

已知两数 $\{AB\}$ 和 $\{CD\}$ 计算 $\{AB\} + \{CD\}$ 和 $\{AB\} * \{CD\}$

解: $\{AB\} = (x^7 + x^5 + x^3 + x + 1) = 10101011$

$\{CD\} = (x^7 + x^4 + x^3 + x^2 + 1) = 11001101$

$\{AB\} + \{CD\} = (10101011) \oplus (11001101) = 01100110$

转换为十六进制为 66.

$$\begin{aligned} \{AB\} * \{CD\} &= x^4 + x^{13} + x^{10} + x^9 + x^7 + x^{12} + x^{11} + x^8 + x^7 + x^5 + x^{10} + x^9 + x^6 + x^5 + x^3 + x^8 + x^7 \\ &\quad + x^4 + x^3 + x + x^7 + x^6 + x^3 + x^2 + 1 \\ &= x^{14} + x^{13} + x^{12} + x^{11} + 2x^{10} + 2x^9 + 2x^8 + 4x^7 + 2x^6 + 2x^5 + x^4 + 3x^3 + x^2 + x + 1 \\ &= 111100000011111 \end{aligned}$$

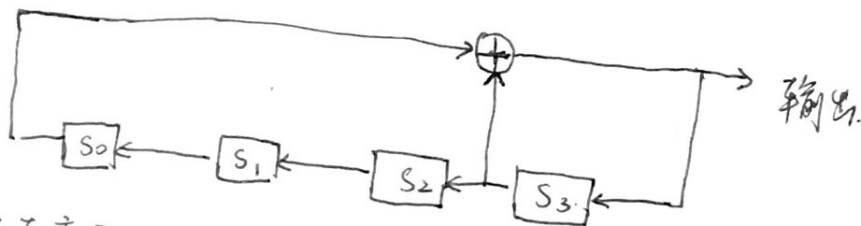
$$m(x) = x^8 + x^4 + x^3 + x + 1 = 100011011$$

根据: $\sqrt{111100000011111}$

求得余数为 $10111011 = BB$.

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1. 逻辑图如下:

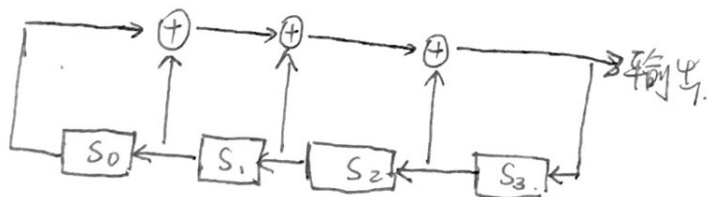


周期为
 $2^4 - 1 = 15$.

状态变迁如下: $0001 \rightarrow 0011 \rightarrow 0110 \rightarrow 1101 \rightarrow 1010 \rightarrow 1101 \rightarrow 1010 \rightarrow 0101 \rightarrow 1011 \rightarrow 1100 \rightarrow 1001 \rightarrow 0010 \rightarrow 0100 \rightarrow 1000 \rightarrow 0001$

输出序列如下: $1111 \ 0101 \ 1001 \ 0001 \dots$

2.



周期: $2^4 - 1 = 15$.

状态变迁如下: $0001 \rightarrow 0011 \rightarrow 0110 \rightarrow 1100 \rightarrow 1000 \rightarrow 0001$

输出序列: $110001 \dots$