Introduction to Scikit-Learn: Machine Learning with Python

Regression

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About regression

One of the simplest regression problems is fitting a line to data, which we've seen previously.

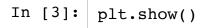
```
In [1]: import numpy as np
    import pandas as pd
    import matplotlib.pyplot as plt
    from sklearn.linear_model import LinearRegression

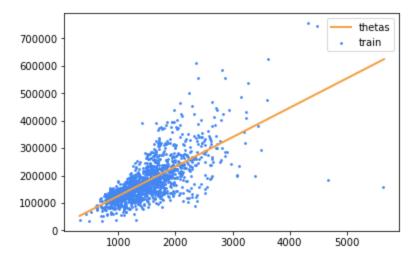
    train_url = "https://storage.googleapis.com/kaggle_datasets/House-Prices-Advanced-Regression-Techniques/train.csv"
    train_df = pd.read_csv(train_url)
    X_train = train_df["GrLivArea"].values.reshape(-1, 1)
    y_train = train_df["SalePrice"].values.reshape(-1, 1)
    reg = LinearRegression()
    reg.fit(X_train, y_train)
```

Out[1]: LinearRegression(copy_X=True, fit_intercept=True, n_jobs=1, normalize=False)

```
In [2]: xfit = np.linspace(X_train.min() - 10, X_train.max() + 10, 100).reshape(-1, 1)
    yfit = reg.predict(xfit)
    plt.scatter(train_df["GrLivArea"], train_df["SalePrice"], label='train', s=3, color="#4286f4")
    plt.plot(xfit, yfit, color="#f4a041", linewidth=2, label='thetas')
    plt.legend()
```

Out[2]: <matplotlib.legend.Legend at 0x1a0b5bc470>





How to deal with polynomial features

Using PolynomialFeatures() function.

```
In [4]: from sklearn.preprocessing import PolynomialFeatures
        poly = PolynomialFeatures(5)
        X_train_poly = poly.fit_transform(X_train)
        print(X_train_poly)
        [[ 1.0000000e+00
                                                               5.00021100e+09
                             1.71000000e+03
                                              2.92410000e+06
            8.55036081e+12
                             1.46211170e+16]
         [ 1.0000000e+00
                             1.26200000e+03
                                              1.59264400e+06
                                                               2.00991673e+09
            2.53651491e+12
                             3.20108182e+15]
         [ 1.0000000e+00
                             1.78600000e+03
                                                               5.69697566e+09
                                              3.18979600e+06
```

1.28129040e+10

1.25272655e+09

1.98138522e+09

1.01747985e+13

2.99821954e+13

1.35043922e+12

2.48861983e+12

[1.0000000e+00

[1.0000000e+00

[1.0000000e+00

1.81721902e+16]

2.34000000e+03

7.01583371e+16]

1.07800000e+03

1.45577348e+15]

1.25600000e+03

3.12570651e+15]]

5.47560000e+06

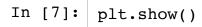
1.16208400e+06

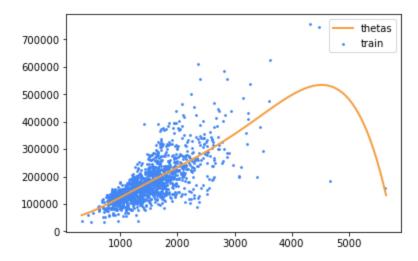
1.57753600e+06

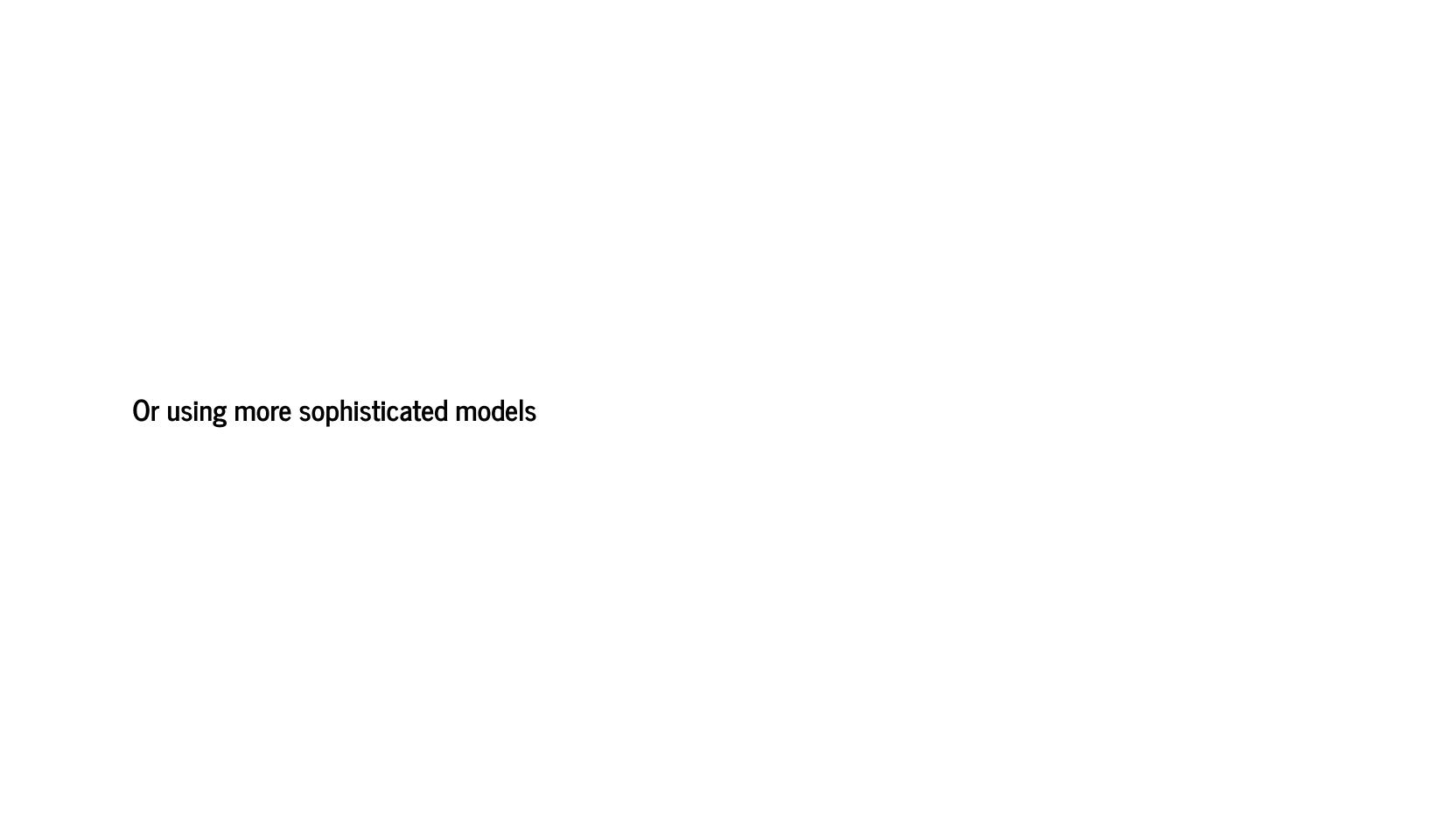
```
In [5]: reg = LinearRegression()
reg.fit(X_train_poly, y_train)
```

Out[5]: LinearRegression(copy_X=True, fit_intercept=True, n_jobs=1, normalize=False)

Out[6]: <matplotlib.legend.Legend at 0x1a18177e48>







min_samples_leaf=1, min_samples_split=2,

min_weight_fraction_leaf=0.0, n_estimators=10, n_jobs=1,

oob_score=False, random_state=None, verbose=0, warm_start=False)

```
In [9]: xfit = np.linspace(X_train.min() - 10, X_train.max() + 10, 100).reshape(-1, 1)
yfit = rf_reg.predict(xfit)
plt.scatter(train_df["GrLivArea"], train_df["SalePrice"], label='train', s=3, color="#4286f4")
plt.plot(xfit, yfit, color="#f4a041", linewidth=2, label='thetas')
plt.legend()
```

Out[9]: <matplotlib.legend.Legend at 0x1a184f2780>

