```
li = [12, 11, 13, 5, 6]
def binary_search(search_space, target):
    e = len(search_space) - 1
    # We will run loop while s <= end
    while s <= e:
        # find mid
        mid = (s + e)//2
        # compare
        if target == search_space[mid]:
            return mid
        elif target < search_space[mid]:</pre>
            # discard right
            e = mid - 1
        else:
            # discard left
            s = mid + 1
    return "Not found"
# Quiz
n=128
a = 0
i = n
count = 0
while (i > 1):
    count += 1
    a += i
    i //= 2
print(count)
7
for i in range(1, 1000):
    print(i)
    break
1
```

```
Prime number
# Give true if a number is prime else False
def prime check(n):
    for i in range(2, n):
        if n % i == 0: # This will be true only if n has a divisor
            return False
    return True
prime_check(21)
False
prime_check(11)
True
prime check(99)
False
# Time complexity: O(n)
# Improvised version
def prime check(n):
    for i in range(2, n//2 + 1):
        if n % i == 0: # This will be true only if n has a divisor
            return False
    return True
prime_check(19)
True
\# n -> n/2
# Time complexity: O(n)
prime check(73)
True
# Checking till square root of n
def improvised_prime(n):
    for i in range(2, int((n ** 0.5)) + 1):
```

if n % i == 0:

```
return False
    return True
improvised_prime(99)
False
improvised prime(143)
False
improvised_prime(73)
True
# running almost sqrt(n) times
# Time complexity: O(sqrt(n))
# Which is better: log(n) or sqrt(n)
# Prime : A number having only 1 and itself as facotrs
n = 10
for i in range(1, n):
    if n % i == 0:
        print(i)
1
2
5
# Finding factors between 2 to n - 1
n = 10
for i in range(2, n):
    if n % i == 0:
        print(i)
2
5
n = 11
for i in range(2, n):
    if n % i == 0:
        print(i)
```

```
Euclidean Distance
# (2, 5), (5, 10)
d = ((5 - 2) ** 2 + (10 - 5) ** 2) ** 0.5
5.830951894845301
Pa = (2, 5)
Pb = (5, 10)
x1, y1 = Pa
x2, y2 = Pb
print(x1, y1)
2 5
def euclidean_distance(Pa, Pb):
    x1, y1 = Pa
    x2, y2 = Pb
    d = (x2 - x1) ** 2 + (y2 - y1) ** 2
    d = d ** 0.5
    return d
euclidean_distance(Pa, Pb)
5.830951894845301
# use distance function to find the distances
# Find the distances of all
destinations = [(2, 5), (8, 3), (-1, 5), (0, 8), (6, 6)]
location = (1, 1)
for i in destinations:
    print(i)
```

```
(2, 5)
(8, 3)
(-1, 5)
(0, 8)
(6, 6)
for i in destinations:
    print(i, location)
(2, 5) (1, 1)
(8, 3) (1, 1)
(-1, 5) (1, 1)
(0, 8) (1, 1)
(6, 6) (1, 1)
KNN
# Finding distances from location to destinations
for i in destinations:
    print(euclidean_distance(i, location))
4.123105625617661
7.280109889280518
4.47213595499958
7.0710678118654755
7.0710678118654755
for i in destinations:
    d = euclidean_distance(i, location)
    print(d)
4.123105625617661
7.280109889280518
4.47213595499958
7.0710678118654755
7.0710678118654755
distances = []
for i in destinations:
    d = euclidean distance(i, location)
    distances.append(d)
print(min(distances))
4.123105625617661
```

```
# K insertion sort iterations
arr = [12, 11, 13, 5, 6]
k = 2
def insertion_sort(a, k):
    n = len(a)
    # Lets run for k iterations
    for i in range(1, k+1):
        index_to_insert = i
        j = i - \overline{1}
        while j >= 0:
            # Move left and compare values
            if a[j] < a[index_to_insert]:</pre>
                 break
            # In case we need swap, update values
            a[j], a[index_to_insert] = a[index_to_insert], a[j]
            index_to_insert = j
            i -= 1
    return a[n//2]
insertion sort(arr, k)
13
```

```
# lexicographical selection sort
# a
# b
"a" < "b"
True
"app" < "axe"</pre>
```

True

abode
app
apple
axe
axle