Focus on LK Regularization

 $X = (x_1, x_n)$, Box $a \in \mathbb{N}^n$, $\|x\|_q = \sqrt{\sum |x|_q}$ q = 0, $\|x\|_0 = \sum 1(x_0 \neq 0)$ INDICATOR FUNCTION: $I_{\alpha_0} = \sum_{\alpha_0} I_{\alpha_0} = I_{\alpha_$

I-Focus on la Regularization

Lo Regularization refers to minimizing the number of nonzero weights in a model

[good: remove unnecessary parameters and make the network sparse principal of efficient and make the network sparse of efficient of efficient and make the network sparse of efficient of efficient and sparse of efficient of the exactly zero.

- =) leause of its "Standard Gradient : X & = Loss (W) + XII WIIO

 Descent for UNIKABLE

 Regularization UNIKABLE

 Leike HSE)

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- => We need a continuous opproximation

 (needs a continuous opproximation of bisnete 012 includes)
 - I. Instead of directly pouring unights (00.1), we origin a polability that a weight is
- 2. We sample values from a stretched signaid function (200) to approximate lineary becisions.
- 3. This oblams grabient-based learning, making to Regularization trainable.
- · Probabilistic Relaxation: a mathematical trick work to approximate non-differentiable stores becieves (e.g., redecting whether a weight should be active or zero! with continuous and differentiable approximations,
- · Why Concrete in the Hard Concrete distribution?
 - . The Concrete Distribution (or Relaxed Bornsulli Distribution) is a continuous approximation of a biscrete Consulli (0/2) Distribution.
- · Why Had in the Hard Concrete Distribution? (most ought really broose (0/2))
 - · Even though the function is continuous the output strongly resembles a lineary decision.

 The relaxation will maintains a "Road" relaction lecouse most include get purhed close to 0 on I.
 - The Hard Concrete CirtiDution prohibies the Correcte KidriDution. Day adding oblitional stretching on Displang.

Hathematical Trick: Hard Concrete Ristribution Z = 5 (Roy(1) 1 Roy (1-11) + Roy (x)) (3-8) + 8 · U ~ U(0,1), a sample from a Voyoum (21) Distribution introduces stochasticity, allowing the mobal to explore different sparsity potens.

This randomness essues that weight selection is a most process with their on Daniel discrete change. · log(v) I log(1-v), (logistic Noise) a transformation of un that maps it to a range from autoro - transforms Virgorm D into a Logistic D, which halps in approximating Dinary choices in a mostly -> ensures that small differences in a leads to smooth changes in the final output 2, making the . Log (c), a trainable parameter controlling hour likely a weight is to be zerock out (sparity) gring to going before of constants constants to come discourse before the country a large of = the weight is more likely to be pund, a small of = the weight is more likely to . P. + Temperature Parameter (Softening the Decision) a scaling factor that controls the sharpsons of a P transition - contain hour mostly on sharp the transition is from keeping a weight to priving it - a large B= smoother transitions (gradually learning sparsity), small B=) harder thresholding (place to) (193) sonor se transformet sollor set cape (0) . -) ensures that the function is differentiable so gradient-based aptimization works . (3-8) 48 & stating & shifting soles and while the signed output - contines that the most a con be in the range [1] instal of just (0:1) -> I (regative shift): prevent weights from being to close to zero buring training -> E (posture steeld): ensures that the Jurition can reach exactly I when reeded Clanying & Retrieen O and 1: 7 = clamp (2,9,1) -) a final step to Pance 7 to stay Return O and I I spen with smooth transformations or could non-time exceed these limits, so we dip it -> ensures - Decharer likes of proper pudolility mark a Most a matrix M with could typically leturer (8:1) or E0,1), applied Dement-wise to another tensor. X : X'= MOX - Mij = I . The conserporting element Xij is kept - Hij = 0: the corresponding Doment Xit is tended out (growth)
- OKHij (1: represents a polos) Dity words Doming gradient-Prosed Deserve