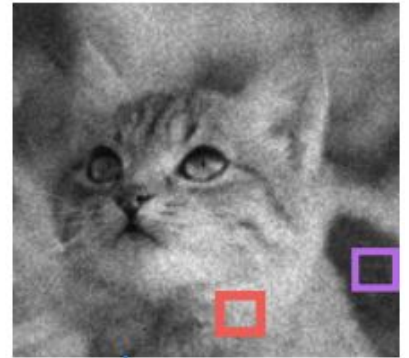
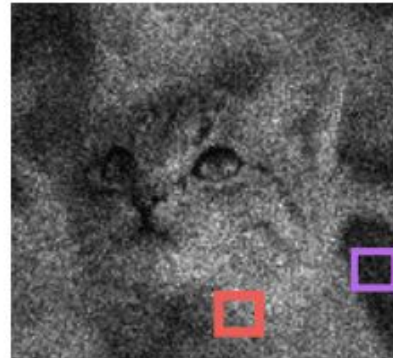
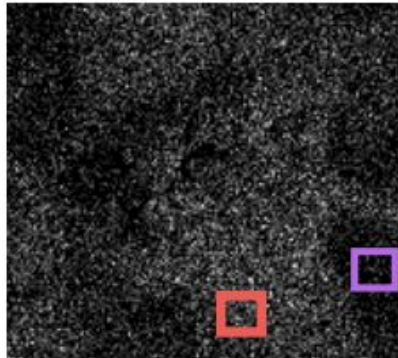
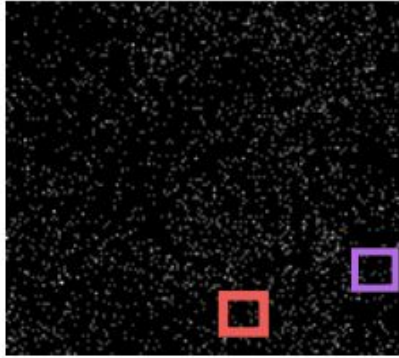


Seeing Into Darkness: Scotopic Visual Recognition

By Bo Chen and Pietro Perona

Yash Sanghvi
ML Reading Group
October 30th, 2019

Scotopic: *Vision in the Dark*

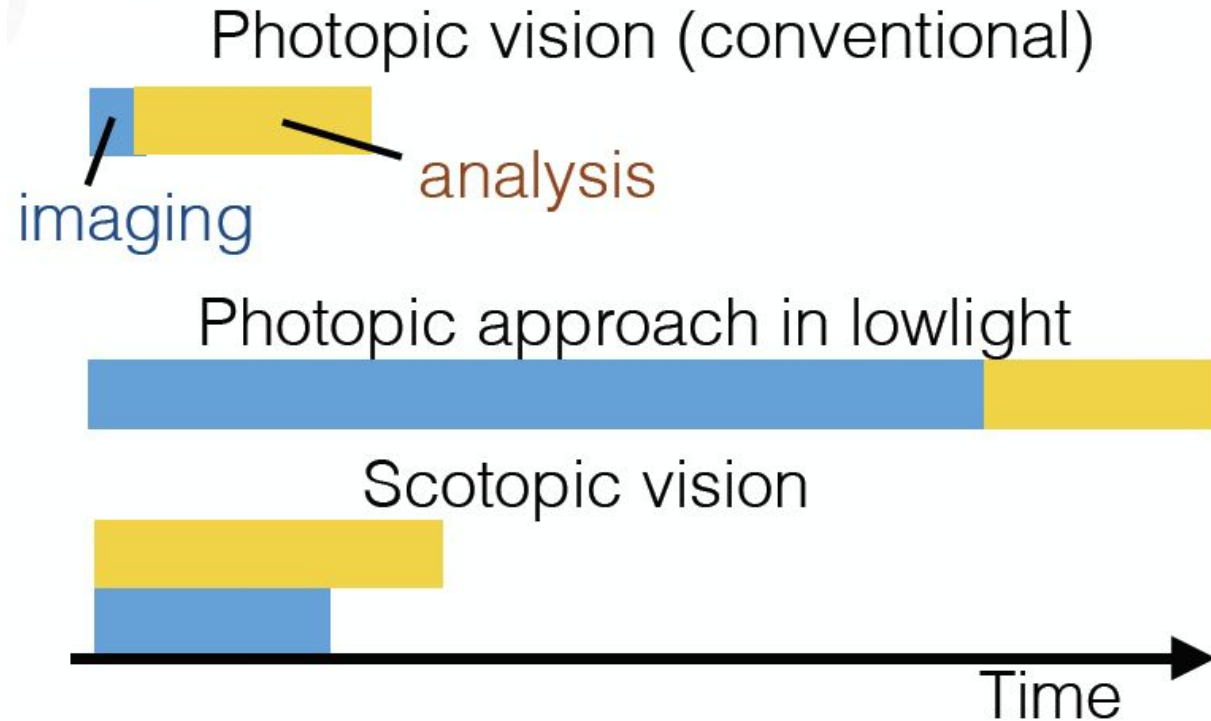


Increasing Luminance

PPP: Photons Per Pixel

PPP \propto Exposure Time


What's Different from Photopic Vision?



Some Mathematical Formulation

$X_{1:t}$: Stream of Photons incident on sensors

Photons incident on pixel 'i' during time bin 't'


$$P(X_{t,i} = k) = \textit{Poisson}(k|\lambda_i t)$$

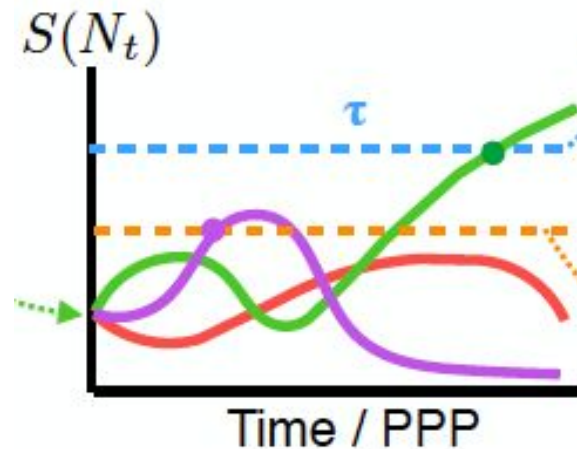
Classification with Scotopic Vision

Sequential Probability Ratio Test

Compute $c^* = \arg \max_{c=1,2,\dots} S_C(X_{1:t})$

if $S_{c^*} > \tau$: report $\hat{C} = c^*$

otherwise increase exposure time t



WaldNet

- Standard ConvNets not applicable
- Instead work with High Exposure Time 'T'
- Working with partial observations $N_t = \sum_{t'=1}^t X_{t'}$
- Uncounted Photons $\Delta N = \sum_{t'=t+1}^T X_{t'}$

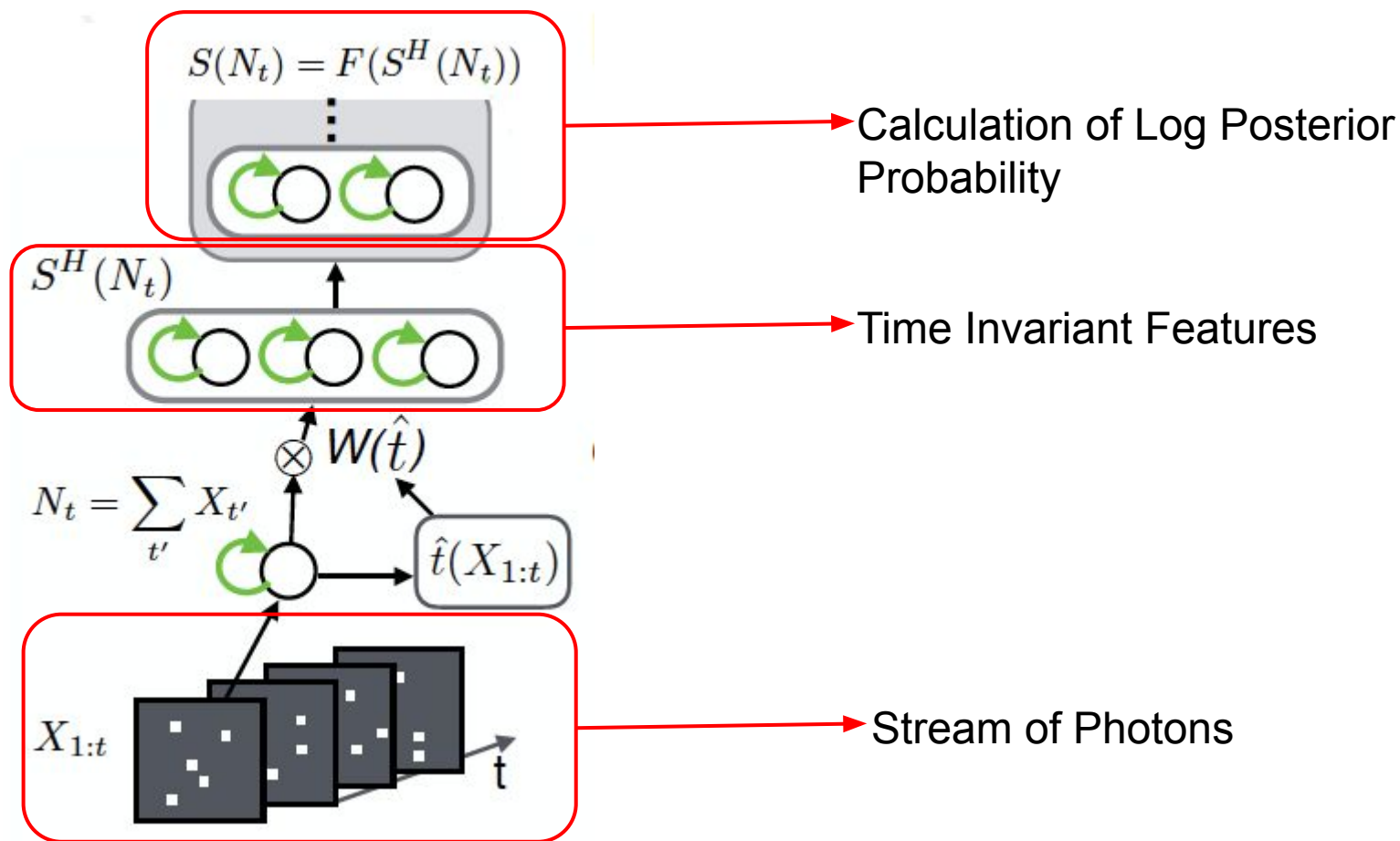
Gamma Prior on photon emission rate: $Gam(\mu_i t_0, t_0)$

First “Convolutional” Layer

$$S^H(N_t) = \sum_{\Delta N} (W(N_t + \Delta N) + b^H) P(\Delta N | N_t) \approx \boxed{\alpha(t)} W N_t + \boxed{\beta(t)} \quad (4)$$

$$\alpha(t) \triangleq \frac{T+t_0}{t+t_0}$$

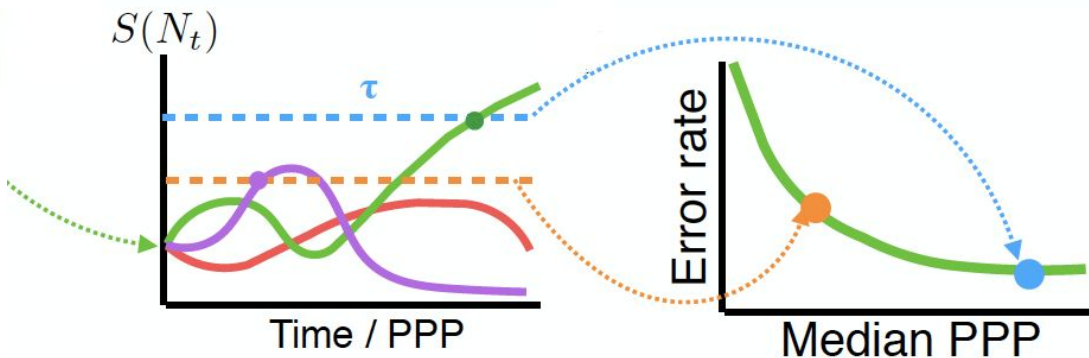
$$\beta_j(t) \triangleq \frac{t_0(T-t)}{t+t_0} \sum_i W_{ij} \mu_i + b_j$$



Learning

$$R \triangleq \eta \mathbb{E}[\text{PPP}] + \mathbb{E}[C \neq \hat{C}]$$

Bayes Risk



Two Stage Learning

- (I) Learning ConvNet/Waldnet
- (II) Threshold Learning

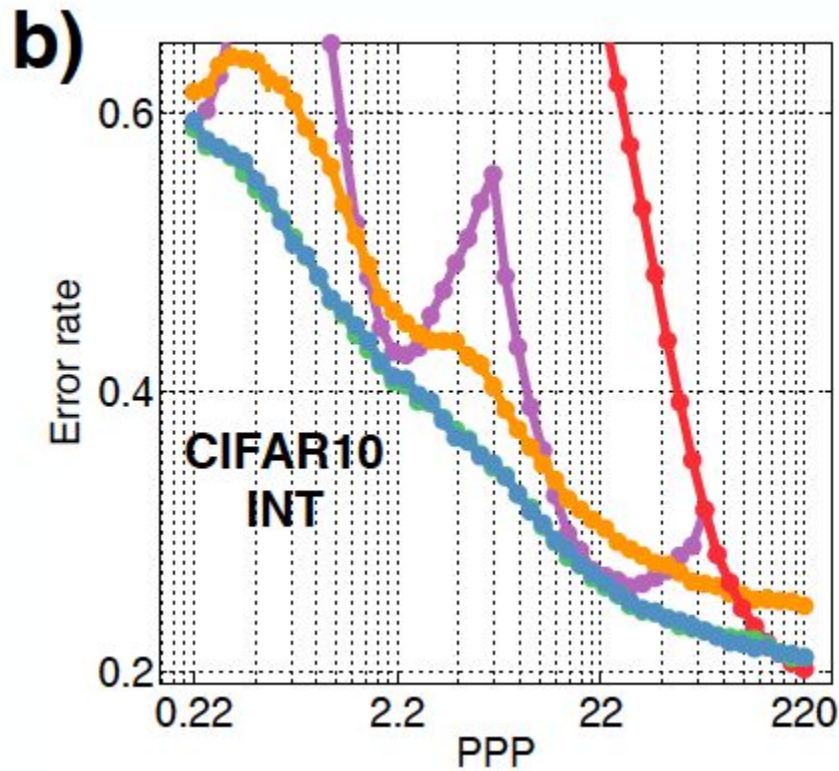
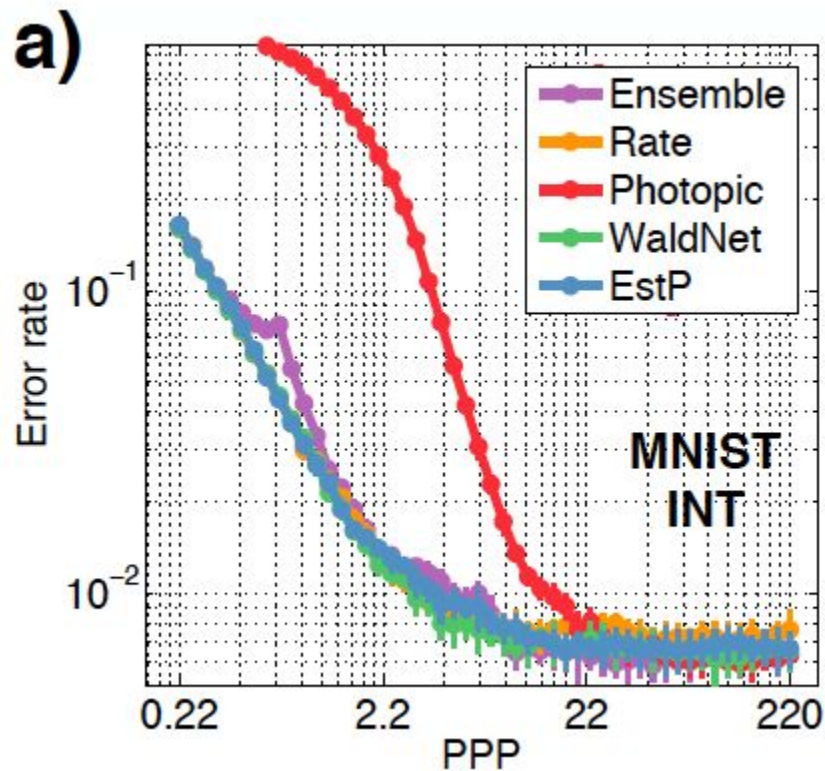
Threshold Learning

Bayes Risk at time t

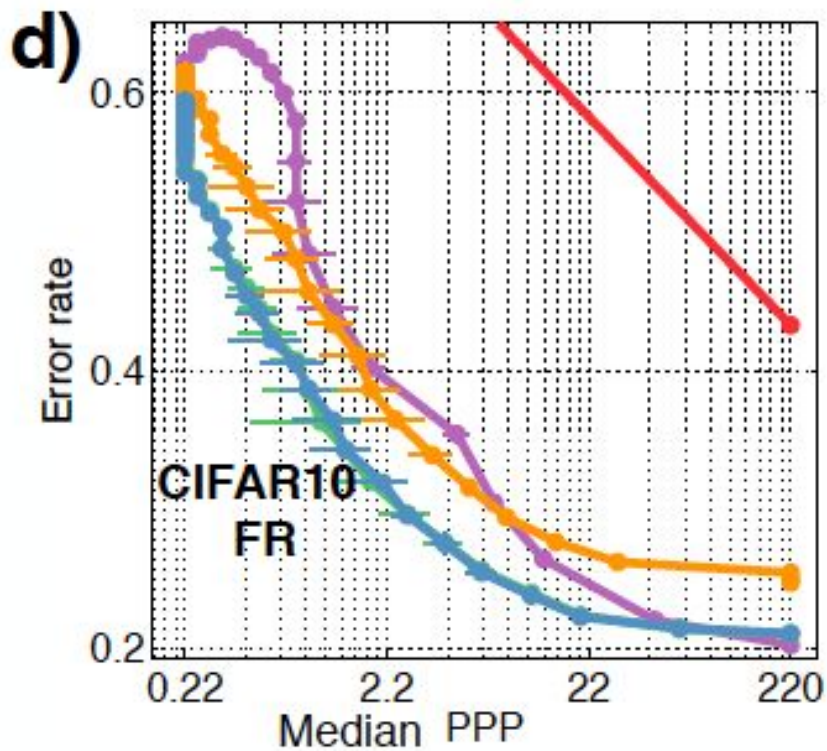
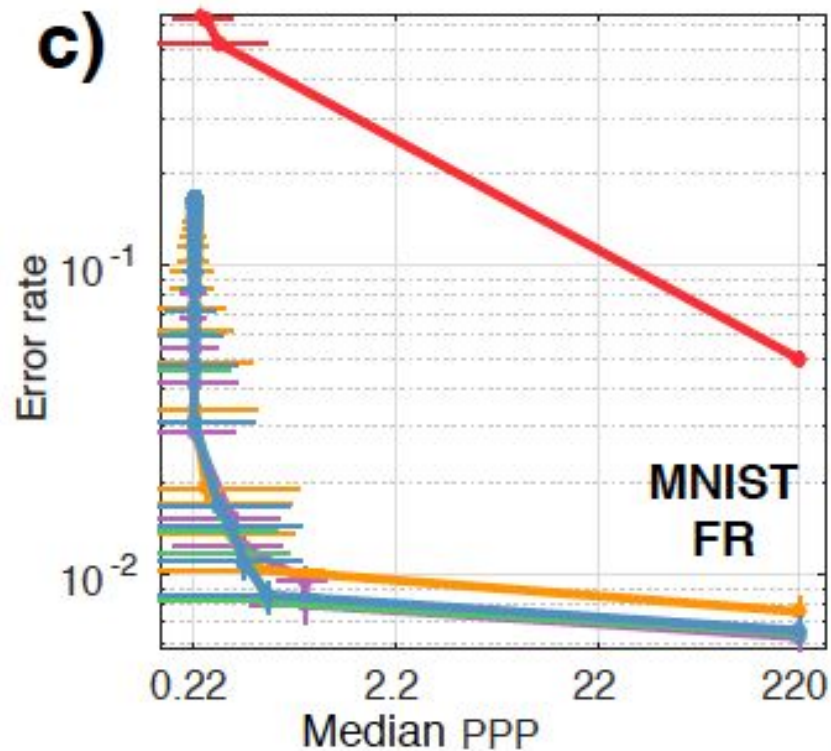
$$R_t^{(n)} = \eta \Delta + q_t^{(n)} e_t^{(n)} + (1 - q_t^{(n)}) R_{t+1}^{(n)}$$

$$\text{Bayes Risk: } R = E_{(n)} [R_0^{(n)}]$$

Results - Interrogation Regime

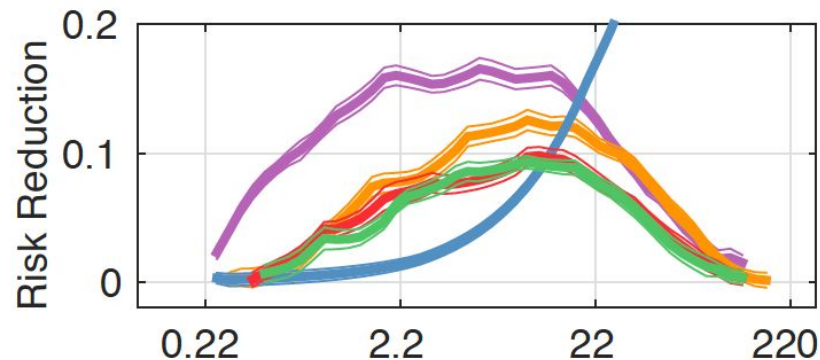
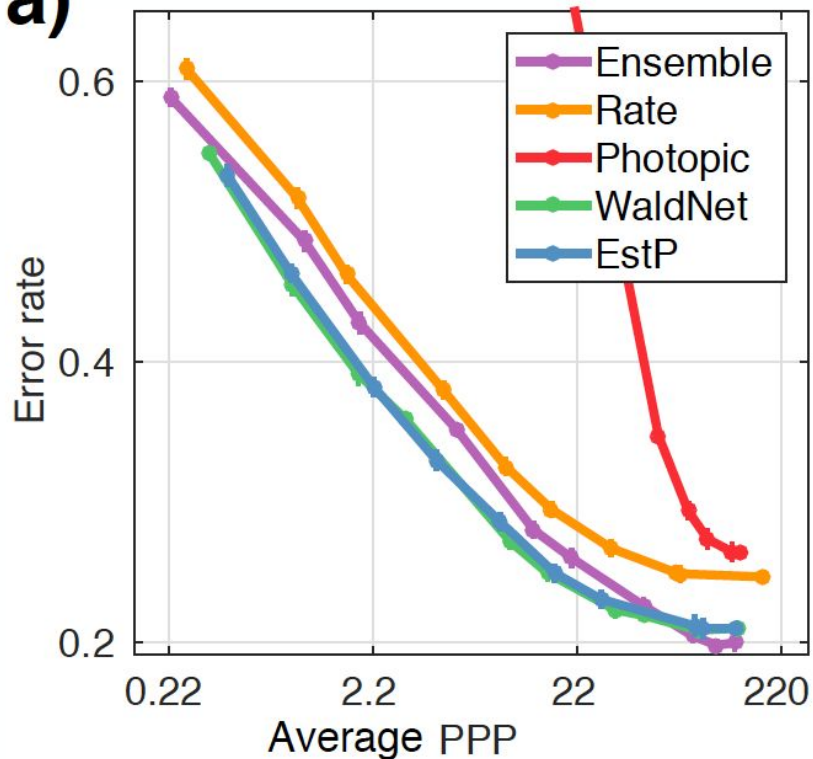


Results - Free Response Regime



Risk Reduction with Threshold Learning

a)



Conclusion

- *WaldNet* for Scotopic Vision, Designed to process images as they hit the photoreceptors
- Provide a transform to convert stream of photons to “time invariant features”

$$S^H(N_t) = \sum_{\Delta N} (W(N_t + \Delta N) + b^H) P(\Delta N | N_t) \approx \alpha(t) W N_t + \beta(t) \quad (4)$$

- Allows tradeoff between computational time vs. accuracy.

*Did not talk about Sensor noise and Spiking Implementation in this presentation