

## Snakes and Ladders - QOTD 24 Jan 23

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Leetcode Link : [Click](#)

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Time :  $O(n * n)$

| in worst case we will have to visit all the cells of the matrix

Space :  $O(n*n)$

| 2 d matrix 'isVisited' to store boolean if the cell is visited or not

Approach / Steps

```
/* ✓★Approach - 1 (using BFS)
```

```
    explanation :-
```

```
        ->//fun.2 :
```

```
            step 1 : use formula
```

```
                row = (n-1) - (data-1) / n;  
                col = (data-1)%n;  
                if(row%2 == n%2) col = n-1-col;
```

```
        ->// main function
```

```
            step 1 : create a matrix isVisited[n][n], to not visit the already  
visited elements again (initialize all the elements as false initially)
```

```
            step 2 : now create a q, and push 1 into it (because initially we are  
at 1 ) (also mark 1 as visited into the visited array[note that 1 will be at board[n-  
1][0] place])
```

```
            step 3 : initialize steps = 0
```

```
            step 4 : now traverse this q while it is not empty
```

```
            step 5: find the curr size of the q and run a loop from 0 to curr  
size,note that this below loop is added coz we should increment the steps once all  
posiblites to where we can move for 1 step are visited.
```

```
                step 6 : pop the front element
```

```
                step 7 : if front element is already the final box, then
```

```
return steps
```

```
                step 8 : now run a loop from i = 1 to 6
```

```
                step 9 : create a int 'newData ' and add this front ele  
with i and store it in newData
```

```
                step 10 : if the newData is greater then the matrix last  
number, then in that case break the loop, coz we have explored the possiblities from 1  
to 6
```

```
                step 11 : call fun.2 to and find the coordinates of this  
new Data in input matrix (board)
```

```
                step 12 : if the current cell we are on is visited, then  
continue to next cell, else visit it
```

```
                step 13 : if current cell is not a snake or ladder then  
store the sum into the q
```

```
                step 14 : if the current cell is a ladder or snake, then  
push the destination value of ladder / snake into queue and not the current cell value
```

```
                step 15 : increment steps by 1 once all the possible next steps  
have been visited for 1 front element eg. incrment 1 when after cell = 1,  
(2,3,4,5,6,7) have also been visited and no answer was found
```

```
                step 16 : return -1 when all loops are complete, and we still did not  
reached the final cell
```

```
*/
```

---

code :-

```

private://fun.2 : function to return row and col coordinates of any 'data' ,for any
matrix of size 'n'
    void findCordinates(int n, int data, int &row, int &col){

        row = (n-1) - (data-1) / n;

        col = (data-1)%n;

        if(row%2 == n%2) col = n-1-col;
    }

public:
    // Main function
    int snakesAndLadders(vector<vector<int>>& board) {

        int n = board[0].size() ; //n x n matrix

        // step 1 : create a matrix isVisited[n][n], to not visit the already visited
        elements again (initialize all the elements as false initially)
        vector<vector<bool>> isVisited(n, vector<bool>(n,false));

        // step 2 : now create a q, and push 1 into it (because initially we are at 1
        ) (also mark 1 as visited into the visited array[note that 1 will be at board[n-1][0]
        place])
        queue<int> q;
        q.push(1);
        isVisited[n-1][0] = true;

        // step 3 : initialize steps = 0
        int steps = 0;

        // step 4 : now traverse this q while it is not empty
        while(!q.empty()){

            //step 5: find the curr size of the q and run a loop from 0 to curr
            size,note that this below loop is added coz we should increment the steps once all
            posiblites to where we can move for 1 step are visited.
            int size = q.size();
            for(int j = 0; j < size; j++){

                // step 6 : pop the front element
                int frontEle = q.front();
                q.pop();

                // step 6 : if front element is already the final box, then return
                steps

                if(frontEle == n*n) return steps;

                // step 7 : now run a loop from i = 1 to 6
                for(int i = 1; i <= 6; i++){

```

```

        // step 8 : create a int 'newData ' and add this front ele with i
        and store it in newData
        int newData = frontEle + i;

        // step 9 : if the newData is greater then the matrix last number,
        then in that case break the loop, coz we have explored the possiblities from 1 to 6
        if(newData > n*n) break;

        // step 10 : call fun.2 to and find the coordinates of this new
        Data in input matrix (board)
        int row, col;
        findCordinates(n,newData,row,col);

        // step 11 : if the current cell we are on is visited, then
        continue to next cell, else visit it
        if(isVisited[row][col]) continue;
        isVisited[row][col] = true;

        // step 12 : if current cell is not a snake or ladder then store
        the sum into the q
        if(board[row][col] == -1) q.push(newData);

        // step 13 : if the current cell is a ladder or snake, then push
        the destination value of ladder / snake into queue and not the current cell value
        else
            q.push(board[row][col]);

    }

}

// step 14 : increment steps by 1 once all the possible next steps have
been visited for 1 front element eg. incrment 1 when after cell = 1, (2,3,4,5,6,7)
have also been visited and no answer was found
steps++;

}

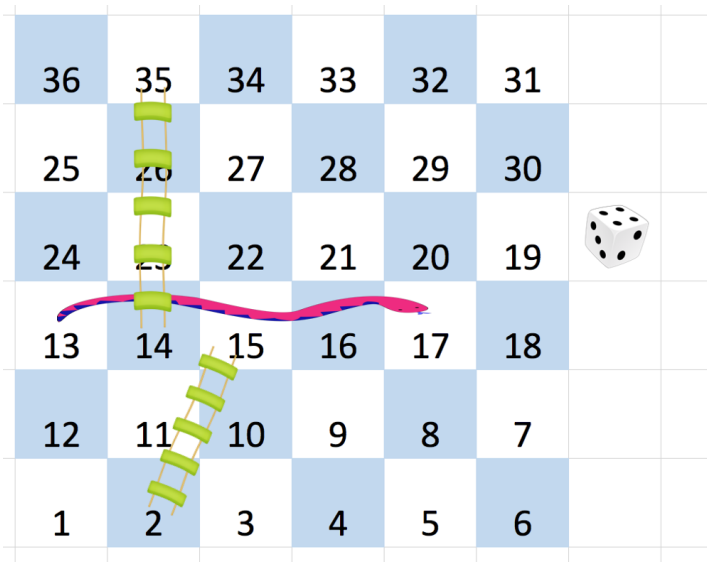
// step 15 : return -1 when all loops are complete, and we still did not
reached the final cell
return -1;
}

```

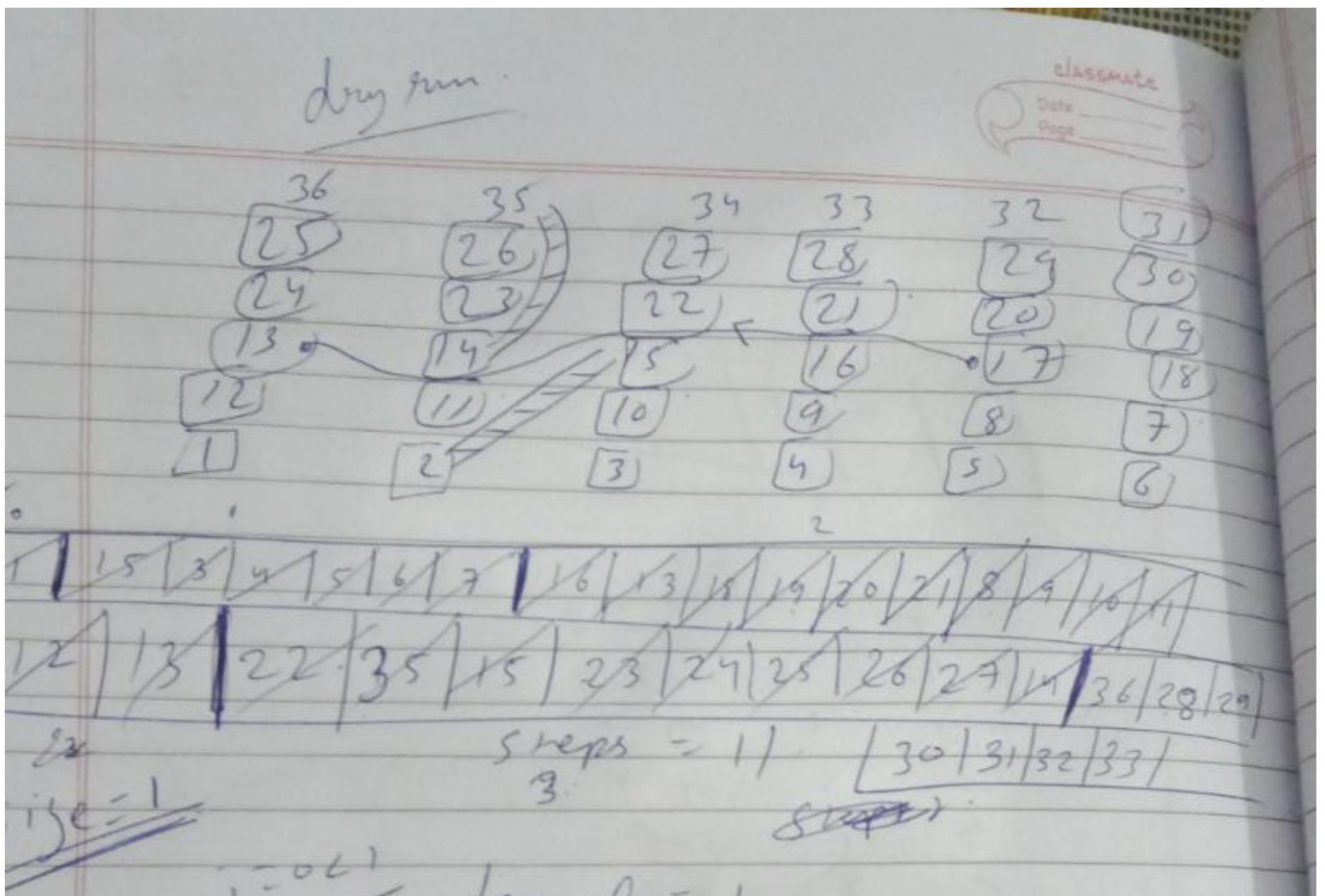
dry run for below test case :-

Input :-

```
board =
[[-1, -1, -1, -1, -1, -1],
 [-1, -1, -1, -1, -1, -1],
 [-1, -1, -1, -1, -1, -1],
 [-1, 35, -1, -1, 13, -1],
 [-1, -1, -1, -1, -1, -1],
 [-1, 15, -1, -1, -1, -1]]
```



dry run :-



front = 1

i = 1	2	⇒ 15
2	3	
3	4	
4	5	
5	6	
i = 6	7	

$j = 1 < 1$  ~~break~~ steps + 1  
(step now = 1)

$j = 6$

$j = 0 < 6$  front = 15

i = 1	16
2	17 ⇒ 13
3	18
4	19
5	20
6	21

$j = 1 < 6$

front = 3

i = 1	4	already visited
i = 2	5	
i = 3	6	
i = 4	7	
i = 5	8	

classmate

Date

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i = 6      9 } new

j = 2

feront = 4

i = 1	5	already visited
2	6	
3	7	
4	8	
5	9	
6	10	new

j = 3

feront = 5

i = 1	6	already visited
2	7	
3	8	
4	9	
5	10	
6	11	new

j = 4

feront = 6

12 new

~~j = 5~~



$$j = 5 < 6 \quad \text{front} = 7$$

13 new

{ step + 2  
(step = 2 now)

$$\text{size} = 12$$

$$j = 0 < 12$$

$$\text{front} = 16$$

i = 1    17    9  $\Rightarrow$  13  
           18  
           19    ahead  
           20  
           21  
           22 new

$$j = 1 < 12 \quad \text{front} = 13$$

i = 1    14  $\Rightarrow$  35  
       2    15  
       |    16  
       |    17  $\Rightarrow$  13  
       |    18

6. <sup>18</sup>  
19

j = 2 < 12

jerons = 18

i = 1      19

20

21

22

23      hu

24      neu

already visited.

j = 3 < 12

jerons = 19

20

21

22

23

24

25

j = 4 < 12

jerons = 20

$$j = 1 \leq 12 \quad \text{front} = 21$$

$$j = 6 \leq 12 \quad \text{front} = 8$$

9  
10  
11  
12  
13  
14  $\rightarrow$  35

$$j = 7 \leq 12 \quad \text{front} = 9$$

all visitors

$$j = 8 \leq 12 \quad \text{front} = 10$$

11  
12  
13  
14  
15  
16

all visit

classmate

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~~$j = 9 < 12$~~   $front = 11$

12  
13  
14 = 35  
15  
16  
17 = 13

all visitors

~~$j = 10 < 12$~~   $front = 12$  all done

~~$j = 11 < 12$~~   $front = 13$  all done

~~$j = 12 < 12$~~

back steps & r  
(shd - ~~now~~)

ate  
C  
 ~~$sig = 9$~~   
 ~~$j = 0 < 9$~~   $front = 22$

classmate  
Date  
Page



23  
24  
25  
26  
27  
28 (new)

~~$j = 24$~~  from = 35

~~28~~

36 (new)  
37 break ( $36 > n$ )

break;

~~$j = 20$~~  from = 15

16  
17  
18  
19  
20  
21  
all visited.

~~$j = 30$~~  from = 23

24, 25, 26, 27, 28, 29  
29 new

~~$j = 40$~~  from = 24

25, 26, 27, 28, 29, 30  
new

$$j25L^9 \quad \text{jump} = 25$$

26, 27, 28, 29, 30, 31  
new

$$j26L^9 \quad \text{jump} = 26$$

32  
new

$$j27L^9 \quad \text{jump} = 27$$

33  
new

$$j28L^9 \quad \text{jump} = ~~28~~ 14$$

15, 16, 17, 18, 19, 20

sited

all v' about

$j = 9 \leq 9$

break

steps & 2

len = 4

size = 7

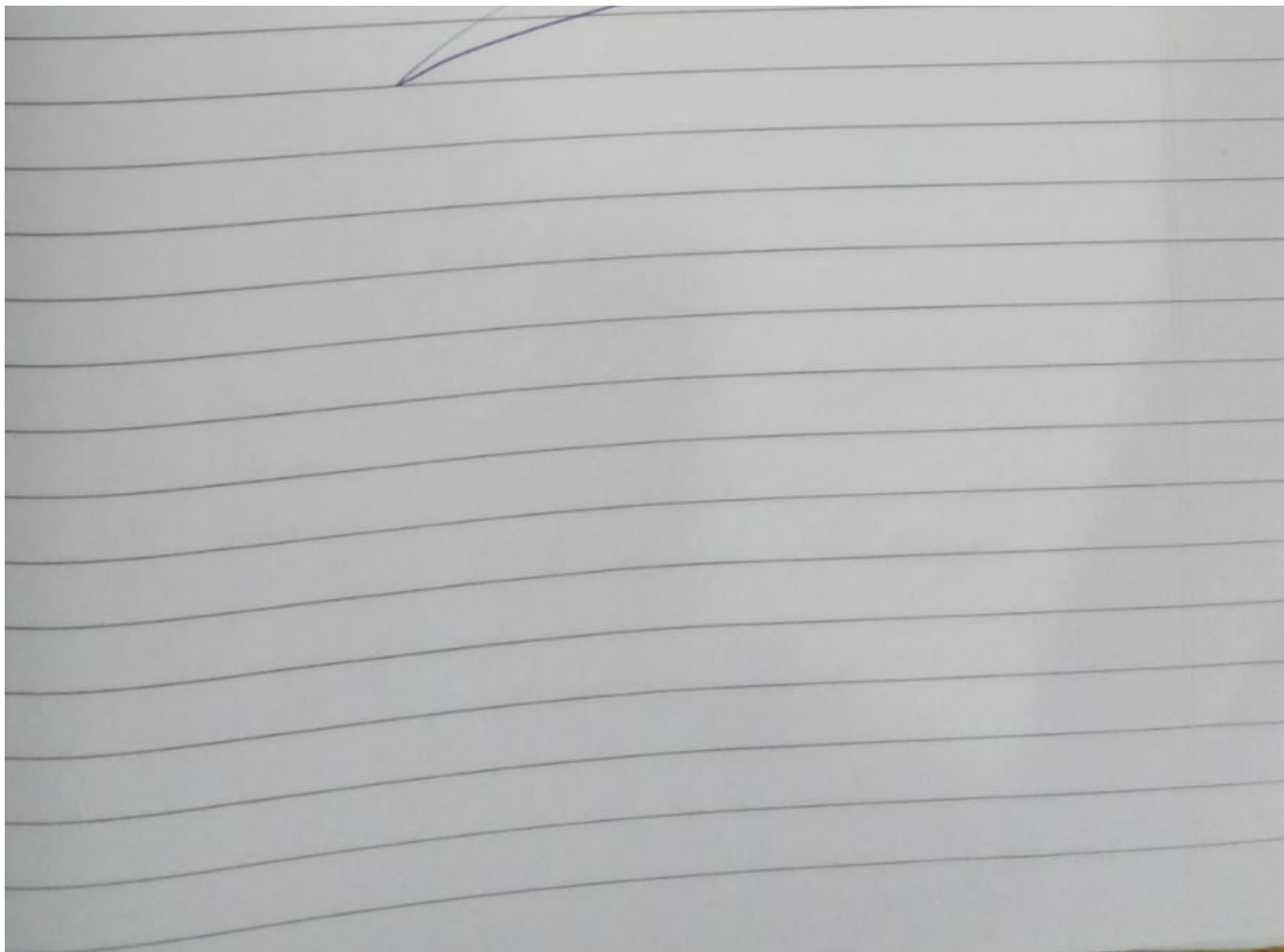
j = 0 < 7

front = 36

front == k \* h. (6 \* 6 = 36)

return steps

Ans = 4



END