# UNVEILING THE UNEXPECTED: STOCK MARKET OUTLIER DETECTION WITH PYTHON

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# **Data Mining and Outlier Detection**

This project tackles a critical challenge within the stock market: identifying outliers. Outliers are data points that deviate significantly from the expected market behavior. By pinpointing these outliers using historical stock data, we aim to achieve two key goals:

- Develop a robust system: We will leverage Python's capabilities to construct a system that effectively identifies outliers within the data. This system will serve as a valuable tool for market analysis, utilizing techniques like:
  - Data Preprocessing: Cleaning and preparing the data for analysis.
  - Feature Engineering: Creating new informative features from existing data, such as moving averages and technical indicators (RSI, Bollinger Bands).
  - Outlier Detection Methods: Employing techniques like Z-scores, Interquartile Range (IQR), and Isolation Forest to pinpoint outliers.
- Gain actionable insights: By analyzing the identified outliers, we hope to gain valuable insights into potential market shifts. These insights can empower investors to make informed decisions based on a deeper understanding of market behavior.

In the following sections, we'll delve into the methodologies employed to achieve these goals. We'll explore data mining techniques, outlier detection methods mentioned above, and the power of machine learning (specifically a Random Forest classifier) to build a comprehensive outlier detection system for the stock market.

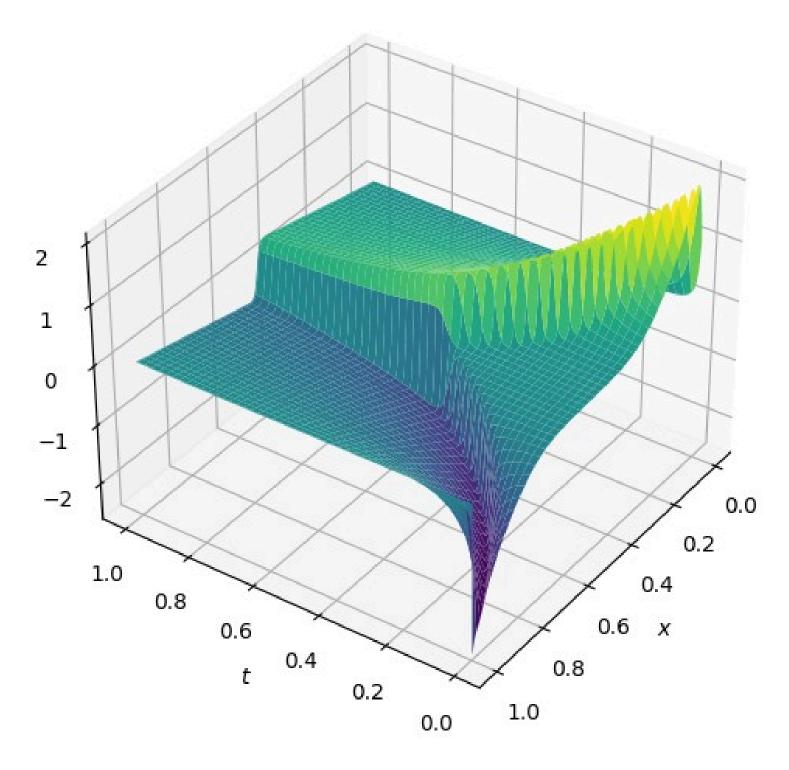
## Adam optimizer was used, Activation Function:- tanh No of layers=8, No of neuron in each layer=20

```
def init model(num hidden layers=8, num neurons per layer=20):
    # Initialize a feedforward neural network
    model = tf.keras.Sequential()
    # Input is two-dimensional (time + one spatial dimension)
    model.add(tf.keras.Input(2))
    # Introduce a scaling layer to map input to [lb, ub]
    scaling layer = tf.keras.layers.Lambda(
                lambda x: 2.0*(x - lb)/(ub - lb) - 1.0
    model.add(scaling layer)
    # Append hidden layers
    for in range(num hidden layers):
        model.add(tf.keras.layers.Dense(num_neurons_per_layer,
            activation=tf.keras.activations.get('tanh'),
            kernel initializer='glorot normal'))
    # Output is one-dimensional
    model.add(tf.keras.layers.Dense(1))
    return model
```

```
# Function to compute the loss
def compute loss(model, X r, X data, u data):
    r = get r(model, X r)
    phi_r = tf.reduce_mean(tf.square(r))
    loss = phi r
#neuwman boundary
    ab=tf.expand dims(X r[:,0],axis=1)
    min value=tf.math.reduce min(X r[:,1])
    cd=tf.ones((500,1),dtype=DTYPE)*min_value
    abcd=tf.concat([ab,cd],axis=1)
   u pred low = model(abcd)
   loss += tf.reduce mean(tf.square(u data[1] - u pred low))
    ab=tf.expand_dims(X_r[:,0],axis=1)
    max_value=tf.math.reduce_max(X_r[:,1])
    cd=tf.ones((500,1),dtype=DTYPE)*max value
    abcd=tf.concat([ab,cd],axis=1)
   u_pred_high = model(abcd)
   loss += tf.reduce mean(tf.square(u data[1] - u pred high))
    u_pred = model(X_data[0])
   loss += tf.reduce mean(tf.square(u data[0] - u pred))
    return loss
# Function to compute gradients
def get_grad(model, X_r, X_data, u_data):
   with tf.GradientTape(persistent=True) as tape:
        tape.watch(model.trainable variables)
       loss = compute_loss(model, X_r, X data, u_data)
    g = tape.gradient(loss, model.trainable variables)
    del tape
    return loss, g
```

#### **Loss Function**

### Solution of Burgers equation



```
It 38800: loss = 2.43962905e-03
It 38850: loss = 2.38862191e-03
It 38900: loss = 3.10197985e-03
It 38950: loss = 2.37775943e-03
It 39000: loss = 2.55254447e-03
It 39050: loss = 2.33828533e-03
It 39100: loss = 2.47856416e-03
It 39150: loss = 3.17686889e-03
It 39200: loss = 2.29859492e-03
It 39250: loss = 2.98059359e-03
It 39300: loss = 2.26472015e-03
It 39350: loss = 2.52369419e-03
It 39400: loss = 2.25270074e-03
It 39450: loss = 2.39847507e-03
It 39500: loss = 2.22351309e-03
It 39550: loss = 2.19581253e-03
It 39600: loss = 4.07151226e-03
It 39650: loss = 2.18665018e-03
It 39700: loss = 2.18407507e-03
It 39750: loss = 2.28683301e-03
It 39800: loss = 2.19064066e-03
It 39850: loss = 2.17124098e-03
It 39900: loss = 2.11950601e-03
It 39950: loss = 6.25137836e-02
It 40000: loss = 2.45129205e-02
```

Computation time: 2813.8123185634613 seconds

## **SOLVED USING NEURAL NETWORK**

## **LOSS AFTER 38000 EPOCH**

# **USING NEWMAN CONTROL ON EQUATION**

We will approach the problem using nonlinear Neuman Bounday Control:-

$$w_x(0,t) = \frac{1}{\epsilon} \left( c_0 + \frac{W_d}{2} + \frac{1}{9c_0} w^2(0,t) \right) w(0,t),$$

$$w_x(1,t) = -\frac{1}{\epsilon} \left( c_1 + \frac{1}{9c_1} w^2(1,t) \right) w(1,t),$$

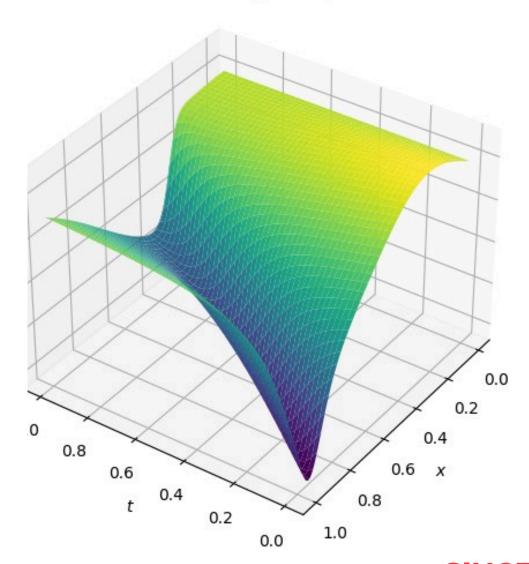
```
# Function to compute the loss
def compute_loss(model, X_r, X_data, u_data):
   r = get_r(model, X_r)
   phi_r = tf.reduce_mean(tf.square(r))
   loss = phi r
#neuwman boundary
   ab=tf.expand_dims(X_r[:,0],axis=1)
   min_value=tf.math.reduce_min(X r[:,1])
   cd=tf.ones((5000,1),dtype=DTYPE)*min_value
   abcd=tf.concat([ab,cd],axis=1)
   u pred low = model(abcd)
   eqn1=(1.51+((u pred low/0.09)*u pred low))/0.1
   loss += tf.reduce mean(tf.square((u data[1] - u pred low)-eqn1))
   ab=tf.expand dims(X r[:,0],axis=1)
    max value=tf.math.reduce max(X r[:,1])
   cd=tf.ones((5000,1),dtype=DTYPE)*max_value
   abcd=tf.concat([ab,cd],axis=1)
   u_pred_high = model(abcd)
   eqn1=(0.01+((u pred low/0.09)*u pred high))/0.1
   loss += tf.reduce_mean(tf.square((u_data[1] - u_pred_high)-eqn1))
   u pred = model(X_data[0])
   loss += tf.reduce mean(tf.square(u data[0] - u pred))
   return loss
# Function to compute gradients
def get grad(model, X r, X data, u data):
   with tf.GradientTape(persistent=True) as tape:
        tape.watch(model.trainable variables)
       loss = compute_loss(model, X_r, X_data, u_data)
   g = tape.gradient(loss, model.trainable_variables)
   del tape
   return loss, g
```

#### Loss function

## **RESULT AND CONCLUSION**

```
It 18200: loss = 2.28068680e+02
It 18250: loss = 2.28053146e+02
It 18300: loss = 2.28084946e+02
It 18350: loss = 2.28052551e+02
It 18400: loss = 2.28087891e+02
It 18450: loss = 2.28052963e+02
It 18500: loss = 2.28090027e+02
It 18550: loss = 2.28052551e+02
It 18600: loss = 2.28051758e+02
It 18650: loss = 2.28054123e+02
It 18700: loss = 2.28050720e+02
It 18750: loss = 2.28051727e+02
It 18800: loss = 2.28050461e+02
It 18850: loss = 2.28095093e+02
It 18900: loss = 2.28050079e+02
It 18950: loss = 2.28078537e+02
It 19000: loss = 2.28051743e+02
It 19050: loss = 2.28049500e+02
It 19100: loss = 2.28049210e+02
It 19150: loss = 2.28049896e+02
It 19200: loss = 2.28048813e+02
It 19250: loss = 2.28080368e+02
It 19300: loss = 2.28048508e+02
It 19350: loss = 2.28054871e+02
It 19400: loss = 2.28049057e+02
It 19450: loss = 2.28055161e+02
It 19500: loss = 2.28048599e+02
It 19550: loss = 2.28047241e+02
It 19600: loss = 2.28053116e+02
It 19650: loss = 2.28047073e+02
It 19700: loss = 2.28073334e+02
It 19750: loss = 2.28047745e+02
It 19800: loss = 2.28046295e+02
It 19850: loss = 2.28053238e+02
It 19900: loss = 2.28046371e+02
It 19950: loss = 2.28045761e+02
It 20000: loss = 2.28054932e+02
```

#### Solution of Burgers equation



SINCE THE ERROR WAS TOO HIGH IT MEANS BOUNDARY CONTROL WAS NOT IMPLEMENTED PROPERLY. IN FUTURE WE WILL TRY TO REDUCE ERROR USING SOME OTHER LOSS FUNCTION AND OPTIMISER