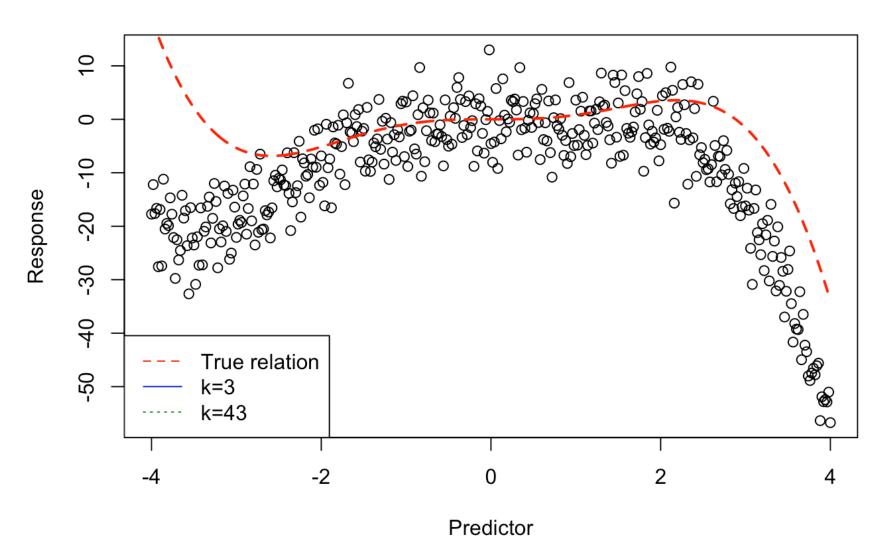
tutorial_w4

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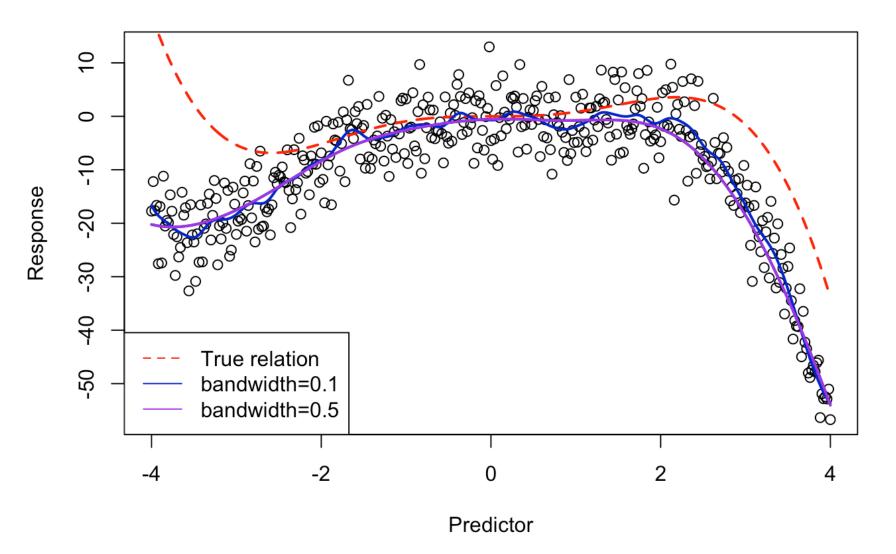
Running mean smoothing



```
#Task2 Try normal kernel smoothing with different bandwidths on "datasmooth.txt".
# setup the plot of original data and true relationship
x.plot <- seq(min(x), max(x), length.out=1000)
y.plot <- s(x.plot)
plot(x, y, xlab="Predictor", ylab="Response", main="Running line smoothing")
lines(x.plot, y.plot, lty=2, lwd=2, col="red")
# apply kernal smoothing using "KernSmooth" package
library(KernSmooth)</pre>
```

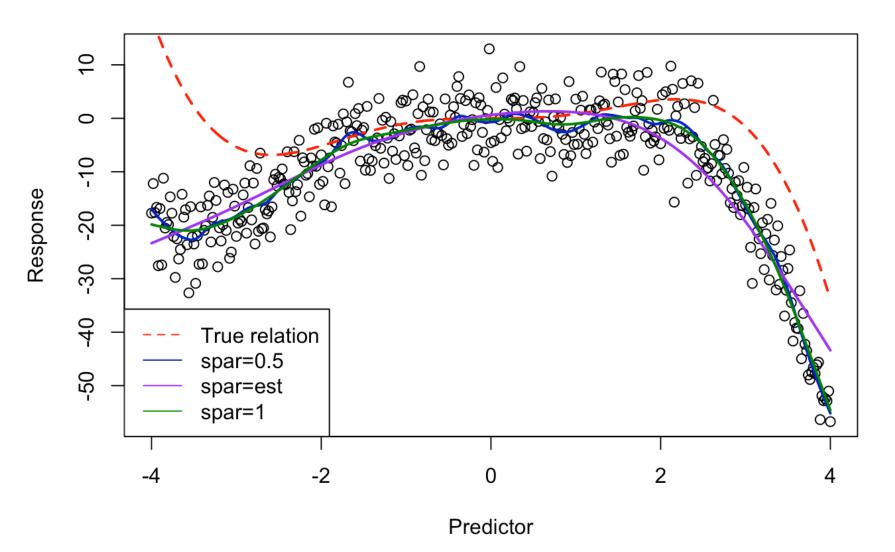
```
## KernSmooth 2.23 loaded
## Copyright M. P. Wand 1997-2009
```

Running line smoothing



```
#Task3 Apply cubic spline with different spars on "datasmooth.txt".
# Use the smooth.spline function in R
cubicSpline1.fit <- smooth.spline(x=x, y=y, cv=FALSE, spar=0.5)</pre>
cubicSpline2.fit <- smooth.spline(x=x, y=y, cv=FALSE, spar=1)</pre>
cubicSpline3.fit <- smooth.spline(x=x, y=y, cv=TRUE)</pre>
## Out put smoothing line
s = function(x)\{(x^3) * sin((x+3.4)/2)\}
x.plot = seq(min(x), max(x), length.out=1000)
y.plot = s(x.plot)
plot(x,y,xlab="Predictor",ylab="Response", main="Cubic spline smoothing")
lines(x.plot, y.plot, lty=2, lwd=2, col="red")
lines(cubicSpline1.fit, col="blue3", lwd=2)
lines(cubicSpline2.fit, col="purple", lwd=2)
lines(cubicSpline3.fit, col="green4", lwd=2)
legend("bottomleft",c("True relation", "spar=0.5", "spar=est", "spar=1"),
      lty=c(2,1,1,1), col=c("red", "blue3", "purple", "green4"))
```

Cubic spline smoothing

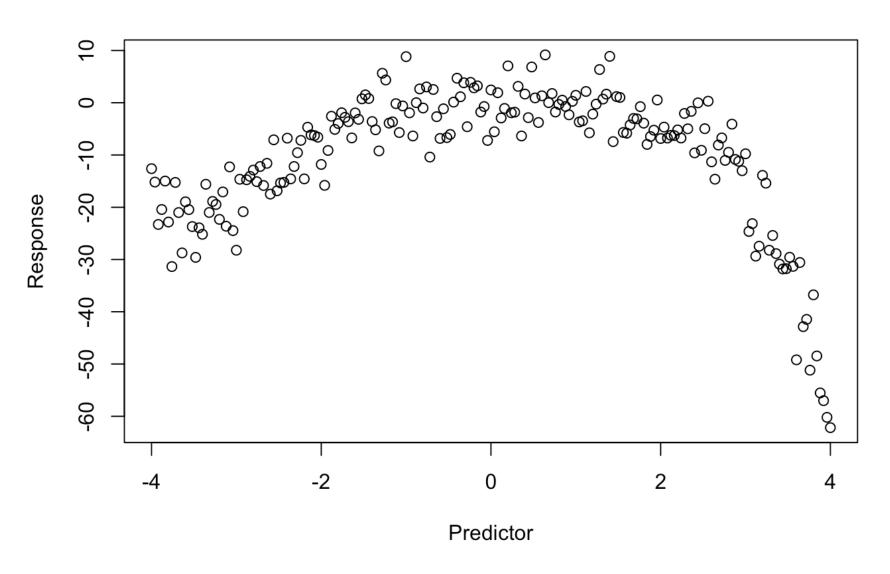


```
#Task 4.1 Utilise this new dataset to estimate mean squared error
new_easy <- read.table("newDatasmooth.txt", header=T)
new_x <- new_easy$x
new_y <- new_easy$y
# The true relationship
s <- function(new_x){(x^3) * sin((new_x+3.4)/2)}
# plot data and create the true relationship line
new_x.plot <- seq(min(new_x), max(new_x), length.out=1000)
new_y.plot <- s(new_x.plot)</pre>
```

```
## Warning in (x^3) * sin((new_x + 3.4)/2): longer object length is not a ## multiple of shorter object length
```

```
plot(new_x, new_y, xlab="Predictor", ylab="Response", main="The new Dataset")
```

The new Dataset



```
rmse=(mean(new_y-y)^2)^0.5
```

Warning in new_y - y: longer object length is not a multiple of shorter
object length

rmse

```
## [1] 0.192121
```

#select best bandwidths
#For kernel smoother
#plot(new_x, new_y, xlab="Predictor", ylab="Response", main="The new Dataset")
rmse=(mean(new_y-fit1\$y)^2)^0.5

Warning in new_y - fit1\$y: longer object length is not a multiple of
shorter object length

#For bandwidth=0.1
rmse

[1] 0.1871664

```
rmse=(mean(new y-fit2$y)^2)^0.5
## Warning in new_y - fit2$y: longer object length is not a multiple of
## shorter object length
rmse
## [1] 0.3931824
print("Therefore, bandwidth=0.1 is better fitting kernel smoother.")
## [1] "Therefore, bandwidth=0.1 is better fitting kernel smoother."
#For cubic spline
rmsel=(mean(new_y-cubicSpline1.fit$y)^2)^0.5
## Warning in new y - cubicSpline1.fit$y: longer object length is not a
## multiple of shorter object length
rmse2=(mean(new y-cubicSpline2.fit$y)^2)^0.5
## Warning in new y - cubicSpline2.fit$y: longer object length is not a
## multiple of shorter object length
rmse3=(mean(new_y-cubicSpline3.fit$y)^2)^0.5
## Warning in new_y - cubicSpline3.fit$y: longer object length is not a
## multiple of shorter object length
rmse1
## [1] 0.192121
rmse2
## [1] 0.192121
rmse3
```

#For bandwidth=0.5

```
## [1] 0.192121
```

print("Therefore, all are with the same mse. They are in equal preformance")

[1] "Therefore, all are with the same mse. They are in equal preformance"

print("According to the mse calculation, kernel smoother is better.")

[1] "According to the mse calculation, kernel smoother is better."