

Do Homes Located Near a Metro Station Incur a Price Premium? ¹

Evidence from Washington, DC

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Abstract

This paper investigates

Introduction

Theory

Data

Calculating House to Metro Distance

$$d = 2r \arcsin \left(\sqrt{\sin^2 \left(\frac{\phi_2 - \phi_1}{2} \right) + \cos(\phi_1) \cos(\phi_2) \sin^2 \left(\frac{\lambda_2 - \lambda_1}{2} \right)} \right) \quad (1)$$

where ϕ_1 and ϕ_2 correspond to latitude 1 and latitude 2, λ_1 and λ_2 correspond to longitude 1 and longitude 2, and r is the radius of the Earth.

The latitude and longitude coordinates for each house and each metro station are substituted into the haversine function for (ϕ_1, λ_1) & (ϕ_2, λ_2) respectively. The distance from a single house to all 91 metro stations are calculated, then the minimum distance is selected and added to the dataframe.

Exploratory Data Analysis

To demonstrate the usefulness of each variable in the model, an exploratory data analysis of the variable was conducted.

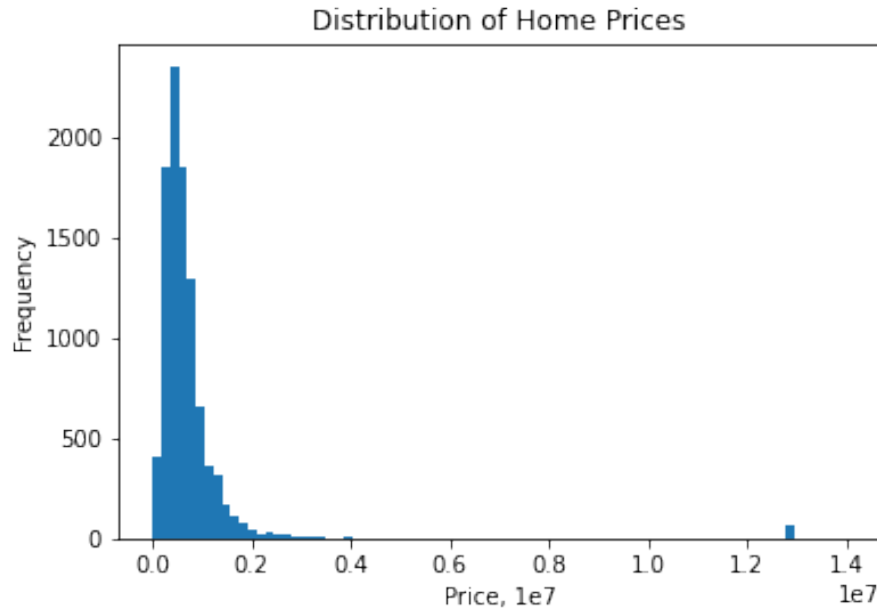


Figure 1: .

First, *price*, the dependent variable in the model was looked into. The histogram for *price* showed peaks in price to be clustered. The histogram also showed a few outliers in the data that should be removed before conducting further analysis.

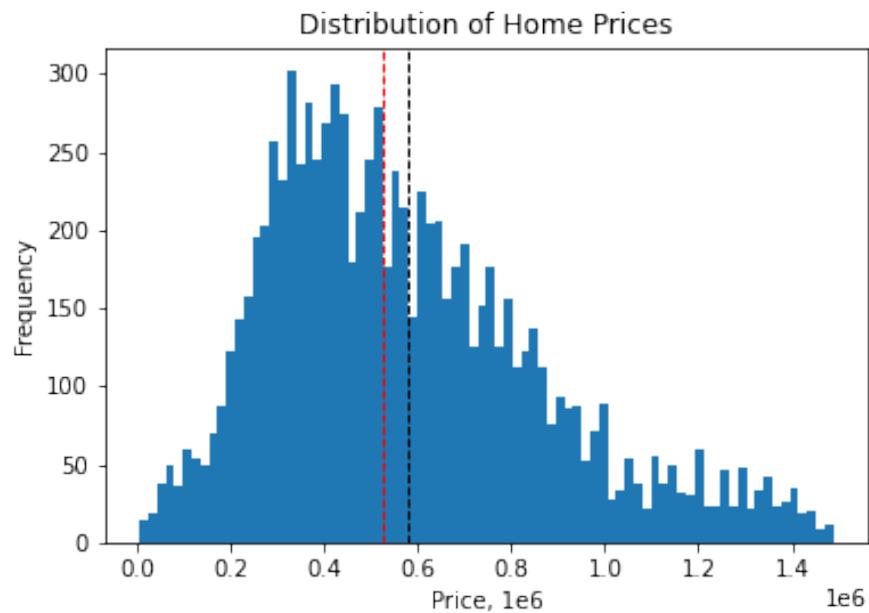
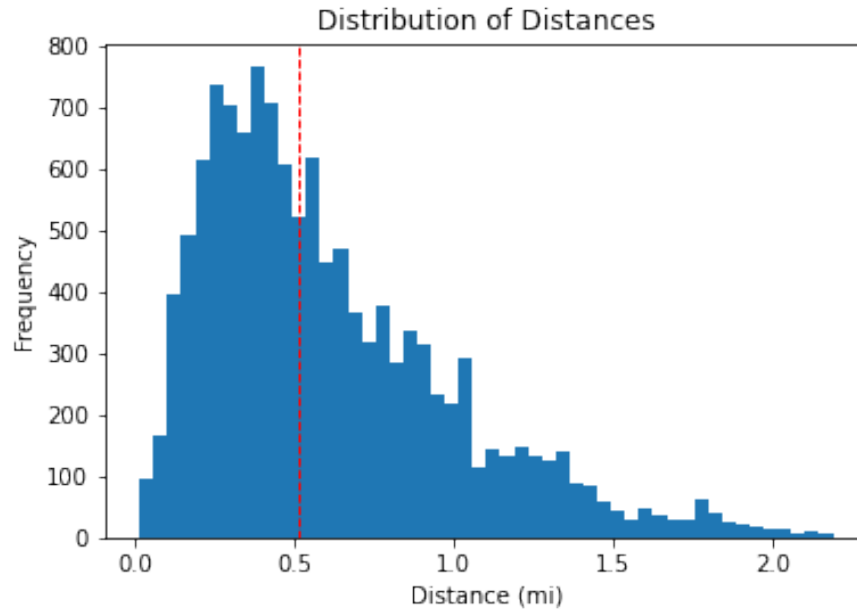


Figure 2: .

After removing the necessary outliers, a new variable for price, `newPrice`, is created. Even though the histogram for `newPrice` shows that the average price for homes in the DC area is higher than the median price, the new price data is now more symmetrical than before. The peaks in the `newPrice` histogram show that most homes range between two-hundred and eight-hundred thousand dollars.

This paper theorizes that the price premium decreases as the distance between a home in Washington D.C. and the nearest metro station increases. The histogram below shows the distribution of the homes by their proximity to the nearest metro station.



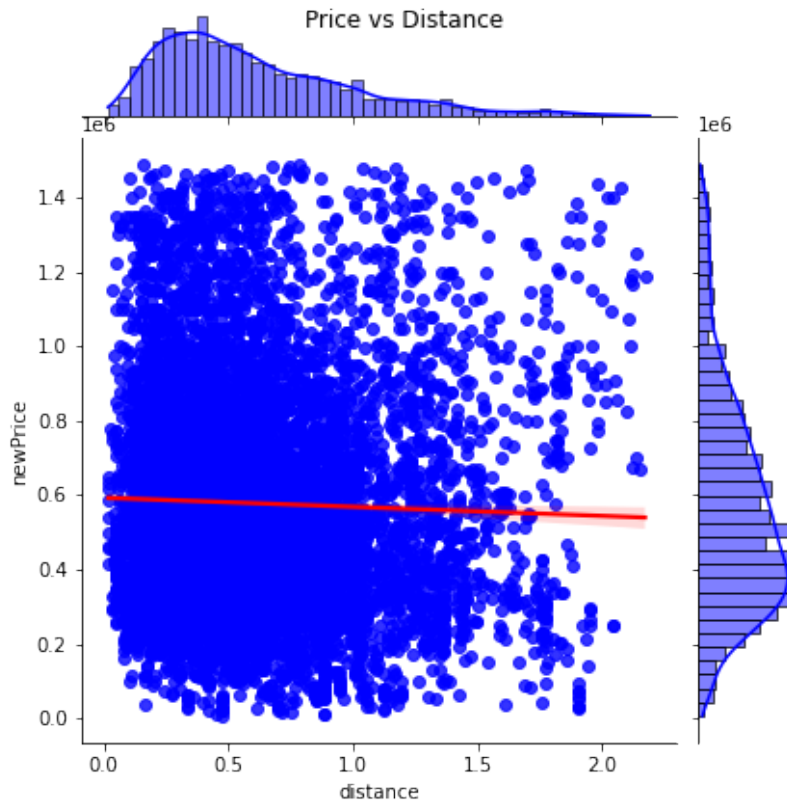


Figure 4: .

The joint plot above shows the scatter plot of price and distance and the distribution of distance on the top, and the distribution of price on the right. The line of best fit in the scatterplot shows a clear downward sloping or negative relationship between the two variables. The downward sloping trend line shows that as the distance increases, the price of the homes decreases.

To take a deeper look into the factors that affect home prices, it is important to take fixed effects and features of the homes into account.

First, we looked at the number of bedrooms in the homes and its relationship with price. The histogram shows the median number of bedrooms in the dataset to be 3. The number

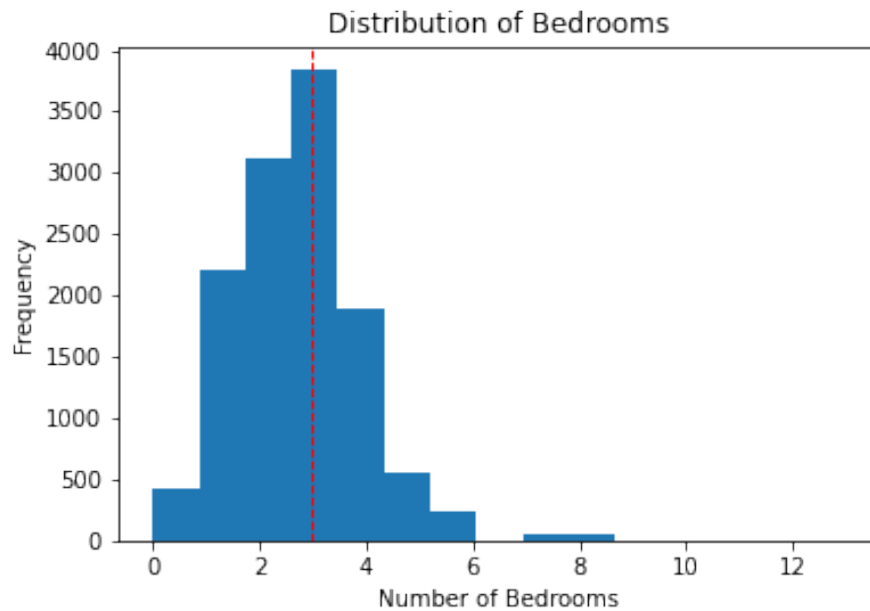


Figure 5: .

of bedrooms ranges from one to six, with eight bedrooms being an outlier.

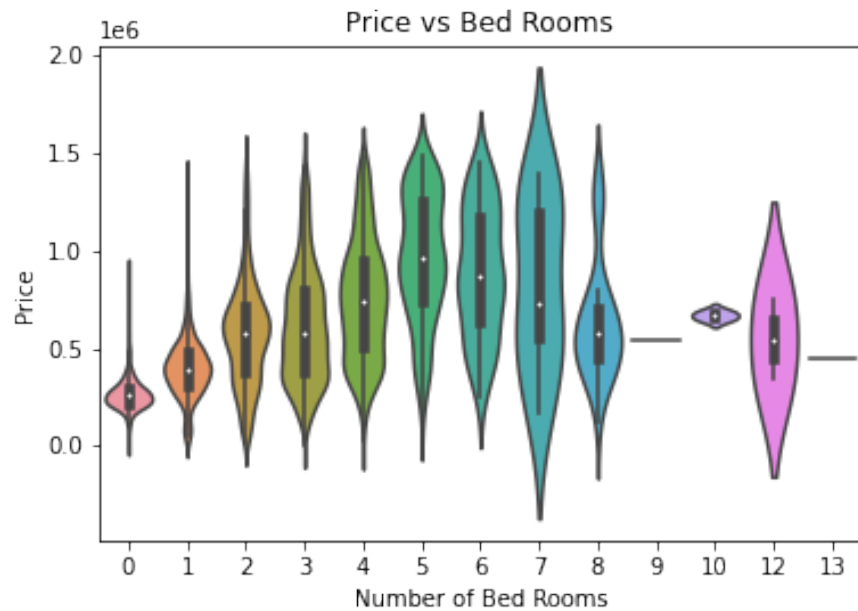


Figure 6: .

When looking at this variable, it was expected that the price of the homes in D.C. would increase as the number of bedrooms increased. On the contrary, the white points in the violin plot show a steady increase in the median price as the number of bedrooms increases to five. At six bedrooms, the median price of homes begins to decline, and the price becomes constant at eight bedrooms.

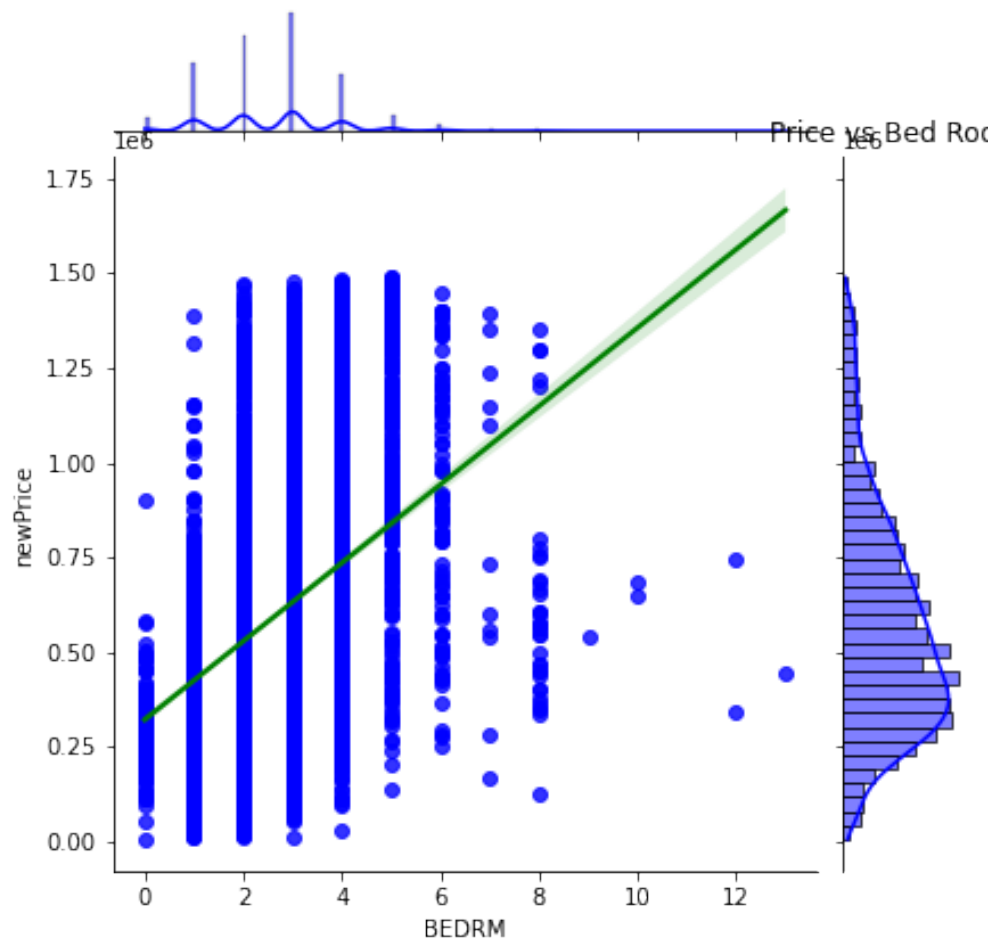


Figure 7: .

The joint plot for bedrooms and price shows the overall upward sloping line of best fit, which indicates a positive relationship between price and the number of bedrooms. It is also observed that the price peaks at around four-hundred thousand dollars in relation to the number of bedrooms.

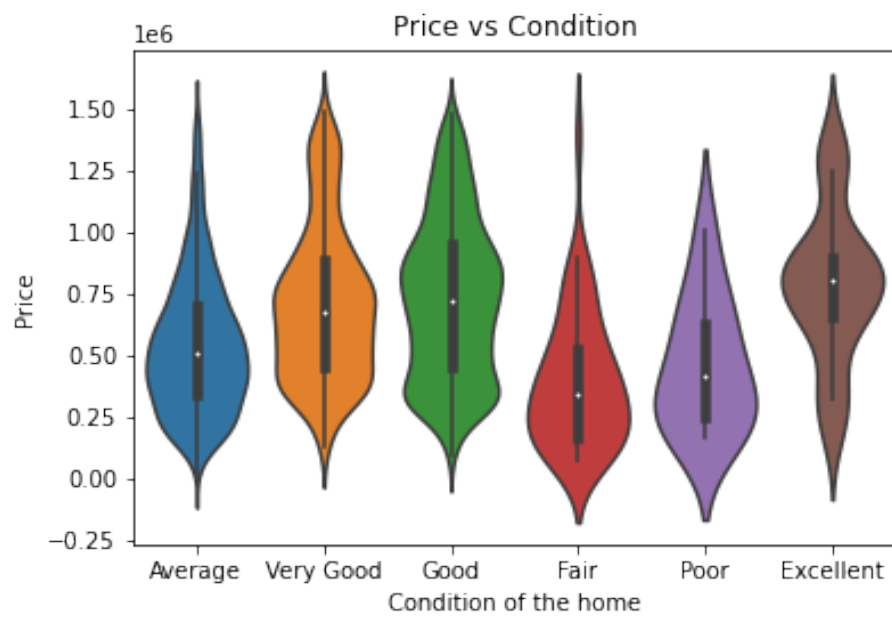


Figure 8: .

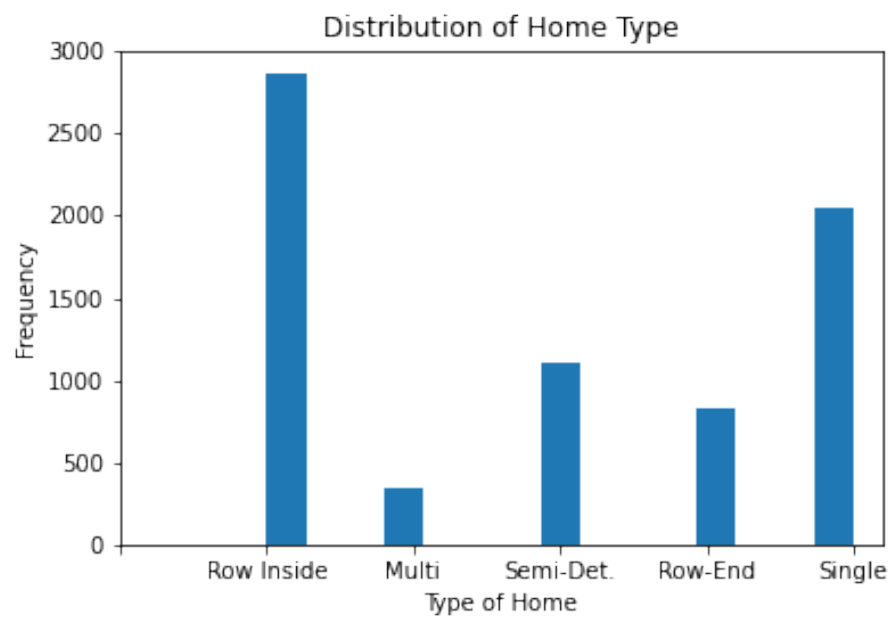


Figure 9: .

Econometric Specification

This paper utilizes a multiple linear regression approach using ordinary least squares estimators to predict if homes located within a half mile radius of a metro station incur a price premium. It is natural for homes to differ in price for several reasons, including size, year built, geographical location, or number of bedrooms. To determine if the metro station proximity is responsible for the differences in price, this paper controls for many home fixed effects mentioned above and in the data section.

This paper estimates four models, the first three utilize the price of a home as the dependent variable, denoted in dollars. The fourth equation estimates the price premium using the log of the home price to account for skew in the home price data. The general specification of the four models take on the functional form of Equation 2.

$$price = \beta_0 + \delta_1 \text{ metro.5} + \beta_k (\text{house fixed effects}) + u \quad (2)$$

where δ_1 is the parameter of interest and denotes the price differential for a house located within a half mile radius and a house located outside the radius. *metro.5* is a dummy variable denoting whether a house falls within the radius: *metro.5*=1 if the house lies within the half mile radius and *metro.5*=0 if else.

The term house fixed effects encompasses the home attributes that do not change on average, including the number of bathrooms & half-bathrooms, the lot size, the number rooms, the number of kitchens, and the type of structure.

In Model 4, this paper performs a stepwise selection process to determine which of the nine home fixed effects should be included in the final model. The stepwise selection independently estimates *price* as a function of the nine home fixed effects and the *metro.5* variable for a total of ten regressions. The term with the highest R^2 is added to the model, we call this *variable1*. Next, nine regressions are run, each with *variable1* and the other eight variables; the term with the highest R^2 is added, we call this *variable2*. This process is repeated, adding the variable that results in the highest R^2 and removing variables that are not statistically significant. Model 4, estimates (log)*price* as a function of the variables chosen by this method.

We expect the sign on *metro.5* to be positive and moderately large as this paper hypothesizes that homes located within the half mile radius will be more expensive. We also expect the signs on *bedrooms*, *bathrooms*, *size*, *landarea* to all be positive, indicating a higher price given more of these home attributes. We expect some of the structures to have a positive sign and others to have a negative sign, based on the style and quality of the structure. The results of the four regression models can be found in the next section.

To eliminate any multicollinearity issues, this paper examines a correlation matrix to identify independent variables that correlate with one another. Table ?? illustrates the correlation matrix, with high values denoted in red.

Correlation Matrix									
	(log)price	Price	struc.	metro50	Stories	Land	Bath	Rooms	Half
(log)price	1	0.917	-0.074	0.048	0.170	0.158	0.480	0.357	0.321
Price	0.917	1	-0.040	0.031	0.199	0.205	0.524	0.389	0.348
sruc.	-0.074	-0.040	1	-0.146	-0.042	0.505	0.136	0.095	0.099
metro50	0.048	0.031	-0.146	1	0.014	-0.177	-0.099	-0.170	-0.1050
Stories	0.170	0.199	-0.042	0.014	1	-0.025	0.033	0.030	0.031
Land	0.158	0.205	0.505	-0.177	-0.025	1	0.420	0.505	0.306
Bath	0.480	0.524	0.136	-0.099	0.033	0.420	1	0.694	0.290
Rooms	0.357	0.389	0.095	-0.170	0.030	0.506	0.694	1	0.396
Half	0.321	0.348	0.099	-0.105	0.031	0.306	0.290	0.3963	1

Table 1: Values above 0.50 are highlighted in red. Note that the correlation between log(price) and Price are not considered as they do not appear in the same model.

$$price = \beta_0 + \delta_1 nearMetro + \beta_1 medianInc + \beta_2 crimeRate + \beta_3 bdrms + \beta_4 stories + \beta_5 sqft + \beta_6 fullBath + \beta_7 halfBath + \beta_8 grade + \beta_9 landSize + u$$

where *nearMetro* is a dummy variable; 1 if within a .5 mile radius from a metro station, *crimeRate* is percentage of the crime per 100,000, *stories* is the number of stories a house has, *sqft* is the square feet of the home, among other home effects variables.

$$price = \beta_0 + \delta_1 metro.5 + u$$

metro.5 = 1 if the house is within a 0.50 mile radius, 0 else

$$\log(price) = \beta_0 + \delta_1 metro.5 + \beta_1 stories + \beta_2 landArea + \beta_3 cndtn + \beta_4 bathroom + \beta_5 AC + \beta_6 bedroom + \beta_7 halfbath + u$$

metro.5 = 1 if the house is within a 0.50 mile radius, 0 else

$$price = \beta_0 + \delta_1 \text{ metro.5} + \beta_k (\text{house fixed effects}) + u$$

parameter of interest: δ_1

$\text{metro.5} = 1$ if the house is within a 0.50 mile radius, 0 else

Results

Table 2: Post Treatment Effects on NO_x

	<i>Price</i>			$\text{Log}(\textit{Price})$
	(1)	(2)	(3)	(4)
Intercept	574364.70*** [-3424.27]	189648.32*** (19850.63)	248707.05 (263607.00)	17.70*** [0.10]
metro50	24776.83*** [8176.48]	97631.25*** (12838.28)	96892.24*** (12821.84)	0.21*** [0.03]
Stories		63388.06*** (8460.41)	64507.54*** (8447.44)	
Land		7.84*** (2.52)	9.04 (2.53)	
Bedroom		150960.90*** (4490.45)	143963.93*** (4717.21)	0.32*** [0.01]
Half		94667.83*** (6886.83)	87127.34*** (7053.45)	0.24*** [0.02]
Multi		-331169.10*** (18996.8)2	-309597.28*** (19493.71)	-0.78*** [0.06]
Detached		-190811.19*** (11459.7)8	-197509.55*** (11522.49)	-0.54*** [0.03]
Row		-52120.28*** (12490.2)4	-57029.36*** (12507.49)	-0.17*** [0.03]
Single		-77761.28*** (13528.3)0	-83945.82*** (13562.47)	-0.25*** [0.03]
Rooms				0.16*** [0.02]
<i>Rooms</i> ²				-0.01*** [0.00]
<i>Bed</i> ²				0.005*** [0.00]
Fixed Effects	Yes	Yes	Yes	Yes
Stepwise	No	No	No	Yes
Observations	9176	4825	4825	4834
R^2	0.001	0.381	0.327	0.321
Adj- R^2	0.001		0.326	0.320

Notes. Each column reports results from a regression of dummy variables and other indicators for *Price*. Column (1), Column (2), and Column (3) use the price of homes denoted in US dollars while Column (4) uses the $\text{log}(\textit{Price})$ as the demendent variable. Fixed effects include attributes to the homes that do not vary with time. Model 2 uses a general linear model while Model 1, 3, and 4 use ordinary least squares. The standard errors reported in square brackets are robust standard errors. HC3 covariance methods are used in the ols model in python (*cov_type = 'HC3'*). *** $p < .01$. ** $< .05$. * $p < .10$.

Analysis

Further Research

Conclusion