

**Built-In Abstract Functions**

Natural.  $(\text{Natural} \rightarrow X) \rightarrow (\text{listof } X)$

produces  $(\text{list } (f\ 0) \dots (f\ (-\ n\ 1)))$

**(define (build-list n f) ...)**

$(X \rightarrow \text{boolean}). (\text{listof } X) \rightarrow (\text{listof } X)$

produce a list from all those items on *lox* for which *p* holds

**(define (filter p lox) ...)**

$(X \rightarrow Y) (\text{listof } X). \rightarrow (\text{listof } Y)$

produce a list by applying *f* to each item on *lox*

that is,  $(\text{map } f (\text{list } x-1 \dots x-n)) = (\text{list } (f\ x-1) \dots (f\ x-n))$

**(define (map f lox) ...)**

$(X \rightarrow \text{boolean}) (\text{listof } X) \rightarrow \text{Boolean}$

produce true if *p* produces true for every element of *lox*

**(define (andmap p lox) ...)**

$(X \rightarrow \text{boolean}) (\text{listof } X) \rightarrow \text{Boolean}$

produce true if *p* produces true for some element of *lox*

**(define (ormap p lox) ...)**

$(X\ Y \rightarrow Y) \ Y (\text{listof } X) \rightarrow Y$

$(\text{foldr } f\ \text{base } (\text{list } x-1 \dots x-n)) = (f\ x-1 \dots (f\ x-n\ \text{base}))$

**(define (foldr f base lox) ...)**

$(X\ Y \rightarrow Y) \ Y (\text{listof } X) \rightarrow Y$

$(\text{foldl } f\ \text{base } (\text{list } x-1 \dots x-n)) = (f\ x-n \dots (f\ x-1\ \text{base}))$

**(define (foldl f base lox) ...)**