

**Academic Year 2023-24 (Even Sem.)**

## **EXPERIMENT NO. 2**

### **RSA ALGORITHM**

**AIM:** Develop a program to implement RSA algorithm for encryption and decryption.

**OBJECTIVE:** Able to implement RSA algorithm for encryption and decryption.

**OUTCOMES:** Implemented RSA algorithm for encryption and decryption.

#### **THEORY:**

The RSA cryptosystem is one the initial system. It remains most employed cryptosystem even today. The system was invented by three scholars **Ron Rivest**, **Adi Shamir**, and **Len Adleman** and hence, it is termed as RSA cryptosystem. The two aspects of the RSA cryptosystem, firstly generation of key pair and secondly encryption-decryption algorithms

#### **ALGORITHM DESCRIPTION:**

##### Generation of RSA Key Pair

- Each person or a party who desires to participate in communication using encryption needs to generate a pair of keys, namely public key and private key.
- The process followed in the generation of keys is described below –
- Generate the RSA modulus ( $n$ )
  - Select two large primes,  $p$  and  $q$ .
  - Calculate  $n=p*q$ . For strong unbreakable encryption, let  $n$  be a large number, typically a minimum of 512 bits.

- Find Derived Number ( $e$ )

Number  $e$  must be greater than 1 and less than  $(p - 1)(q - 1)$ .

There must be no common factor for  $e$  and  $(p - 1)(q - 1)$  except for 1. In other words two numbers  $e$  and  $(p - 1)(q - 1)$  are coprime.

- Form the public key

The pair of numbers  $(n, e)$  form the RSA public key and is made public. Interestingly, though  $n$  is part of the public key, difficulty in factorizing a large prime number ensures that attacker cannot find in finite time the two primes ( $p$  &  $q$ ) used to obtain  $n$ . This is strength of RSA.

- Generate the private key

Private Key  $d$  is calculated from  $p$ ,  $q$ , and  $e$ . For given  $n$  and  $e$ , there is unique number

d.

Number d is the inverse of e modulo  $(p - 1)(q - 1)$ . This means that d is the number less than  $(p - 1)(q - 1)$  such that when multiplied by e, it is equal to 1 modulo  $(p - 1)(q - 1)$ .

- This relationship is written mathematically as follows  $ed = 1 \bmod (p - 1)(q - 1)$
- The Extended Euclidean Algorithm takes p, q, and e as input and gives d as output.

**CONCLUSION:**