1)

## A.Read and scatter

```
data = pd.read_csv('data.csv', header=None)

# print(data)

x = data[0]

y = data[1]

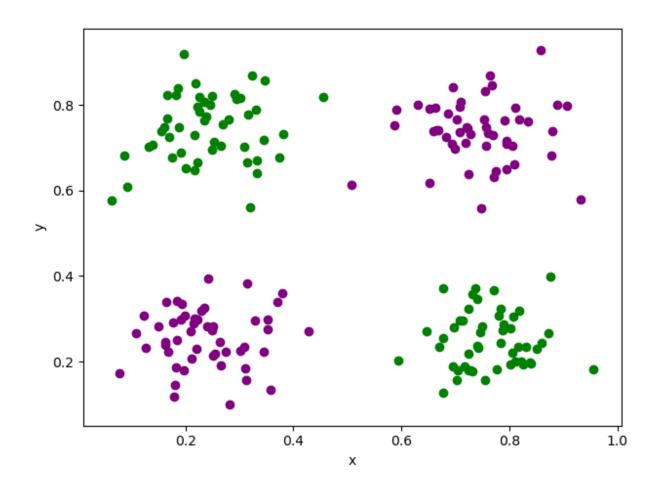
label = data[2]

fig. ax = plt.subplots()

ax.scatter(x, y, e=label)

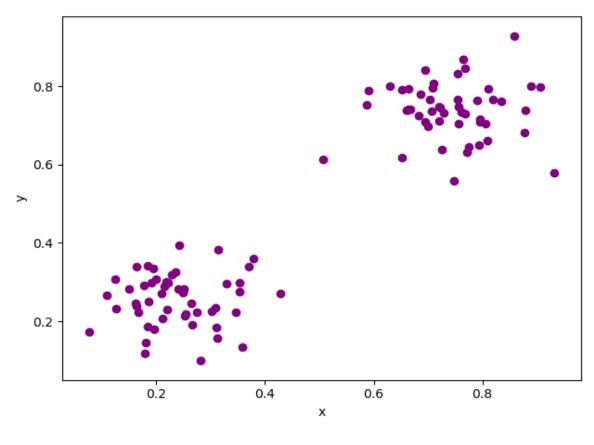
plt.xlabel('x')

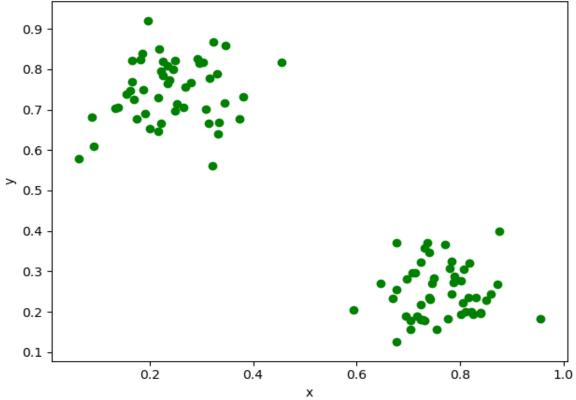
plt.ylabel('y')
```



Purple points: class 1(0)

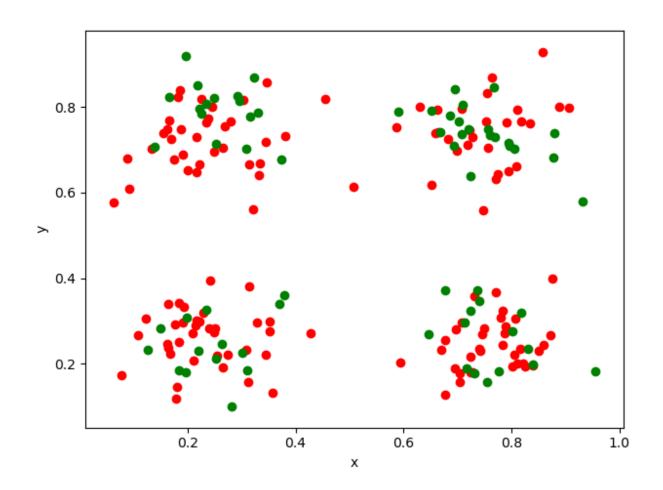
Green points: class 2(1)





## **B.Suffle and split**

X\_train, X\_test, y\_train, y\_test = train\_test\_split(x, y.



Red: train

Green: test

2)

3

dcost /dw

dcost/db

```
J = sigmoid(y) * (1 - sigmoid(y))
sigmoid' = sigmoid(y) * (1 - sigmoid(y))
X[6] * (y-y_0) * sigmoid' \leftarrow if t = 0
X[7] * (y-y_0) * sigmoid' \leftarrow if t = 1
```

3)

```
def sigmoid(x):
    return (1 / (1 + math.exp(-x)))

def compute_gradient(W, X, b, y0, weight):
    y = compute_y(W, X, b)
    sigmoid_new = y * (1 - y)
    if weight == 0:
        return X[0] * (y - y0) * sigmoid_new
    elif weight == 1:
        return X[1] * (y - y0) * sigmoid_new
    else:
        return (y - y0) * sigmoid_new

def compute_y(W, X, b):
    return sigmoid(np.dot(X, W) + b)

def get_labels():
```

```
dataset_label = []
    dataset_label.append(
     [[float(col[0].replace(""", "")), float(col[1].replace(""", ""))], int(col[2].replace(""", ""))] \\ if int(col[2].replace(""", "")) == 0; 
       x0.append(float(col[0].replace("", "")))
       y0.append(float(col[1].replace("", "")))
       x1.append(float(col[0].replace("", "")))
       y1.append(float(col[1].replace("", "")))
  return dataset_label
def train(train_label):
  n_{epoch} = 3000
  Ir = 3 / len(train_label) # learning_rate
  gradient = [0, 0, 0]
  W.append(np.random.normal(0, 1))
  W.append(np.random.normal(0, 1))
  for i in range(0, n_epoch):
    for w in range(0, 3):
       gradient[w] = 0
       for X in train_label:
         gradient[w] += compute_gradient(W, X[0], b, X[1], w)
       W[w] -= Ir * gradient[w]
       b -= Ir * gradient[2]
  return [W, b]
```

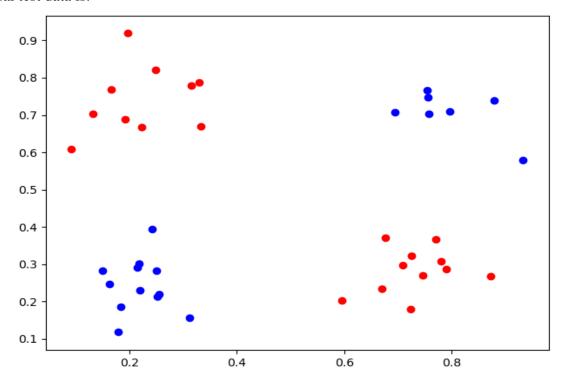
## 4) Evaluating the network:

```
def test(W, b, test_label):
  for X in test_label:
     Y = compute_y(W, X[0], b)
    if Y >= 0.5:
  return test_label
x1 = []
y0 = []
y1 = []
x0_predicted = []
```

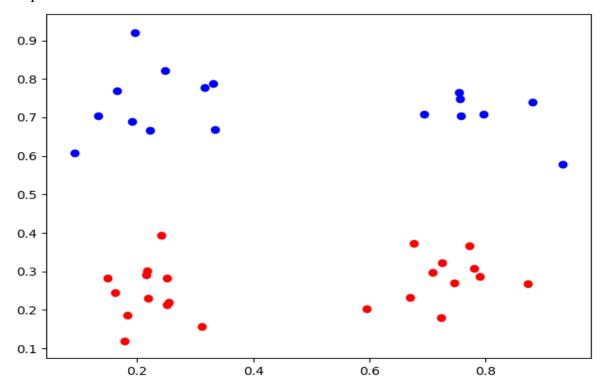
```
x1_predicted = []
y0_predicted = []
y1_predicted = []
dataset = get_labels()
np.random.shuffle(dataset)
train_value = []
test_value = []
  if i < np.round(0.8 * len(dataset)):
    train_value.append([[dataset[i][0][0], dataset[i][0][1]], dataset[i][1]])
     test_value.append([[dataset[i][0][0], dataset[i][0][1]], dataset[i][1]])
for i in range(0, len(test_value)):
  if test_value[i][1] == 0:
     x0.append(test_value[i][0][0])
     y0.append(test_value[i][0][1])
     x1.append(test_value[i][0][0])
     y1.append(test_value[i][0][1])
plt.scatter(x0, y0, color="blue")
plt.scatter(x1, y1, color="red")
plt.show()
W, b = train(train_value)
predicted_label_test = test(W, b, test_value)
for i in range(0, len(predicted_label_test)):
  if predicted_label_test[i][1] == 0:
     x0\_predicted.append(predicted\_label\_test[i][0][0])
     y0_predicted.append(predicted_label_test[i][0][1])
     x1_predicted.append(predicted_label_test[i][0][0])
     y1_predicted.append(predicted_label_test[i][0][1])
plt.scatter(x0_predicted, y0_predicted, color="blue")
plt.scatter(x1_predicted, y1_predicted, color="red")
plt.show()
correct\_pred = 0
for i in range(0, len(predicted_label_test)):
  if predicted_label_test[i][1] == test_value[i][1]:
     correct_pred += 1
accuracy = correct_pred / len(test_value)
print(accuracy)
```

#### 7

## Actual test data is:



# The predicted Labels are:



Accuracy: True prediction / Total Prediction = 18/40 = 45%

## New Design of network:

$$z = \begin{bmatrix} S(ux+bo) \\ S(\sqrt{x}+b1) \end{bmatrix}$$

$$y = 2u + bz$$

$$\frac{dE}{d\mu} = J \cdot J_0(z) \cdot \# S(uz+bz) \left(1 - S(\frac{h}{2} + bz)\right)$$

$$\frac{dE}{d\mu} = (J \cdot J_0) \cdot \# S(uz+bz) \left(1 - S(\frac{h}{2} + bz)\right)$$

$$\frac{dE}{d\mu} = (J \cdot J_0) \cdot \# S(bz+bz) \left(1 - S(bz+bz)\right) \cdot \# S(\sqrt{x}+b1)$$

$$\frac{dE}{d\nu} = (J \cdot J_0) \cdot \# U_0 \cdot \# S(bz+uz) \left(1 - S(bz+\mu z)\right) \cdot \# S(ux+b_0) \cdot \#$$

$$\left(1 - S(ux+b_0)\right)$$

$$\frac{dE}{d\nu} = (J \cdot J_0) \cdot \# U_0 \cdot \# S(bz+uz) \left(1 - S(bz+uz)\right) \cdot \# S(vx+b_0)$$

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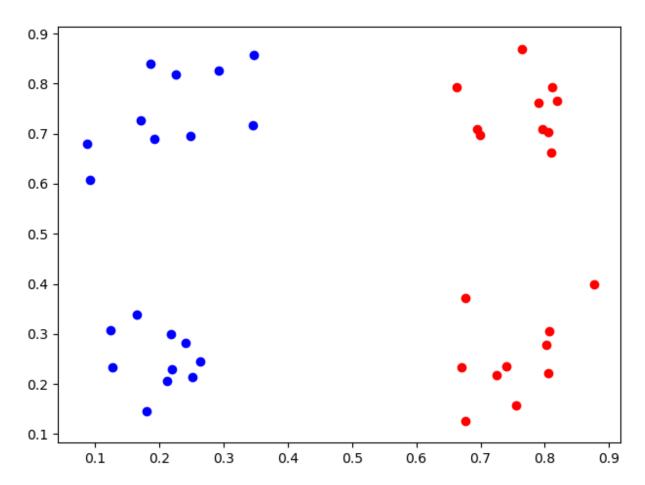
$$\frac{dE}{d\nu} = (J \cdot J_0) \cdot \# S(bz+uz) \cdot$$

5)

This new design finds the weights better and has better accuracy.

## But Why?

A multilayer perceptron (MLP) is a class of feedforward artificial neural network. A MLP consists of at least three layers of nodes: an input layer, a hidden layer and an output layer. Except for the input nodes, each node is a neuron that uses a nonlinear activation function. MLP utilizes a supervised learning technique called backpropagation for training. Its multiple layers and non-linear activation distinguish MLP from a linear perceptron. It can distinguish data that is not linearly separable.



Accuracy: 36/40 = 90%

One perceptron is not able to classify a non-linearly separable data, unlike Multilayer peceptron which has a very high accuracy for this kind of data.