# 数据结构代码题

来源: b 站 我头发还多还能学

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github: <a href="https://github.com/Petrichor-yin/DS-code/tree/master">https://github.com/Petrichor-yin/DS-code/tree/master</a>

本资料及配套视频已申请个人专利,未经本人允许传播或倒卖资料者,将依法追究其法律责任

```
顺序表默认结构体:
typedef struct{
 int data[maxsize];
 int length;
} Sqlist;
1、顺序表递增有序,插入元素 x,仍递增有序
int find(Sqlist L, int x){
 int i = 0;
 for (; i < L.length; ++i)
   if (x < L.data[i])
     break:
 return i;
void insert(Sqlist &L, int x){
 int j, p;
 p = find(L, x);
 for (j = L.length - 1; j >= p; --j)
   L.data[j + 1] = L.data[j];
 L.data[p] = x;
 ++(L.length); //别遗漏
```

```
2、用顺序表最后一个元素覆盖整个顺序表中最
小元素, 并返回该最小元素
int Del_Min(Sqlist &L){
 int min = L.data[0];
 int pos = 0;
 for (int i = 0; i < L.length; ++i)
   if (L.data[i] < min){
     min = L.data[i];
     pos = i;
 L.data[pos] = L.data[L.length - 1];
 L.length--;
 return min;
3、将顺序表中的元素逆置
void Reverse(Sqlist &L){
 int temp, i=0, j = L.length -1;
 for (; i < L.length / 2; ++i, --j){
   temp = L.data[i];
   L.data[i] = L.data[i];
   L.data[j] = temp;
```

```
4、将 (a1,a2,a3······am,b1,b2,·····bn) 转换成
( b1,b2,.....bn,a1,a2,a3,.....am )
void Reverse(int A[], int m, int n){
  int mid = (m + n) / 2;
  for (int i = m, j = 0; i \le mid; ++i, ++j){
    int temp = A[i];
    A[i] = A[n - j];
    A[n - j] = temp;
void change(int A[], int m, int n){
  Reverse(A, 0, m + n - 1);
  Reverse(A, 0, n - 1);
  Reverse(A, n, m + n - 1);
```

#### 5、删除顺序表中所有值为 x 的元素(两种方法)

```
法一:
void del(Sqlist &L, int x){
  int k = 0;
  for (int i = 0; i \le L.length - 1; ++i)
    if (L.data[i] != x)
      L.data[k] = L.data[i];
      ++k;
  L.length = k;
法二:
void Del(Sqlist &L, int x){
  int k = 0:
  for (int i = 0; i \le L.length - 1; ++i){
    if (L.data[i] == x)
      ++k;
    else
      L.data[i - k] = L.data[i];
  L.length = L.length - k;
```

# 6、从顺序表中删除给定值在 s 到 t 之间 (包含 s 和 t) 的所有元素

```
bool del(Sqlist &L, int s, int t){
  int i, k = 0;
  if (L.length == 0 || s >= t)
    return false;
  for (i = 0; i < L.length; ++i){
    if (L.data[i] >= s && L.data[i] <= t)
        ++k;
    else
        L.data[i - k] = L.data[i];
  }
  L.length -= k;
  return true;
}</pre>
```

#### 7、从有序表中删除所有值重复的元素

```
bool del(Sqlist &L){
  int i, j;
  for (i = 0, j = 1; j < L.length; ++j)
    if (L.data[i] != L.data[j])
       L.data[++i] = L.data[j];
  L.length = i + 1;
  return true;</pre>
```

#### 8、两个递增有序表合并成一个递增有序表

```
bool merge(Sqlist A, Sqlist B, Sqlist &C){
  int i = 0, j = 0, k = 0;
  while (i < A.length && j < B.length){
    if (A.data[i] < B.data[j])
        C.data[k++] = A.data[i++];
  else
        C.data[k++] = B.data[j++];
}
  while (i < A.length)
        C.data[k++] = A.data[i++];
  while (j < B.length)
        C.data[k++] = B.data[j++];
        C.length = k;
  return true;
}</pre>
```

#### 9、求两个递增序列合并后的中位数(两种方法)

```
法一:
int Find(Sqlist &A, Sqlist &B)
  int i, j, k;
  i = j = k = 0;
  Salist C;
  while (i < A.length && j < B.length)
    if (A.data[i] < B.data[j])
      C.data[k++] = A.data[i++];
    else
      C.data[k++] = B.data[j++];
  while (i < A.length)
    C.data[k++] = A.data[i++];
  while (j < B.length)
    C.data[k++] = B.data[j++];
  return C.data[(A.length+B.length-1)/2];
```

#### 法二:

```
int find(Sqlist &A, Sqlist &B){
  int a0 = 0, b0 = 0, am, bm;
  int an = A.length - 1, bn = B.length - 1;
  while (a0 != an || b0 != bn)
    am = (a0 + an) / 2;
    bm = (b0 + bn) / 2;
    if (A.data[am] == B.data[bm])
      return A.data[am];
    else if (A.data[am] < B.data[bm]){
      a0 = a0 + bn - bm;
      bn = bm:
    else{
      b0 = b0 + an - am:
      an = am;
  if (A.data[a0] > B.data[b0])
   return B.data[b0];
  else
    return A.data[a0];
```

#### 10、设计一个时间上尽可能高效的算法,找出数 组中未出现的最小正整数

```
int find(int A[], int n){
  int i;
  int *B = new int[n];
  for (int k = 0; k < n; ++k)
    B[k] = 0;
  for (i = 0; i < n; ++i)
    if (A[i] > 0 && A[i] <= n)
      B[A[i] - 1] = 1;
  for (i = 0; i < n; ++i)
    if (B[i] == 0)
      break:
  delete[] B;
  return i + 1;
```

```
11、若一个整数序列中有过半相同元素,则称其
为主元素,设计算法找出数组 A(a0,a1……
an-1)的主元素。(其中 0<ai<n) 若存在主元
素则输出,否则返回-1
int fun(int A[], int n){
 int *B = new int[n]:
 for (int i = 0; i < n; ++i)
   B[i] = 0;
 int i, k, max = 0;
 for (i = 0; i < n; ++i)
   if (A[i] > 0 && A[i] <= n)
     B[A[i] - 1] + +;
 for (i = 0; i < n; ++i)
   if (B[i] > max)
     max = B[i]:
     k = i:
 delete[] B;
 if (max > n / 2)
   return k + 1:
 else
   return -1;
```

```
单链表默认结构体:
typedef struct LNode
 int data;
 struct LNode *next;
} LNode, *Linklist;
1、设计一个递归算法,删除不带头节点的单链
表L中所有值为x的结点
void del_x(LNode *&L, int x){
 LNode *p:
 if (L == NULL)
   return;
 if (L->data == x)
   p = L;
   L = L - \text{next}:
   free(p);
   del_x(L, x);
 else
   del_x(L->next, x);
```

```
2、删除带头节点单链表中所有值为 x 的结点
void del(LNode *&L, int x){
  LNode *p = L->next, *pre = L, *q;
  while (p != NULL){
    if (p->data == x)
      q = p;
      pre->next = p->next;
      p = p - next;
      free(q);
    else{
      pre = p;
      p = p - next;
}//法一
void Del(LNode *&L, int x){
  LNode *p = L;
  while (p->next != NULL){
    if (p\rightarrow next\rightarrow data == x)
      LNode *q = p->next;
      p->next = q->next;
      free(q);
    else
      p = p - next;
}//法二
```

```
3、删除带头节点单链表中第一个值为 x 的结点
int finddelete(LNode *&C, int x){
 LNode *p, *q;
 p = C;
 while (p->next != NULL){
   if (p\rightarrow next\rightarrow data == x)
     break:
   p = p - next;
 if (p->next == NULL)
   return 0:
 else{
   q = p - next;
   p->next = q->next;
   free(q);
   return 1;
4、从尾到头反向输出单链表每个结点的值
void print(LNode *L)
 if (L->next != NULL)
    print(L->next);
 cout << L->data << "
```

```
5、试编写算法将单链表就地逆置
void reverse(LNode *&L){
  LNode *p = L->next, *r;
  L->next = NULL;
  while (p != NULL){
   r = p \rightarrow next;
   p->next = L->next;
   L->next = p;
    p = r;
}//法一
void Reverse(LNode *&L){
  LNode *p = L->next, *r = p->next;
 LNode *pre:
  p->next = NULL;
  while (r != NULL)
   pre = p;
   p = r;
   r = r - next;
    p->next = pre;
  L->next = p;
}//法二
```

```
6、从链表中删除给定值在 s 到 t 之间 (不包含 s
和 t) 的所有元素
void del(LNode *&L, int min, int max){
 LNode *p = L;
 while (p->next != NULL){
   if (p->next->data > min
          && p->next->data < max){
     LNode *u = p - next;
     p->next = u->next;
     free(u):
   else
     p = p - next;
7、试编写在带头结点的单链表 L 中删除最小值
点的高效算法 (已知最小值唯一)
void del_min(LNode *&L){
 LNode *p = L->next;
  LNode *minp = L;
  while (p->next != NULL){
   if (p->next->data <minp->next->data)
     minp = p;
   p = p - next;
 LNode *u= minp->next;
 minp->next = u->next;
 free(u);
```

# 8、试编写在不带头结点的单链表 L 中删除最小值点的高效算法 (已知最小值唯一)

```
void del_min(LNode *&L){
 LNode *minp = L;
 LNode *p = L - next;
 while (p != NULL){
    if (p->data < minp->data)
     minp = p;
    p = p - next;
 if (L == minp){
   L = L - next:
   free(minp);
    return;
 p = L:
 while (p->next != minp)
    p = p - next;
  p->next = minp->next;
 free(minp);
```

# 9、给定一个单链表,按递增排序输出的单链表中各结点的数据元素,并释放节点所占空间

```
P各结点的数据元素,开释放节点所占空间
void del_min(LNode *&head){
  while (head->next != NULL){
    LNode *pre = head;
    LNode *p = head->next;
  while (p->next != NULL){
    if (p->next->data< pre->next->data)
        pre = p;
    p = p->next;
  }
  cout << pre->next->data << " ";
  LNode *u = pre->next;
  pre->next = u->next;
  free(u);
}
free(head);
```

10、将一个带头节点的单链表 A 分解成两个带头节点的单链表 A 和 B, 使 A 中含奇数位置元素, B 中含偶数位置元素, 且相对位置不变

```
Linklist create(LNode *&A){
  LNode *B = new LNode;
  B->next = NULL:
  LNode *ra = A, *rb = B, *p = A->next;
A \rightarrow next = NULL;
  while (p != NULL){
    ra > next = p;
    ra = p;
    p = p - next;
    rb > next = p;
    rb = p;
    if (p != NULL)
      p = p - next
  ra->next = NULL;
  return B;
```

```
11、将一个单链表{a1,b1,a2,b2······an,bn}拆分成
{ a1,a2·····an }和{ bn,bn-1,·····b1 }
Linklist create(LNode *&A){
  LNode *B = new LNode;
  B \rightarrow next = NULL;
  LNode *ra = A, *p = A->next, *q;
  A \rightarrow next = NULL;
  while (p != NULL){
    ra > next = p;
    ra = p;
    p = p - next;
    q = p;
    if (q == NULL)
      break;
    p = p - next;
    q \rightarrow next = B \rightarrow next;
    B \rightarrow next = q;
  ra->next = NULL;
  return B;
```

#### 12、删除递增链表中重复的元素

```
void del(LNode *&L){
    LNode *p = L->next;
    LNode *q;
    if (p == NULL)
        return;
    while (p->next != NULL){
        q = p->next;
        if (p->data == q->data){
            p->next = q->next;
            free(q);
        }
        else
            p = p->next;
}
```

# 13、两个递增有序的单链表,设计算法成一个非递减有序的链表

```
void fun(LNode *&A, LNode *&B){
  LNode *p = A - next, *q = B - next;
  A \rightarrow next = NULL; B \rightarrow next = NULL;
  LNode *ra = A;
  while (p != NULL && q != NULL){
    if (p->data <= q->data)
      ra > next = p;
      p = p - next;
      ra = ra - next;
    else{
      ra - next = q;
      q = q - next;
      ra = ra - next;
  if (p != NULL)
    ra > next = p;
  if (q!= NULL)
    ra > next = q;
```

### 14、两个递增有序的单链表,设计算法成一个非递增有序的链表

```
void fun(LNode *&A, LNode *&B){
  LNode *p = A->next, *q = B->next, *s;
  A->next = NULL; B->next = NULL;
  while (p != NULL && q != NULL){
    if (p->data <= q->data)
       s = p; p = p - next;
       s \rightarrow next = A \rightarrow next;
      A \rightarrow next = s:
    else{
       s = q; q = q - next;
       s \rightarrow next = A \rightarrow next;
       A \rightarrow next = s:
  while (p != NULL){
    s = p; p = p - next;
    s->next = A->next;
    A \rightarrow next = s;
  while (q != NULL){
    s = q; q = q->next;
    s->next = A->next;
    A \rightarrow next = s;
```

# 15、A,B两个单链表递增有序,从A,B中找出公共元素产生单链表C,要求不破环A,B结点Linklist common(LNode \*A,LNode \*B)

```
Linklist common(LNode *A, LNode *B){
  LNode *p = A - next;
  LNode *q = B \rightarrow next;
  LNode *C = new LNode:
  LNode *r = C, *s;
  while (p != NULL && q != NULL){
    if (p->data < q->data)
      p = p - next;
    else if (p->data > q->data)
      q = q \rightarrow next;
    else{
      s = new LNode;
      s->data = p->data;
      r \rightarrow next = s;
      r = s;
      p = p - next;
      q = q - next;
  r->next = NULL;
  return C;
```

# 16、A, B 两个单链表递增有序, 从 A, B 中找出公共元素并存放于 A 链表中

```
void Union(LNode *&A, LNode *&B){
 LNode *p = A->next, *q = B->next;
 LNode *ra = A, *u;
 while (p != NULL && q != NULL){
   if (p->data < q->data)
     u = p; p = p - next; free(u);
   else if (p->data > q->data)
     u = q; q = q->next; free(u);
   else{
     ra > next = p; ra = p;
      p = p - next; u = q;
      q = q - next; free(u);
  while (p != NULL){
   u = p; p = p - next; free(u);
 while (q != NULL){
   u = q; q = q->next; free(u);
 ra->next = NULL;
 free(q);
```

# 17、两个序列分别为 A、B, 将其存放到链表中, 判断 B 是否是 A 的连续子序列

```
int seq(LNode *A, LNode *B){
 LNode *p = A \rightarrow next;
 LNode *pre = p;
 LNode *q = B - next;
 while (p != NULL && q != NULL){
    if (p->data == q->data)
      p = p - next;
      q = q - next;
    else{
      pre = pre->next;
      p = pre;
      q = B - next;
 if (q == NULL)
    return 1;
  else
    return 0;
```

# 18、查找单链表中倒数第 k 个结点, 若成功,则输出该节点的 data, 并返回 1, 否则返回 0 //法一标准解

```
int find(LNode *head, int k){
 LNode *q = head->next;
  LNode *p = head;
 int i = 1;
  while (q->next != NULL){
    q = q - next;
   ++i;
   if (i \ge k)
      p = p - next;
  if (p == head)
   return 0;
  else
   cout << p->data;
   return 1;
```

```
//法二暴力解
int len(LNode *L){
  LNode *p = L - next;
  int n = 0;
  while (p != NULL){
    p = p - next;
    ++n;
  return n;
int Find(LNode *L, int k){
  int i = 0, m;
  m = len(L) - k + 1;
  if (m \le 0)
    return 0;
  while (i < m)
    L = L - \text{next};
  cout << L->data;
  return 1;
```

19、用单链表保存 m 个整数,并且|data|≤n,要求设计时间复杂度尽可能高效的算法,对于data 绝对值相等的点,仅保留第一次出现的点void fun(LNode \*&head, int n){

```
LNode *p = head;
LNode *r:
int *q = new int[n + 1];
int m:
for (int i = 0; i < n + 1; ++i)
  q[i] = 0;
while (p->next != NULL){
  if (p->next->data > 0)
    m = p - next - data;
  else
    m = -p > next > data;
  if (q[m] == 0)
    q[m] = 1:
    p = p - next;
  else{
    r = p \rightarrow next;
    p->next = r->next;
    free(r);
free(q);
```

```
20、判断带头结点的循环双链表是否对称 int fun(DNode *L){
```

```
DNode *p = L->next;
DNode *q = L->prior;
while (p != q && q->next != p)
  if (p->data == q->data){
    p = p->next;
    q = q->prior;
  }
  else
    return 0;
return 1;
```

21、有两个循环单链表,链表头指针分别为 h1,h2,试编写函数将 h2 链表接到 h1 之后,要求 链接后仍保持循环链表形式

```
void link(LNode *&h1, LNode *&h2){
   LNode *p, *q;
   p = h1, q = h2;
   while (p->next != h1)
      p = p->next;
   while (q->next != h2)
      q = q->next;
   p->next = h2;
   q->next = h1;
```

22、设有一个带头结点的循环单链表,其结点值 为正整数,设计算法反复找出链表内最小值并不 断输出,并将结点从链表中删除,直到链表为空, 再删除表头结点

```
void del(LNode *&L){
 LNode *p, *minp, *u;
  while (L->next != L)
    p = L - next;
    minp = L;
    while (p\rightarrow next != L)
     if(p->next->data<minp->next->data)
        minp = p;
     p = p - next;
    cout << minp->next->data << endl;
    u = minp - next;
    minp->next = u->next;
    free(u);
  free(L);
```

```
23、判断单链表是否有环
int findloop(LNode *L){
  LNode *fast = L, *slow = L;
  while (fast && fast->next){
    slow = slow->next:
    fast = fast->next->next:
    if (slow == fast)
      return 1;
  return 0:
24、给定一个单链表 L(a1, a2, a2, ..., an),将其重新
排列为(a<sub>1</sub>, a<sub>n</sub>, a<sub>2</sub>, a<sub>n-1</sub>,...)
Linklist divrev(LNode *&L){
  LNode *p = L, *q = L;
  while (q != NULL && q->next != NULL){
    p = p - next;
    q = q - next - next;
  LNode *L1 = new LNode;
  L1->next = p->next;
  p->next = NULL;
  LNode *p1 = L1->next, *r;
  L1->next = NULL;
```

```
while (p1 != NULL){
    r = p1 - next;
    p1->next = L1->next;
    L1->next = p1;
    p1 = r;
  return L1;
void merge(LNode *&L)
  LNode *r, *s;
  LNode *L1 = divrev(L):
  LNode *p = L->next, *q = L1->next;
  L1->next = NULL;
  while (q != NULL)
    r = p - next;
    s = q \rightarrow next;
    p->next = q;
    q \rightarrow next = r;
    p = r;
    q = s;
```

```
栈的结构体:
typedef struct
 char data[maxsize];
 int top;
} stack;
队列的结构体
typedef struct
 int data[maxsize];
 int front, rear;
} queue;
1、Q是一个队列, S是一个空栈, 编写
得队列中元素逆置
void reverse(stack &s, queue &q)
  while (q.front != q.rear)
   push(s, dequeue(q));
 while (s.top !=-1)
   enqueue(q, pop(s));
```

#### 2、判断单链表的全部 n 个字符是否中心对称 int fun(LNode \*L){ int n = 0, j; stack s; Init(s); LNode \*p = L->next; while (p != NULL){ ++n;p = p - next;p = L - next;for (j = 0; j < n / 2; ++j){ push(s, p->data); p = p->next;if (n % 2 != 0) p = p - next;while (p != NULL){ if (pop(s) == p->data)p = p - next;else return 0;

return 1;

```
3、两个栈 s1,s2 都采用顺序存储, 并共享一个
存储区[0,...,maxsize-1]。采用栈顶相向,迎面增
长的存储方式,设计 s1,s2 入栈和出栈的操作。
bool push(stack &s, int i, int x){
 if (i < 0 || i > 1)
   return false;
 if (s.top[1] - s.top[0] == 1)
   return false;
 switch (i){
 case 0:
   s.data[++s.top[0]] = x; break;
 case 1:
   s.data[--s.top[1]] = x; break;
 return true;
```

```
int pop(stack &s, int i){
  if (i < 0 || i > 1)
    return -1;
  switch (i){
  case 0:
    if (s.top[0] == -1)
      return -1;
    else
      return s.data[s.top[0]--];
    break:
  case 1:
    if (s.top[1] == maxsize)
      return -1;
    else
      return s.data[s.top[1]++];
    break;
  return 0
```

#### 4、判断一个表达式中括号是否配对(假设只包含 圆括号)

```
bool fun(stack &s, string str){
  int i = 0;
  while (str[i] != '\0')
    switch (str[i]){
    case '(':
      push(s, '('); break;
    case ')':
      if (pop(s) != '(')
        return false;
      break;
    ++i;
  if (s.top == -1)
    return true;
  else
    return false;
```

#### 5、假设一个序列为 HSSHHHS, 运用栈的知识, 编写算法将 S 全部提到 H 之前,即为 SSSHHHH

```
void fun(string S){
  stack s;
  Init(s);
  string newS = "";
  int i = 0, j = 0;
  while (S[i] != '\0')
    if (S[i] == 'H')
      push(s, S[i++]);
    else
      newS[j++] = S[i++];
  while (s.top != -1)
    newS[j++] = pop(s);
  i = 0;
  while (newS[i] != '\0')
    cout << newS[i++];
```

#### 6、利用一个栈实现以下递归函数的非递归计算

```
n=0
P_n(x)
                                     n=1
          2xP_{n-1}(x)-2(n-1)P_{n-2}(x)
                                     n>1
struct stack{
  int no;
  double val;
} st[maxsize];//结构体
double fun(int n, double x){
  int top = -1, i;
  double fv1 = 1, fv2 = 2 * x;
  for (i = n; i >= 2; i--)
    top++;
    st[top].no = i;
  while (top >= 0)
st[top].val=2*x*fv2-2*(st[top].no-1)*fv1;
    fv1 = fv2;
    fv2 = st[top].val;
    top--;
  if (n == 0)
    return fv1;
  return fv2;
```

```
7、KMP 算法
void Next(char pattern[], int next[], int n){
  next[0] = 0;
  int i = 1, len = 0;
  while (i < n)
    if (pattern[i] == pattern[len])
      next[i++] = ++len;
    else{
      if (pattern[i] == pattern[0]){
        next[i++] = 1;
        len = 1:
      else{
        next[i++] = 0;
        len = 0:
  for (int j = n - 1; j > 0; --j)
    next[j] = next[j - 1];
  next[0] = -1;
```

```
void kmp(char pattern[], char test[]){
  int n = len(pattern);
  int m = len(test);
  int *next = new int[n];
  get_next(pattern, next, n);
  int i = 0, j = 0;
  while (i < m)
    if (j == n - 1 \&\& test[i] == pattern[j])
      cout << "匹配成功!,位置为: ";
      cout << i - j << endl;
      return;
    if (test[i] != pattern[j]){
      j = next[j];
      if (i!=-1)
        continue;
    ++i;
    ++j;
  cout << "匹配失败" << endl;
```

```
树的结构体:
typedef struct BTNode
  char data;
  struct BTNode *lchild, *rchild;
} BTNode, *BiTree;
1、计算二叉树中所有结点个数
法一:
int count(BTNode *p){
  int n1, n2;
  if (p == NULL)
   return 0;
  else{
   n1 = count(p->lchild)
   n2 = count(p->rchild);
   return n1 + n2 + 1;
void count2(BTNode *p, int &n){
  if (p != NULL)
   ++n;
   count2(p->lchild, n);
   count2(p->rchild, n);
```

#### 2、计算二叉树中所有叶子节点的个数 法一: int count(BTNode \*p){ int n1, n2; if (p == NULL)return 0; if(!p->lchild&& !p->rchild) return 1; else{ n1 = count(p->lchild);n2 = count(p->rchild);return n1 + n2; 法二: void count2(BTNode \*p, int &n){ if (p != NULL)if(p->lchild==NULL&& p->rchild==NULL) ++n; count2(p->lchild, n); count2(p->rchild, n);

```
3、计算二叉树中所有双分支的节点个数
int count(BTNode *p){
 int n1, n2;
  if (p == NULL)
   return 0;
  if (p->lchild && p->rchild){
   n1 = count(p->lchild);
   n2 = count(p->rchild);
   return n1 + n2 + 1;
  else{
   n1 = count(p->lchild);
   n2 = count(p->rchild);
   return n1 + n2;
```

```
4、计算二叉树的深度
法一:
int getDepth(BTNode *p){
  int LD, RD;
  if (p == NULL)
    return 0;
  else{
    LD = getDepth(p->lchild);
    RD = getDepth(p->rchild);
    return (LD > RD ? LD : RD) + 1;
法二:
void getDepth2(BTNode *p, int &n, int
&max){
  if (p != NULL){
    ++n;
    if (n \ge max)
      \max = n;
    getDepth2(p->lchild, n, max);
    getDepth2(p->rchild, n, max);
    --n;
```

```
5、(a-(b+c))*(d/e)存储在二叉树,遍历求值
int comp(BTNode *p){
 int A, B;
 if (p == NULL)
   return 0;
 if (p != NULL)
   if(p->lchild&&p->rchild){
     A = comp(p->lchild);
     B = comp(p->rchild);
     return op(A, B, p->data);
   else
     return p->data - '0';
 return -100:
6、找出二叉树中最大值的点
void Max ( BTNode *p, int &max ){
 if ( p !=NULL ){
   if (p->data>max)
     max=p->data;
   Max (p->lchild, max);
   Max (p->rchild, max);
```

```
7、判断两个二叉树是否相似(指都为空或者都
只有一个根节点,或者左右子树都相似)
int fun(BTNode *T1, BTNode *T2){
 int left, right;
 if (T1 == NULL && T2 == NULL)
   return 1:
 if (T1 == NULL || T2 == NULL)
   return 0:
 else{
   left = fun(T1->lchild, T2->lchild);
   right = fun(T1->rchild, T2->rchild);
   return left && right;
8、把二叉树所有节点左右子树交换
void swap(BTNode *p){
 if (p != NULL){
   swap(p->lchild);
   swap(p->rchild);
    BTNode *temp = p->lchild;
    p->lchild = p->rchild;
   p->rchild = temp;
```

```
9、查找二叉树中 data 域等于 key 的结点是否存
在, 若存在, 将 q 指向它, 否则 q 为空
void fun(BTNode *p,BTNode *&q,int key)
 if (p != NULL)
   if (p->data == key)
     q = p;
   else{
     fun(p->lchild, q, key);
     fun(p->rchild, q, key);
10、输出先序遍历第 k 个结点的值
void trave(BTNode *p, int k, int &n){
 if (p != NULL)
   ++n;
   if (k == n)
     cout << p->data;
     return;
   trave(p->lchild, k, n);
   trave(p->rchild, k, n);
```

```
11、求二叉树中值为 x 的层号
void fun(BTNode *p, char x, int L){
 if (p != NULL){
   if (p->data == x)
     cout << "所在层数为:" << L;
   fun(p->lchild, x, L+1);
   fun(p->rchild, x, L + 1);
}//或者不用 L 传参,使用++L, --L
12、树中元素为 x 的结点, 删除以它为根的子树
void del(BTNode *&bt, char key){
 if (bt != NULL){
   if (bt->data == key){
     bt = NULL:
     return;
   del(bt->lchild, key);
   del(bt->rchild, key);
   return;
```

#### 防盗版标记





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```
13、利用结点的右孩子指针将一个二叉树的叶子
节点从左向右连接成一个单链表(head 指向第
一个, tail 指向最后一个)
void link(BTNode *p, BTNode *&head,
BTNode *&tail){
 if (p!= NULL){
   if (!p->lchild && !p->rchild){
     if (head == NULL){
       head = p;
       tail = p;
     else{
       tail->rchild = p;
       tail = p;
   link(p->lchild, head, tail);
   link(p->rchild, head, tail);
```

```
14、输出根节点到每个叶子结点的路径
void allpath(BTNode *p, char pathstack[], int top){
 if (p != NULL)
   pathstack[top] = p->data;
   if (!p->lchild && !p->rchild)
     for (int i = 0; i <= top; ++i)
       cout << pathstack[i] << " ":
   cout << endl;
   allpath(p->lchild, pathstack, top + 1);
   allpath(p->rchild, pathstack, top + 1);
15、已知满二叉树先序序列存在于数组中,设计算法将其变成后序序列
void change(char pre[],int L1,int R1,char post[],int L2,int R2){
 if (L1 <= R1)
   post[R2] = pre[L1];
   change(pre, L1+1, (L1+R1+1)/2, post, L2, (L2+R2-1)/2);
   change(pre,(L1+R1+1)/2+1,R1,post,(L2+R2-1)/2+1,R2-1);
```

```
16、先序与中序遍历分别存在两个一维数组 A, B 中, 试着建立二叉链
表
BiTree create(char A[], char B[], int L1, int R1, int L2, int R2){
  BTNode *root = new BTNode; root->data = A[L1]; int i;
  for (i = L2; B[i] != root-> data; i++);
 if (i > L2)
   root->lchild = create(A, B, L1 + 1, i - L2 + L1, L2, i - 1):
  else
   root->lchild = NULL;
 if (i < R2)
   root->rchild = create(A, B, i - L2 + L1 + 1, R1, i + 1, R2);
  else
   root->rchild = NULL;
  return root;
17、二叉树以顺序方式存在于数组 A 的中,设计算法以二叉链表表示
BiTree create(char A[], int i, int n){
 if (i < n)
   BTNode *t = new BTNode; t->data = A[i];
   t->lchild = create(A, 2 * i + 1, n);
   t->rchild = create(A, 2 * i + 2, n);
   return t;
  return NULL:
```

```
18、增加一个指向双亲节点的 parent 指针,
输出所有节点到根节点的路径
typedef struct BTNode{
  char data;
  struct BTNode *Ichild, *rchild, *parent;
} BTNode, *BiTree;
void fun ( BTNode *p, BTNode *q ){
  if ( p !=NULL ){
    p->parent=q;
    q=p;
    fun (p->lchild, q);
    fun (p->rchild, q);
void printpath(BTNode *p){
  while (p != NULL){
    cout << p->data << " ";
    p = p->parent;
void allpath(BTNode *p){
  if (p != NULL){
    printpath(p);
    allpath(p->lchild);
    allpath(p->rchild);
```

```
19、先序非递归遍历二叉树
法一:
void Nonpre(BTNode *bt){
  BTNode *Stack[maxsize];
  int top = -1;
  if (bt != NULL){
    Stack[++top] = bt;
    while (top != -1)
     bt = Stack[top--];
     cout << bt->data;
     if (bt->rchild != NULL)
        Stack[++top] = bt->rchild;
     if (bt->lchild != NULL)
        Stack[++top] = bt->lchild;
```

```
法二:
void Nonpre2(BTNode *bt){
BTNode *Stack[maxsize];
int top = -1;
while (bt || top != -1){
if (bt != NULL){
   cout << bt->data;
   Stack[++top] = bt;
   bt = bt->lchild;
}
else{
   bt = Stack[top--];
   bt = bt->rchild;
}
```

# 20、中序非递归遍历二叉树 void Nonin(BTNode \*bt){ BTNode \*Stack[maxsize]; int top = -1; while (top != -1 || bt){ if (bt != NULL){ Stack[++top] = bt; bt = bt->lchild; } else{ bt = Stack[top--]; cout << bt->data << " "; bt = bt->rchild; } } }

```
21、后序非递归遍历二叉树
法一:
void Nonpost(BTNode *bt){
  BTNode *St[maxsize], *tag = NULL;
  int top = -1:
  while (bt || top != -1)
    if (bt != NULL){
      St[++top] = bt;
      bt = bt->lchild;
    else{
      bt = St[top];
      if (bt->rchild && bt->rchild != tag)
        bt = bt->rchild;
      else{
        bt = St[top--];
        cout << bt->data << "
        tag = bt;
        bt = NULL;
```

```
法二:
void Nonpost2(BTNode *bt){
  if (bt != NULL){
    BTNode *Stack1[maxsize];
    BTNode *Stack2[maxsize]:
   int top1 = -1, top2 = -1;
    Stack1[++top1] = bt;
    while (top1 != -1){
      bt = Stack1[top1--];
      Stack2[++top2] = bt;
     if (bt->lchild != NULL)
        Stack1[++top1] = bt->lchild;
     if (bt->rchild != NULL)
        Stack1[++top1] = bt->rchild;
    while (top2 != -1)
      bt = Stack2[top2--];
      cout << bt->data << " ";
```

# 22、在二叉树中查找值为 x 的结点, 打印出值 为 x 的所有祖先

```
void Nonpost(BTNode *bt, char x){
  BTNode *St[maxsize], *tag = NULL;
 int top = -1:
 while (bt || top !=-1){
    if (bt != NULL){
      St[++top] = bt;
      bt = bt->lchild;
    else{
      bt = Stack[top];
      if (bt->rchild && bt->rchild != tag)
        bt = bt->rchild;
      else{
        bt = St[top--];
        if (bt->data == x)
          while (top != -1)
            cout << St[top--]->data;
        tag = bt;
        bt = NULL;
```

```
23、找到 p 和 q 最近公共祖先结点 r
BiTree Nonpost(BTNode *bt, BTNode *p,
BTNode *a){
  BTNode *St[maxsize], *tag = NULL;
  BTNode *s1[maxsize], *s2[maxsize];
  int top = -1, top1 = -1, top2 = -1;
  while (bt || top != -1)
    if (bt != NULL){
      St[++top] = bt;
      bt = bt->lchild;
    else{
      bt = St[top];
      if (bt->rchild && bt->rchild != tag)
        bt = bt->rchild;
      else{
        bt = St[top--];
        if (bt == p)
         int temp = top;
          while (temp !=-1)
            s1[++top1] = St[temp--];
        if (bt == q){
          int temp = top;
          while (temp !=-1)
            s2[++top2] = St[temp--];
```

```
tag = bt;
        bt = NULL:
      } //else
   } //else
  } //while
  for (int i = 0; i < top 1; ++i)
    for (int j = 0; j < top2; ++j)
      if (s1[i] == s2[j])
        return s1[i];
  return NULL;
24、层次遍历
void level(BTNode *p){
 int front = 0, rear = 0;
  BTNode *que[maxsize];
  if (p!= NULL){
    que[++rear] = p;
    while (front != rear){
      p = que[++front];
      cout << p->data << " ";
      if (p->lchild != NULL)
        que[++rear] = p->lchild;
      if (p->rchild != NULL)
        que[++rear] = p->rchild;
```

#### 25、试给出自下而上从右到左的层次遍历

```
void level(BTNode *p){
 BTNode *stack[maxsize]:
 int top = -1:
 int front = 0, rear = 0:
 BTNode *que[maxsize]:
 if (p != NULL)
    que[++rear] = p;
    while (front != rear){
      p = que[++front];
      stack[++top] = p;
      if (p->lchild != NULL)
        que[++rear] = p->lchild;
      if (p->rchild != NULL)
        que[++rear] = p->rchild;
 for (int i = top; i > -1; --i)
    cout << stack[i]->data << " ";
```

#### 26、求解二叉树的宽度 typedef struct{ BTNode \*p: int lno: } St[maxsize]: int width2(BTNode \*boot){ St que; int front = 0, rear = 0; int Lno, i = 1, max = 0; if (boot != NULL){ que[++rear].p = boot;que[rear].lno = 1;while (front != rear){ BTNode \*q = que[++front].p; Lno = que[front].lno; if (q->lchild != NULL){ que[++rear].p = q->lchild;que[rear].lno = Lno + 1;if (q->rchild != NULL){ que[++rear].p = q->rchild;que[rear].lno = Lno + 1;while (i <= rear){ int n = 0; int k = que[i].lno;while $(i \le x \& que[i].lno == k)$

```
++i;
        ++n:
      } //while
      if (n > max)
        max = n:
    } //while
 } //if
  return max:
}//法一
void LevelWidth(BiTree T, int a[], int h){
  if (T != NULL)
    a[h] += 1;
    LevelWidth(T->lchild, a, h + 1):
    LevelWidth(T->rchild, a, h + 1);
int width(BiTree T){
 int a[maxsize], h = 1;
  for (int i = 0; i \le maxsize; i++)
    a[i] = 0;
  LevelWidth(T, a, h);
  int wid = a[0];
  for (int i = 1; i \le maxsize; i++)
    if (a[i] > wid)
      wid = a[i];
  return wid;
} //法二
```

#### 27、用层次遍历求解二叉树的高度

```
int depth(BTNode *boot){
 if (boot == NULL)
    return 0:
 int front = 0, rear = 0:
 int last = 1, level = 0;
 BTNode *q[maxsize];
 q[++rear] = boot;
 BTNode *p;
 while (front < rear){
    p = q[++front];
    if (p->lchild)
      q[++rear] = p->lchild;
    if (p->rchild)
      q[++rear] = p->rchild;
    if (front == last){
      level++;
      last = rear;
 return level;
```

#### 28、判断二叉树是否为完全二叉树

```
bool fun(BTNode *p){
  BTNode *q[maxsize];
  int front = 0, rear = 0:
  if (p == NULL)
    return true:
  q[++rear] = p;
  while (front != rear){
    p = q[++front];
    if (p!= NULL){
      q[++rear] = p->lchild;
      q[++rear] = p->rchild;
    else
      while (front != rear){
        p = q[++front];
        if (p!= NULL)
          return false;
  return true;
```

#### 29、计算二叉树的带权路径长度(叶子节点)

```
int fun(BTNode *p){
 BTNode *que[maxsize];
 int front = 0, rear = 0;
 int wpl = 0, last = 1, deep = 0;
 que[++rear] = p;
 while (front != rear){
   p = que[++front];
   if (!p->lchild && !p->rchild)
      wpl += deep * (p-> data - '0');
   if (p->lchild != NULL)
      que[++rear] = p->lchild;
   if (p->rchild != NULL)
      que[++rear] = p->rchild;
   if (front == last){
      deep++;
     last = rear;
 return wpl;
}//法一
```

```
int fun2(BTNode *p. int deep){
  int A, B;
  if (p == NULL)
    return 0:
  if (!p->lchild && !p->rchild)
    return deep * (p->data - '0'):
  A = \text{fun2}(p\text{->lchild}, \text{deep} + 1):
  B = \text{fun2}(p \rightarrow \text{rchild}, \text{deep} + 1);
  return A + B;
}//法二
int fun3(BTNode *p, int deep){
  if (p == NULL)
    return 0;
  int A, B;
  if (!p->lchild && !p->rchild)
    return (p->data - '0') * deep;
  ++deep:
  A = \text{fun3}(p\text{->lchild, deep});
  B = \text{fun3}(p\text{->rchild, deep});
  --deep;
  return A + B;
}//法三
```

```
30、将给定的二叉树转化为等价的中缀表达式
(具体细节图在视频中会提到)
//法一
void fun(BTNode *p, int deep){
 if (p!= NULL)
   if ((p->lchild||p->rchild)&&deep>1)
     cout << "(";
   if (p->lchild != NULL)
     fun(p->lchild, deep + 1);
   cout << p->data;
   if (p->rchild != NULL)
     fun(p->rchild, deep + 1);
   if ((p->lchild||p->rchild)&&deep>1)
     cout << ")";
//法二,同样可以用++deep 和--deep,具体
细节见视频或者运行代码
```

```
31、建立中序线索二叉树
typedef struct TNode{
 char data:
 struct TNode *lchild, *rchild;
 int ltag = 0, rtag = 0;
} TNode, *iTree; //线索二叉树结构体
void InTh(TNode *&p,TNode *&pre){
 if (p != NULL)
   InTh(p->lchild, pre);
   if (p->lchild == NULL){
     p->lchild = pre;
     p->ltag = 1;
   if (pre && pre->rchild == NULL){
     pre->rchild = p;
     pre->rtag = 1;
   pre = p;
   InTh(p->rchild, pre);
```

#### 32、中序遍历线索二叉树 TNode \*First(TNode \*p){

```
rNode *First(TNode *p){
    while (p->ltag == 0)
        p = p->lchild;
    return p;
}

TNode *Next(TNode *p){
    if (p->rtag == 0)
        return First(p->rchild);
    else
        return p->rchild;
}

void In(TNode *p){
    TNode *q = First(p);
```

for (; q != NULL; q = Next(q))

cout << q->data << " ";

#### 33、先序建立二叉搜索树并先序遍历

```
void preTh(TNode *&p, TNode *&pre){
  if (p != NULL)
    if (p->lchild == NULL){
      p->lchild = pre; p->ltag = 1;
    if (pre && pre->rchild == NULL){
      pre->rchild = p; pre->rtag = 1;
    pre = p;
    if (p->ltag != 1)
      preTh(p->lchild, pre);
    if (p->rtag != 1)
      preTh(p->rchild, pre);
}//先序建立线索二叉树
TNode *Next(TNode *p){
  if (p->ltag != 1)
    return p->lchild;
  return p->rchild;
void qq(TNode *p){
  TNode *q = p;
  for (; q != NULL; q = Next(q))
    cout << q->data << " ";
}//先序遍历线索二叉树
```

# 34、寻找中序线索二叉树的前驱结点 TNode \*fun(TNode \*T, TNode \*p){ TNode \*q; if (p->rtag == 0) q = p->rchild; else if (p->ltag == 0) q = p->lchild; else if (p->lchild == NULL) q = NULL; else{ while (p->ltag == 1 && p->lchild) p = p->lchild;

else q = NULL; } return q;

if (p->ltag == 0)

 $q = p \rightarrow lchild;$ 

# 35、用孩子兄弟表示法求树所有叶子结点个数 int fun(BTNode \*p){ if (p == NULL) return 0; if (p->lchild == NULL) return fun(p->rchild) + 1; return fun(p->lchild)+fun(p->rchild); }

#### 36、用孩子兄弟表示法求树的高度

```
void fun(BTNode *T, int n, int &max){
  if (max < n)
    max = n;
  if (T->lchild != NULL)
    fun(T->lchild, n + 1, max);
  if (T->rchild != NULL)
    fun(T->rchild, n, max);
}
```

```
37、已知一棵树的层次序列和每个节点的度,
编写算法构造此树的孩子兄弟链表。
```

```
void create(CBNode *&T, char e[], int
degree[], int n){
  CBNode *p = new CBNode[maxsize];
  int i. i. d. k = 0:
  for (i = 0; i < n; ++i)
    p[i].data = e[i]:
    p[i].lchild = NULL;
    p[i].rchild = NULL;
  for (i = 0; i < n; ++i)
    d = degree[i];
    if(d)
      p[i].lchild = &p[++k];
      for (i = 2; i \le d; ++i)
        ++k:
        p[k - 1].rchild = &p[k];
  T = p;
```

```
1、顺序表递增有序,设计算法在最少的时间
内查找值为 x 的元素。若找到,则将其于后继
元素位置交换,否则按照递增顺序插入顺序表
void search(Salist &L. int x){
```

```
void search(Sqlist &L, int x){
 int low = 0, high = L.length - 1;
 int mid, temp, i;
 while (low <= high){
   mid = (low + high) / 2;
   if (L.data[mid] == x)
      break;
   else if (L.data[mid] > x)
     high = mid - 1;
   else
     low = mid + 1:
 if(L.data[mid]==x\&&mid!=L.length-1)
    temp = L.data[mid];
   L.data[mid] = L.data[mid + 1];
   L.data[mid + 1] = temp;
 if (low > high)
   for (i = L.length - 1; i > high; --i)
     L.data[i + 1] = L.data[i];
   L.data[i + 1] = x;
   L.length++;
```

### 2、找到单链表中值为 key 的元素,将其与前一个结点位置互换。

```
void fun(LNode *&L, int k){
  LNode *l = L:
  if (1->next->data == k)
    return:
  while (l->next->next)
    if (l->next->next->data != k)
      l = l - next;
    else
      break;
  if (l->next->next != NULL){
    LNode *p = l->next;
    LNode *q = p->next;
    p->next = q->next;
    l \rightarrow next = q;
    q \rightarrow next = p;
```

#### 3、在顺序表中二分查找值为 key 的元素 int bi(Sqlist L, int key, int low, int high){ if (low > high)return -1: int mid = (low + high) / 2: if (L.data[mid] < key) bi(L, key, mid + 1, high);else if (L.data[mid] > key) bi(L, key, low, mid - 1): else return mid + 1; }//法一,递归 int binsearch(Sqlist L, int key){ int low = 0, high = L.length - 1, mid; while $(low \le high)$ mid = (low + high) / 2;if (L.data[mid] == key)return mid + 1; else if (L.data[mid] < key) low = mid + 1;else high = mid - 1return -1; }//法二

```
4、判断给定二叉树是否是二叉(搜索)排序树
int pre = -INT_MAX:
int JudgeBST(BTNode *root){
 if (root == NULL)
   return 1:
 int a = JudgeBST(root->lchild);
 if (root->data \leq pre || a == 0)
   return 0;
 else
   pre = root->data;
 int b = JudgeBST(root->rchild);
 return b;
5、寻找二叉排序树中最大值和最小值
BiTree Min(BTNode *bt){
 while (bt->lchild != NULL)
   bt = bt->lchild;
 return bt;
BiTree Max(BTNode *bt){
 while (bt->rchild != NULL)
   bt = bt->rchild:
 return bt;
```

#### 6、设求出指定结点在给定二叉排序树的层次 int level(BTNode \*bt, char k){ int n = 1: BTNode \*t = bt: if (bt != NULL){ while (t->data != k)if (t->data < k)t = t->rchild; else $t = t \rightarrow lchild;$ ++n; return n; 7、输出二叉搜索树中所有值大于 key 的结点 void fun(BTNode \*T, char key){ if (T != NULL)if (T->lchild != NULL) fun(T->lchild, key); if (T->data >= kev)cout << T->data; if (T->rchild != NULL) fun(T->rchild, key);

```
8、判断一个二叉树是否为平衡二叉树
void fun(BTNode *bt, int &balance, int
&h){
  int bl = 0, br = 0, hl = 0, hr = 0;
  if (bt == NULL)
    h = 0:
    balance = 1:
  else if (!bt->lchild && !bt->rchild){
    h = 1;
    balance = 1;
  else{
    fun(bt->lchild, bl, hl);
    fun(bt->rchild, br, hr);
    h = (hl > hr?hl:hr) + 1; //不可去掉!
    if (abs(hl - hr) < 2)
     balance = bl && br;
    else
     balance = 0;
```

```
图的结构体
邻接表存储:
typedef struct ArcNode
 int adjvex; //边所指向节点的位置
 struct ArcNode *nextarc:
} ArcNode, *Node; //边结点结构体
typedef struct
 int data;
 ArcNode *firstarc;
} Vnode; //顶点结构体
typedef struct
 Vnode adjlist[maxsize];
 int numver, numedg;
} AGraph;
邻接矩阵存储:
typedef struct
 char verticle[maxsize];
 int Edge[maxsize][maxsize];
 int numver, numedg;
} mgraph;
```

#### 头插法建立图(邻接表结构体)

```
AGraph *aaaa(int v, int e){
 AGraph *G = new AGraph;
 G->numver = v:
 G->numedg = e:
 for (int i = 0; i < v; ++i)
    G->adilist[i].firstarc = NULL:
 for (int i = 0; i < e; ++i){
   int v1, v2;
   cin >> v1;
   cin >> v2;
   ArcNode *p = new ArcNode;
   p->adjvex = v2;
    p->nextarc = G->adjlist[v1].firstarc;
   G->adjlist[v1].firstarc = p;
   ArcNode *q = new ArcNode;
    q->adjvex = v1;
    q->nextarc = G->adjlist[v2].firstarc;
    G->adjlist[v2].firstarc = q;
 return G;
```

1、己知无向连通图 G 由顶点集 V 和边集 E 组成, |E|>0,当 G 中度为奇数的顶点个数为不大于 2 的偶数时, G 存在包含所有边且长度为|E|的路径(称为 EL 路径)。设图 G 采用邻接矩阵存储,设计算法判断图中是否存在 EL 路径,若存在返回 1,否则返回 0。

```
int IsExistEL(mgraph G){
  int degree, i, j, count = 0;
  for (i = 0; i < G.numver; ++i){
    degree = 0;
    for (j = 0; j < G.numver; ++j)
        degree += G.Edge[i][j];
    if (degree % 2 != 0)
        count++;
  }
  if (count == 0 || count == 2)
    return 1;
  else
    return 0;</pre>
```

#### 2、图的广度优先遍历(BFS)

```
void BFS(AGraph *G, int v, int visit[]){
 for (int i = 0; i < G->numver; ++i)
    visit[i] = 0:
 int que[maxsize]:
 int front = 0, rear = 0;
 cout << v << " ":
 visit[v] = 1:
 que[++rear] = v;
 while (front != rear){
   int v = que[++front];
    ArcNode *p = G->adjlist[v].firstarc;
    while (p != NULL){
     if (visit[p->adjvex] == 0){
        cout << p->adjvex << " ";
        visit[p->adjvex] = 1;
        que[++rear] = p->adjvex;
      p = p->nextarc;
```

#### 3、利用 BFS 求无向图的最短路径

```
void BFSmin(AGraph *G, int v, int d[]){
 int visit[maxsize]:
 for (int i = 0; i < G->numver: ++i)
    d[i] = INT16_MAX;
 for (int i = 0; i < G->numver; ++i)
    visit[i] = 0:
 int que[maxsize];
 int front = 0, rear = 0;
 visit[v] = 1;
 d[v] = 0;
 que[++rear] = v;
 while (front != rear){
    int v = que[++front];
    ArcNode *p = G->adjlist[v].firstarc;
    while (p != NULL){
      if (visit[p->adjvex] == 0)
        d[p\rightarrow adjvex] = d[v] + 1;
        visit[p->adjvex] = 1;
        que[++rear] = p->adjvex;
      p = p - nextarc;
```

#### 4、图的深度优先遍历 (DFS)

```
void DFS(AGraph *G, int v, int visit[]){
  visit[v] = 1;
  cout << v << " ";
  ArcNode *p = G->adjlist[v].firstarc;
  while (p!= NULL)
  {
    if (visit[p->adjvex] == 0)
       DFS(G, p->adjvex, visit);
    p = p->nextarc;
  }
}
```

# 5、图采用邻接表存储,设计算法判断 i 和 j 结 点之间是否有路径(以下全是邻接表存储)

```
bool DFS1(AGraph *G, int i, int j){
  int k, visit[maxsize];
  for (k = 0; k < G->numver; ++k)
    visit[k] = 0;
  DFS(G, i, visit);
  if (visit[j] == 1)
    return true;
```

else

return false;

```
6、设计算法判断无向图是否是一棵树
void fun(AGraph *G, int v, int &vn, int &en, int visit[]){
    visit[v] = 1;
    ++vn;
    ArcNode *p = G->adjlist[v].firstarc;
    while (p!= NULL){
        ++en;
        if (visit[p->adjvex] == 0)
            fun(G, p->adjvex, vn, en, visit);
        p = p->nextarc;
    }
}
```

```
bool GisTree(AGraph *G){
  int vn = 0, en = 0;
  int visit[maxsize];
  for (int i = 0; i < G->numver; ++i)
    visit[i] = 0;
  fun(G, 1, vn, en, visit);
  if (vn == G->numver && (G->numver -
1) == en / 2)
    return true;
  else
    return false;
}
```

#### 7、设计算法, 求无向连通图距顶点 v 最远的 一个结点(即路径长度最大)

```
int BFS(AGraph *G, int v){
  ArcNode *p;
  int j, que[maxsize];
  int front = 0, rear = 0:
  int visit[maxsize]:
  for (int i = 0; i < G->numver; ++i)
    visit[i] = 0;
  que[++rear] = v;
  visit[v] = 1;
  while (front != rear){
    i = que[++front];
    p = G->adilist[i].firstarc;
    while (p != NULL){
      if (visit[p->adjvex] == 0)
        visit[p->adjvex] = 1;
        que[++rear] = p->adjvex;
      p = p - nextarc;
  return j;
```

#### 8、写出深度优先遍历的非递归算法

```
void DFS1(AGraph *G, int v){
  int visit[maxsize]:
  for (int i = 0: i < G->numver: ++i)
    visit[i] = 0;
  int stack[maxsize]:
  int top = -1:
  cout << v << " ":
  visit[v] = 1:
  stack[++top] = v;
  while (top != -1)
    int k = \text{stack[top]};
    ArcNode *p = G->adjlist[k].firstarc;
    while (p && visit[p->adjvex] == 1)
      p = p - nextarc;
    if (p == NULL)
      --top;
    else{
      cout << p->adjvex << "
      visit[p->adjvex] = 1;
      stack[++top] = p->adjvex;
```

```
9、输出无向图点 u 到点 v 的所有路径
void findpath(AGraph *G, int u, int v,
int path[], int d, int visit[]){
  int w, i;
  path[++d] = u;
  visit[u] = 1:
 if (u == v)
    cout << endl:
    for (int i = 0; i <= d; ++i)
      cout << path[i] << " ";
  ArcNode *p = G->adjlist[u].firstarc;
  while (p!= NULL){
    w = p \rightarrow adjvex;
    if (visit[w] == 0)
      findpath(G, w, v, path, d, visit);
    p = p \rightarrow nextarc;
  visit[u] = 0;
```

#### 10、求无向图的连通分量个数: int func(AGraph \*G){ int visit[maxsize]: for (int i = 0; i < G->numver: ++i) visit[i] = 0: int count = 0: for (int i = 0; i < G->numver; ++i) if (visit[i] == 0)DFS(G, j, visit); count++; return count; 11、邻接表转化成邻接矩阵 void invert(mGraph G1, AGraph \*g2){ G1.numver= g2.numver; G1.numedg = g2.numedg; ArcNode \*p; for (int i = 0; i < g2.numver; i++){ G1.verticle[i]=g2->adjlist[i]; p = g2.adjlist[i].firstarc; while (p != NULL){ G1.Edge[i][p->adjvex] = 1; $p = p \rightarrow nextarc;$

```
12、判断无向图是否存在环 (并查集)
void init(int parent[], int rank[]) {
  for (int i = 0; i < maxsize; ++i){
    parent[i] = -1; rank[i] = 0;}
int find_root(int x, int parent[]){
  int x_root = x:
  while (parent[x_root]!=-1)
    x_{root} = parent[x_{root}];
  return x_root;
int Union(int x, int y, int parent[], int
rank[]){
  int x\_root = find\_root(x, parent);
  int y_root = find_root(y, parent);
  if (x\_root == y\_root)
    return 1:
  else if (rank[x_root] > rank[y_root])
    parent[y_root] = x_root;
  else if (rank[x_root] < rank[y_root])
    parent[x_root] = y_root;
  else{
    rank[y_root]++;
    parent[x_root] = y_root;
  return 0;
```

```
13、邻接矩阵转化成邻接表:
void invert(MGraph G1, ALGraph g2){
   g2.numver = G1.numver;
   g2.numedg = G2.numedg;
   ArcNode *p :
   for (int i = 0; i < G1.numver; i++)
      g2.adilist[i].firstarc = NULL:
   for (int i = 0; i < G1.numver; i++){
   for (int j = 0; j < G1.numver; j++){
      if (G1.Edge[i][i] != 0){
         ArcNode *p= new ArcNode
         p->adjvex = j;
         p->next=g2.adjlist[i].firstarc;
         g2.adjlist[i].firstarc = p;
```

#### 1、直接插入排序 void InsertSort(int R[], int n){ int i, j, temp; for $(i = 2; i \le n; ++i)$ R[0] = R[i]: for (j = i - 1; R[0] < R[j]; --j)R[i + 1] = R[i];R[i + 1] = R[0];} //顺序存储 void linksort(LNode \*&L){ LNode \*p = L->next; LNode \*r = p->next; p->next = NULL; p = r; while (p != NULL){ r = p - next;LNode \*pre = L; while (pre->next != NULL && pre->next->data < p->data) pre = pre->next; p->next = pre->next; pre->next = p;p = r;

} //链式存储

```
2、折半插入排序
void BinInsert(int A[], int n){
 int i, j;
  int low, high, mid;
  for (i = 2; i \le n; ++i)
    A[0] = A[i];
    low = 1:
    high = i - 1;
    while (low <= high){
      mid = (low + high) / 2;
      if (A[mid] > A[0])
        high = mid - 1;
      else
        low = mid + 1;
    for (j = i - 1; j >= high + 1; --j)
      A[j+1] = A[j];
    A[high + 1] = A[0];
```

```
3、希尔排序
```

```
void shellsort(int arr[], int n){
  int temp;
  for (int gap = n / 2; gap > 0; gap /= 2){
    for (int i = gap; i < n; ++i){
       temp = arr[i];
       int j = i;
       while(j>=gap&&arr[j-gap]>temp){
            arr[j] = arr[j - gap];
            j -= gap;
       }
       arr[j] = temp;
       cout << endl;
    }
}</pre>
```

#### 4、冒泡排序

```
void Bubblesort(int R[], int n){
  int i, j, flag, temp;
  for (i = n - 1; i >= 1; --i){
    flag = 0;
    for (j = 1; j <= i; ++j)
      if (R[j - 1] > R[j]){
        temp = R[j];
      R[j] = R[j - 1];
      R[j - 1] = temp;
      flag = 1;
    }
  if (flag == 0)
    return;
}
```

#### 5、快速排序

```
int part(int A[], int low, int high){
  int pivot = A[low];
  while (low < high){
    while (low<high &&A[high]>=pivot)
      --high;
    A[low] = A[high];
    while (low<high && A[low] <= pivot)
      ++low;
    A[high] = A[low];
  A[low] = pivot;
 return low;
void Quicksort(int A[],int low, int high){
  if (low < high){
    int pivotpos = part(A, low, high);
    Quicksort(A, low, pivotpos - 1);
    Quicksort(A, pivotpos + 1, high);
```

#### 6、选择排序

```
void SelectSort(int R[], int n){
  int i, j, k, temp;
  for (i = 0; i < n; ++i){
     k = i;
     for (j = i + 1; j < n; ++j)
        if (R[k] > R[j])
        k = j;
     temp = R[i];
     R[i] = R[k];
     R[k] = temp;
}
```

#### 7、堆排序

```
void sift(int arr[], int low, int high){
  int i = low, j = 2 * i + 1;
  int temp = arr[i];
  while (i \le high)
    if (i < high \&\& arr[i] < arr[i + 1])
      ++j;
    if (temp < arr[i]){
      arr[i] = arr[j];
      i = j;
      i = 2 * i + 1;
    else
      break;
  arr[i] = temp;
void heapSort(int arr[], int n){
  for (int i = n / 2 - 1; i >= 0; --i)
    sift(arr, i, n - 1);
  for (int i = n - 1; i > 0; --i){
    int temp = arr[0];
    arr[0] = arr[i];
    arr[i] = temp;
    sift(arr, 0, i - 1);
```

#### 8、归并排序

```
void fun(int A[].int low, int mid, int
high){
  int *B = new int[high - low + 1]:
  int i = low, j = mid + 1;
  for (int k = low; k \le high; ++k)
    B[k] = A[k];
 int k = i:
  for (; i \le mid \&\& j \le high; ++k){
    if (B[i] \leq B[j])
      A[k] = B[i++];
    else
      A[k] = B[j++];
  while (j <= high)
    A[k++] = B[i++];
  while (i \le mid)
    A[k++] = B[i++];
void MergeSort(int A[],int low,int high){
  if (low < high){
    int mid = (low + high) / 2;
    MergeSort(A, low, mid);
    MergeSort(A, mid + 1, high);
    fun(A, low, mid, high);
```

该资料于 2022 年 5 月 1 日更新完毕,相较于去年增加了约 50%的题目,共计 108 道题目。另外今年新增了每道题的代码运行脚本,我已上传到我的 github,链接如下:

https://github.com/Petrichor-yin/DS-c ode/tree/master

由于我个人实习、论文等原因, 今年暂时没有私信答疑, 但是我还是会定期(3-4周)进行腾讯会议, 大家可以集中在那个时间段进行提问, 平时有问题可以在群里互相交流讨论。

这份资料建议搭配相应讲解视频使用。目前(2022年5月5日)视频还在更新中,购买这份资料的同学我会拉到一个群里,我每周都会录制一部分题目的讲解视频发到群里。另外关于代码脚本的运行,我会尽快(2022-5-7前)出一期视频来讲解如何使用(发到b站)。5月7号之后购买的同学直接在b站我的频道(我头发还多还能学)观看即可。最后,感谢大家的支持,期待你们 2023 考研上岸!

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