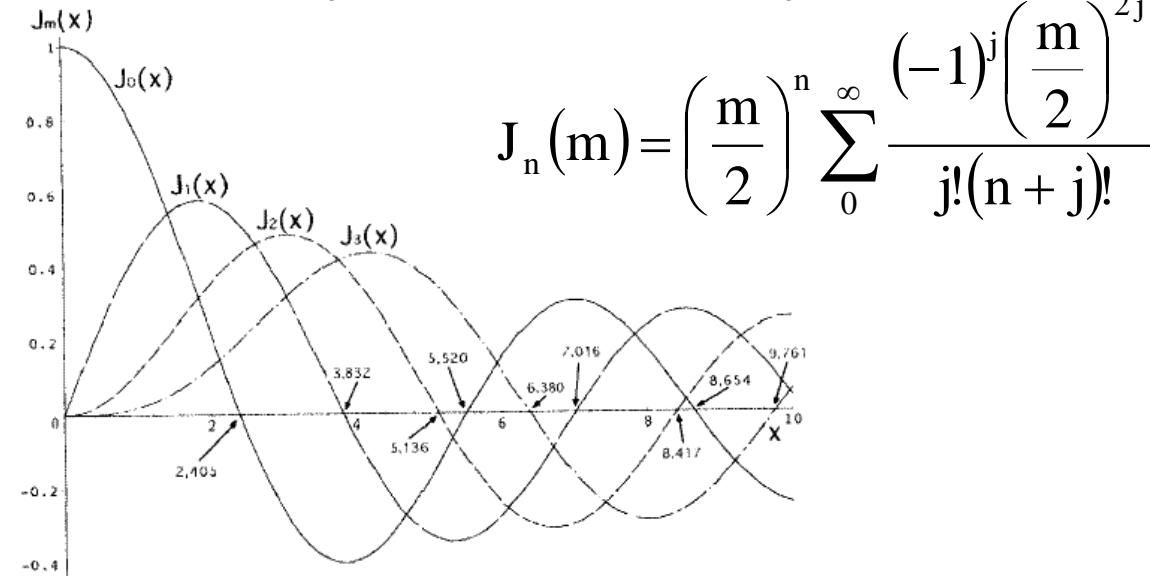
Bessel functions of the first kind

$$S(t) = A_c \{ J_0(\beta) \cos(2\pi f_c t)$$

$$+ J_1(\beta) [\cos(2\pi(f_c - f_m)t) - \cos(2\pi(f_c + f_m)t)]$$

$$+ J_2(\beta) [\cos(2\pi(f_c - 2f_m)t) - \cos(2\pi(f_c + 2f_m)t)]$$

$$+ \dots + J_n(\beta) [\cos(2\pi(f_c - nf_m)t) - \cos(2\pi(f_c + nf_m)t)]$$

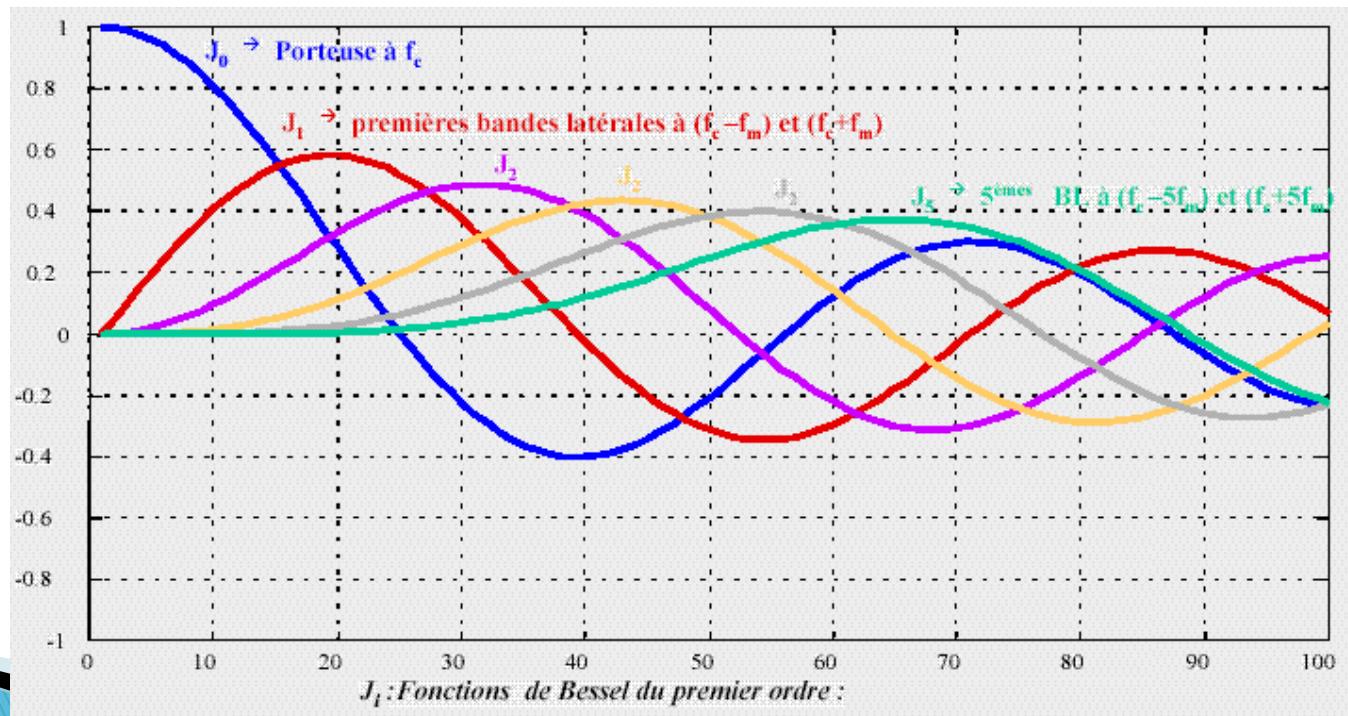


$$J_n(m) = \left(\frac{m}{2}\right)^n \sum_{j=0}^{\infty} \frac{(-1)^j \left(\frac{m}{2}\right)^{2j}}{j!(n+j)!}$$

Bessel functions of the first kind

$J_0(0) = 1$ and $J_n(0) = 0$ (no modulation).

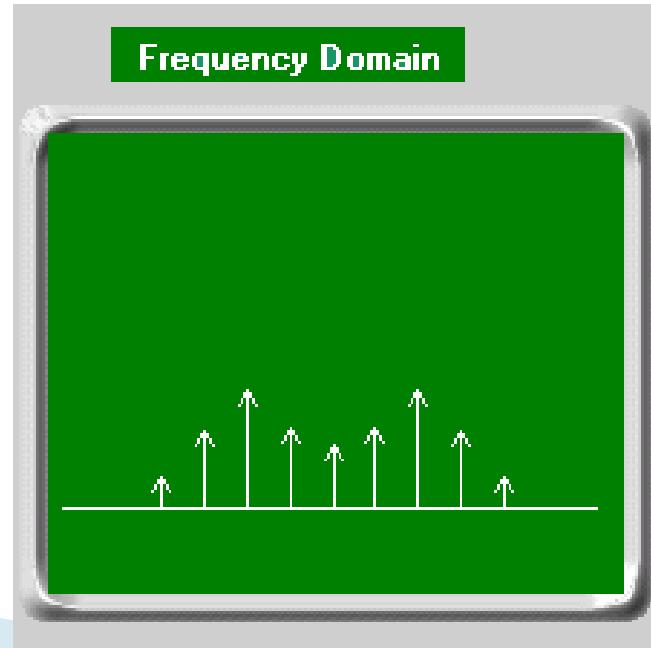
- When modulation index increases the modulated signal power is shared on lateral bands (less power for the carrier).



Spectrum

- ▶ f_c carrier with amplitude $|J_0(\beta)|$.
- ▶ Infinite lateral components $f_c \pm nf_m$ with amplitude $J_n(\beta)$.

$$s(t) = A \sum_{n=-\infty}^{+\infty} J_n(\beta) \cos(2\pi(f_c + nf_m)t)$$



Carson's bandwidth rule

- ▶ The spectrum is infinite.
- ▶ But 98 % of the power is transmitted in the band

$$[f_c - (\beta+1)f_m; f_c + (\beta+1)f_m].$$

- ▶ **Carson's bandwidth rule**

The transmission requires a bandwidth

$$B_c = 2(\beta+1)f_m = 2(\Delta f + f_m) \text{ (*Carson bandwidth*)}.$$

PM versus FM

Modulating signal

$$S_m(t) = A_m \cos(2\pi f_m t)$$

Carrier

$$S_c(t) = A_c \cos(2\pi f_c t)$$

► Phase modulation

► $\varphi(t) = k_\varphi S_m(t).$

- Modulated signal

$$S_\varphi(t) = A_c \cos[2\pi f_c t + k_\varphi A_m \cos(2\pi f_m t)]$$

$$\beta_\varphi = k_\varphi A_m.$$

$$B_{c-\varphi} = 2(\beta_\varphi + 1)f_m \approx 2 k_\varphi A_m f_m.$$

- The spectrum occupancy is related to the frequency of the modulating signal

► Frequency modulation

- The index modulation is

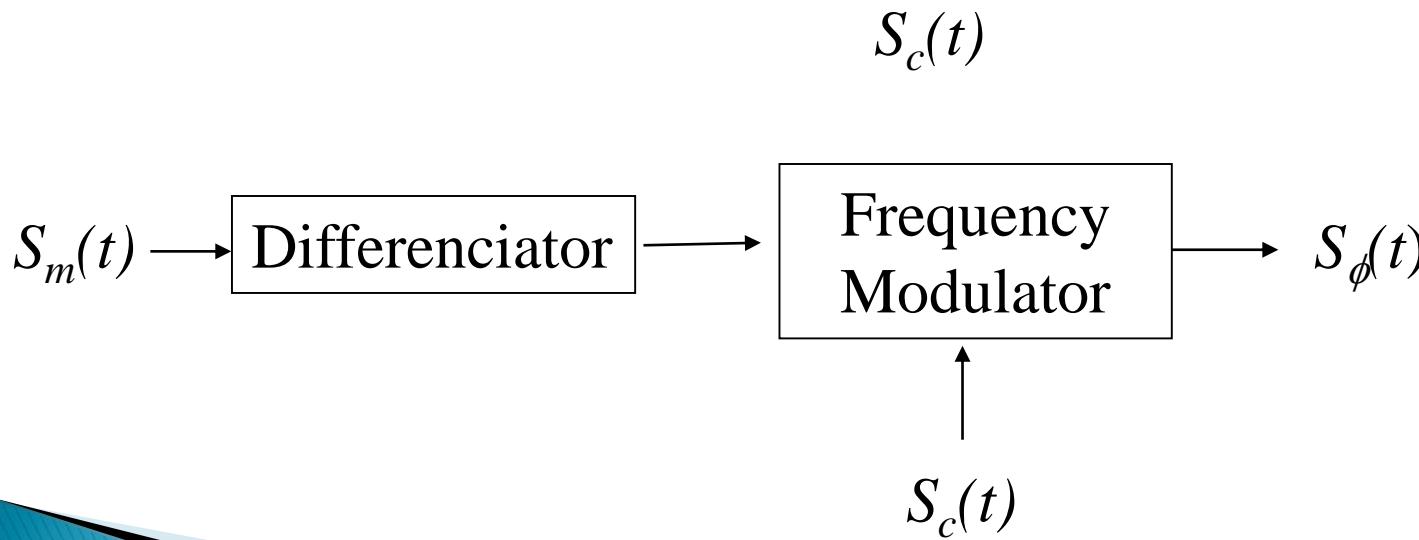
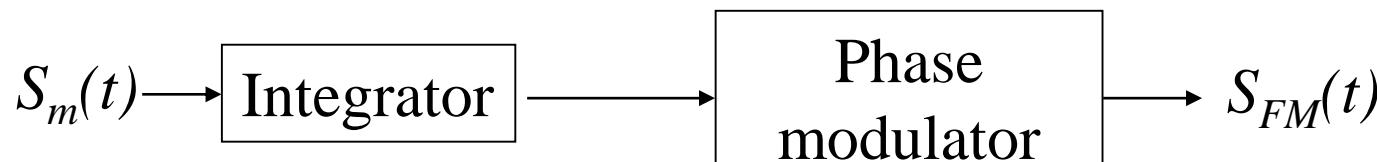
$$\beta_{FM} = \frac{k_{FM} A_m}{2\pi f_m}$$

- Spectrum occupancy

$$B_{c-FM} = \frac{k_{FM} A_m}{\pi}$$

- Is independent of the frequency of the modulating signal

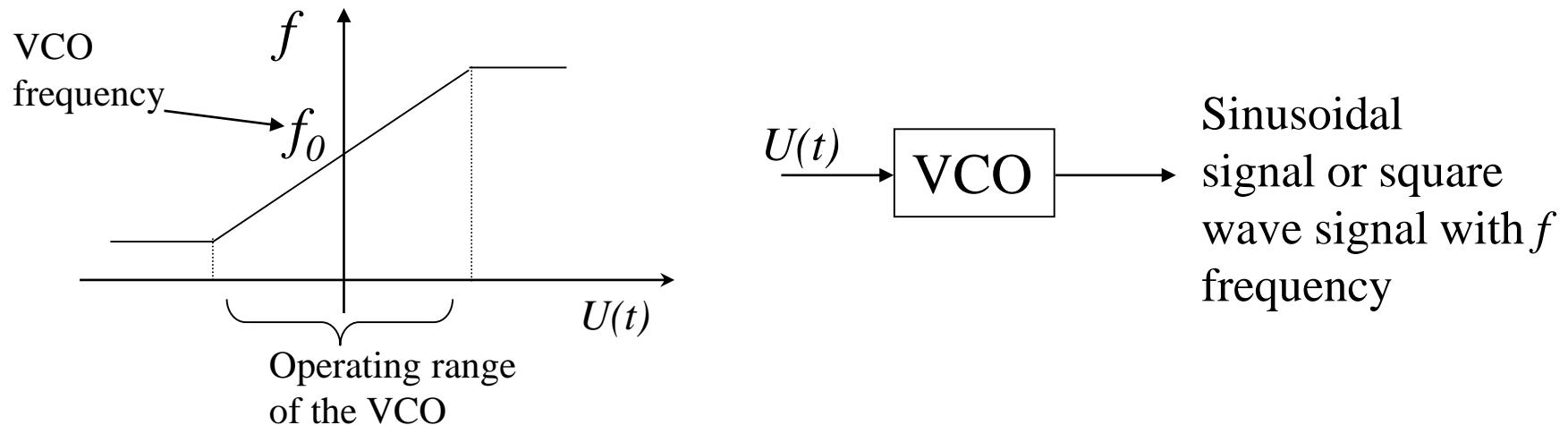
PM versus FM



FM Modulation

▶ Voltage Controlled Oscillator (VCO)

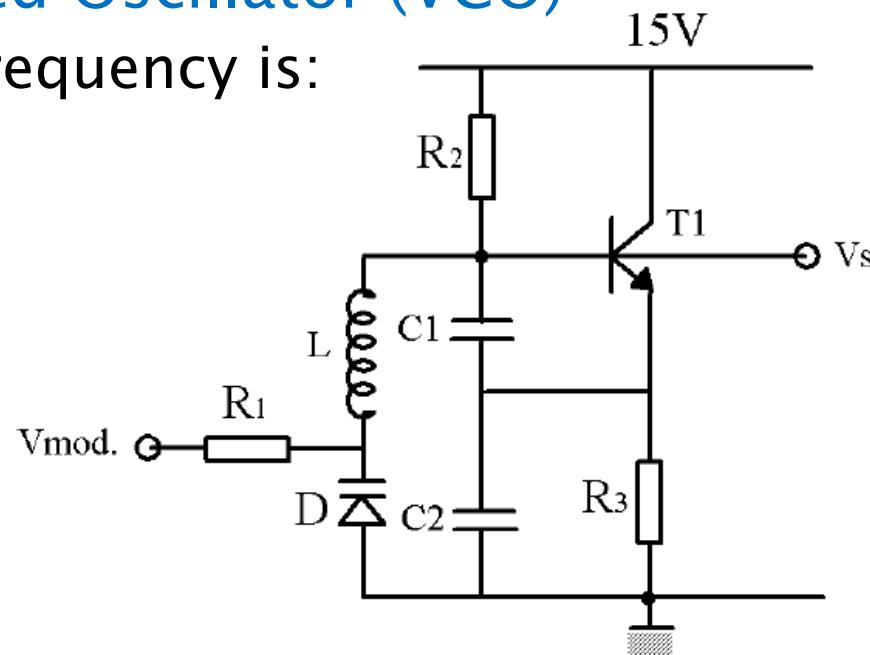
- The VCO is a component that delivers a frequency modulated signal, the input is a control voltage $U(t)$.



FM Modulation

- ▶ **Voltage Controlled Oscillator (VCO)**
 - The oscillation frequency is:

$$f_c = \frac{1}{2\pi} \cdot \frac{1}{\sqrt{LC}}$$



- Made, for example, with a Colpitts type oscillator
- The diode D is a varicap diode which has a variable capacity depending on the applied reverse voltage.

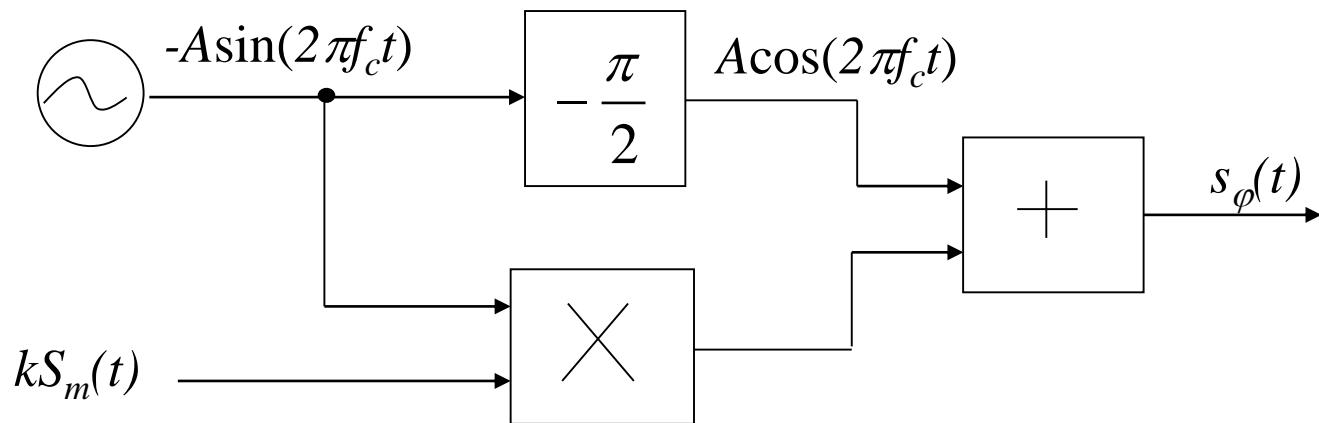
Armstrong Method

► Phase Modulator

$$S_\varphi(t) = A_c \cos[2\pi f_c t + k S_m(t)].$$

◦ If $k S_m(t) \ll 1$,

$$S_\varphi(t) = A_c \cos(2\pi f_c t) - k S_m(t) A_c \sin(2\pi f_c t)$$

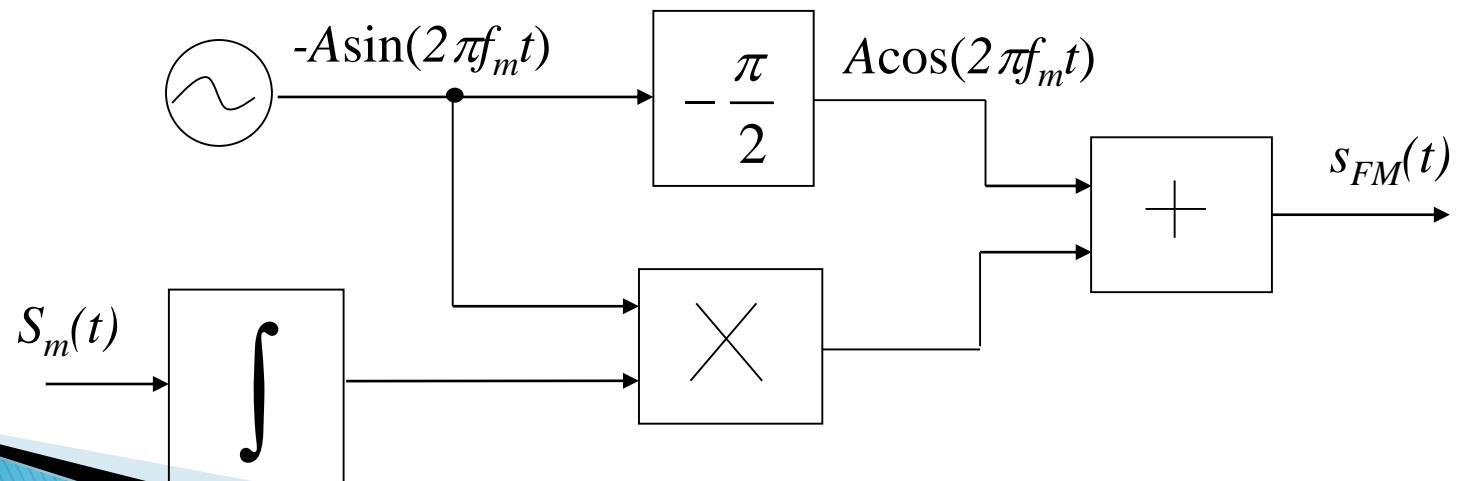


Armstrong Method

▶ Frequency Modulator

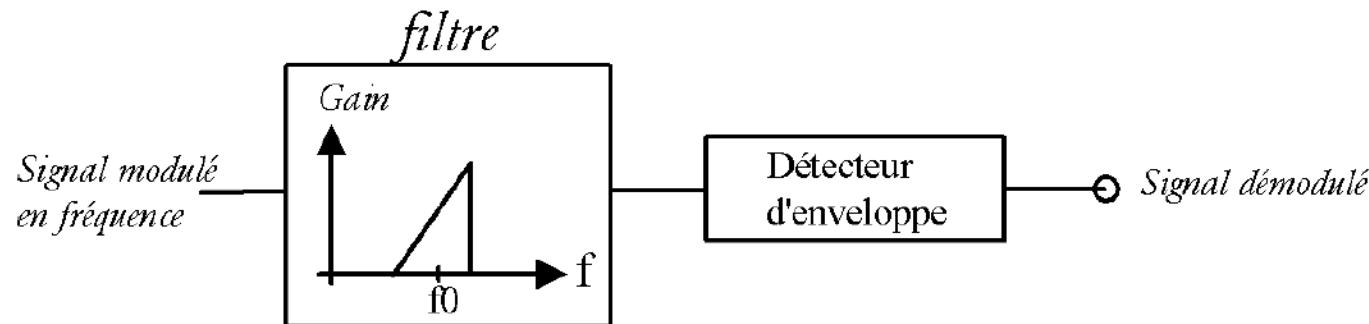
$$s_{FM}(t) = A \cos \left[2\pi f_c t + 2\pi \Delta f \int_0^t S_m(\tau) d\tau \right]$$

if $2\pi \Delta f \int_0^t S_m(\tau) d\tau \ll 1$,



Demodulation

- ▶ Frequency discriminator :
 - Transform FM in AM



Outline

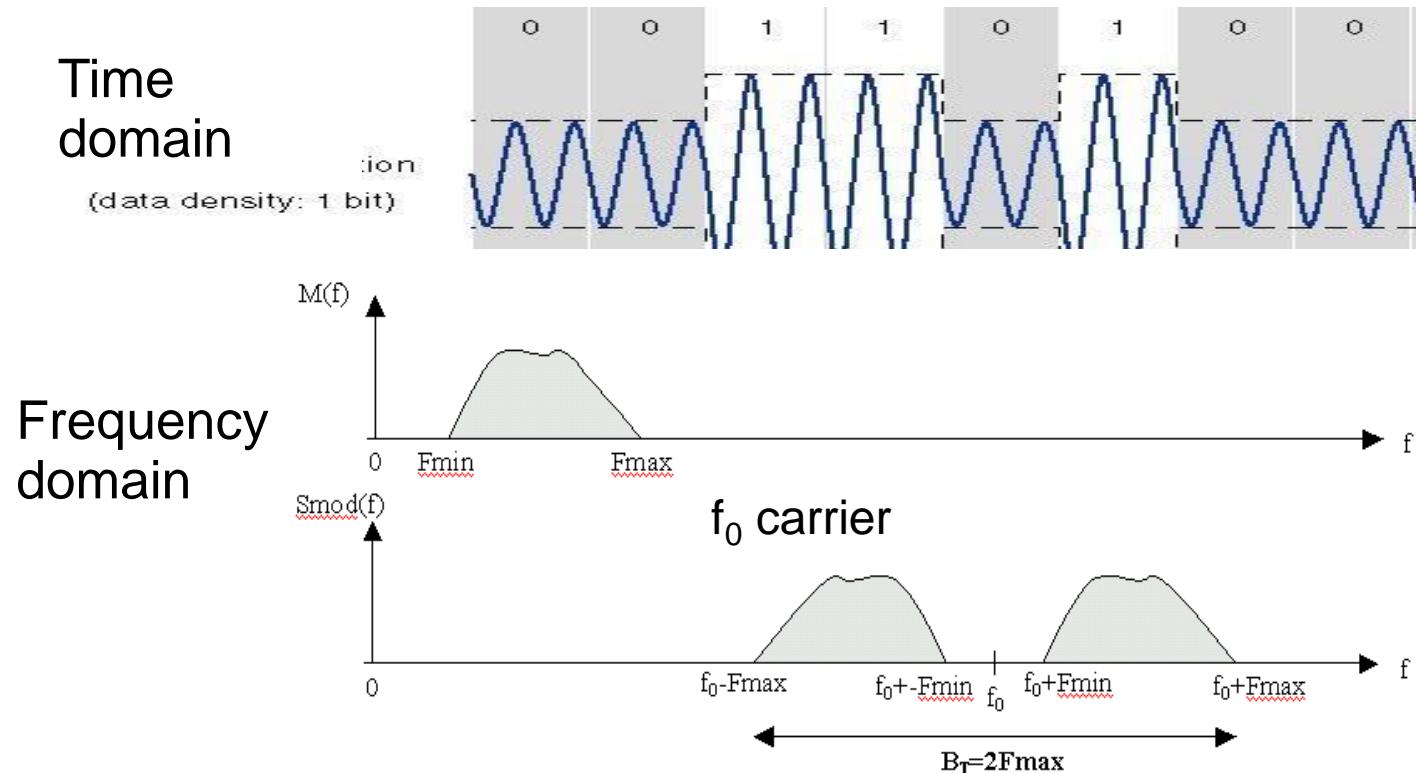
- ▶ Introduction
- ▶ Transmission system components
- ▶ Modulation principle
- ▶ Analog modulations
 - Amplitude modulations
 - Frequency and phase modulations
- ▶ **Digital modulations**
- ▶ Main transceiver architectures

Outline

- ▶ Introduction
- ▶ Transmission system components
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- ▶ **Digital modulations**
 - Amplitude modulations (ASK)
 - Frequency modulations (FSK)
 - Phase modulations (PSK)
- ▶ Main transceiver architectures

ASK – Amplitude Shift Keying

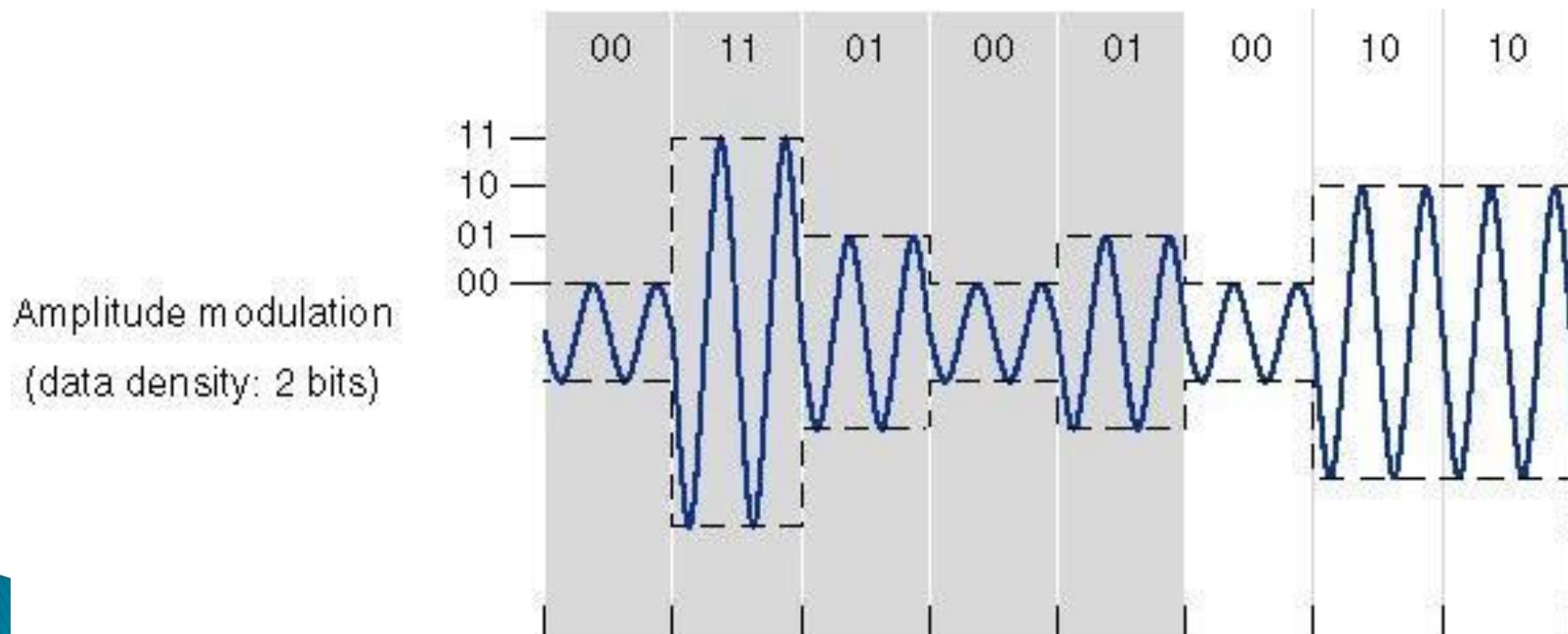
- ▶ 2 amplitudes for 0 and 1



- ▶ Other method: On Off Keying (OOK)
 - 0 → no signal
 - 1 → carrier

ASK – Amplitude Shift Keying

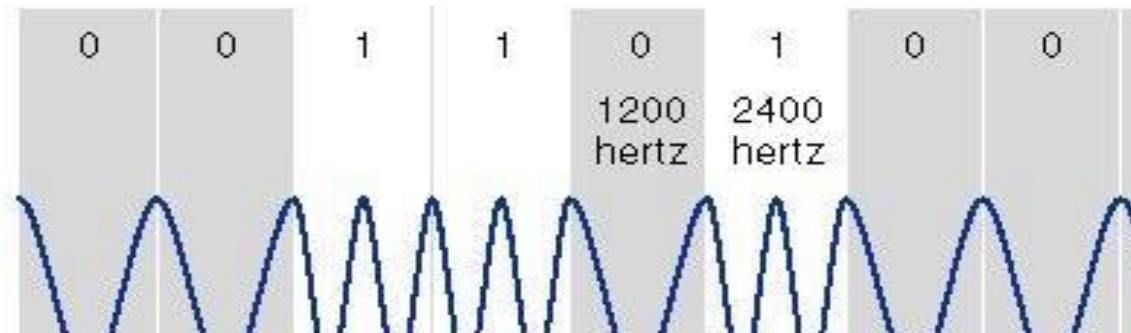
- More efficient: send several bits at the same time



Frequency Shift Keying – FSK

- ▶ 1 -> f_1 carrier
- ▶ 0 -> f_2 carrier

Frequency modulation
(low to high frequency)



Frequency Shift Keying – FSK

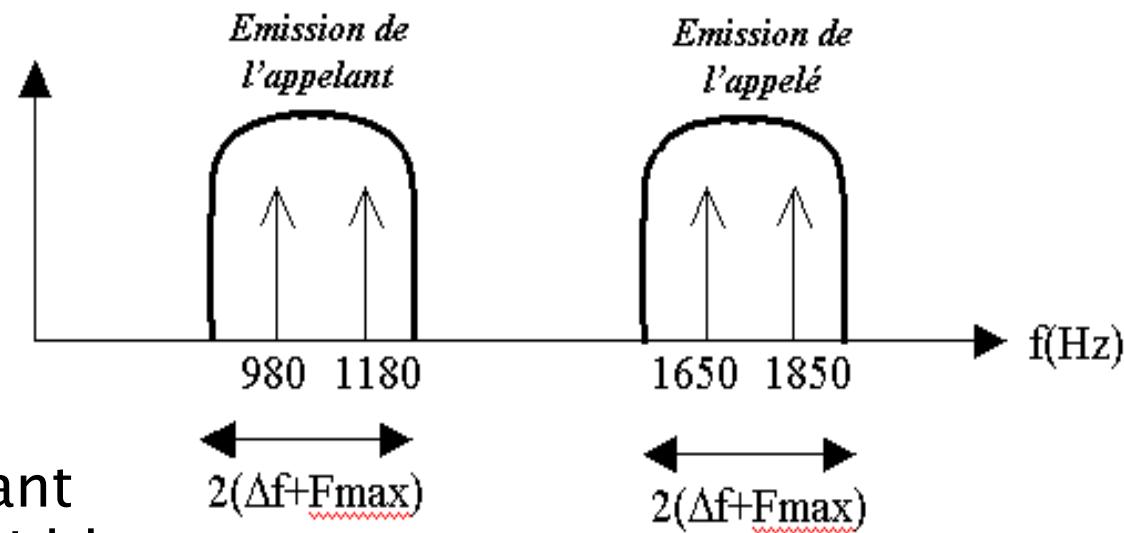
▶ Example

channel 1 :

- « 1 » → $f_1 = 980\text{Hz}$
- « 0 » → $f_2 = 1180\text{Hz}$

channel 2 :

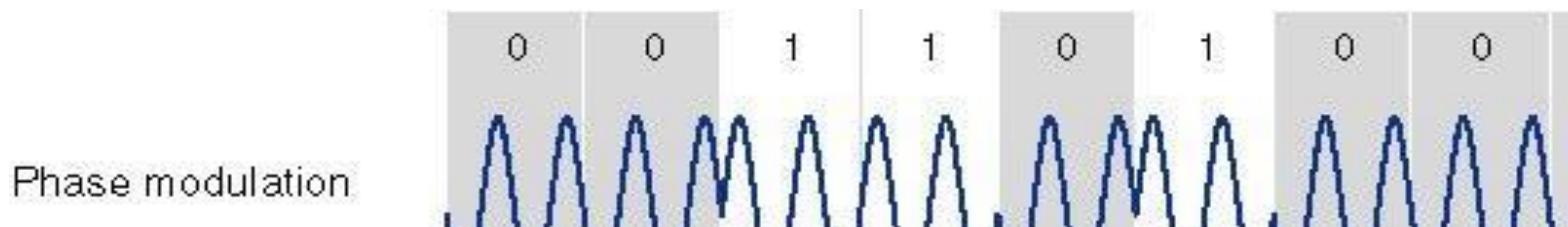
- « 1 » → $f_1 = 1650\text{Hz}$
- « 0 » → $f_2 = 1850\text{Hz}$



- ▶ + noise resistant
- ▶ - wider bandwidth

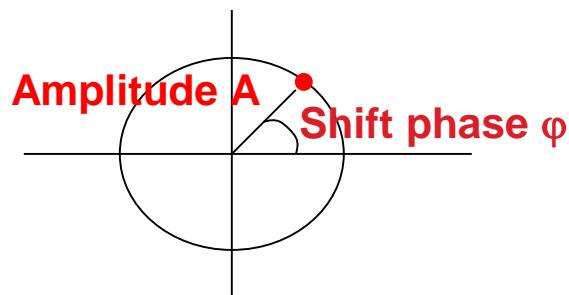
Phase Shift Keying - PSK

- ▶ $1 \rightarrow \varphi_1$
- ▶ $0 \rightarrow \varphi_2$
- ▶ Example: BPSK – PSK with 2 states or levels
 - $0 \rightarrow$ in phase with the carrier
 - $1 \rightarrow 180^\circ$ shift

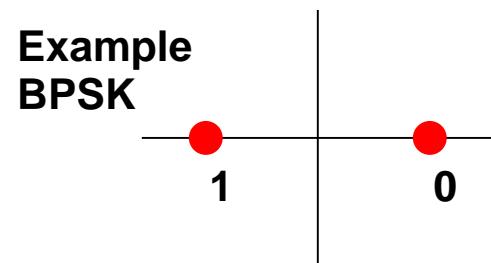


Phase Shift Keying - PSK

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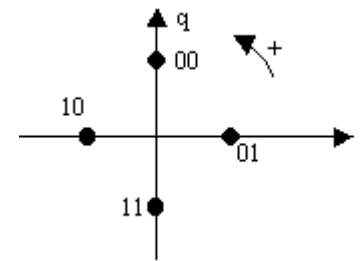
Trigonometrical graph or **constellation**



Phase Shift Keying - PSK

▶ 4-PSK

Information	Carrier phase
01	0
00	90
10	180
11	270



Constellation

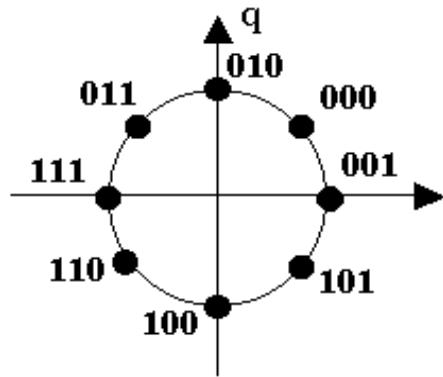
- ▶ At each point of the constellation, we associate a 2-bit binary word.

Phase Shift Keying - PSK

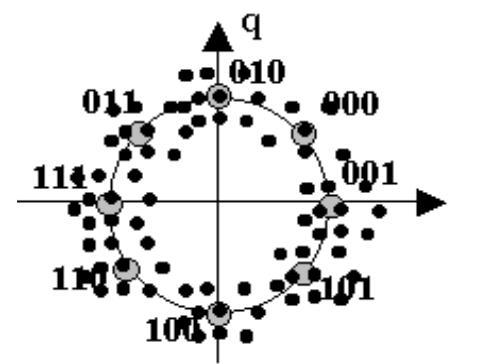
- ▶ DPSK (Differential Phase Shift Keying)
 - The phase change is relative to the previous state of the carrier
 - Good synchronization between transmitter and receiver => periodic sending of sequences of 1 and 0

Modulation speed

- ▶ The higher the number of states, the higher the speed of data transmission.
- ▶ But: Influence of noise => High error probability



Without noise

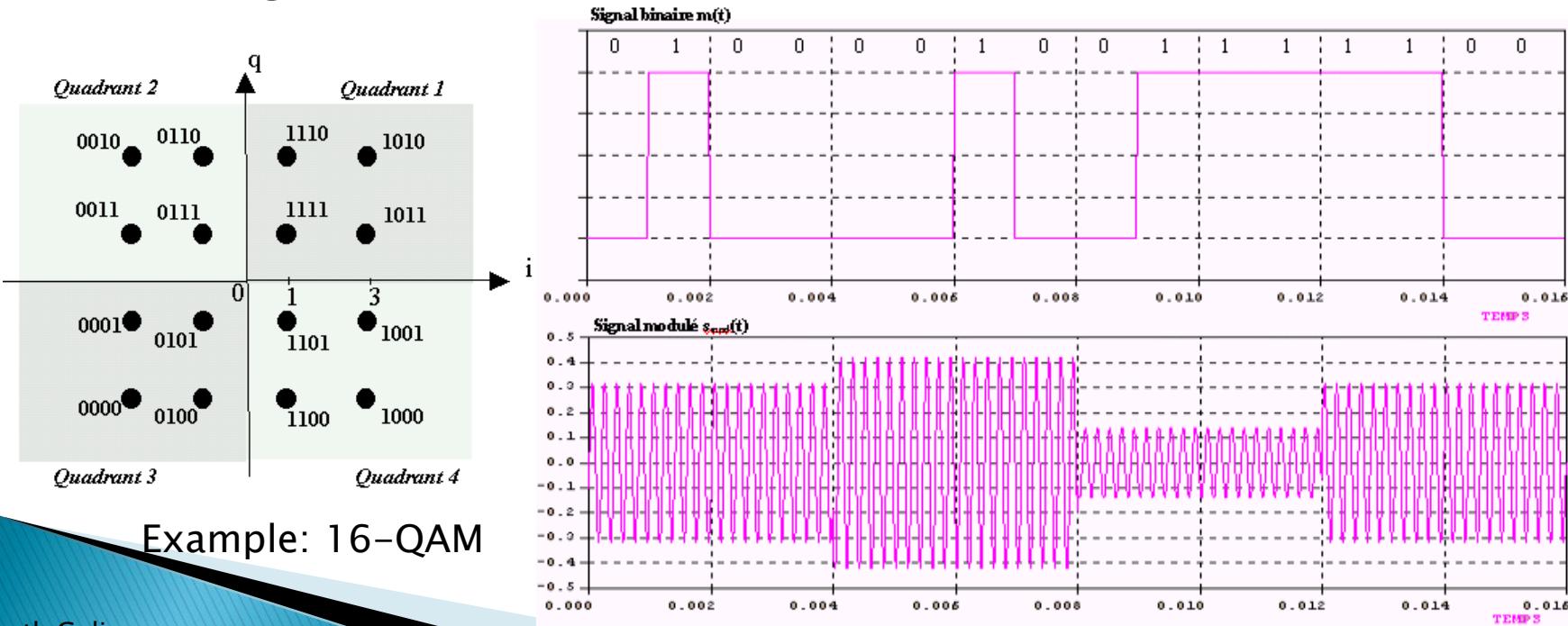


With noise

- ▶ Modulation speed in Baud: emitted symbols/second
- ▶ Binary rate: emitted bits/second

Other Modulations

- ▶ Combination of amplitude and phase modulations
- M-QAM = of M phase states and amplitude.
- ▶ In general, $M = 2^n$: each symbol gives a code for
- ▶ $n = \log_2(M)$ bits.



Digital Modulations Applications

Modulation format	Application
MSK, GMSK	GSM, CDPD
BPSK	Deep space telemetry, cable modems
QPSK, $\pi/4$ DQPSK	Satellite, CDMA, NADC, TETRA, PHS, PDC, LMDS, DVB-S, cable (return path), cable modems, TFTS
OQPSK	CDMA, satellite
FSK, GFSK	DECT, paging, RAM mobile data, AMPS, CT2, ERMES, land mobile, public safety
8, 16 VSB	North American digital TV (ATV), broadcast, cable
8PSK	Satellite, aircraft, telemetry pilots for monitoring broadband video systems
16 QAM	Microwave digital radio, modems, DVB-C, DVB-T
32 QAM	Terrestrial microwave, DVB-T
64 QAM	DVB-C, modems, broadband set top boxes, MMDS
256 QAM	Modems, DVB-C (Europe), Digital Video (US)

Digital Modulations Applications

Modulation format	Theoretical bandwidth efficiency limits
MSK	1 bit/second/Hz
BPSK	1 bit/second/Hz
QPSK	2 bits/second/Hz
8PSK	3 bits/second/Hz
16 QAM	4 bits/second/Hz
32 QAM	5 bits/second/Hz
64 QAM	6 bits/second/Hz
256 QAM	8 bits/second/Hz

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Definitions for RF systems

- ▶ BER and SNR
 - BER for assess the system performance.
 - Wrong received bits / transmitted bits
 - SNR for assess the system performance.
 - Signal to Noise Ratio
 - We can deduce the SNR_{out} needed from the BER.

$$\frac{C}{N} = SNR_{out} = \frac{E_b}{N_0} \frac{R}{B}$$

Definitions for RF systems

- ▶ BER and SNR
 - We can deduce the SNR_{out} needed from the BER.

$$\frac{C}{N} = \text{SNR}_{\text{out}} = \frac{E_b}{N_0} \frac{R}{B}$$

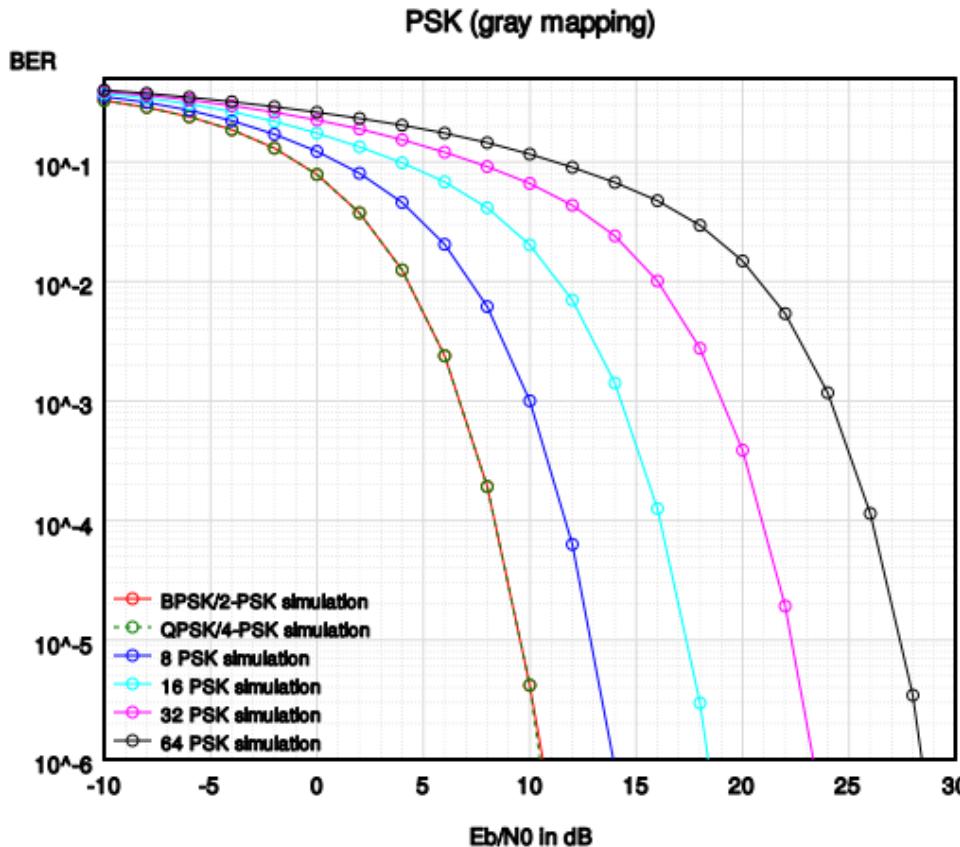
$$P_{eQPSK} = Q\left(\sqrt{2 \frac{E_b}{N_0}}\right)$$

$$Q(x) = \frac{1}{2} \operatorname{erfc}\left(\frac{x}{\sqrt{2}}\right)$$

E_b is the energy per bit
 N_0 is a noise AWGN

Definitions for RF systems

▶ BER and SNR



Definitions for RF systems

- ▶ Noise Figure
 - How much the system deteriorates the SNR

$$NF = \frac{SNR_{in}}{SNR_{out}}$$

- SNR_{in} depends on input signal power
- SNR_{out} depends on the BER

$$SNR_{in} = \frac{S}{N_t}$$

$$N_t = kBT$$

$$N_t[W] = kBT$$

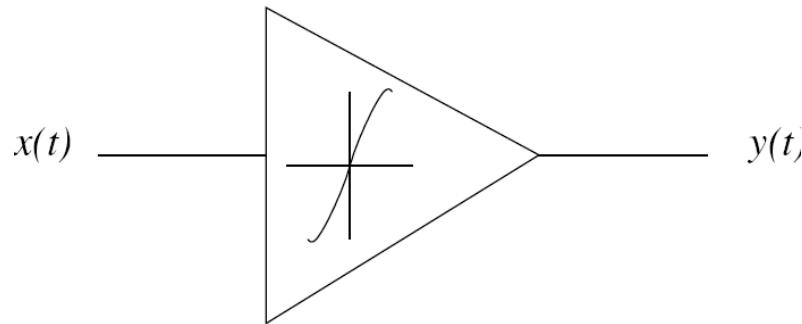
$$\text{with } k = 1,38 \cdot 10^{-23} J / K$$

$$T[K] = 273 + T[{}^\circ C]$$

k is the Boltzmann constant
 T is the temperature in Kelvin

Definitions for RF systems

► Linearity



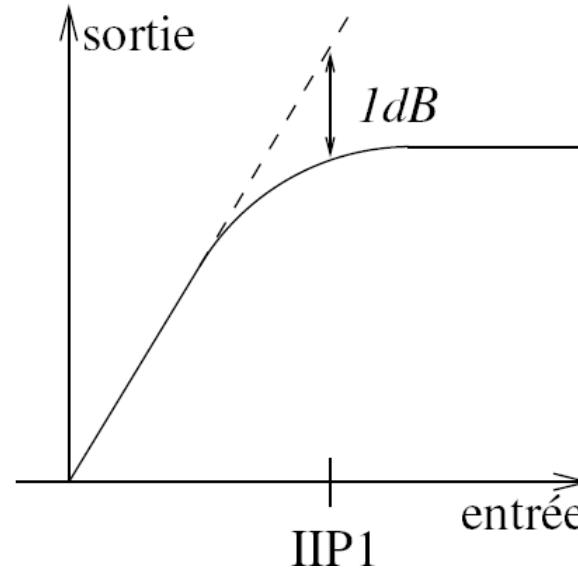
$$y(t) = \alpha_1 x(t) + \alpha_2 x^2(t) + \alpha_3 x^3(t) + \dots$$

- The non-linearity generates distortions:
 - Gain compression
 - Harmonic distortion
 - Intermodulation

Definitions for RF systems

- ▶ Linearity
 - Gain compression

$$IIP1 = 20 \log A_{IIP1}$$



Definitions for RF systems

► Linearity

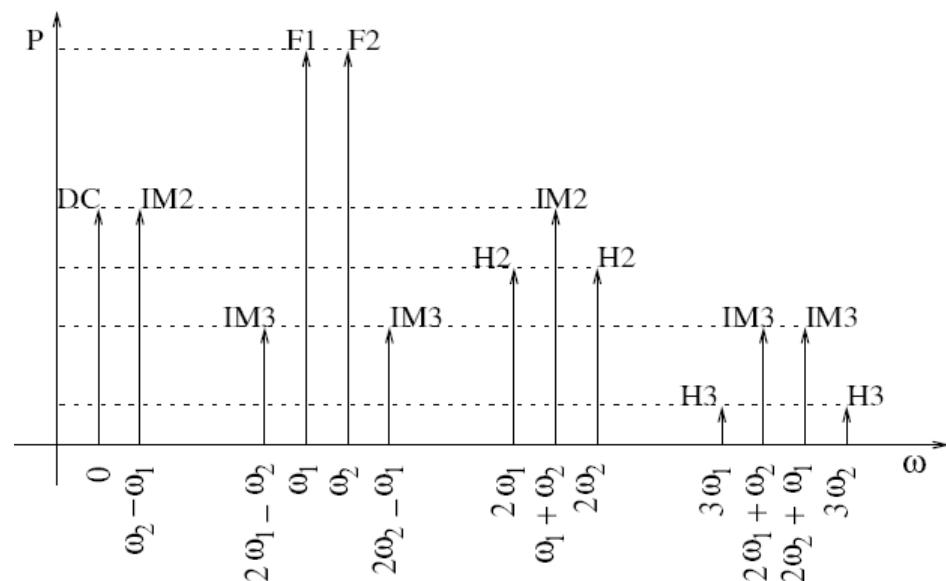
- Harmonic distortion

$$y(t) = \alpha_1 x(t) + \alpha_2 x^2(t) + \alpha_3 x^3(t) + \dots$$

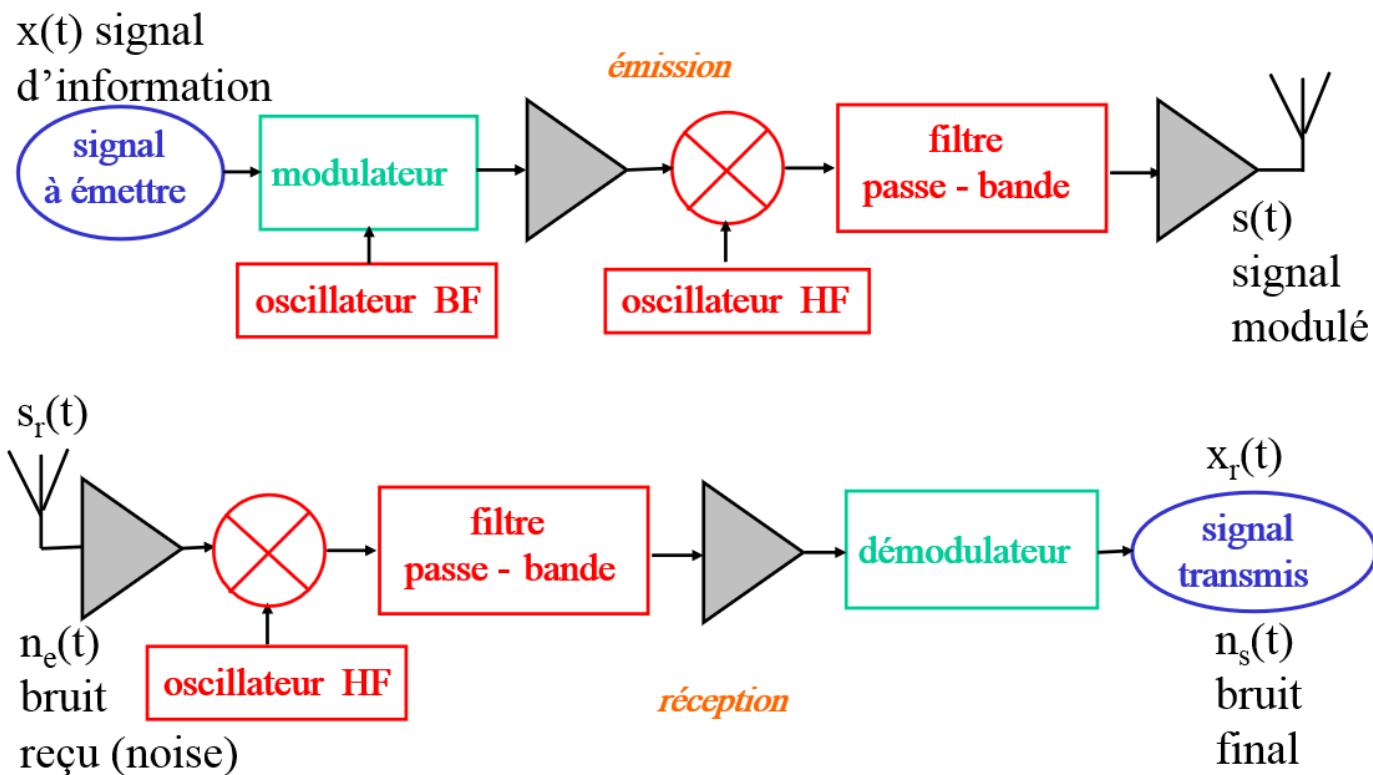
$$HD_n = \frac{\alpha_n}{\alpha_1}$$

$$THD = \sqrt{HD_2^2 + HD_3^2 + \dots}$$

- Intermodulation



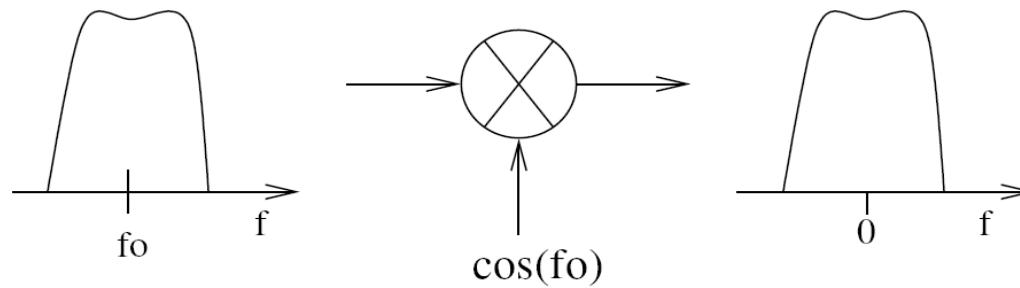
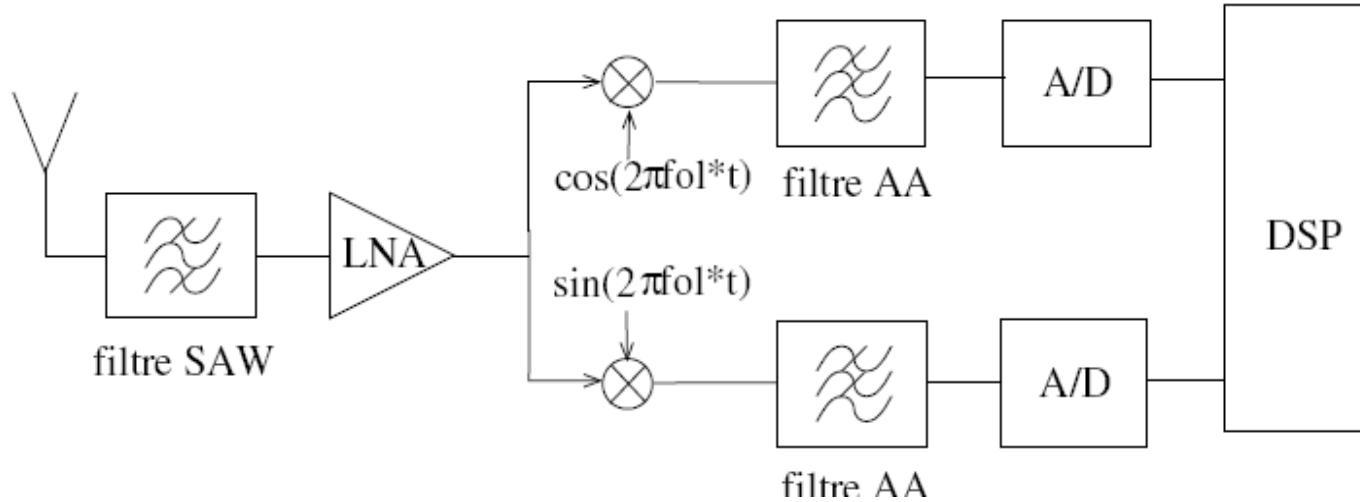
Receiver – General Scheme



Efficacité vis-à-vis du bruit à la démodulation

$$\eta = \frac{(\text{Puissance } x_r) / (\text{Puissance } n_s)}{(\text{Puissance } s_r) / (\text{Puissance } n_e)}$$

Homodyne Receiver



Homodyne Receiver

