```
Hw7 YanLiang 112889478 2018/3/7
```

1.

# Exercise 3.16.2:

So in order to prove it is an crypto system, we just need to prove that if ciphertext1=ciphertext2, then plaintext1=plaintext2

Where ciphertext1 is the ciphertext for plaintext1 and also ciphertext2 is the ciphertext for plaintext2

Plaintext space should be string over {A,B,....Z}

Ciphertext space should be string over {A,....Z}

And the keyspace should be  $\{0....25\}$ \* $\{0,...25\}$ , should be  $26^2$  keys.

### Proof:

If ciphertext1=ciphertext2

The reverse(ciphertext1)=reverse(ciphertext2)

Then for odd index we add in -k1 and for even index we add in -k2

And after this operation we will definitely get the same text.

So it is a crytography system.

#### 2.

# Exercise 3.16.6:

The number of elements in the symbol table should be: 2<sup>n</sup> So the encryption function number should be (2<sup>n</sup>)! (seems it has to be a bijection that why it is factorial)

### 3.

a: 207

b: 45

c: 104

d: 82

e: 312

f: 65

g: 36

h: 110

i: 183

j: 3

k: 16

I: 107

m: 54

n: 170

o: 156

p: 68

q: 12

r: 166

s: 205

```
t: 223
u: 73
v: 20
w: 34
x: 14
y: 67
z: 2
for i in hist:
  if(i.isalpha() and (ord(i)-ord('a')) \le 25):
     #print(ord(i))
     #print(i)
     hashtable[ord(i)-ord('a')]=hashtable[ord(i)-ord('a')]+1
index=0
for i in hashtable:
  print(chr(index+ord('a'))+": "+str(i))
  index=index+1
4.
The inverse of the problem will be 19*(c-5), since 19 or -7 is the inverse of 11 mod 16, you can
find this using extended euclidean algorithms.
Ciphertext for texas should be:
def transcharToNum(ch):
  return ord(ch)-ord('A');
def encrypt(plaintext,coef1,coef2):
  #print("I am good")
  output="";
  for c in plaintext:
     output=output+ chr(ord('A')+(coef1*transcharToNum(c)+coef2)%26)
  return output
print(encrypt("TEXAS",11,5))
"GXYFV"
If "OKLAHOMA" is the cipher text then the plaintext should be:
Do this you will get
print(encrypt("OKLAHOMA",19,-95))
PRKJMPDJ
```